

How Much Should We Trust Instrumental Variable Estimates in Political Science? Practical Advice Based on 67 Replicated Studies*

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Abstract

Instrumental variable (IV) strategies are widely used in political science to establish causal relationships, but the identifying assumptions required by an IV design are demanding, and assessing their validity remains challenging. In this paper, we replicate 67 papers published in three top political science journals from 2010-2022 and identify several concerning patterns. First, researchers often overestimate the strength of their instruments due to non-i.i.d. error structures such as clustering. Second, the commonly used *t*-test for two-stage-least-squares (2SLS) estimates frequently underestimates uncertainty. Using more robust inferential methods, we find that about 19-30% of the 2SLS estimates in our sample are underpowered. Third, in most replicated studies, 2SLS estimates are significantly larger than ordinary-least-squares estimates, with their ratio negatively correlated with instrument strength in studies with non-experimentally generated instruments, suggesting potential violations of unconfoundedness or exclusion restriction. We provide a checklist and software to help researchers avoid these pitfalls and improve their practice.

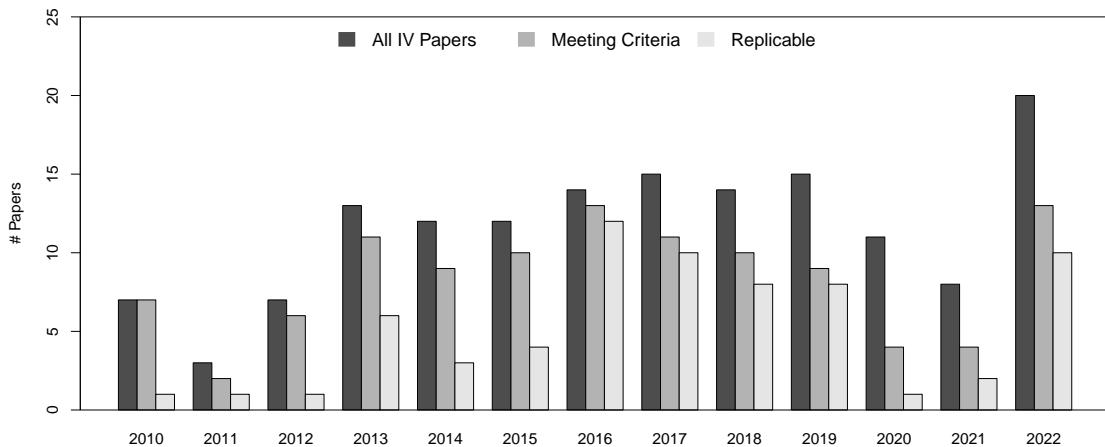
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1. Introduction

The instrumental variable (IV) approach is a commonly used empirical method in the social sciences, including political science, for establishing causal relationships. It is often used when selection on observables is implausible, experimentation is infeasible or unethical, and rule-based assignments that allow for sharp regression-discontinuity (RD) designs are not available. In recent years, there has been a growing number of papers published in top political science journals, such as the *American Political Science Review* (APSR), *American Journal of Political Science* (AJPS), and *Journal of Politics* (JOP), that use IV as a primary causal identification strategy. This trend can be traced back to the publication of the textbook *Mostly Harmless Econometrics* (Angrist and Pischke, 2008), which popularized the modern interpretation of IV designs, and Sovey and Green (2011), which clarifies the assumptions required by an IV approach and provides a useful checklist for political scientists.

FIGURE 1. IV PAPERS PUBLISHED IN THE *APSR*, *AJPS*, AND *JOP*



Note: Our criteria rule out IV models appearing in the online appendix only, in dynamic panel settings, with multiple endogenous variables, and with nonlinear link functions. Non-replicability is primarily due to a lack of data and/or coding errors.

Despite its popularity, some researchers have questioned the validity of the IV approach,

noting that two-stage least-squares (2SLS) estimates are often much larger in magnitude than “naïve” ordinary-least-squares (OLS) estimates, even when the main concern with the latter is upward omitted-variables bias.¹ Others have raised concerns about the validity of inferential methods used for 2SLS estimation (e.g. Lee et al., 2022; Young, 2022).

These observations motivate our systematic examination of the use of IVs in the empirical political science literature. We set out to replicate all papers published in the APSR, AJPS, and JOP during the past thirteen years (2010-2022) that use an IV design with a single endogenous variable as one of the main identification strategies.² Out of 114 papers meeting this criterion, 71 have complete replication materials online, which is itself a troubling pattern. We successfully replicate at least one of the main IV results for 67 of the 71 remaining papers, with three papers having two separate IV designs producing separate 2SLS results.

Using data from these 70 IV designs, we conduct a programmatic replication exercise and find three troubling patterns. First, a significant number of IV designs in political science either do not report the first-stage partial F statistic or overestimate it by failing to adjust standard errors (SEs) for factors such as heteroskedasticity, serial correlation, or clustering structure. Using the effective F -statistic (Olea and Pflueger, 2013), we find that at least 11% of the published IV studies rely on what econometricians call “weak instruments,” the consequences of which have been well-documented in the literature (see Andrews, Stock and Sun (2019) for a comprehensive review).

A second related issue is statistical inference. We find that a considerable number of IV designs are underpowered, with almost all studies relying on t -tests based on analytic standard errors and traditional critical values (such as 1.96 for statistical significance at the

¹For example, in the 2016 National Bureau of Economic Research–Political Economy Meeting, following a presentation of a study using an IV approach, the late political economist Alberto Alesina asked the audience: “How come 2SLS estimates are always five times bigger than OLS estimates in political economy?”

²Focusing on design with a single endogenous variable allows us to calculate the correlation coefficient between the treatment and the predicted treatment and apply powerful tools such as the Anderson-Rubin (AR) test and the tF test (when there is only a single instrument). Moreover, we find it difficult to justify the exclusion restriction in a multiple-treatment-multiple-instrument setting in the first place.

5% level) to make inferences about the 2SLS coefficients. When we use bootstrapping procedures, the AR test, or the tF procedure, an F -statistic-dependent t -test (Lee et al., 2022), to perform hypothesis testing, we find that, depending on the method employed, 19-30% of designs cannot reject the null hypothesis of no effect at the 5% level, whereas the number based on the SEs or p -values reported in the original papers is only 10%. This suggests that inferences based on traditional t -tests may not accurately reflect the uncertainties in 2SLS estimates in a significant portion of cases.

Finally, our replications corroborate evidence from economics and finance that the 2SLS estimates are often much bigger in magnitude than the OLS estimates obtained from regressing the outcome on the potentially endogenous treatment variables and covariates (Jiang, 2017). In 68 out of the 70 designs (97%), the 2SLS estimates are bigger than the OLS estimates in magnitude; among them, 24 (34%) are at least five times bigger. This is alarming because, in an IV design with observational data, researchers often say that they are most concerned about the upward bias of the treatment effect estimates produced by naïve OLS. Even after we exclude 15 papers that explicitly claim to expect downward biases in OLS estimates, the percentages remain high (96% and 35%, respectively).

The first two patterns may be due to researchers' unfamiliarity with recent development in the IV literature, such as the effective F statistic and the tF test, or under-utilization of inferential procedures robust to weak instruments, such as the AR test. Therefore, researchers can avoid these problems by adopting better practices. The third finding, however, is the most concerning. We cannot explain it with weak instruments alone because at least in the case of i.i.d. errors, when instruments are exogenous, weak instruments bias 2SLS estimates toward OLS estimates in finite samples (Bound, Jaeger and Baker, 1995). But what we observe is the opposite: The ratio between the magnitudes of the 2SLS and OLS estimates is strongly negatively correlated with the strength of the first stage among studies that use non-experimental instruments, and the relationship is almost nonexistent among

studies with experimental instruments. We suspect that this is primarily driven by a combination of weak instruments and failure of exogeneity, although other mechanisms such as publication bias, heterogeneous treatment effects (HTE), and measurement error may also contribute.

What do these findings mean for empirical IV studies in political science? First, traditional t tests for the 2SLS estimates (especially those based on classic analytic SEs) mask the fact that most IV results are highly uncertain, which likely leads to selective reporting and publication bias. Second, and more importantly, many of the 2SLS estimates likely suffer from large biases due to failures of unconfoundedness or exclusion restriction and hence are not credible. Although we cannot definitively say which estimates are problematic, the underlying issue seems to prevail in the IV literature. However, the goal of this paper is not to discredit existing IV studies or dissuade researchers from ever using the IV method. On the contrary, we want to caution researchers against ad-hoc justifications for IVs in observational studies and provide practical advice to improve future practices. This includes accurately quantifying instrument strength and 2SLS estimate uncertainties, as well as conducting additional analysis, such as placebo tests, to corroborate the identifying assumptions.

Our work builds on a growing literature evaluating IV strategies in social sciences and offering methods to improve empirical practice. Notable studies include [Young \(2022\)](#), which finds IV estimates to be more sensitive to outliers and conventional t -tests to underestimate uncertainties; [Jiang \(2017\)](#), which observes larger IV estimates in finance journals and attributed this to exclusion restriction violations and weak instruments; [Mellon \(2020\)](#), which emphasizes the vulnerability of weather instruments; [Dieterle and Snell \(2016\)](#), which develops a quadratic over-identification test and discovered significant non-linearities in the first stage regression; [Felton and Stewart \(2022\)](#), which finds unstated assumptions and a lack of weak-instrument robust tests in top sociology journals; and [Cinelli and Hazlett \(2022\)](#), which proposes a sensitivity analysis for IV designs in an omitted variable bias framework.

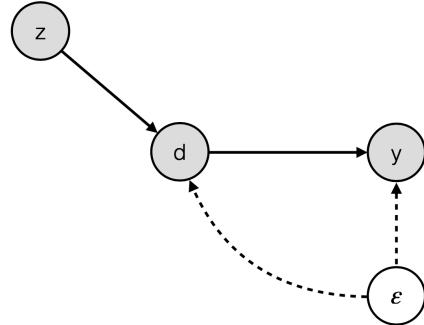
Our study is the first large-scale replication effort focusing on IV designs and the first to link the discrepancy between 2SLS and OLS estimates to weak instruments using extensive replication data across social sciences.

2. Theoretical Refresher

In this section, we offer a brief overview of the IV approach, including the setup, the identifying assumptions, as well as the 2SLS estimators. We then discuss potential pitfalls and survey several inferential methods. To cover the vast majority of IV studies in political science, we adopt a traditional constant treatment effect approach to IV designs, which imposes a set of parametric assumptions. For example, 51 (73%) designs in our replicated sample employ continuous treatment variables and make no reference to treatment effect heterogeneity, hence, they are ill-suited for the local average treatment effect (LATE) approach ([Angrist, Imbens and Rubin, 1996](#)).

For simplicity, we do not include additional exogenous controls in the discussion without loss of generality. This is because, by the Frisch-Waugh-Lovell theorem, we can remove them by regressing the outcome, treatment, and IVs on the controls and using the residuals for all subsequent analyses.

FIGURE 2. A DIRECTED ACYCLIC GRAPH OF AN IV DESIGN



Apart from the “canonical” use of IVs in addressing non-compliance in experimental encouragement designs, we observe that in the majority of the papers we review, researchers

use IVs in observational settings to establish causality between a single treatment variable d and an outcome variable y . The basic idea of this approach is to use an instrument z to isolate "exogenous" variation in d (i.e., the variation in d that is not related to potential confounders) and estimate its causal effect on y . Figure 1 illustrates the directed acyclic graph for an IV design, where ε denotes the error term that captures all unexplained variations in y . The figure depicts that because d and ε are correlated, an observed correlation between d and y does not identify the causal effect of d on y . It also shows that an IV approach relies on three crucial assumptions: (1) the *relevance* of the instrument, which is directly testable, meaning that z is correlated with d ; (2) the *unconfoundedness* assumption, which states that z is quasi-randomly assigned, and (3) the *exclusion restriction*, which posits that z does not have a direct effect on y beyond the channel through d .

2.1. Estimation Strategies

Imposing a set of parametric assumptions, we define a system of simultaneous equations:

$$\text{Structural equation: } y = \alpha + \tau d + \varepsilon \quad (2.1)$$

$$\text{First-stage equation: } d = \pi_0 + \pi_1 z + \nu \quad (2.2)$$

in which y is the outcome variable, d is a scalar treatment variable; z is a vector of instruments for d ; τ captures the (constant) treatment effect and is the key quantity of interest. Equations (2.1) and (2.2) are referred to as the structural equation and the first-stage equation, respectively. The error terms ε and ν in the two equations may be correlated.

The endogeneity problem for τ in Equation (2.1) arises when d and ε are correlated, which renders $\hat{\tau}_{OLS}$ from a naïve OLS regression of y on d inconsistent. The endogeneity problem may be due to one of the following reasons: (1) unmeasured omitted variables that are correlated with both y and d ; (2) measurement error in d , or (3) simultaneity or reverse

causality, which means y may also affect d . The IV approach addresses this problem by taking advantage of the exogenous variation in d brought by z . Substituting d in Equation (2.1) using Equation (2.2), we have the reduced form equation:

$$\text{Reduced form: } y = \underbrace{(\alpha + \tau\pi_0)}_{\gamma_0} + \underbrace{(\tau\pi_1)}_{\gamma_1} z + (\tau\nu + \varepsilon). \quad (2.3)$$

Substitution establishes that $\gamma_1 = \tau\pi_1$, rearranging yields $\tau = \frac{\gamma_1}{\pi_1}$ (assuming that we only use one instrument, but the intuition carries over to cases with multiple instruments). The IV estimate, therefore, is the ratio of the reduced-form and first-stage coefficients. To identify τ , we make the following assumptions (Greene, 2003, Chapter 12).

Assumption 1 (Relevance).

$\pi_1 \neq 0$. This assumption requires that the IVs can predict the treatment variable, and is therefore equivalently stated as $d \perp\!\!\!\perp z$.

Assumption 2 (Exogeneity).

$\text{Cov}(z, \varepsilon) = 0$ and $\mathbb{E}[\varepsilon] = 0$. Assumption 2 is satisfied when unconfoundedness and the exclusion restriction are satisfied. However, without additional structural assumptions, failures of unconfoundedness and the exclusion restriction are observationally equivalent, therefore, we do not distinguish them in the analysis and diagnostics.

Under Assumptions 1 and 2, the 2SLS estimator is shown to be consistent for the structural parameter τ . Consider a sample of N observations. We can write $\mathbf{d} = (d_1, d_2, \dots, d_N)'$ and $\mathbf{y} = (y_1, y_2, \dots, y_N)'$ as $(N \times 1)$ vectors of the treatment and outcome data, and $\mathbf{z} = (z_1, z_2, \dots, z_N)'$ as $(N \times p_z)$ matrix of instruments in which p_z is the number of instruments. To simplify mathematics, we residualize original \mathbf{d} , \mathbf{y} , and each column of \mathbf{z} against the exogenous covariates, obtaining \mathbf{y} , \mathbf{d} , and \mathbf{z} , respectively. The 2SLS estimator is written as follows:

$$\hat{\tau}_{2SLS} = (\mathbf{d}' \mathbf{P}_z \mathbf{d})^{-1} \mathbf{d}' \mathbf{P}_z \mathbf{y} \quad (2.4)$$

in which $\mathbf{P}_z = \mathbf{z}(\mathbf{z}'\mathbf{z})^{-1}\mathbf{z}'$ is the hat-maker matrix from the first stage which projects the endogenous treatment variable \mathbf{d} into the column space of \mathbf{z} , thereby preserving only the exogenous variation in \mathbf{d} that is uncorrelated with ε . This formula permits the use of more than one instrument, in which case the model is said to be “overidentified.” The 2SLS estimator belongs to a class of generalized method of moments (GMM) estimators taking advantage of the moment condition $\mathbb{E}[z\varepsilon] = 0$, including the two-step GMM ([Hansen, 1982](#)) and limited information maximum likelihood (LIML) estimators ([Anderson, Kunitomo and Sawa, 1982](#)). We use the 2SLS estimator throughout the replication exercise because of its simplicity and because every single paper in our replication sample uses it in at least one specification.

When the model is exactly identified, i.e., the number of treatment variables equals the number of instruments, the 2SLS estimator can be simplified as the IV estimator: $\hat{\tau}_{2SLS} = \hat{\tau}_{IV} = (\mathbf{z}'\mathbf{d})^{-1}\mathbf{z}'\mathbf{y}$. In the case of one instrument and one treatment, the 2SLS estimator can also be written as a ratio of two sample covariances: $\hat{\tau}_{2SLS} = \hat{\tau}_{IV} = \frac{\hat{\gamma}_1}{\hat{\pi}_1} = \frac{\widehat{\text{Cov}}(\mathbf{y}, \mathbf{z})}{\widehat{\text{Cov}}(\mathbf{d}, \mathbf{z})}$, which illustrates that the 2SLS estimator is a ratio between reduced-form and first-stage coefficients in this special case. This further simplifies to a ratio of the difference in means when z is binary, which is called a Wald estimator.

2.2. Potential Pitfalls in Implementing an IV Strategy

The challenges with 2SLS estimation and inference are often due to the violation of the two identifying assumptions. These difficulties can result in (1) significant uncertainty around 2SLS estimates and size distortion for t tests due to weak instruments even when Assumption 2 is valid; and (2) potentially larger biases in 2SLS estimates compared to OLS estimates when both assumptions are violated.

Inferential problem due to weak instruments. Since the IV coefficient is a ratio, the weak instrument problem is a “divide-by-zero” problem, which arises when $\text{Cov}(z, x) \approx 0$ (i.e., when Assumption 1 is violated). The instability of ratio estimators like $\hat{\tau}_{2\text{SLS}}$ when the denominator is approximately zero has been extensively studied going back to Fieller (1954). The conventional wisdom in the past two decades has been that the first-stage partial F statistic needs to be bigger than 10, and it should be clearly reported (Staiger and Stock, 1997). As a rule of thumb, the original cutoff is chosen based on simulation results to meet two criteria under i.i.d. errors: (1) in the worst case, the bias of the 2SLS estimator does not exceed 10% of the bias of the OLS estimator, and (2) a t -test based on the 2SLS estimator with a size of 5% does not lead to size over 15%.

The literature has discussed at least three issues caused by weak instruments when Assumption 2 is valid. First, under i.i.d. errors, a weak first stage exacerbates the finite-sample bias of the 2SLS estimator toward the inconsistent OLS estimator, thereby reproducing the endogeneity problem that an IV design was meant to solve (Staiger and Stock, 1997)³. Second, the 2SLS estimates become very imprecise.⁴ A third and related issue is that the tests are of the wrong size and the t -statistics don't follow a t -distribution (Nelson and Starz, 1990). Issues relating to imprecision and test-statistic size arise from the fact that the distribution of $\hat{\tau}$ is derived from its linear approximation of $\hat{\tau}$ in $(\hat{\gamma}, \hat{\pi})$, wherein normality of the two OLS coefficients implies the normality of their ratio. However, this normal approximation breaks down when $\hat{\pi} \approx 0$. Moreover, this approximation failure cannot generally be rectified by bootstrapping (Andrews and Guggenberger, 2009), although Young (2022) argues that it nevertheless allows for improved inference when outliers are present. Overall,

³The 2SLS estimator may not have a mean when the first stage is weak, its median is centered around the OLS coefficient (Hirano and Porter, 2015)

⁴To illustrate, a commonly used variance estimator for $\hat{\tau}_{IV}$ can be written as: $\hat{V}(\hat{\tau}_{IV}) \approx \frac{\hat{\Sigma}^2}{\sum_{i=1}^N (x_i - \bar{x})^2} \frac{1}{R_{xz}^2} = \hat{V}(\hat{\tau}_{OLS}) \frac{1}{R_{xz}^2}$ in which $\hat{\sigma}^2$ is a variance estimator for the error term and R_{xz}^2 is the R-squared from the first stage. The estimated variance is mechanically larger than the estimated variance of the OLS estimator as long as $R_{xz}^2 < 1$. It is decreasing in R_{xz}^2 , i.e. stronger instruments produce more precise IV estimates.

valid IV inference relies crucially on correctly identifying strong IVs.

In general, there are two approaches to conducting inference in an IV design: pretesting and direct testing. The pretesting approach involves using an F statistic to test the first stage strength, and if it exceeds a certain threshold (e.g., $F > 10$), proceeding to test the null hypothesis about the treatment effect (e.g., $\tau = 0$). In contrast, the direct testing approach does not rely on passing a pretest. Nearly all reviewed studies employ the pretesting approach. We examine four methods for statistical inference in IV designs, with the first three related to pretesting and the last one being a direct test.

First, Olea and Pflueger (2013) propose the effective F statistic for both just-identified and over-identified settings and accommodates robust or cluster-robust SEs. The effective F is a scaled version of the first-stage F statistic and is computed as $F_{\text{Eff}} = \hat{\pi}' \hat{Q}_{ZZ} \hat{\pi} / \text{tr}(\hat{\Sigma}_{\pi\pi} \hat{Q}_{ZZ})$, where $\hat{\Sigma}_{\pi\pi}$ is the variance-covariance matrix of the first stage regression, and $\hat{Q}_{ZZ} = \frac{1}{N} \sum_{i=1}^N z_i z_i'$. In just-identified cases, F_{Eff} is the same as F statistics based on robust or cluster-robust SEs. The authors derive the critical values for F_{Eff} and note that the statistic and corresponding critical values are identical to the better-known robust F statistic $\hat{\pi} \hat{\Sigma}_{\pi\pi}^{-1} \hat{\pi}$ and corresponding Stock and Yogo (2005) critical values. $F_{\text{Eff}} > 10$ is shown to be a reasonable rule of thumb under heteroskedasticity in simulations (Olea and Pflueger, 2013; Andrews, Stock and Sun, 2019).

Second, Young (2022) recommends researchers report two types of bootstrap confidence intervals (CIs), *bootstrap-c* and *bootstrap-t*, for $\hat{\tau}_{2SLS}$ under non-i.i.d. errors with outliers, which is common in social science settings. This involves B replications of the following procedure: (1) sample n triplets $(y_i^*, d_i^*, \mathbf{z}_i^*)$ independently and with replacement from the original sample (with appropriate modifications for clustered dependence) and (2) compute the $\hat{\tau}_{2SLS}$ coefficient and SE, as well as the corresponding test statistic $t^* = \hat{\tau}_{2SLS}^*/\hat{SE}(\hat{\tau}_{2SLS}^*)$ on each replication. The *bootstrap-c* method calculates the CIs by taking the $\alpha/2$ and $(1 - \alpha/2)$ percentiles of the bootstrapped 2SLS coefficient $\hat{\tau}_{2SLS}^*$, while the *bootstrap-t* method calculates

the percentile- t refined CIs by plugging in the $\alpha/2$ and $(1 - \alpha/2)$ percentile of bootstrapped t statistics $t_{\alpha/2}^*$ and $t_{1-\alpha/2}^*$ into the expression $\hat{\tau}_{2SLS} \pm t_{\alpha|1-\alpha}^* \hat{SE}(\hat{\tau}_{2SLS}^*)$. Hall and Horowitz (1996) show that *bootstrap-t* achieves an asymptotic refinement over *bootstrap-c*.⁵

Third, in just-identified single treatment settings, Lee et al. (2022) propose the *tF* procedure that smoothly adjusts the t -ratio inference based on the first-stage F statistic, which improves upon the ad-hoc screening rule of $F > 10$. The adjustment factor applied to 2SLS SEs is based on the first stage t -ratio $\hat{f} := \hat{\pi}/\sqrt{\hat{\mathbb{V}}(\hat{\pi})}$, with the first stage $\hat{F} = \hat{f}^2$, and relies on the fact that the distortion from employing the standard 2SLS t -ratio $\hat{t} := \hat{\tau}/\sqrt{\hat{\mathbb{V}}(\hat{\tau})}$ can be quantified in terms of \hat{F} and *AR*-statistic, which gives rise to a set of critical values for a given pair of \hat{t} and \hat{F} . The authors also show that, if no adjustment is made to the t -test's critical value (e.g., using 1.96 as the threshold for 5% statistical significance), a first stage \hat{F} of 104.7 is required to guarantee a correct size of 5% for a two-sided t -test for the 2SLS coefficient.

Finally, where there is one endogenous treatment variable, the AR procedure, which is essentially an F test on the reduced form, is a direct inferential method robust to weak instruments (Anderson and Rubin, 1949; Chernozhukov and Hansen, 2008). Without loss of generality, assume that we are interested in testing the null hypothesis that $\tau = 0$, which then implies that the reduced form coefficient from regressing y on \mathbf{z} , $\gamma_1 = 0$. This motivates the following procedure: given a set \mathcal{T} of potential values for $\tilde{\tau}$, for each value $\tilde{\tau}$, construct $\tilde{y} = y - d\tilde{\tau}$, and regress \tilde{y} on \mathbf{z} to obtain a point estimate $\tilde{\gamma}$ and (robust, or cluster robust) covariance matrix $\tilde{\mathbb{V}}(\tilde{\gamma})$, and construct a Wald statistic $\tilde{W}_s(\tilde{\gamma}) := \tilde{\gamma}'\tilde{\mathbb{V}}(\tilde{\gamma})^{-1}\tilde{\gamma}$. Then, the AR CI is the set of $\tilde{\gamma}$ such that $\tilde{W}_s(\tilde{\gamma}) \leq c(1 - p)$ where $c(1 - p)$ is the $(1 - p)^{\text{th}}$ percentile of the χ_1^2 distribution. The AR test not only requires no pretesting but is also shown to be the uniformly most powerful unbiased test in the just-identified case (Moreira, 2009). However,

⁵We use the percentile method instead of bootstrapped SEs because the t -test based on the latter may be overly conservative (Hahn and Liao, 2021).

it is not as commonly used as procedures that involve pretesting, possibly because researchers are more accustomed to using t -tests than F /Wald tests and reporting SEs rather than CIs.

Bias amplification and the failure of Assumption 2. When the number of instruments is bigger than the number of endogenous treatments, researchers can use an over-identification test to gauge the plausibility of Assumption 2 (Arellano, 2002). However, such a test is often underpowered and has bad finite sample properties (Davidson and MacKinnon, 2015). In just-identified cases, Assumption 2 is not directly testable. When combined with weak instruments, even small violations of Assumption 2 can produce inconsistency. This is because $\text{plim } \hat{\tau}_{IV} = \tau + \frac{\text{Cov}(z, \varepsilon)}{\text{Cov}(z, d)}$. When $\text{Cov}(z, d) \approx 0$, even small violations of exogeneity, i.e., $\text{Cov}(z, \varepsilon) \neq 0$, will enlarge the second term, resulting in large biases. Thus, the two identifying assumption failures exacerbate each other: having weak instruments compounds problems from confounding or exclusion restriction violations, and vice versa. With invalid instruments, it is possible that the asymptotic bias of the 2SLS estimator is greater than that of the OLS estimator, i.e., $\left| \frac{\text{Cov}(z, \varepsilon)}{\text{Cov}(z, d)} \right| \gg \left| \frac{\text{Cov}(d, \varepsilon)}{\mathbb{V}[d]} \right|$ in the single instrument case.

While the inference problem can be alleviated by employing alternative inferential methods as described above, addressing the failure of Assumption 2 is more challenging since it is fundamentally a research design issue that should be tackled at the design stage. Researchers often devote significant effort to arguing for unconfoundedness and exclusion restrictions in their settings. In Section A3 of the SM, we provide an exposition of the “zero-first-stage” (ZFS) test (Bound and Jaeger, 2000), which is essentially a placebo test on a subsample where the instrument is expected to be uncorrelated with the treatment, to help researchers gauge the validity of their instruments. These estimates can then be used to debias the 2SLS estimate using the methods proposed in Conley, Hansen and Rossi (2012).

3. Data and Types of Instruments

In this section, we first discuss our case selection criteria and the replication sample, which is the focus of our subsequent analysis. We then describe the types of instruments in the replicable studies.

Data. We examine all empirical papers published in the APSR, AJPS, and JOP from 2010 to 2022 and identify studies that use an IV strategy as one of the main identification strategies, including papers that use binary or continuous treatments and that use a single or multiple instruments. We use the following criteria: (1) the discussion of the IV result needs to appear in the main text and support a main argument in the paper; (2) we consider linear models only; in other words, papers that use discrete outcome models are excluded from our sample; (3) we exclude papers that include multiple endogenous variables in a single specification (multiple endogenous variables in separate specifications are included); (4) we exclude papers that use IV or GMM estimators in a dynamic panel setting because they are subject to a separate set of empirical issues and their poor performance has been thoroughly discussed in the literature ([Bun and Windmeijer, 2010](#)). These criteria result in 30 papers in the APSR, 33 papers in the AJPS, and 51 papers in the JOP. We then strive to find replication materials for these papers from public data-sharing platforms, such as the Harvard Dataverse, and the authors' websites. We are able to locate complete replication materials for 76 (62%) papers. However, code completeness and quality of documentation vary a great deal. Data availability has significantly improved since 2016-2017 following new editorial policies requiring authors to make replication materials publicly available, though none of the journals requires full replicability administrated by a third party as a condition for publication ([Key, 2016](#)), which would constitute a major improvement in our view.

Using data and code from the replication materials, we set out to replicate the main IV

TABLE 1. DATA AVAILABILITY AND REPLICABILITY OF IV PAPERS.

| | #All Papers | Incomplete Data | Incomplete Code | Replication Error | Replicable |
|-------|-------------|-----------------|-----------------|-------------------|------------|
| APSR | 30 | 16 | 0 | 3 | 14 (42%) |
| AJPS | 33 | 3 | 1 | 1 | 25 (83%) |
| JOP | 51 | 19 | 3 | 1 | 28 (55%) |
| Total | 114 | 38 | 4 | 5 | 67 (59%) |

results in the 67 papers. Our replicability criterion is simple: As long as we can exactly replicate *one* 2SLS point estimate that appears in the paper, we deem the paper replicable. We do not aim at exactly replicating SEs, z -scores, or level of statistical significance for the 2SLS estimates because they involve the choice of the inferential method, which we will discuss in the next section.

After much effort and hundreds of hours of work, we are able to replicate the main results of 61 papers.⁶ The low replication rate is consistent with what is reported in [Hainmueller, Mummolo and Xu \(2019\)](#). The main reasons for failures of replication are incomplete data (38 papers), incomplete code or poor documentation (4 papers), and replication errors (5 papers). Table 1 presents summary statistics on data availability and replicability of IV papers for each of the three journals. The rest of this paper focuses on results based on these 67 replicable papers (and 70 IV designs).

Types of instruments. Inspired by [Sovey and Green \(2011\)](#), in Table 2, we summarize the types of IVs in the replicable designs, although our categories differ from theirs to reflect changes in the types of instruments used in the discipline. As in [Sovey and Green \(2011\)](#), the biggest category is “Theory,” in which the authors justify Assumption 2, including IVs’ quasi-randomness and the exclusion restriction, using social science theories or substantive knowledge. We further divide theory-based IVs into four subcategories: geogra-

⁶For three papers, we are able to produce the 2SLS estimates with perfectly executable code; however, our replicated estimates are inconsistent with what was reported in the original studies. We suspect the inconsistencies are caused by data rescaling or misreporting; hence, we keep them in the sample.

phy/climate/weather, history, treatment diffusion, and others.

Many studies in the theory category justify the choices of their instruments based on geography, climate, or weather conditions. For example, [Zhu \(2017\)](#) uses weighted geographic closeness as an instrument for the activities of multinational corporations; [Hager and Hilbig \(2019\)](#) use mean elevation and distance to rivers to instrument equitable inheritance customs; and [Grossman, Pierskalla and Boswell Dean \(2017a\)](#) use the number of distinct landmasses as an instrument for government fragmentation. [Henderson and Brooks \(2016\)](#) use rainfall around Election Day as an IV for democratic vote margins. The popularity of weather instruments for a whole host of outcomes necessarily implies that the exclusion restriction is especially tenuous in such cases ([Mellon, 2020](#)).

TABLE 2. TYPES OF INSTRUMENTS

| Type | #Papers | Percentage % |
|-----------------------------------|---------|--------------|
| Theory | 42 | 60.0 |
| Geography/climate/weather | 13 | 18.6 |
| History | 11 | 15.7 |
| Treatment diffusion | 2 | 2.9 |
| Others | 16 | 22.9 |
| Experiment | 12 | 17.1 |
| Econometrics | 9 | 12.9 |
| Interactions/“Bartik” | 7 | 10.0 |
| Lagged treatment | 1 | 1.4 |
| Empirical test | 1 | 1.4 |
| Rules & policy changes | 7 | 10.0 |
| Change in exposure | 3 | 4.3 |
| Fuzzy RD | 4 | 5.7 |
| Total | 70 | 100.0 |

Historical instruments are based on historical differences between units that cannot be explained by current levels of the treatment. For example, [Vernby \(2013\)](#) uses historical immigration levels as an instrument for the current number of non-citizen residents. Similarly, [Spenkuch and Tillmann \(2018\)](#) use historical decisions by rulers in Europe over the religion of their region to instrument for the current religion of survey respondents. These studies

use historical variation as instruments for current or modern variables.

Several studies base their choices on regional diffusion of treatment. For example, [Dube and Naidu \(2015\)](#) use US military aid to countries outside Latin America as an instrument for US military aid to Colombia. [Grossman, Pierskalla and Boswell Dean \(2017b\)](#) use over-time variation in the number of regional governments to instrument government fragmentation in sub-Saharan Africa. [Dorsch and Maarek \(2019\)](#) use the regional share of democracies as an instrument for democratization in a country-year panel.

Finally, several papers rely on a unique instrument based on theories that we could not place in a category. For example, [Carnegie and Marinov \(2017\)](#) use the rotating presidency of the Council of the European Union as an instrument for official development aid. They argue that countries that were colonized by the country that holds the presidency receive exogenously more aid than other countries. [Dower et al. \(2018\)](#) use religious polarization as an instrument for the frequency of unrest and argue that religious polarization could only impact collective action through its impact on representation in local institutions.

The second-biggest category is randomized experiments. Articles in this category employ randomization, designed and conducted by researchers or a third party, to make causal inference and use 2SLS estimation to address non-compliance issues in an encouragement design—the IV normally is being encouraged to take the treatment. With random assignment, we have more confidence in Assumption 2 because $z \perp\!\!\!\perp v$ by design, and the direct effect of encouragement on the outcome is easier to rule out than without random assignment.

Another category of instruments are based on explicit rules, which generate quasi-random variation in the treatment. [Sovey and Green \(2011\)](#) refer to this category as “Natural Experiment.” We avoid this terminology because it is widely misused. We limit this category to two circumstances: fuzzy regression discontinuity (RD) designs and variation in exposure to policies due to time of birth or eligibility.⁷ For example, [Kim \(2019\)](#) leverages a reform in

⁷The difference between the two is subtle: For the latter, the gap in the forcing variable, such as birth

Sweden that requires municipalities above a population threshold to adopt direct democratic institutions. Dinas (2014) uses eligibility to vote based on age at the time of an election as an instrument for whether respondents did vote.

The last category of instruments are based on econometric assumptions. This category includes what Sovey and Green (2011) call “Lags.” These are econometric transformations of variables argued to constitute instruments. For example, Lorentzen, Landry and Yasuda (2014) use a measure of the independent variable from 8 years earlier to mitigate endogeneity concerns. Another example is instruments relying on variable transformations to satisfy assumptions, such as Shift-share “Bartik” instruments based on interactions between multiple variables. For example, Baccini and Weymouth (2021) use the share of jobs in a specific industry within a county, interacted with national-level changes in employment in that industry, to study the effect of manufacturing layoffs on voting.

Compared to IV papers published before 2010, there is a significant increase in the proportion of papers using experiment-generated IVs (from 2.9% to 17.1%) due to the growing popularity of survey and field experiments. In contrast, the number of papers relying on econometric techniques or flawed empirical tests (such as regressing y on d and z and checking if the coefficient of z is significant) has decreased, thanks to improving empirical practices in the discipline. The percentage of papers using theory-justified instruments remains nearly the same at around 60%.

4. Replication Procedure and Results

In this section, we describe our replication procedure and report the main findings.

Procedure. For each paper, we select the main IV specification that plays a central role in supporting a main claim in the paper; it is either referred to as the baseline specification

cohort, is fixed and cannot be arbitrarily small.

or appears in one of the main tables or figures. Focusing on this specification, our replication procedure involves the following steps. First, we compute the first-stage partial F statistics based on (1) classic analytic SEs, (2) Huber White heteroskedastic-robust SEs, (3) cluster-robust SEs (if applicable and based on the original specifications), and (4) bootstrapped SEs.⁸ We also calculate F_{eff} .

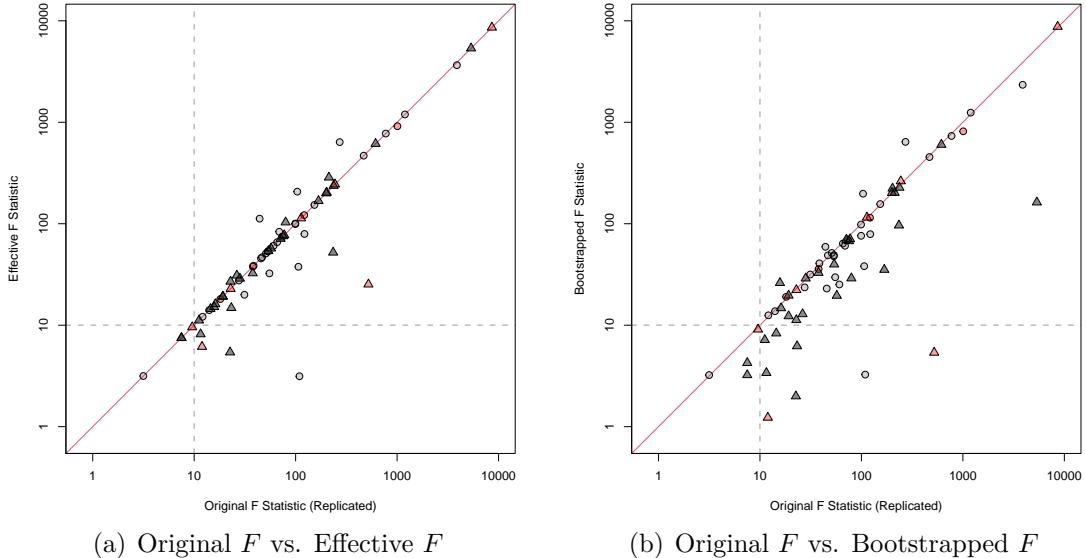
We then replicate the original IV result using the 2SLS estimator and apply four different inferential procedures. First, we make inferences based on analytic SEs, including robust SEs or cluster-robust SEs (if applicable). Additionally, we use two nonparametric bootstrap procedures, as described in Section 2, *bootstrap-c* and *bootstrap-t*. For specifications with only a single instrument, we also employ the tF procedure proposed by Lee et al. (2022), using 2SLS t -statistics and first-stage F -statistics based on analytic SEs accounting for the originally specified clustering structure. Finally, we conduct an AR procedure and record the p -values and CIs.

We record the point estimates, SEs (if applicable), 95% CIs, and p -values for each procedure (the point estimates fully replicate the reported estimates in the original papers and are the same across all procedures). In addition, we estimate a naïve OLS model by regressing the outcome variable on the treatment and control variables, leaving out the instrument. We calculate the ratio between the magnitudes of the 2SLS and OLS estimates. We also record other useful information, such as the number of observations, the number of clusters, the types of instruments, the methods used to calculate SEs or CIs, and the rationale for each paper's IV strategy. Our replication yields the following three main findings.

⁸They are calculated by $F_{\text{boot}} = \hat{\tau}'_{2SLS} \hat{\text{Var}}_{\text{boot}}(\hat{\tau}_{2SLS})^{-1} \hat{\tau}_{2SLS}/p_z$, where p_z is the number of IVs and $\hat{\text{Var}}_{\text{boot}}(\hat{\tau}_{2SLS})$ is the estimated variance-covariance matrix based on a nonparametric bootstrap procedure, in which we repeatedly sample the rows of the data matrix with replacement. If the data have a clustered structure, we use cluster-bootstrapping instead by sampling with replacement each cluster of data (Colin Cameron and Miller, 2015; Esarey and Menger, 2019). We include F_{boot} as a reference to the classic F and effective F . In Section A.2 of the SM, we compare the five types of F statistics and show that the effective F and F based on bootstrapping are usually more conservative than other F statistics.

Finding 1. First-stage partial F statistics. Our first finding regards the strengths of the instruments. To our surprise, among the 70 IV designs, 12 (17%) do not report this crucial statistic despite its key role in justifying the validity of an IV design. Among the remaining 58 studies that report F statistics, 9 (16%) use classic analytic SEs, thus not adjusting for potential heteroskedasticity or clustering structure. In Figure 3, we plot the replicated first-stage partial F statistics based on the authors' original model specifications and choices of variance estimators on the x-axis against effective F statistics (a) or bootstrapped F statistics (b) on the y-axis. Both axes are on a logarithmic scale.⁹

FIGURE 3. ORIGINAL VS. EFFECTIVE AND BOOTSTRAPPED F



Note: Circles and triangles represent applications with and without a clustering structure, respectively. Studies that do not report F statistics are painted in red. The original F statistics are replicated based on the authors' original model specifications and choices of variance estimators in the 2SLS regressions. They may differ from those reported in the papers because of misreporting.

In the original studies, the authors used various SE estimators, such as classic SEs, robust SEs, or cluster-robust SEs. As a result, the effective F may be larger or smaller than the original ones. However, a notable feature of Figure 3 is that when a clustering structure exists, the original F statistics tend to be larger than the effective F or bootstrapped F .

⁹We use the replicated F statistics instead of the reported ones because some authors either do not report or misreport their F statistics (see SM for a comparison between the reported and replicated F statistics).

When using the effective F as the benchmark, 8 studies (11%) have $F_{\text{Eff}} < 10$. This number increases to 12 (17%) when the bootstrapped F statistics are used. The median first-stage F_{Eff} statistic is higher in experimental studies compared to non-experimental ones (67.7 versus 53.5). It is well known that failing to cluster the SEs at appropriate levels or using the analytic cluster-robust SE with too few clusters can lead to a severe overstatement of statistical significance (Cameron, Gelbach and Miller, 2008). However, this problem has received less attention when evaluating IV strength using F statistics.

Finding 2. Inference. Next, we compare the reported and replicated p -values for the null hypothesis of no effect. For studies that do not report a p -value, we calculate it based on a standard normal distribution using the reported point estimates and SEs. The replicated p -values are based on (1) *bootstrap-c*, (2) *bootstrap-t*, and (3) the AR procedure. Since we can exactly replicate the point estimates for the papers in the replication sample, the differences in p -values are the result of the inferential methods used. Figure 4(a)-(c) plot reported and replicated p -values, from which we observed two patterns. First, most of the reported p -values are smaller than 0.05 or 0.10, the conventional thresholds for statistical significance. Second, consistent with Young (2022)'s finding, our replicated p -values based on the AR procedure or bootstrap methods are usually bigger than the reported p -value (exceptions are mostly caused by rounding errors), which are primarily based on t statistics calculated using analytic SEs. Using the AR test, we cannot reject the null hypothesis of no effect at the 5% level in 13 studies (19%), compared with 7 (10%) in the original studies. The number increases to 15 (21%) and 20 (29%) when we use p -values from the *bootstrap-t* and -*c* methods. Note that very few papers we review utilize inferential procedures specifically designed for weak instruments, such as the AR test (2 papers), the conditional likelihood-ratio test (Moreira, 2003) (1 paper), and confident sets (Mikusheva and Poi, 2006) (none).

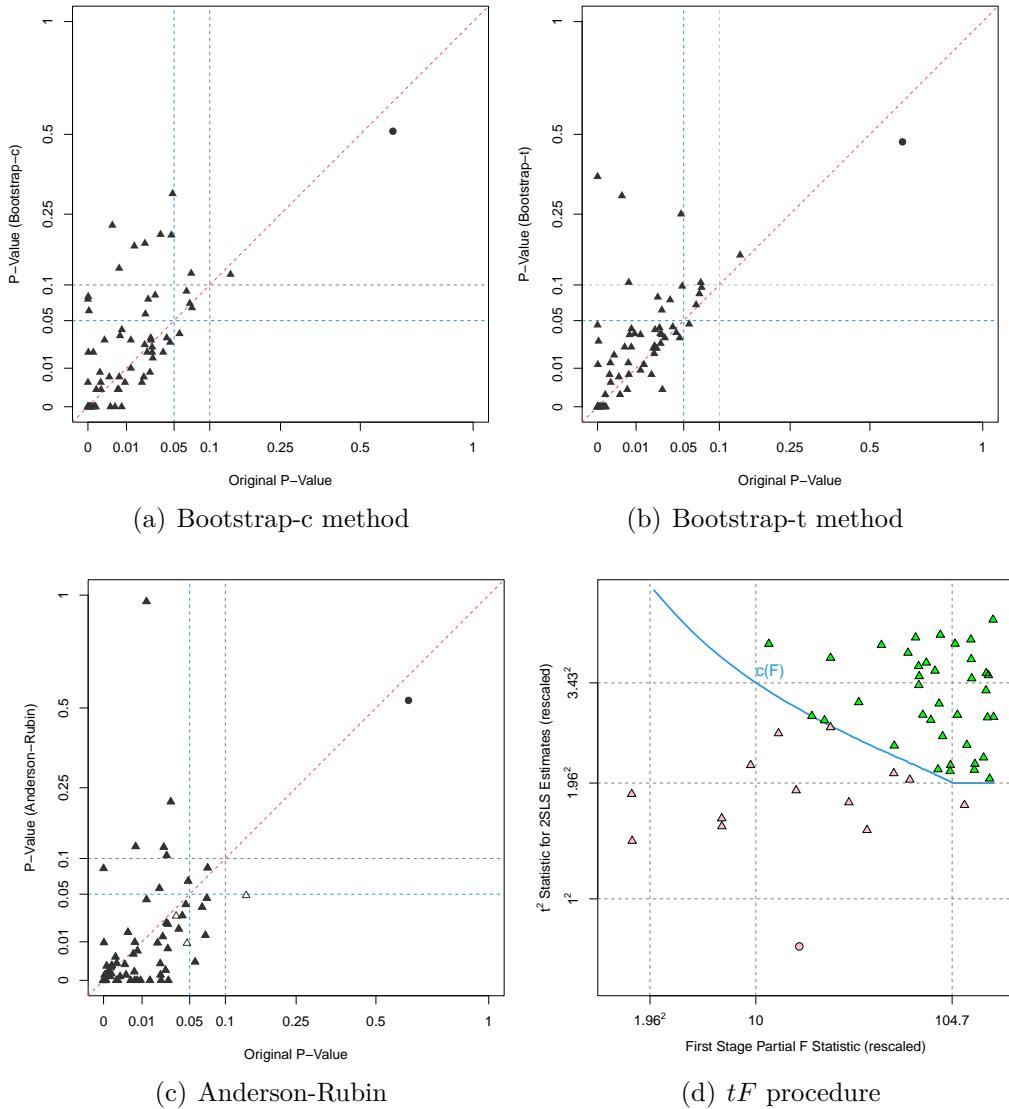
We also apply the tF procedure to 54 studies that use single IVs using F_{Eff} statistics

and t statistics based on robust or cluster-robust SEs. Figures 4(d) shows that 16 studies (30%) are not statistically significant at the 5% level, and 5 studies deemed statistically significant when using the conventional fixed critical values for the t -test become statistically insignificant using the tF procedure, indicating that overly optimistic critical values due to weak instruments also contribute to overestimation of statistical power, but not as the primary factor. These results suggest that both weak instruments and non-i.i.d. errors have contributed to severe overstatements of power in IV studies in political science.

Finding 3. 2SLS-OLS discrepancy. Finally, we investigate the relationship between the 2SLS estimates and naïve OLS estimates. In Figure 5(a), we plot the 2SLS coefficients against the OLS coefficients, both normalized using reported OLS SEs. The shaded area indicates the range beyond which the OLS estimates are statistically significant at the 5% level. It shows that for most studies in our sample, the 2SLS estimates and OLS estimates share the same direction and that the magnitudes of the former are often much larger than those of the latter. Figure 5(b) plots the distribution of the ratio between the 2SLS and OLS estimates (in absolute terms). The mean and median of the absolute ratios are 12.4 and 3.4, respectively. In fact, in all but two designs (97%), the 2SLS estimates are bigger than the OLS estimates, consistent with Jiang (2017)'s finding based on finance research. While it is theoretically possible for most OLS estimates in our sample to be biased towards zero, only 21% of the studies have researchers expressing their belief in downward biases of the OLS estimates. Meanwhile, 40% of the studies consider the OLS results to be their main findings. The fact that researchers use IV designs as robustness checks for OLS estimates due to concerns of upward biases is apparently at odds with the significantly larger magnitudes of the 2SLS estimates.

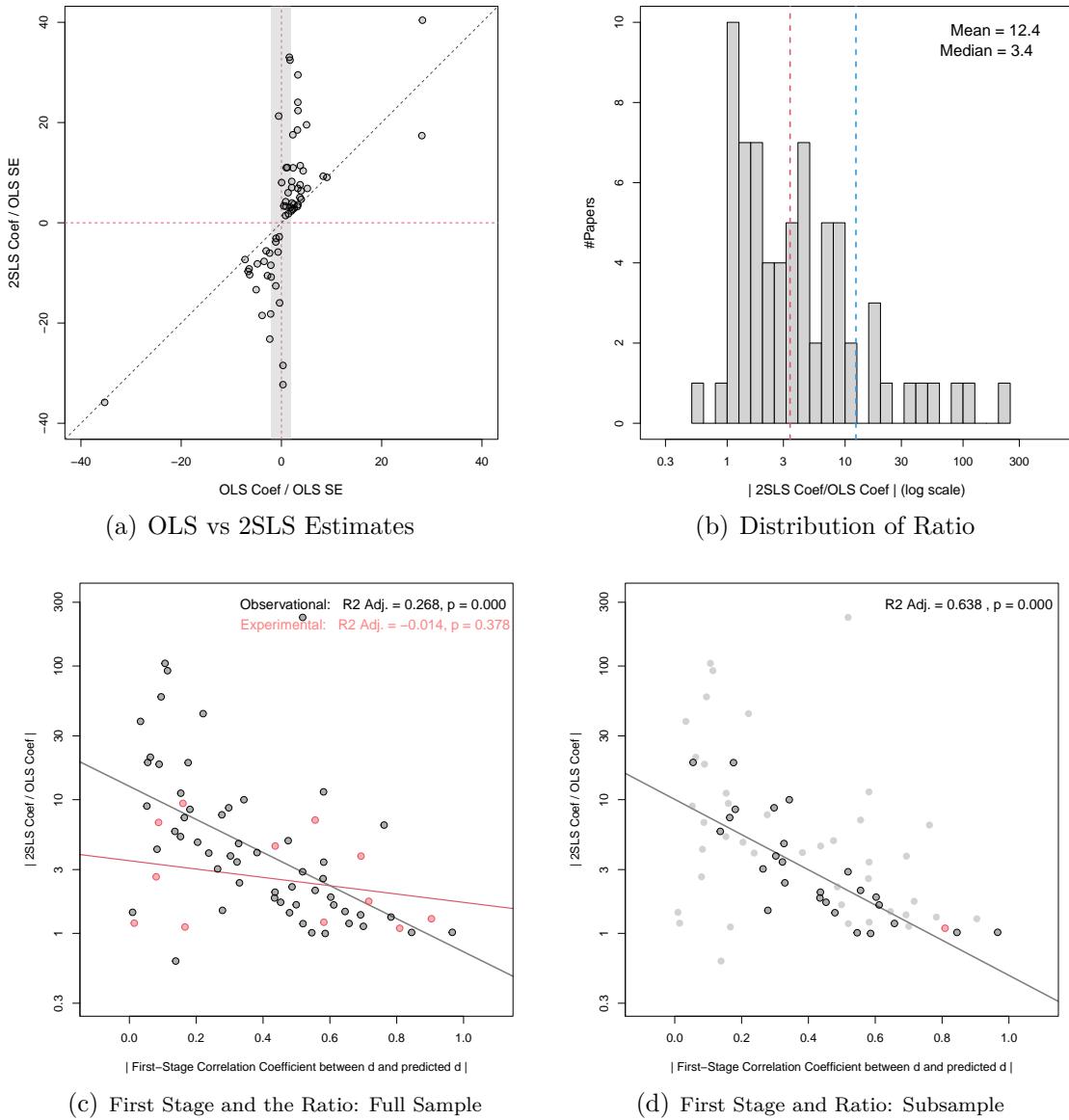
In Figure 5(c), we further explore whether the 2SLS-OLS discrepancy is related to IV strength, measured by $\hat{\rho}(d, \hat{d})$, the estimated correlation coefficient between the treatment

FIGURE 4. ALTERNATIVE INFERENTIAL METHODS.



Note: In subfigures (a)-(c), we compare original p -values to those from alternative inferential methods, testing against the null that $\tau = 0$. Both axes use a square-root scale. Original p -values are adapted from original papers or calculated using standard-normal approximations of z -scores. Solid circles represent [Arias and Stasavage \(2019\)](#), where authors argue for a null effect using IV strategy. *Bootstrap-c* and *-t* represent percentile methods based on 2SLS estimates and t -statistics, respectively, using original model specifications. Hollow triangles in subfigure (c) indicate unbounded 95% CIs from the AR test using the inversion method. Subfigure (d) presents *tF* procedure results from 54 single instrument designs. Green and red dots represent studies remaining statistically significant at the 5% level using the *tF* procedure and those that don't, respectively. Subfigures (a)-(c) are inspired by Figure 3 in [Young \(2022\)](#), and subfigure (d) by Figure 3 in [Lee et al. \(2022\)](#).

FIGURE 5. RELATIONSHIP BETWEEN OLS AND 2SLS ESTIMATES



Note: Subfigures (a) and (b) use reported 2SLS and OLS coefficient estimates. In subfigure (a), both axes are normalized by reported OLS SE estimates with the gray band representing the $[-1.96, 1.96]$ interval. Subfigures (c) and (d) feature the relationship between the correlational coefficient between d and \hat{d} and the ratio of 2SLS and OLS estimates. Gray and red circles represent observational and experimental studies, respectively. Subfigure (d) highlights studies with statistically significant OLS results at the 5% level, claimed as part of the main findings.

and predicted treatment. We find a strong negative correlation between $|\hat{\tau}_{2SLS}/\hat{\tau}_{OLS}|$ and $|\hat{\rho}(d, \hat{d})|$ among studies using non-experimental instruments (grey dots). The adjusted R^2

is 0.268, with $p = 0.000$. However, the relationship is much weaker among studies using experiment-generated instruments (red dots). The adjusted R^2 is -0.014 with $p = 0.378$. In Figure 5(d), we limit our focus to the subsample in which the OLS estimates are statistically significant at the 5% level and researchers accept them as (part of) the main findings, and the strong negative correlation remains. At first glance, this result may seem mechanical: as the correlation between d and \hat{d} increases, the 2SLS estimates naturally converge to the OLS estimates. However, the properties of the 2SLS estimator under the identifying assumptions do not predict the negative relationship (we confirm it in simulations in the SM), and such a relationship is not found in experimental studies.

We believe that several factors contribute to this pattern, including (1) the failure of Assumption 2, (2) publication bias, (3) HTE, and (4) measurement error in d . We suspect the first two factors are the main driving forces. As previously mentioned, when Assumption 2 is violated, weak instruments amplify the biases from endogenous IVs or exclusion restriction failures, i.e., $\frac{\text{Bias}_{IV}}{\text{Bias}_{OLS}} = \frac{\text{Cov}(z, \varepsilon)\mathbb{V}[d]}{\text{Cov}(z, d)\text{Cov}(d, \varepsilon)} \gg 1$. Publication bias may also play a role. When the first stage is weak, IV estimates have a larger variance and can be very large or very small in magnitude compared to OLS estimates. If researchers selectively report statistically significant results or journals tend to publish papers with statistically significant findings, we may observe a negative relationship as in Figure 5. This phenomenon is also referred to as Type-M bias in the psychology and sociology literature ([Gelman and Carlin, 2014](#); [Felton and Stewart, 2022](#)).

Moreover, 30% of the replicated studies in our sample mention HTE as a possible explanation for this discrepancy. OLS and 2SLS place different weights on covariate strata in the sample, and therefore if compliers, those whose treatment status is affected by the instrument, are more responsive to the treatment than the rest of the units in the sample, we might see diverging OLS and 2SLS estimates. Under the assumption that the exclusion restriction holds, this gap can be decomposed into covariate weight difference, treatment-

level weight difference, and endogeneity bias components using the procedure developed in (Ishimaru, 2021). In the SM, we investigate this possibility and find that it is highly unlikely that HTE *alone* can explain the difference in magnitudes between 2SLS and OLS estimates we observe in the replication data, i.e., the variance in treatment effects needed for this gap is implausibly large.

Finally, an IV design can correct for the downward bias of the measurement error in d , resulting in $|\hat{\tau}_{2SLS}/\hat{\tau}_{OLS}| > 1$. If the measurement error is large, this can weaken the relationship between d and \hat{d} , producing a negative correlation. However, it is worth noting that only 4 papers in our sample (6%) attribute the IV strategy to measurement error; the negative correlation remains even when the OLS estimates are the main findings (indicating measurement error may not be as concerning for researchers).

We summarize the main findings from our replication exercise in Table 3. The three issues we have identified are observed in all three journals included in the study. Based on these results, we believe that a significant portion of the IV results either lack credibility or do not provide new information beyond what is already provided by OLS regressions.

5. Recommendations

IV designs in experimental and observational studies differ fundamentally. In randomized experiments, the instruments' unconfoundedness is ensured by design, and researchers can address potential exclusion restriction failures at the design stage, e.g., by testing potential design effects through randomization (Gerber and Green, 2012, pp. 140-141). Practices like power analysis, placebo tests, and preregistration in experimental studies also help reduce improper use of IV designs. In contrast, analyzing observational IV design based on "natural experiments" requires detailed knowledge of the assignment mechanism, making them more complex and prone to potential issues (Sekhon and Titiunik, 2012).

Our findings suggest that using an IV strategy in an observational setting is much more

TABLE 3. SUMMARY OF REPLICATION RESULTS

| (%) | APSR (15) | AJPS (25) | JOP (30) | All (70) |
|--|-----------|-----------|----------|----------|
| <i>Panel A: First-Stage F Statistic</i> | | | | |
| Unreported | 0.0 | 20.0 | 23.3 | 17.1 |
| Reported $F > 1.3$ effective F | 20.0 | 25.0 | 30.4 | 25.9 |
| Effective $F < 10$ | 13.3 | 12.0 | 10.0 | 11.4 |
| Bootstrapped $F < 10$ | 13.3 | 20.0 | 16.7 | 17.1 |
| <i>Panel B: Inference for IV Designs</i> | | | | |
| Original $p > 0.05$ | 20.0 | 8.0 | 6.7 | 10.0 |
| AR $p > 0.05$ | 13.3 | 24.0 | 16.7 | 18.6 |
| Bootstrap-c $p > 0.05$ | 20.0 | 32.0 | 30.0 | 28.6 |
| Bootstrap-t $p > 0.05$ | 26.7 | 24.0 | 16.7 | 21.4 |
| tF procedure $p > 0.05$ | 38.5 | 23.6 | 29.2 | 29.6 |
| <i>Panel C: 2SLS-OLS Relationship</i> | | | | |
| $\text{sign}(\hat{\tau}_{2SLS}) = \text{sign}(\hat{\tau}_{OLS})$ | 93.3 | 100.0 | 86.7 | 92.9 |
| $ \hat{\tau}_{2SLS}/\hat{\tau}_{OLS} > 1$ | 93.3 | 100.0 | 96.7 | 97.1 |
| $ \hat{\tau}_{2SLS}/\hat{\tau}_{OLS} > 3$ | 53.3 | 44.0 | 60.0 | 52.9 |
| $ \hat{\tau}_{2SLS}/\hat{\tau}_{OLS} > 5$ | 40.0 | 32.0 | 33.3 | 34.3 |
| $ \hat{\tau}_{2SLS}/\hat{\tau}_{OLS} > 10$ | 13.3 | 16.0 | 20.0 | 17.1 |

challenging. Since unconfoundedness is not guaranteed by design, researchers have a greater burden of proof for the validity of IVs. On the one hand, truly random (and strong) instruments are rare; on the other hand, it is difficult to conduct placebo tests, such as the ZFS test, for the exclusion restriction after data collection. Additionally, researchers often cannot easily increase the sample size to obtain sufficient statistical power. To prevent misusing IVs in observational studies, we provide a checklist for researchers to consider when applying or considering applying an IV strategy with observational data (in the case of one endogenous treatment variable):

Design

- Prior to using an IV strategy, consider how selection bias may be affecting treatment effect estimates obtained through OLS. If the main concern is underestimating an already statistically significant treatment effect, an IV strategy may not be necessary.

- During the research design phase, consider whether the chosen instrument can realistically create random or quasi-random variations in treatment assignment while remaining excluded from the outcome equation.

Characterizing the first-stage

- Calculate and report F_{Eff} for the first stage, taking into account heteroscedasticity and clustering structure as needed. However, do not discard a design simply because $F_{\text{Eff}} < 0$.
- If d and z are continuous, plot d against its predicted values \hat{d} (with covariates and fixed effects already partialled out from both) and visually verify whether their relationship aligns with theoretical expectations.

Hypothesis testing and inference

- *Option 1. t-test with F_{Eff} pretesting.* If $F_{\text{Eff}} < 10$, choose Options 2 or 3. Utilize conservative methods like *bootstrap-t* and *bootstrap-c* if outliers or group structures are present.
- *Option 2. tF procedure.* For single treatment and instrument cases, adjust *t*-test critical values based on F_{Eff} .
- *Option 3. Direct testing.* Apply weak-instrument-robust procedures, such as the AR test.

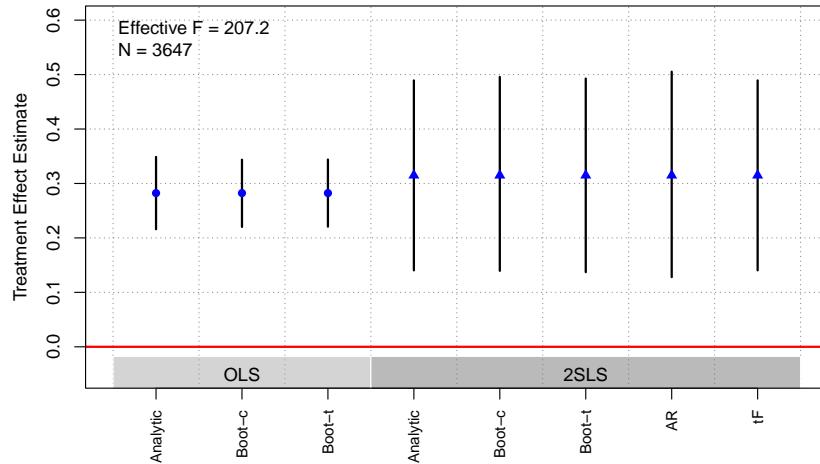
Communicating your findings

- Present OLS and IV estimates alongside CIs from various inferential methods in a graphical format, like in Figure 6. These CIs may not concur on statistical significance, but they collectively convey the findings' robustness to different inferential approaches.
- Remember to report first-stage and reduced-form estimation results, including 95% CIs for coefficients, as they offer insight into both instrument strength and statistical power.

Additional diagnostics

- If you expect the OLS results to be upward biased, be concerned if the 2SLS estimator yields much larger estimates.
- If there is good reason to believe that treatment effects on compliers are significantly larger in magnitude than those on non-compliers, explain this through profiling of these principal strata (Abadie, 2003; Marbach and Hangartner, 2020).
- If it is possible to identify an observational analogue of “never takers” or a subset of them, conduct a placebo test by estimating the effect of the instrument on the outcome of interest in this ZFS sample. Using results from the ZFS test, obtain local-to-zero IV estimates and CIs and compare them to the original estimates and CIs. See the SM for a detailed example.

FIGURE 6. REPLICATED OLS AND 2SLS ESTIMATES WITH 95% CIs
(McCLENNON, 2014, TABLE 2 COLUMN 1)



Note: The treatment is reading an email with a promise of social esteem. The instrument is being encouraged to take the treatment. The outcome is attending LGBTQ events. The AR test does not rely on the first-stage F . Similar figures for each of the 70 IV designs are shown in the SM. This plot is made by [ivDiag](#).

We provide an accompanying R package, [ivDiag](#), to implement our recommended procedures. Our aim is to address concerns regarding IVs in social science research and improve the quality of estimation and inference, especially for non-experimental IV designs.

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A. Supplementary Materials – Appendix A

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A.4. Summary of Replicated Papers

A.1. Additional Information on the Replication Sample

A.1.1. Replication Sample

Figure A1 plots the histograms of effective F statistics using experiment-generated IVs (dark gray) and non-experimental IVs (light gray). The median effective F for experimental and observational designs are 67.7 and 53.5, respectively.

FIGURE A1. HISTOGRAM OF EFFECTIVE F STATISTIC

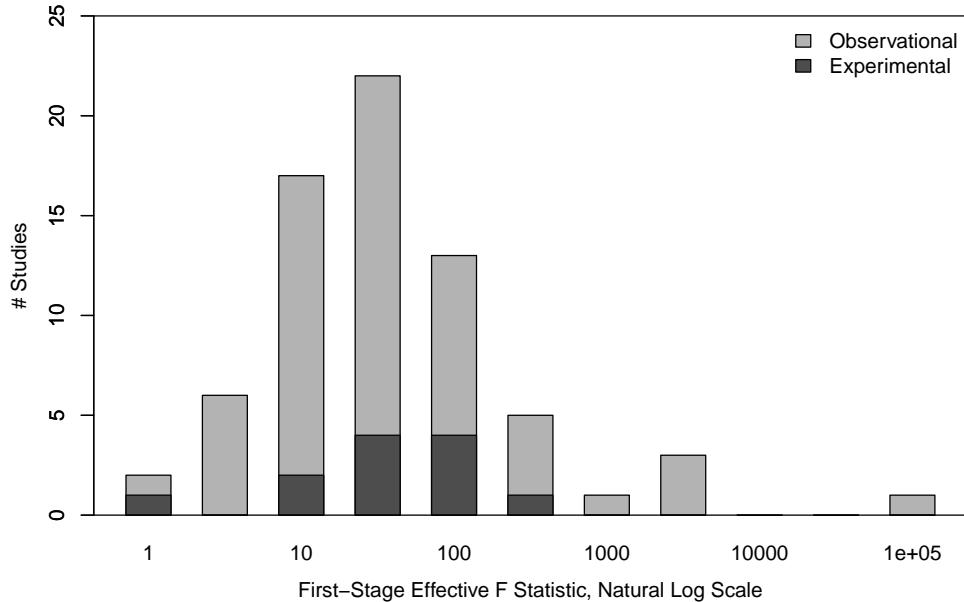
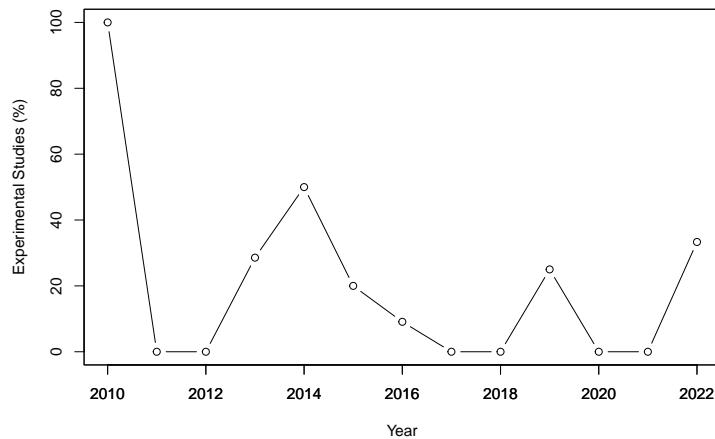
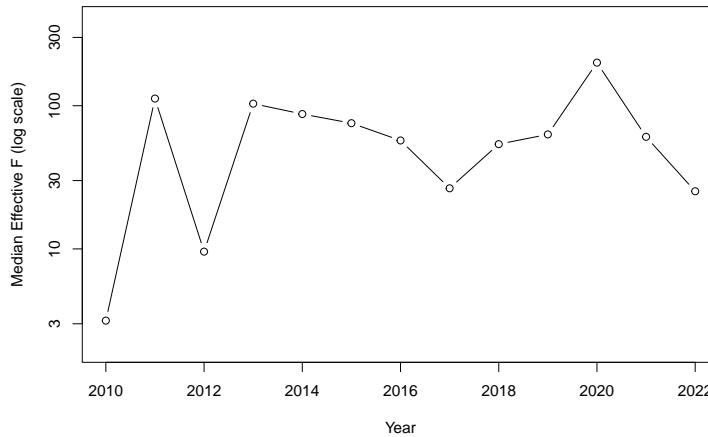


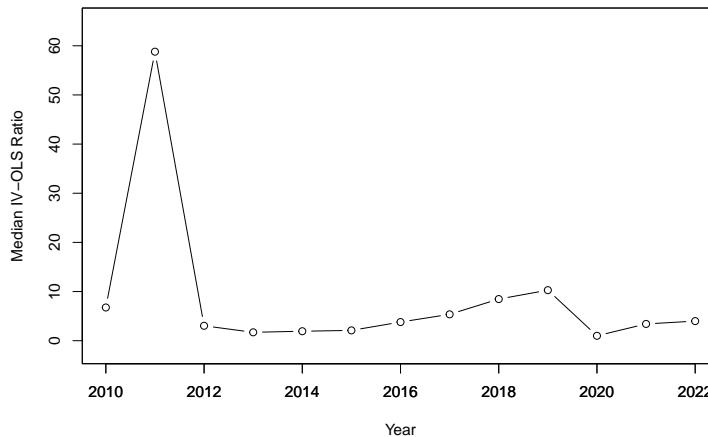
FIGURE A2. ADDITIONAL INFORMATION ON THE SAMPLE



(a) Percentage of experimental studies



(b) Effective F statistics (median)

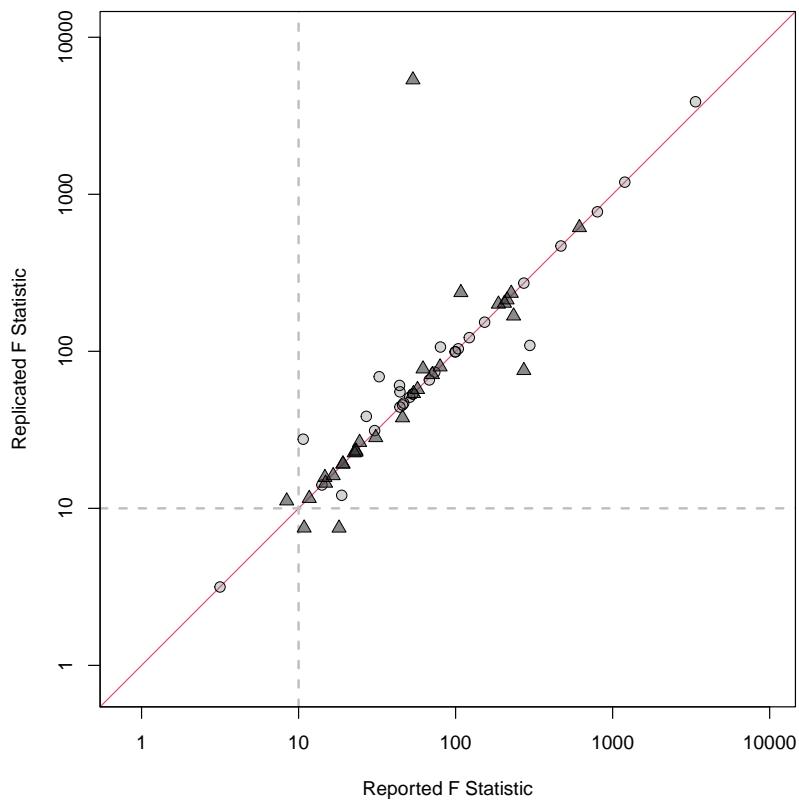


(c) Ratio between 2SLS and OLS coefficients

A.1.2. Comparison of Multiple F Statistics

Figure A3 compares the reported and replicated first-stage partial F statistics (for studies that have reported the F statistics). The replicated F statistics are based on the authors' chosen model specifications and variance estimators in 2SLS estimation. The discrepancy arises from the fact that some authors report the first-stage F statistic based on a different variance estimator than the one used in the 2SLS estimation. In the paper, we use the replicated ones to maintain consistency.

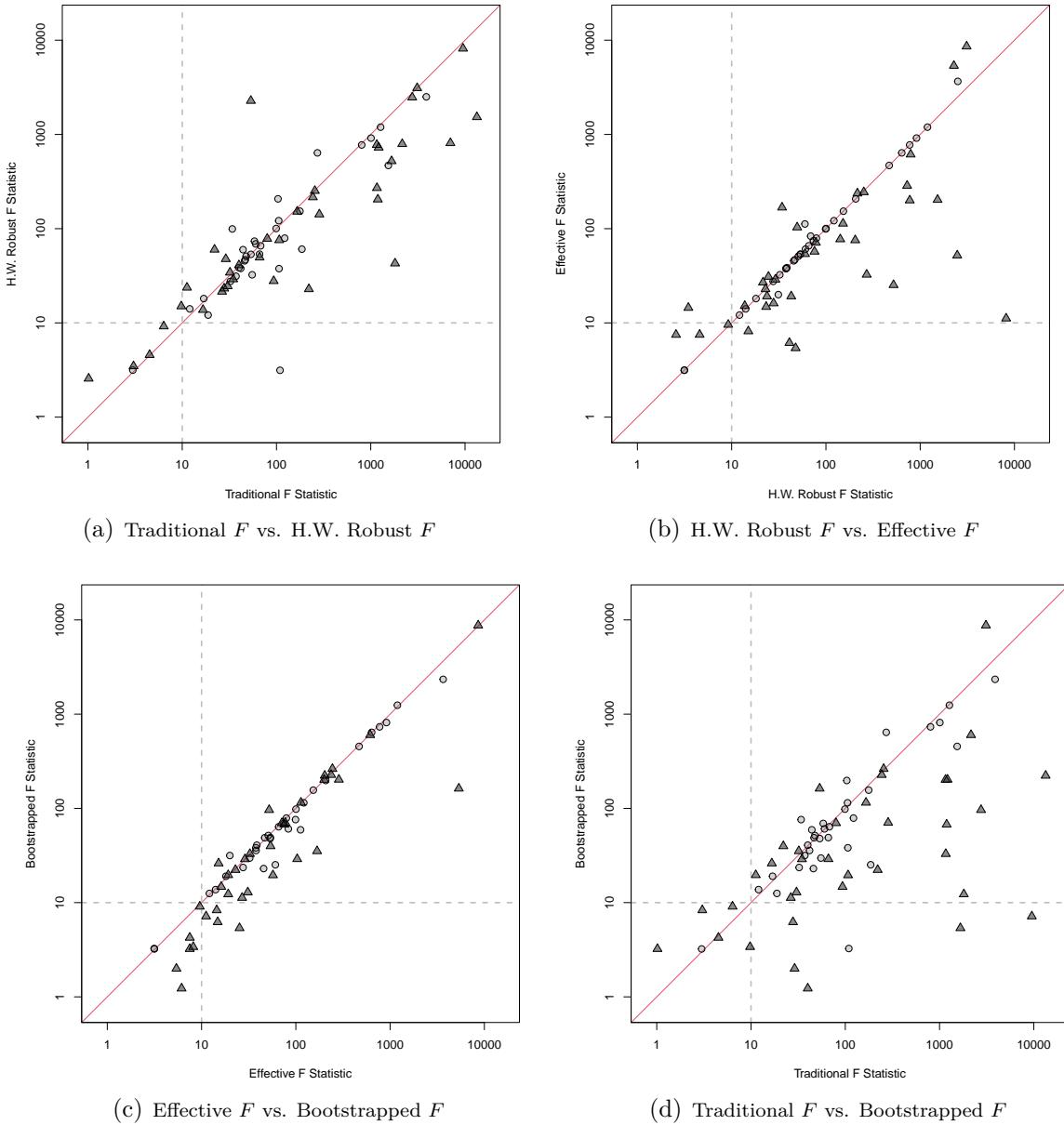
FIGURE A3. REPORTED VS. REPLICATED F STATISTICS



Note: Circles and triangles represent applications with and without a clustering structure, respectively. Studies that do not report F statistics are not shown.

In Figure A4, we compare the traditional F statistics (based on classic analytic SEs), the Huber White robust F statistics, the effective F statistics (robust or cluster-bootstrap SEs) and (cluster-)bootstrapped F statistics. It shows that (cluster-)bootstrapped F statistics are usually the most conservative (smallest). Circles and triangles represent applications with and without a clustering structure, respectively.

FIGURE A4. COMPARISON OF DIFFERENT F STATISTICS



Note: Circles and triangles represent applications with and without a clustering structure, respectively.

A.2. Monte Carlo Evidence

A.2.1. Comparing F Tests for Detecting Weak Instruments

We conduct a simulation study with a clustered DGP in order to evaluate the relative performance of analytic and bootstrap F tests to detect weak instruments. We simulate data from the following DGP

$$\begin{aligned} \text{clustered instrument and error components } \nu_j, \eta_j &\sim \mathcal{N}(0, 0.5) \\ \text{instrument } z_i &\sim \mathcal{N}(0, 1) + \nu_j \\ \text{error } \varepsilon_i &\sim \mathcal{N}(0, 1) + \eta_j \\ \text{endogenous variable } x_i &= \pi z_i + \varepsilon_i \end{aligned}$$

with errors and instrument components drawn from J clusters. This DGP ensures that the data has dependent structure within each cluster j . We then evaluate the strength of the instrument analytically by computing the t-statistic for $H_0 : \pi = 0$, or by using the corresponding bootstrap statistic $\frac{\pi^2}{\hat{\sigma}^2}$ where $\hat{\sigma}^2$ is the bootstrap estimate of the variance of π . We evaluate the analytic and bootstrap F statistics for various values of π and J for 100 replications of the above DGP in Figure (A5).

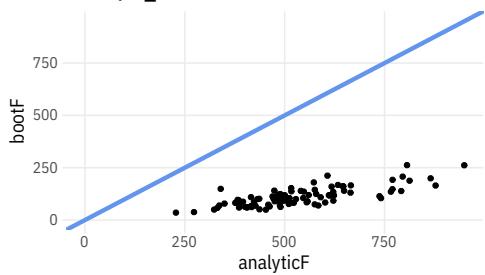
As seen in panel A, when robust analytic standard errors ignore the clustered structure, they vastly over-estimate the strength of the instrument relative to the block-bootstrap, with both “few” (10) and “many” (50) clusters and with “strong” ($\pi = 0.5$) and “weak” ($\pi = 0.001$) instruments. With appropriate clustered analytic SEs, however, the F statistic is typically comparable to the bootstrap based equivalent (panel B), although the bootstrap F is marginally more conservative with a small number of clusters and weak instrument.

In summary, we find that cluster-bootstrap F statistic and the cluster-robust F statistic, which is equivalent to the “effective” F (Olea and Pflueger, 2013) in just-identified settings such as this one, are comparable in detecting weak instruments, and recommend reporting these statistics in applied settings. We also recommend reporting Anderson-Rubin confidence intervals for the IV coefficient, as it is robust to arbitrarily weak instruments (Andrews, Stock and Sun, 2019; Kang et al., 2020).

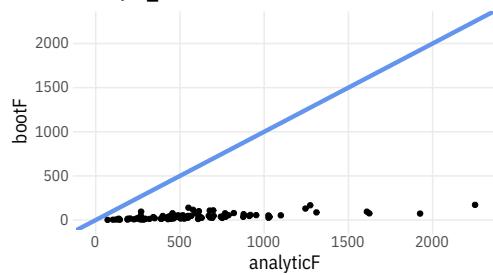
FIGURE A5. COMPARISONS OF F STATISTICS

Cluster-bootstrap F and (Non-Clustered) Robust Analytic F

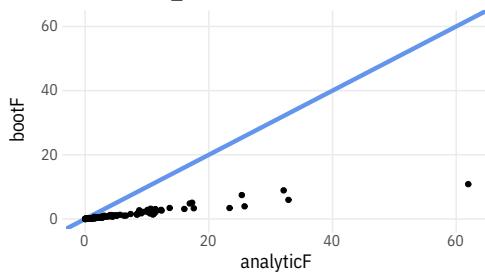
Coef = 0.5; n_cluster = 50



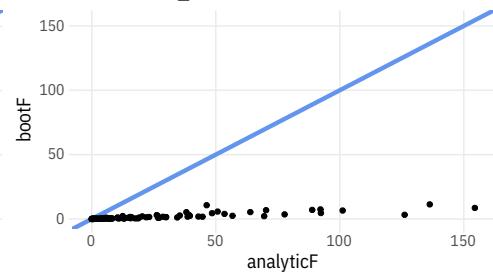
Coef = 0.5; n_cluster = 10



Coef = 0.001; n_cluster = 50



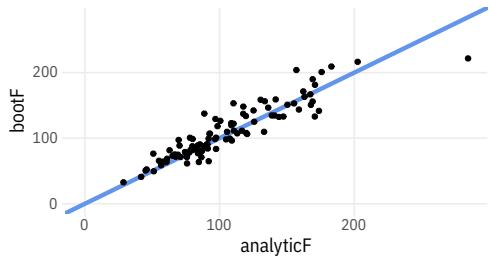
Coef = 0.001; n_cluster = 10



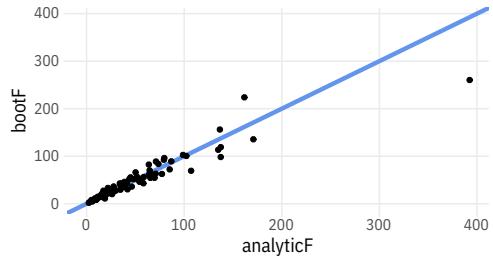
(a) Cluster-bootstrap F statistic vs. Huber-White (non-clustered) F statistic

**Bootstrap F and analytic F statistic
with clustered analytic F**

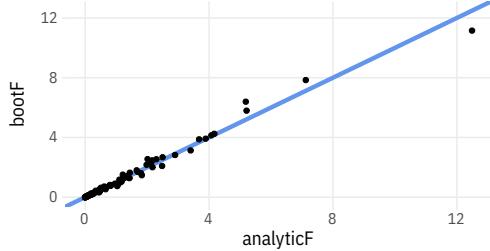
Coef = 0.5; n_cluster = 50



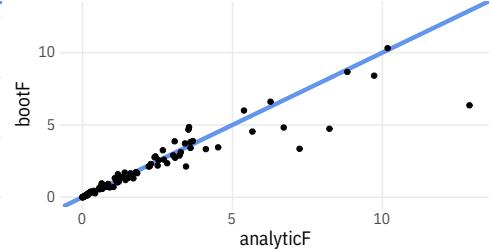
Coef = 0.5; n_cluster = 10



Coef = 0.001; n_cluster = 50



Coef = 0.001; n_cluster = 10



(b) Cluster-bootstrap F statistic vs. cluster-robust analytic F statistic (F_{Eff})

A.2.2. Explaining the 2SLS-OLS Discrepancy

In this section, we conduct Monte Carlo exercises to explore potential causes of the discrepancy between 2SLS and OLS estimates observed in the replication data. We consider three causes: (1) violations of the exclusion restriction (A2), (2) publication bias, and (3) heterogeneous treatment effects (HTE). Below is our data-generating process (DGP):

$$\begin{aligned}
y_i &= 5 + \beta_i x_i + \mu z_i + u_i + b_i \\
x_i^* &= \delta_i z_i + (1 - \delta_i) a_i + 0.2 v_i \quad \text{and} \quad \delta_i = \max(\min(\kappa_i \pi_i, 1), 0) \\
x_i &= x_i^*, \quad z_i \stackrel{i.i.d.}{\sim} N(0, 2) \quad (\text{continuous-continuous case}) \\
\text{or} \quad x_i &= 1\{x_i^* > 0\}, \quad z_i \stackrel{i.i.d.}{\sim} \text{Bern}(0.5) \quad (\text{binary-binary case})
\end{aligned}$$

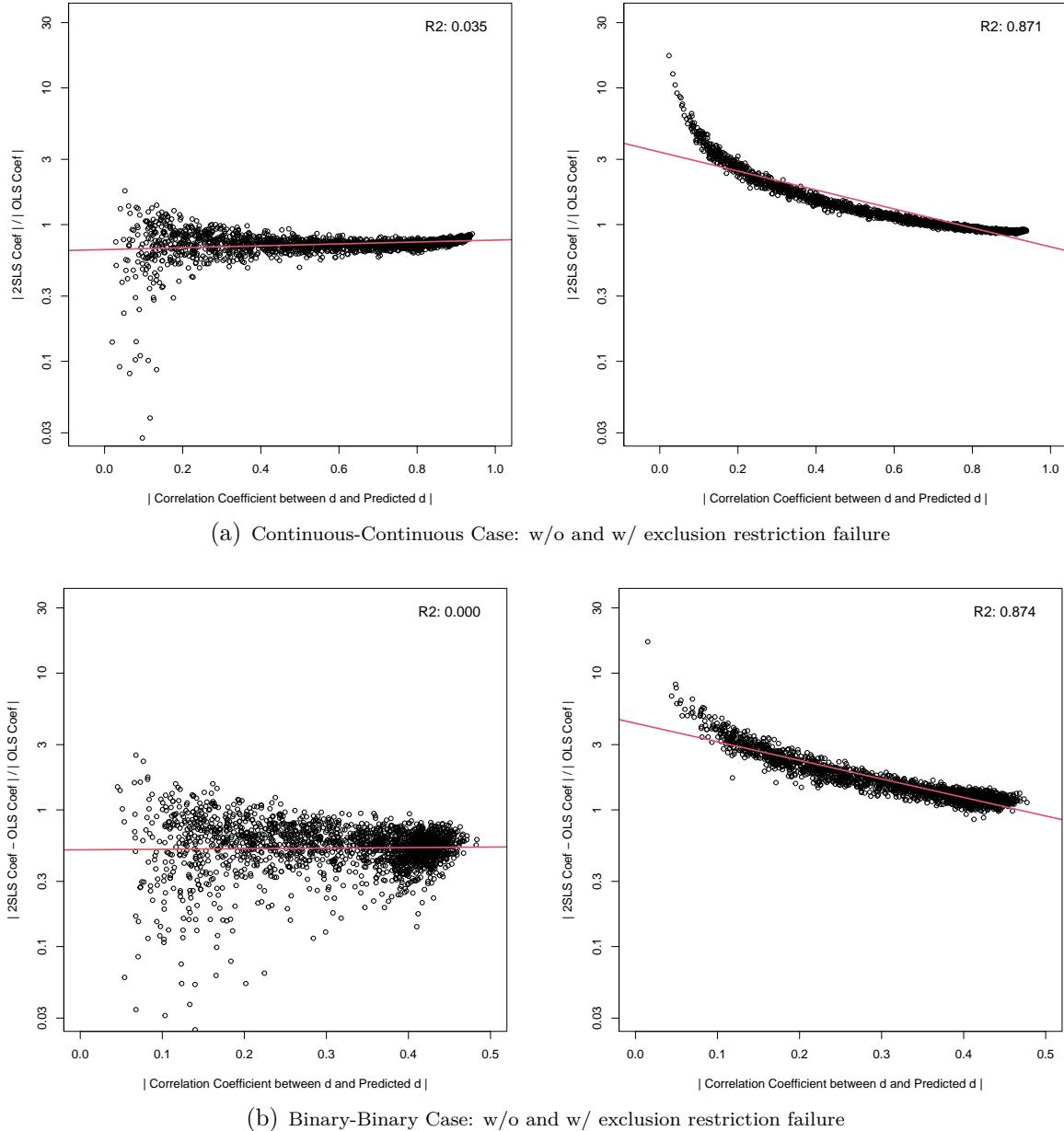
in which z is the instrument, x is the treatment, and y is the outcome. We consider two scenarios: (1) both x and z are continuous, and (2) both are binary. Correlated errors $\begin{bmatrix} u_i \\ v_i \end{bmatrix} \stackrel{i.i.d.}{\sim} N\left(\begin{bmatrix} 0 \\ 0 \end{bmatrix}, \begin{bmatrix} 1 & 0.5 \\ 0.5 & 1 \end{bmatrix}\right)$; $a_i \stackrel{i.i.d.}{\sim} N(0, 1)$, $b_i \stackrel{i.i.d.}{\sim} N(0, 1)$ are i.i.d. errors. We use κ to control the strength of the instrument. HTE can be generated by $\begin{bmatrix} \beta_i \\ \pi_i \end{bmatrix} \stackrel{i.i.d.}{\sim} N\left(\begin{bmatrix} 2 \\ 1 \end{bmatrix}, \sigma_h^2 \begin{bmatrix} 1 & \lambda \\ \lambda & 0.5 \end{bmatrix}\right)$, in which σ_h controls the amount of heterogeneity in β_i and π_i while λ controls the correlation between the first stage and reduced form coefficients. δ_i is limited to be in $[0, 1]$. When $\lambda > 0$, it means that a unit's treatment effect is positively correlated with its responsiveness to the IV.^{A1} The sample size is fixed at 200.

Under constant treatment effect ($\sigma_h = 0$) and with a valid instrument ($\mu = 0$), the expected value of $\hat{\beta}_{2SLS}/\hat{\beta}_{OLS}$ is 0.74 for the continuous-continuous case and 0.57 for the binary-binary case. We consider four scenarios sequentially:

1. Violations of Assumption 2 are captured by $\mu \neq 0$ (failure of the exclusion restriction).
2. Publication bias can be simulated by dropping the cases in which the 2SLS estimates are statistically insignificant at the 5% using a conventional t test.
3. HTE is generated by setting $\sigma_h = 0.05$ and $\lambda = 0.7$, i.e., β_i and π_i are highly correlated.
4. The combination of HTE and publication bias.

^{A1}For example, under selection-on-gains type settings, which are typically considered in generalized Roy models underlying MTE approaches to IV.

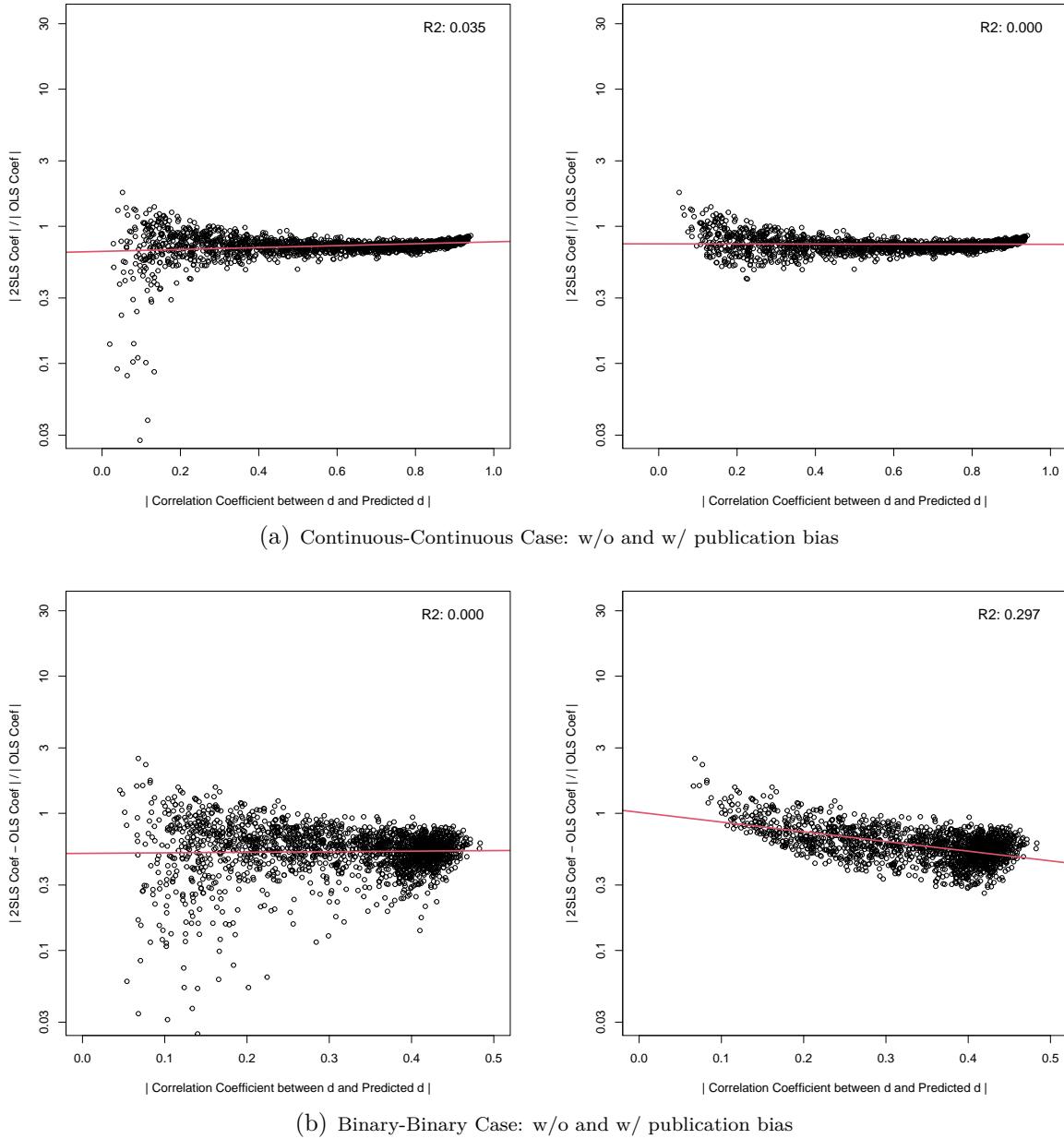
FIGURE A6. CONSEQUENCES OF EXCLUSION RESTRICTION FAILURE
UNDER CONSTANT EFFECT



Violating Assumption 2. The results for Scenario 1 are shown in Figure A6. Each dot represents one simulated sample. Figure A6 shows that, in both continuous-continuous and binary-binary setups, when the treatment effect is constant ($\beta_i = \beta, \pi_i = \pi$), in expectation, there is no mechanical negative relationship between the correlation coefficient between d and \hat{d} and the 2SLS-OLS discrepancy (left panels in both subfigures). However, when the exclusion restriction fails, e.g., $\mu = 1$ (right panels in both subfigures), a strong negative

correlation appears. These results support our argument in the paper that a weak first stage amplifies the bias from the failure of Assumption 2.

FIGURE A7. CONSEQUENCES OF PUBLICATION BIAS
UNDER CONSTANT TREATMENT EFFECT

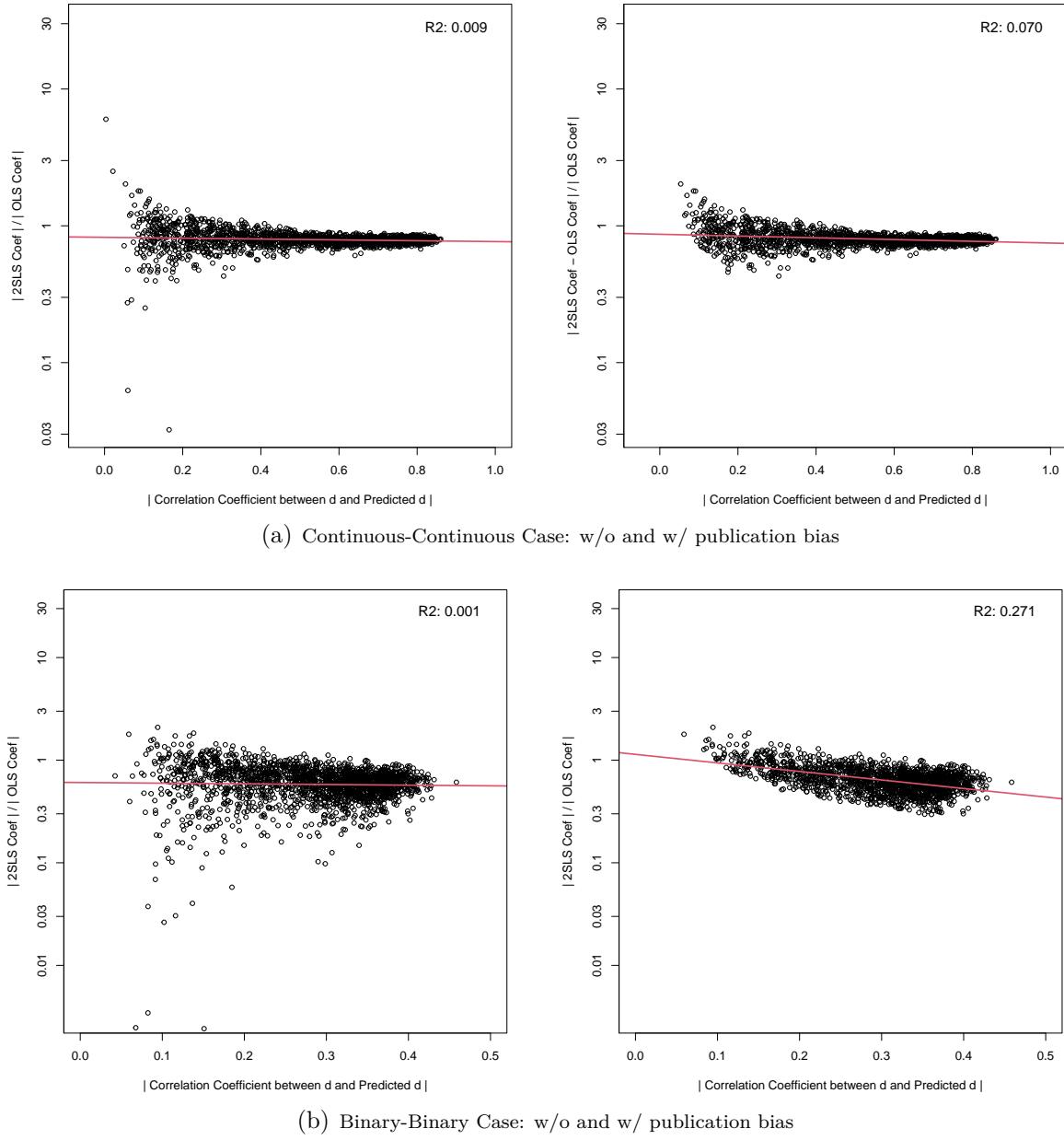


Publication bias. Figure A7 illustrates the consequences of publication bias (Scenario 2), where statistically insignificant results are omitted (right panels). The left panels are identical to the left panels in Figure A6. In the binary-binary case, we observe a moderate

negative correlation; however, this correlation is much weaker than those caused by exclusion restriction failures.

HTE and publication bias. Finally, we investigate the consequences of HTE (Scenario 3) and its interaction with publication bias (Scenario 4). Figures A8 shows results under HTE, i.e., $\sigma_h > 0$ and $\lambda = 0.7$ (β_i and π_i are highly positively correlated). On the logarithmic scale, the correlation is almost nonexistent (left panels in Figure A8). When we

FIGURE A8. CONSEQUENCES OF PUBLICATION BIAS UNDER HTE



revert to the original scale, we do observe a small to moderate negative correlation in both continuous-continuous and binary-binary cases (figures not shown). When we further introduce publication bias, we begin to see weak negative correlations between the first stage ρ and the 2SLS-OLS discrepancy on the logarithmic scale, especially in the binary-binary case. However, their magnitudes are much smaller than what we observed in Figure A6 under the exclusion restriction failure. This suggests that the observed strong negative relationship in the paper is unlikely to be solely explained by HTE and different levels of responsiveness to the IV.

In summary, the Monte Carlo exercises demonstrated that the strong negative correlations between the first stage ρ and the 2SLS-OLS discrepancy are most likely caused by violations of Assumption 2. Other factors, such as publication bias and HTE, may also play a role.

A.3. Evaluating the Exogeneity Assumption

Assumption 2 is a strong and generally untestable assumption that underlies the validity of the instrument; indeed, researchers typically spend considerable effort arguing for both unconfoundedness and the exclusion restrictions in their particular setting. However, some placebo tests have recently become popular as a way to argue for the validity of identification assumptions in causal designs (Eggers, Tuñón and Dafoe, 2021), especially in observational settings where the choice of IV is guided by detailed domain knowledge. Bound and Jaeger (2000) suggest first using an auxiliary regression on a subsample where the IV is not expected to influence treatment assignment, known as “zero-first-stage” (ZFS) tests. The primary intuition is that in a subsample that one has a strong prior that the first stage is zero—hence, they are “never takers,” to use the language of the LATE framework—the reduced form effect should also be zero if Assumption 2 is satisfied. In other words, motivated by a substantive prior that the first-stage effect of the IV is likely zero for a subsample of the population (henceforth, the “ZFS subsample”), the researcher then proceeds to show that the reduced-form coefficient for the IV (by regression Y on Z) is approximately zero *in the ZFS subsample*, which is suggestive evidence in favor of IV validity. Most observational instruments ought to yield some ZFS subsample based on substantive knowledge of the assignment mechanism.

This style of placebo is particularly popular in studies of historical political economy, where particular historical or geographic features are argued to be valid instruments for treatment assignment, and thus they are unlikely to be driving treatment assignment outside of a specific context. For example, Nunn (2008) studies the effects of the slave trade on modern-day development in Africa using sailing distance from each country to the nearest locations of demand for slave labor as an IV for the normalized number of slaves taken. The author then argues that distance to demand locations in the New World are likely to be a valid IV by using a placebo test that the first-stage effect (the IV regressed on the outcome, modern-day GDP) is approximately zero for countries outside Africa, where the posited mechanism (that places close to demand locations exported more slaves only in the transatlantic slave trade) has no traction, thereby providing a candidate ZFS sample. In a related paper, Nunn and Wantchekon (2011) use the same strategy to show that distance to slave-trade ports does not predict modern-day trust attitudes in the Asiabarometer, while they do in the Afrobarometer (which is the primary study population). Acharya, Blackwell and Sen (2016) perform a similar exercise where they believe that their instrument (cotton suitability) predicts the treatment (slaves per capita) in the Southern States but not the

Northern states, and therefore find that the reduced form effect of cotton suitability on modern day racial attitudes is approximately zero in the Northern states.

A.3.1. The ZFS Test and Modified Inference

While this is a useful heuristic check that we advise most observational IV papers adopt, it is an informal test and provides no debiasing procedure to correct potentially biased IV estimates. [Van Kippersluis and Rietveld \(2018\)](#) suggest that the ZFS test can be fruitfully combined with the “plausibly exogenous” method suggested by [Conley, Hansen and Rossi \(2012\)](#) (henceforth, CHR 2012). To illustrate the method, we first rewrite the IV simultaneous equations in CHR (2012)’s notation:

$$Y = X\beta + Z\gamma + \varepsilon; \quad X = Z\Pi + \nu, \quad (\text{A1})$$

where Z also enters the structural equation, and the exclusion restriction amounts to a dogmatic prior that $\gamma = 0$. CHR (2012) suggest that this assumption can be relaxed, and replaced with a user-specified assumption on a plausible value, range, or distribution for γ depending on the researcher’s beliefs regarding the degree of exclusion restriction violation. They propose three different approaches for inference that involve specifying the range of values for γ , a prior distributional assumption for γ , and a fully Bayesian analysis that requires priors over all model parameters and corresponding parametric distributions. We focus on the second method, which CHR (2012) call the “local to zero” (LTZ) approximation because of its simplicity and transparency. The LTZ approximation considers “local” violations of the exclusion restriction^{A2} and requires a prior over γ alone. CHR (2012) show that replacing the standard assumption that $\gamma = 0$ with the weaker assumption that $\gamma \sim \mathbb{F}$, a prior distribution, implies distribution for $\hat{\beta}$ in Equation (A2).

$$\hat{\beta} \sim^a \mathcal{N}(\beta, \mathbb{V}_{2SLS}) + \mathbf{A}\gamma \quad \text{where } \mathbf{A} \equiv (\mathbf{X}'\mathbf{Z}(\mathbf{Z}'\mathbf{Z})^{-1}\mathbf{Z}'\mathbf{X})^{-1}\mathbf{X}'\mathbf{Z} \quad (\text{A2})$$

$$\hat{\beta} \sim^a \mathcal{N}(\beta + \mathbf{A}\mu_\gamma, \mathbb{V}_{2SLS} + \mathbf{A}\Omega\mathbf{A}') \quad (\text{A3})$$

where the original 2SLS asymptotic distribution is inflated by the additional term. While a simulation-based approach can be used to implement Equation (A2) for an arbitrary distribution for γ , the distribution takes its most convenient form when one uses a Gaussian prior over $\gamma \sim \mathcal{N}(\mu_\gamma, \Omega_\gamma)$, which simplifies Equation (A2) to Equation (A3), with a posterior being a Gaussian centered at $\beta + \mathbf{A}\mu_\gamma$.

^{A2}LTZ asymptotics consider a sequence of constants $\gamma = C/\sqrt{N}$ for some constant C and sample size N

CHR (2012) suggest that researchers use domain knowledge to choose $\mu_\gamma, \Omega_\gamma$, since they often hold strong priors about instruments anyway (which presumably motivates the choice of the instrument). Van Kippersluis and Rietveld (2018) suggest that a principled method to choose μ_γ is to estimate Equation (A1) on the ZFS population (wherein Π is assumed to be zero), and use this estimate $\hat{\gamma}_{ZFS}$ as μ_γ . This approach combines the informal ZFS test with the plausibly exogenous method in a straightforward manner, and software to implement it is available in both R (accompanying this paper) and STATA (Clarke, 2014). We begin with a simulation-based illustration and illustrate the application of this method to a published empirical paper next.

A.3.2. Simulation Evidence

In this subsection, we demonstrate the LTZ method when the exclusion restriction is not satisfied. Consider the following DGP,

$$\begin{aligned} Y_i &= \beta_i D_i + \gamma Z_i + \varepsilon_i \\ D_i &= \mathbf{1}\{D_i^* > 0\} \\ D_i^* &= \alpha_i + \pi_i Z_i + \varepsilon_i \end{aligned}$$

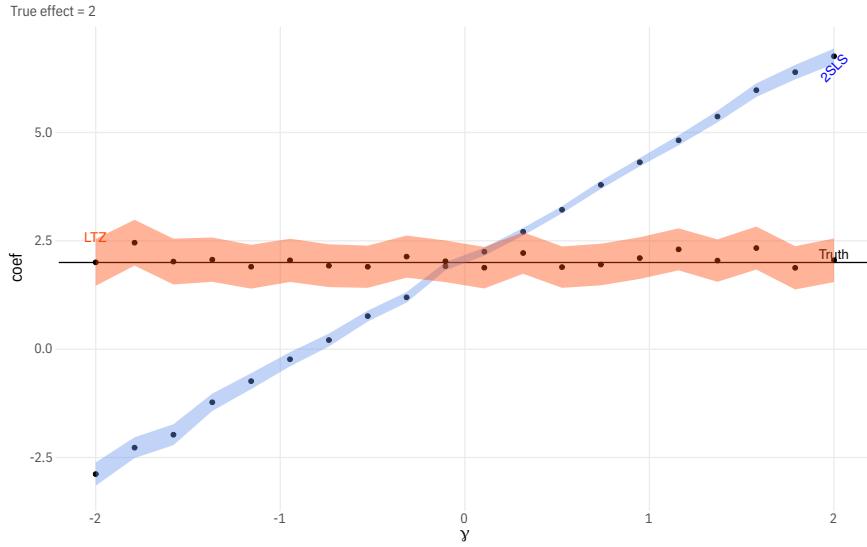
in which $Z_i \sim \text{Bernoulli}(0.5)$ is a binary instrument, $\pi_i \sim U[1.5, 2.5]$, $\alpha_i \sim \mathcal{N}(-1, 1)$, $\varepsilon_i \sim \mathcal{N}(0, 1)$, $\beta_i \sim \mathcal{N}(1, 0.25)$. We generate Y_i with Z_i directly entering the structural equation, which allows us to vary the magnitude of the exclusion restriction violation. We then estimate $\hat{\beta}_{2SLS}$ using conventional two-staged-least-squares on this data. As we vary γ , $\hat{\beta}_{2SLS}$ is inconsistent for all values except when $\gamma = 0$. We set $\pi = 0$ for the last 20% observations of the simulated data (the ZFS subsample). We then estimate the reduced-form regression on this (known) subsample and use the coefficient as a prior for μ_γ , and compute the LTZ IV estimate.

Figure A9 shows, unlike the 2SLS estimator (blue), the LTZ estimator (orange) uncovers the true value of $\beta = 2$ even for large degrees of exclusion restriction violations (large $|\gamma|$).

A.3.3. A Case Study

We illustrate the diagnostics described above by applying it to the IV analysis in Guiso, Sapienza and Zingales (2016) (henceforth GSZ 2016), who revisit Leonardi, Nanetti and Putnam (2001)'s conjecture that Italian cities that achieved self-government in the Middle Ages have higher modern-day levels of social capital. More specifically, they study the effects

FIGURE A9. IV AND LTZ ESTIMATES FOR VARYING γ
LTZ and TSLS coefficients for Exclusion restriction violations of varying severity



of free city-state status on social capital as measured by the number of non-profits and organ donations per capita, and a measure of whether students cheat in mathematics.

TABLE A1. REPLICATION OF GSZ (2016) TABLE 6
REDUCED FORM REGRESSIONS

| Outcome Variables | North | | South (ZFS) | |
|-------------------|------------------|-----------------------|------------------|-----------------------|
| | Nonprofit (1) | Organ Donation (2) | Nonprofit (3) | Organ Donation (4) |
| Bishop (IV) | 1.612 (0.219) | 0.472 (0.047) | 0.178 (0.137) | 0.189 (0.065) |
| Observations | 5,357 | 5,535 | 2,175 | 2,178 |

Note: Bootstrapped SEs are in the parentheses. See Figure A4 in the SM for the original table.

GSZ (2016) use a dummy for whether the city was the seat of a bishop in the Middle Ages, based on historical accounts of coordination preceding commune formation in the Middle Ages as an IV for the “free-city experience” (Section 5). They argue that conditional on a host of geographic covariates, this IV, a bishop seat, influences contemporary social capital solely through its increasing the likelihood of commune formation. As suggestive evidence for the validity of their instrument, they estimate the reduced-form effect of medieval bishop presence of contemporary social capital measures separately in the north (where the IV is conjectured to have an effect) and the south (where it is conjectured to be irrelevant). They fail to reject the null of no effects in the south, conclude that the IV appears to have face

FIGURE A10. TABLE 6 IN GUISO, SAPIENZA AND ZINGALES (2016)

TABLE 6. Validating the instrument.

| | A. Regressions of civic capital in the Center–North and in the South | | | | | |
|---|---|-----------------------------------|--|---------------------------|----------------------------------|---|
| | Center–North sample | | | South sample | | |
| | (I) Nonprofit org. | (II) Organ donation org. | (III) Cheating in mathe- matics | (IV) Nonprofit org. | (V) Organ donation org. | (VI) Cheating in mathe- matics |
| Ease of coordination | 1.61** (0.219) | 0.47*** (0.047) | -0.66*** (0.118) | 0.18 (0.137) | 0.19*** (0.065) | -0.04 (0.309) |
| Elevation | 1.93*** (0.475) | -0.25*** (0.062) | 0.94** (0.441) | 1.43*** (0.257) | -0.04 (0.083) | 0.72 (0.541) |
| Max difference in elevation | 1.35*** (0.219) | 0.01 (0.026) | 0.26* (0.143) | -0.08 (0.084) | -0.05* (0.029) | 0.06 (0.145) |
| City is on the coast | -0.27 (0.264) | -0.08* (0.046) | 0.03 (0.119) | 0.23** (0.115) | -0.02 (0.044) | 0.13 (0.108) |
| City more than 5 km from the coast | 1.10* (0.634) | 0.07 (0.072) | -0.21 (0.227) | 0.02 (0.143) | -0.03 (0.048) | 1.46 (1.098) |
| Current population | -3.38*** (1.886) | 1.48*** (0.290) | -1.85*** (0.523) | -9.11*** (2.242) | 1.10* (0.582) | -3.50 (2.849) |
| Current population squared | 1.03 (1.423) | -1.12*** (0.218) | 1.87*** (0.480) | 6.23*** (1.924) | -0.86* (0.469) | 4.47 (2.816) |
| Gini income inequality index | 0.08 (0.449) | 0.04 (0.076) | 0.04 (0.438) | 3.49** (1.505) | 2.05*** (0.547) | -21.66*** (5.646) |
| Gini inequality index of land ownership | 9.83*** (1.883) | 2.17*** (0.377) | -8.61*** (2.382) | 1.61*** (0.351) | 0.35*** (0.098) | 1.75 (1.330) |
| Observations | 5,357 | 5,535 | 1,911 | 2,175 | 2,178 | 1,210 |
| R^2 | 0.083 | 0.587 | 0.023 | 0.329 | 0.574 | 0.027 |

Note: “Ease of coordination” is the IV “Bishop in city.” We replicated columns (I), (II), (IV), and (V).

validity, and proceed to use bishop presence as an IV for their IV estimates.

We begin by calculating the first-stage partial F statistic based on bootstrapped SEs for the north sample, which is 67.3. Because there were no “free cities” in the south, the F statistic for the south is zero by definition. We then replicate their reduced-form estimates in Table A1. The separate north and south reduced-form estimates in GSZ (2016) can be readily used for the LTZ test described above. The authors substantively believe that the south is a ZFS sample where bishop presence is irrelevant for treatment assignment,^{A3} we can use the reduced-form estimates of 0.178 and 0.189 in the south for nonprofits per capita and organ donation (columns 3-4 in Table A1) as the prior μ_γ for the direct effect of the IV on the outcome. Finally, we report the analytic, bootstrap, and LTZ IV results in Figure A11. We

^{A3}The authors claim this indirectly by reporting the reduced form effects separately for the north and south subsamples in Table 6, and state that since the reduced form is attenuated in the south, this justifies the use of bishop presence as an IV (p. 1427).

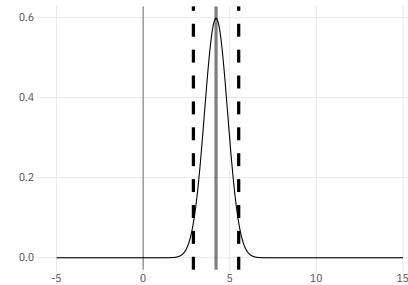
FIGURE A11. IV COEFFICIENTS FOR NON-PROFITS AND ORGAN DONATION

Distribution of IV Estimates: Nonprofits and Organ Donation (GSZ 2016)

Means and 95% CIs for analytic, bootstrap, and LtZ estimates

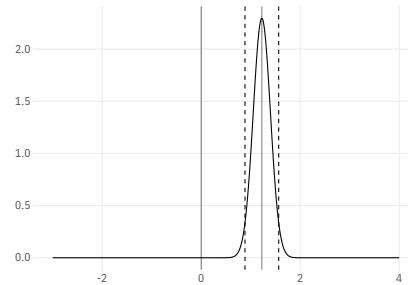
Conventional 2SLS

Nonprofits



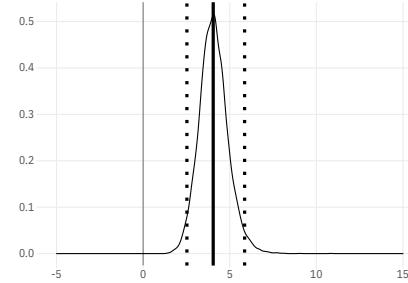
Conventional 2SLS

Organ Donation



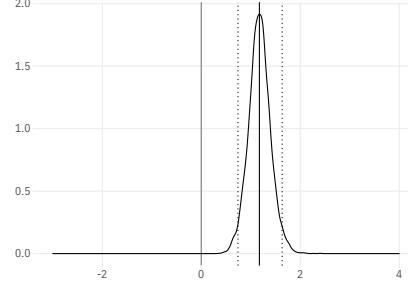
Bootstrap

Nonprofits



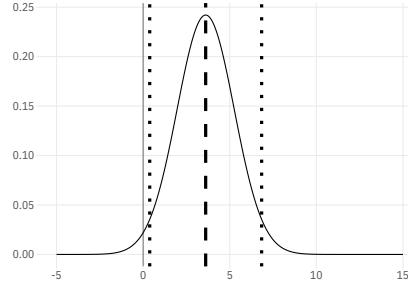
Bootstrap

Organ Donation



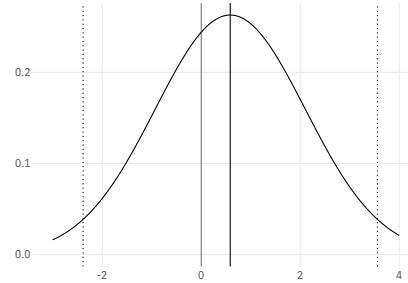
Local-to-zero

Nonprofits



Local-to-zero

Organ Donation



find that conventional robust SEs understate the uncertainty of the estimates relative to the bootstrap and that accounting for direct effect using LTZ attenuates GSZ (2016)'s estimates somewhat and substantially increases the SE of the estimate for the nonprofit outcome. For organ donation, however, where we suspect a violation of Assumption 2 because the reduced form effect is statistically distinguishable from zero, the use of the LTZ method to account for this exclusion restriction violation yields a smaller and substantially more uncertain estimate whose CI contains 0. This example shows how researchers may take advantage of the ZFS test and the LTZ technique to gauge the robustness of their findings based on an IV strategy.

A.4. Summary of Replicated Papers

TABLE A2. SUMMARY OF REPLICATED PAPERS

| Paper | Instrument | Treatment | Outcome | IV Type | Justification for IV Validity |
|-------------------------------------|---|--|--|---|---|
| APSR | | | | | |
| Gerber, Huber and Washington (2010) | Being sent mail | Aligning party identification with latent partisanship | Voting and party alignment scale | Experiment | NA |
| Meredith (2013) | Governors home county | Democratic governor | Down-ballot Democratic candidates vote share | Theory (Other) | "The validity of the instruments hinges on the assumption that, conditional on the control variables, coattail effects are the only channel through which the place of birth or residence of a partys gubernatorial candidate affects the vote shares received by its down-ballot candidates."(p.745) |
| Blattman, Hartman and Blair (2014) | Assignment to treatment blocks | Mass education campaign for dispute resolution | Serious land dispute | Experiment | NA |
| Laitin and Ramachandran (2016) | Geographic distance from the origins of writing | Language choice | Human development index | Theory (Geography) | "[T]he distance from these sites of invention should have no independent impact on socioeconomic development today, except through the channel of affecting the probability of possessing a writing tradition." (p. 470) |
| Ritter and Conrad (2016) | Rainfall | Mobilized dissent | Repression | Theory (Weather) | "[R]ainfall is an exogenous predictor of dissent onset, meeting the key criteria for the instrumental analysis to allow for causal inference."(p.89) |
| Croke et al. (2016) | Access to the secondary education | Education attainment | Political participation | Rules & policy changes (Change in exposure) | "There are, however, good reasons to believe that the secondary education reform only affects participation through its effect on educational attainment."(p.592) |
| Dower et al. (2018) | Level of serfdom | Frequency of unrest | Peasant representation and unrest | Theory (History) | "After conditioning on these covariates, we are left with that portion of serfdom largely determined by idiosyncratic variation in land grants to the nobility decades or centuries before the zemstvo reform of 1864." (p. 133) |

| | | | | | |
|------------------------------------|--|--|-----------------------------------|---|--|
| Dower et al. (2018) | Religious polarization | Frequency of unrest | Peasant representation and unrest | Theory (History) | "After conditioning on these covariates, we are left with that portion of serfdom largely determined by idiosyncratic variation in land grants to the nobility decades or centuries before the zemstvo reform of 1864." (p. 133) |
| Nellis and Siddiqui (2018) | Narrow victory by secular parties in a district | The proportion of MNA seats in a district won by secularist candidates | Religious violence | Theory (Election) | "Our identifying assumption is that the outcomes of such close elections are as good as randomly decided." (p. 50) |
| Kapoor and Magesan (2018) | Changes in entry costs. | Number of independent candidates | Voter turnout | Rules & policy changes (Change in exposure) | "It is worth reiterating that the deposit increases had nothing to do with historical differences in voter and candidate participation across reserved and open constituencies." (p. 681) |
| Colantone and Stanig (2018a) | Imports from China to the United States × local industrial structure | Regional-level import shock from China | Leave support in Brexit | Econometrics (Interaction) | "[The] instrument is meant to capture the variation in Chinese imports, which is due to the exogenous changes in supply conditions in China, rather than to domestic factors in the United Kingdom that could be correlated with electoral outcomes." (p. 206) |
| Hager, Krakowski and Schaub (2019) | Distance to the nearest location where armored military vehicles were stolen | Ethnic riots (destruction) | Prosocial behavior | Theory (Other) | "[W]e present a falsification test which corroborates that the instrument is unrelated to prosocial behavior in a sample of 136 nearby villages, thus underlining the exclusion restriction." (p. 1037) |
| Baccini and Weymouth (2021) | Bartik instrument | Manufacturing Layoffs | Change of Democratic Vote Share | Econometrics (Interaction) | "Since layoffs are not randomly assigned, we develop an instrumental variables strategy using shift-share methodology (Bartik 1991) derived from national layoff shocks, weighted by initial county-level employment."(p.550) |
| Hager and Krakowski (2022) | Number of corrupted Catholic priests | Number of secret police officers | Resistance | Theory (History) | "In the early days of the regime, the secret polices ability to servile citizens depended critically on the cooperation of the Catholic Church...Importantly, the corruptibility of priests was plausibly exogenous: priests were sent to municipalities by the Catholic Church, often when another priest had retired." (p.565) |

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|-------------------------------------|---|---|--|-------------------------------------|---|--|
| | | | | | | |
| Kuipers and Sahn (2022) | Statewide assignment mandate | Civil service reform | Descriptive representation on an unrestricted sample | Rules & policy changes (Assignment) | "First, we assume that state-level mandates are a strong instrument for city adoption; we verify the strength of the instrument in the main presentation of the results. The exclusion restriction, which is untestable, seems a reasonable assumption in our case."(p.9) | |
| AJPS | | | | | | |
| Kocher, Pepinsky and Kalyvas (2011) | Past insurgent control | Aerial bombing | Changes in local control | Theory (Other) | "Because instrumental variables require only conditional independence between instruments and the error term, we need only assume that there are no unobserved hamlet-specific variables that affected insurgent control in July, August, and December 1969, but not in September of that year as well." (p. 212) | |
| Vernby (2013) | Immigration Inflow 19401950; immigration Inflow 19601967 | Share of noncitizens in the electorate | Municipal education and social spending | Theory (History) | "Furthermore, it is unlikely that the initial locations of these refugees were affected by the level of local public services, suggesting that the instrument is also valid." (p. 25) | |
| Tajima (2013) | Distance to health station | Distance to police posts (as a proxy for exposure to military intervention) | Incidence of communal violence | Theory (Geography) | "According to a Health Department official, primary health stations must be located in every subdistrict at their population centers, regardless of the propensity for violence of those locations" (p. 112) | |
| De La O (2013) | Random assignment to early coverage | Early coverage of Conditional Cash Transfer | Incumbent party's vote share | Experiment | NA | |
| McClendon (2014) | Assignment to treatment | Reading social esteem promising email | Participation in LGBTQ events | Experiment | NA | |
| Barth, Finseraas and Moene (2015) | Adjusted bargaining coverage and effective number of union confederations | Wage inequality | Welfare support | Theory (Other) | "Yet conditional on union density and country fixed effects, we argue that certain properties of the bargaining system are likely to affect wages, but not union involvement in politics." (p. 574) | |

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|--|---|---|---|-----------------------------------|--|
| Stokes (2016) | Wind speed | Turbine location | Vote turnout | Theory (Climate) | "Wind speed is theoretically orthogonal to precinct boundaries but predicts the placement of wind turbine locations." (p. 965) |
| Coppock and Green (2016) | Mailing showing 2005 Vote | Voting in November 2007 municipal elections | Voting in the 2008 presidential primary | Experiment | NA |
| Trounstine (2016) | The number of waterways in a city combined with logged population | Racial segregation | Direct general expenditures | Theory (Geography) | "I focus on waterways (including large streams and rivers), which vary in number across cities and are arguably exogenous to segregation and spending." (p. 717) |
| Carnegie and Marinov (2017) | Being a former colony of one of the Council members | Foreign aid | CIRI Human Empowerment index | Theory (History) | "In 1965, the EU stipulated that countries would hold the presidency for 6 months at a time [...] and would rotate alphabetically according to each member states name as spelled in its own language. " (p. 676) |
| Zhu (2017) | Weighted geographic distance from economic centers | MNC activity | Corruption | Theory (Geography) | "This instrumental variable (IV) is rooted in the gravity models of international trade and FDI flows." (p. 90) |
| Rueda (2017) | The size of the polling station | Actual polling place size | Citizens' reports of electoral manipulation | Rules & policy changes (Fuzzy RD) | "The institutional rule predicts sharp reductions in the size of the average polling station of a municipality every time the number of registered voters reaches a multiple of the maximum number of voters allowed to vote in a polling station." (p. 173) |
| Lelkes, Sood and Iyengar (2017) | State-level ROW index | Number of providers | Affective polarization (partisan hostility) | Theory (Other) | "[A]n index of state regulation of right-of-way laws strongly predicts the number of providers in a county, which, as we discuss later, is a good proxy for broadband uptake." (p. 4). |
| Goldstein and You (2017) | Direct flight from city to Washington DC | Lobbying spending | Total earmarks or grants awarded | Theory (Other) | "The existence of a direct flight captures the convenience of travel to Washington, DC, from each city." (p. 865) |

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|---------------------------------------|--|--|-------------------------------------|-----------------------------------|--|
| | | Religion of voters living in the same areas more than three and a half centuries later | Nazi vote share | Theory (History) | "The historical record, however, suggests that princes decisions may plausibly satisfy this exogeneity assumption, especially after controlling for economic conditions at the end of the Weimar Republic as well as all factors known to have influenced rulers." (p. 27) |
| Spenkuch and Tillmann (2018) | Individual princes decisions concerning whether to adopt Protestantism | Regional import shock from China | Economic nationalism | Econometrics (Interaction) | "This instrument is meant to capture the variation in Chinese imports due to exogenous changes in supply conditions in China, rather than to domestic factors that could be correlated with electoral outcomes." (p. 6) |
| Colantone and Stanig (2018b) | Chinese imports to the United States × regional industrial structure | Equitable inheritance customs | Female representation | Theory (Geography; History) | "Rivers are exogenous, but no longer should have a strong effect on inequality other than through the treatment." (p. 767) |
| Hager and Hilbig (2019) | Mean elevation | Equitable inheritance customs | Female representation | Theory (Geography; History) | "Rivers are exogenous, but no longer should have a strong effect on inequality other than through the treatment." (p. 767) |
| Hager and Hilbig (2019) | Distance to rivers | Actual proportion of households treated in the locality | Voted in 2013 presidential election | Experiment | NA |
| Chong et al. (2019) | Treatment assignment in get-out-to-vote campaigns | Democratic institutions | Women political engagement | Rules & policy changes (Fuzzy RD) | "[L]ocalities with a population greater than 1,500 must create a municipal council [...] whereas those with a population below that threshold were free to choose between the status quo direct democracy and representative democracy." (p. 6). |
| Kim (2019) | Population threshold | Health budget | Welfare outcome | Theory (Other) | "We substantiate [the exclusion restriction] below by ruling out the key alternative channel that local insecurity could affect citizens use of health services." (p. 359) |
| Sexton, Wellhausen and Findley (2019) | Soldier fatalities | Town-hall meetings | Voting behavior | Experiment | NA |
| López-Moctezuma et al. (2022) | Assignment to treatment | | | | |

| | | | | | |
|--------------------------------------|---|---|--------------------------|--------------------|--|
| Blair, Di Salvatore and Smidt (2022) | Average fragmentation of all ongoing PKO mandates | Fragmentation of any given PKO mandate | Process performance | Theory (Other) | "We view the first of these assumptions as mostly uncontroversial. As discussed above, most PKO mandates are only loosely tailored to conditions in their host countries. It is highly unlikely that the mandates of all other PKOs in Africa are tailored to the host country conditions of any given PKO. This should mitigate independence concerns." (p.11) |
| Hong, Park and Yang (2022) | Geographic terrain elevation and slope | NVM subsidies | Parks vote share in 2012 | Theory (Geography) | "The logic behind this choice is as follows: each villages performance in the NVM is evaluated based on their baseline conditions. Therefore, an unfavorable terrain before the movement likely indicates an initial lack of infrastructure in a poorer environment, and thus gives a village an advantageous benchmark from which to generate a notable and visible improvement within a short period compared to other villages." (p.11) |
| Wood and Grose (2022) | Random audit | Incumbent found to have campaign finance violations | Legislator retired | Experiment | NA |

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|----------------------------|---|--|------------------------------------|---------------------------|---|
| Gehlbach and Keefer (2012) | Whether the first ruler in a nondemocratic episode is a military leader | Age of ruling party less leader years in office | Private investment/GDP | Theory | "[D]ictators who come to power with the backing of the military require less popular support to remain in power and are therefore less likely to promote private investment by allowing supporters to organize." (p. 628) |
| Healy and Malhotra (2013) | Whether the younger sibling is a sister | The share of respondents siblings who are female | 1973 gender-role attitude | Theory (Others – Biology) | "However, under Assumption 1, all siblings have an impact only through the overall gender makeup of the household." (p. 1027) |
| Dube and Naidu (2015) | US military aid to countries outside of Latin America | US military aid to Colombia | The number of paramilitary attacks | Theory (Diffusion) | "The instrument is valid since US funding to the rest of the world is determined by the broad geopolitical outlook of the American government, reflecting factors such as the party of the president or other major world events, and can thus be considered exogenous to the conflict in Colombia."(p.256) |

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|-------------------------------------|---|---|--|----------------------------------|---|
| Flores-Macias and Kreps (2013) | Lagged values of country's energy production | Trade volume | Foreign policy convergence | Theory (Other) | "The logic is that trade and trade salience in Africa and Latin America are significantly related to countries energy production, but there is no reason to believe that either of them is correlated with the error term in the equation predicting foreign policy convergence" (p. 365) |
| Charron and Lapuente (2013) | Consolidation of clientelistic networks in regions where rulers have historically less constraints to their decisions | Clientelism | Quality of government | Theory (History) | "[W]e also find that constraints are directly correlated with current regional institutional quality (yet in his analysis regional GDP and GDP growth are used), thus rendering it an imperfect instrument for clientelism"(p.576) |
| Kriner and Schickler (2014) | Number of days Congress is in session | Committee investigations | Presidential approval | Theory (Other) | "[T]here is no theoretical reason drawn from existing literatures to expect the calendar to be independently correlated with presidential approval." (p. 525) |
| Lorentzen, Landry and Yasuda (2014) | Large firm dominance in 1999 | Large firm dominance in 2007 | Pollution information transparency index | Econometrics (Lagged treatment) | "[The instrument was measured] well before transparency reforms were a major focus of discussion." (p. 187) |
| Dietrich and Wright (2015) | Constructed "internal" excluded instrument | Economic aid | Transitions to multipartyism | Econometrics (Lewbel instrument) | "[We]show that the excluded instruments are generally uncorrelated with alternative channels through which they might influence the outcome variables." (p. 223) |
| Feigenbaum and Hall (2015) | Localized Chinese exports to other economies × local exposure | trade shocks in congressional districts | Trade score | Econometrics (Interaction) | "[We] use an instrument that depends [...] on Chinese import growth to other rich, Western economies" and "the lagged version is unaffected by Chinese trade shock." (p.1019) |
| Alt, Marshall and Lassen (2016) | Assignment to receiving an aggregate unemployment forecast | Unemployment expectations | Vote intention | Experiment | NA |
| Johns and Pelc (2016) | Trade stake of the rest of the world | The number of other countries that became third parties | Becoming a third party | Theory (Other) | "[E]ach states participation decision is not directly affected by the trade stake of other countries. The trade stake of other countries matters only to the extent that it shapes a players belief about how other countries will behave." (p. 99) |

| | | | | | |
|------------------------------------|--|---|--------------------------------------|---|---|
| Acharya, Blackwell and Sen (2016) | Measures of the environmental suitability for growing cotton | Slave proportion in 1860 | proportion Democrat | Theory (History) | "We present results from this analysis showing that, outside the South, the relationship between cotton suitability and political attitudes is either very small or in the opposite direction as in the South." (p. 628) |
| Schleiter and Tavits (2016) | Prime Minister dissolution power | Opportunistic election calling | Vote share of Prime Minister's party | Theory (Other) | "The instrument correlates directly with the treatment of interestopportunistic election callingwithout being linked to anticipated incumbent electoral performance." (p. 840) |
| Henderson and Brooks (2016) | Rain around Election day | Democratic vote margins | Incumbent roll call positioning | Theory (Weather) | "Rain several days before an election may dampen the willingness to make plans, arrange transportation, and schedule time off work to go to the polls."(p.657) |
| Henderson and Brooks (2016) | Rain around Election weekend | Democratic vote margins | Incumbent roll call positioning | Theory (Weather) | "Rain several days before an election may dampen the willingness to make plans, arrange transportation, and schedule time off work to go to the polls."(p.657) |
| Charron et al. (2017) | Proportion of Protestant residents in a region; aggregate literacy in 1880 | More developed bureaucracy | Percent of single bidders | Theory (History) | "[C]ross-country data show that, while the least corrupted countries in the world all have had near universal literacy for decades, other countries considered highly corrupt, [...] have, for the entire postwar era, also been some of the most highly literate places in the world." (p.97) |
| West (2017) | IEM (prediction market) price | Obama win | Policy efficacy | Theory (Other) | "The identifying assumption is that there is no unobservable factor that simultaneously affects black (female) political efficacy and perceptions of the likelihood of an Obama (Clinton) victory." (p.352) |
| Stewart and Liou (2017) | Log total border length and the total number of that states neighbors | Foreign territorial control | Civilian casualties | Theory (Geography) | "[T]he longer a states borders or the greater its number of neighbors, the more accessible border regions in neighboring states will be to rebels, independent of the dynamics of their conflict with the government. Further, total border length or the number of bordering states is not likely to affect rebel targeting of civilians other than through their effects on the likelihood of rebel groups controlling foreign territory." (p. 291) |
| Lerman, Sadin and Trachtman (2017) | Born 1946 or 1947 | Public (p 1) versus only private (p 0) health insurance | Support ACA | Rules & policy changes (Change in exposure) | "We can confirm across a host of observable covariates that these two age groups are similar on almost every dimension, with the exception of insurance." (p. 631) |

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|--|--|----------------------------|--|--------------------------------|--|
| Grossman, Pierskalla and Boswell Dean (2017) | The number of distinct landmasses; length of medium and small streams; over-time variation in the number of regional governments | Government fragmentation | Public goods provision | Theory (Geography / diffusion) | "Territorial structure of neighboring countries will affect the local discourse on institutional reforms and increase the likelihood that a country will adopt similar reforms" and "The other two instruments build on the fact that administrative and political boundaries are drawn around geographic landmarks." (p. 831) |
| Cirone and Van Coppenolle (2018) | Random assignment of budget incumbents to bureaux | Budget committee service | Legislator sponsorship on a budget bill | Theory (Other) | "Conceptually, the competitiveness of the randomly assigned group acts similarly to a form of encouragement design." (p. 953) |
| Bhavnani and Lee (2018) | Early-career job assignment to districts | Bureaucrats embeddedness | Proportion of villages with high schools | Theory (Other) | "[T]he IAS posting orders that we obtained suggest that heuristics such alphabetical order and serial number which are arbitrary and orthogonal to district and officer characteristics are used to match officers to districts." (p. 78) |
| Pianzola et al. (2019) | Random assignment of the e-mail treatment | Smartvote use | Vote intention | Experiment | NA |
| Arias and Stasavage (2019) | Trade shock \times UK bond yield | Government expenditures | Regular leader turnover | Econometrics (Interaction) | "The logic here is that when costs of external borrowing are high, a government experiencing a trade shock is more likely to cut expenditures because the option of borrowing to maintain or increase expenditures is too costly. This interaction term is the excluded instrument while the Trade Shock variable is included in both the first- and the second-stage estimates" (p. 1519) |
| Ziaja (2020) | Constructed instrument | Number of democracy donors | Democracy scores | Econometrics (Interaction) | "[T]here is no reason to believe that the gender composition of a donor country's parliament should affect democracy in a recipient country directly." (p.439) |
| Schubiger (2021) | counterinsurgent mobilization | exposure to state violence | Location of a community inside or outside the emergency zone | Theory(Geography) | "Destination choices were typically driven by economic and social factors (e.g., Degregori 1998, 151; Del Pino 1996, 164). Moreover, it is unlikely that local residents were able to anticipate the boundaries of the emergency zones and whether, when, and where they would change over time." (p.1389) |

| | | | | | |
|--------------------------------------|--|---|---------------------|-----------------------------------|---|
| DiGiuseppe and Shea (2022) | Echelon corridor | US support | Fiscal capacity | Theory(Geography) | "Like Aklin and Kern (2019), we find that the echelon is plausibly exogenous to a states capacity, property rights, or risk of conflict. Instead, whether a state is located in the echelon corridor is a function of happenstance geography."(p.777) |
| Lei and Zhou (2022) | Whether the city has more than 3 million residents | Subway approval | Mayor promotion | Rules & policy changes (Fuzzy RD) | "the city's population exceeds 3 million people, and (4) more than 30,000 people per hour are expected to use a subway line"(p.463) |
| Urpelainen and Zhang (2022) | Time trend multiplied by the wind resource of the electoral district | Wind turbine capacity | Democratic vote | Econometrics(Interaction) | "Validity of the average wind resource instrument hinges on two criteria: relevance and exclusion restriction..."(pp.1313-1314) |
| Webster, Connors and Sinclair (2022) | Treatment assignment | Percentage of angry words that a respondent wrote in emotional recall prompts | Social polarization | Experiment | NA |

Note: Justifications are omitted in the case of randomized controlled trials.

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Supplemental Materials

Appendix B

How Much Should We Trust Instrumental Variable Estimates in Political Science? Practical Advice based on 67 Replicated Studies

30 March 2023

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Readme

- est_ols stores treatment effect estimates from the naive OLS estimation. ‘Analytic’ corresponds to analytic asymptotic standard errors (SEs) and confidence intervals (CIs). ‘Boot.c’ and ‘Boot.t’ represent inferential methods based on bootstrapped coefficients and bootstrapped t-statistics, respectively.
- est_2sls stores treatment effect estimates from the 2SLS estimation.
- AR stores results from the Anderson-Rubin test. The confidence region (CR) is produced by the inversion method. ‘AR.bounded = TRUE’ means that the CR is bounded and not empty.
- F.stat stores F statistics based on classic SEs (F.standard), H.W. robust SEs (F.robust), cluster-robust SEs (F.cluster), bootstrapped or cluster-bootstrapped SEs (F.bootstrap) and the effective F (F.effective). In the one-treatment-one-instrument case, F.effective is the same as F.robust (if there is no clustering structure) or F.cluster (if there is one).
- rho stores the partial correlation coefficient between the treatment and the predicted treatment from the first stage regression.
- tf.cF stores the results from the tF-cF procedure. Specifically, cF corresponds to the adjusted critical value based on the first stage (effective) F statistic for the subsequent t-test.
- est_rf stores the results from the reduced form regression. The control variables are partialled out.
- est_fs stores the results from the first stage regression. The control variables are partialled out.
- p_iv stores the number of instruments. N and N_cl stores the the number of observations and the number of clusters (if there is a clustering structure), respectively. df stores the degree of freedom from the 2SLS regression.
- nvalues stores the numbers of unique values in the outcome, treatment, and instrument.

APSR

Baccini and Weymouth (2021)

Replication Summary

| | |
|------------------|---------------------------------|
| Unit of analysis | county |
| Treatment | Manufacturing Layoffs |
| Instrument | Bartik instrument |
| Outcome | Change of Democratic Vote Share |
| Model | Table2(3) |

```
df <- readRDS("./data/apsr_baccini_etal_2021.rds")
D <- "msl_pc4y2"
Y <- "ddem_votes_pct1"
Z <- "bartik_leo5"
controls <- c("LAU_unemp_rate_4y", "pers_m_total_share_4y", "pers_coll_share_4y",
             "white_counties_4y", "msl_service_pc4y")
cl <- NULL
FE <- "id_state"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.221 sec.
## AR Test Inversion...

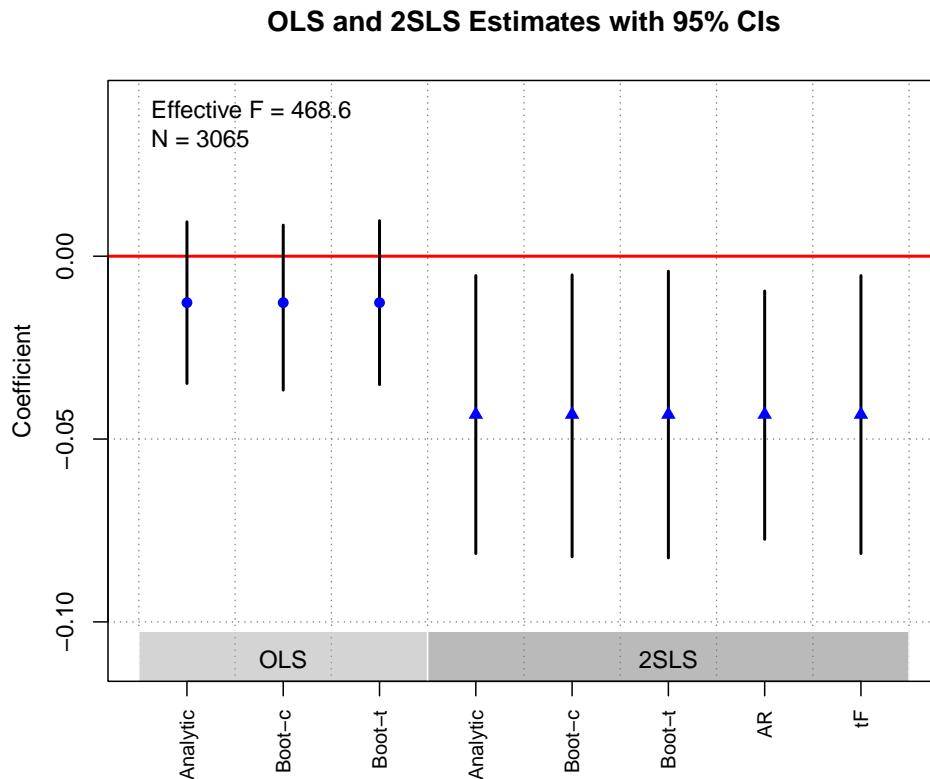
## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0127 0.0113 -1.1240 -0.0348   0.0094   0.261
## Boot.c    -0.0127 0.0115 -1.1059 -0.0366   0.0085   0.248
## Boot.t    -0.0127 0.0113 -1.1240 -0.0351   0.0097   0.278
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0433 0.0194 -2.2308 -0.0813  -0.0053   0.0257
## Boot.c    -0.0433 0.0198 -2.1822 -0.0822  -0.0051   0.0240
## Boot.t    -0.0433 0.0194 -2.2308 -0.0825  -0.0041   0.0290
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##       6.1879  1.0000 3063.0000   0.0129
##
```

```

## $AR$ci.print
## [1] "[-0.0774, -0.0095]"
##
## $AR$ci
## [1] -0.07740808 -0.00952044
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
## 1537.5647    468.6180        NA     480.7918    468.6180
##
## $rho
## [1] 0.5815
##
## $tF
##          F       cF      Coef       SE       t     CI2.5%   CI97.5% p-value
## 468.6180 1.9600 -0.0433  0.0194 -2.2308 -0.0813 -0.0053  0.0257
##
## $est_rf
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## bartik_leo5 -4.5381 2.0355 0.0258 2.0617 -8.4894 -0.5509  0.024
##
## $est_fs
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## bartik_leo5 104.8786 4.8448     0 4.7831  95.739  114.338      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 3065
##
## $N_cl
## NULL
##
## $df
## [1] 3010
##
## $nvalues
##      ddem_votes_pct1 msl_pc4y2 bartik_leo5
## [1,]            3062      2913      2771

```

```
plot_coef(g)
```



Blattman et al. (2014)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | resident |
| Treatment | mass education campaign for dispute resolution |
| Instrument | assignment to treatment blocks |
| Outcome | serious land dispute |
| Model | Table9(8) |

```
df <- readRDS("./data/apsr_Blattman_etal_2014.rds")
df$district <- 0
for (i in 1:15) {df$district[which(df[,paste0("district",i)]==1)] <- i}
D <-"months_treated"
Y <- "fightweap_dummy"
Z <- c("block1", "block2", "block3")
controls <- c("ageover60", "age40_60", "age20_40",
"yrs_edu", "female", "stranger", "christian",
"minority", "cashearn_imputedhst", "noland",
"land_sizehst", "farm_sizehst", "lndtake_dum",
"housetake_dum", "vsmall", "small",
"small12", "small3", "quartdummy", "cedulevel_bc",
```

```

"ctownhh_log_el", "cwealthindex_bc", "cviol_experienced_bc",
"clndtake_bc", "cviol_scale_bc", "clandconf_scale_bc",
"cwitchcraft_scale_bc", "cpalaviol_imputed_bc",
"cprog_ldr_beliefs_bc", "cattitudes_tribe_bc",
"crelmarry_bc", "trainee")
cl <- "district"
FE <- "district"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 32.677 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 7e-04 5e-04 1.4691 -2e-04  0.0016  0.1418
## Boot.c   7e-04 7e-04 0.9908 -9e-04  0.0019  0.3940
## Boot.t   7e-04 5e-04 1.4691 -5e-04  0.0018  0.2600
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 9e-04 5e-04 1.7837 -1e-04  0.0019  0.0745
## Boot.c   9e-04 6e-04 1.4913 -4e-04  0.0020  0.2260
## Boot.t   9e-04 5e-04 1.7837 -2e-04  0.0020  0.1020
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     1.9496  3.0000 1896.0000    0.1196
##
## $AR$ci.print
## [1] "[-0.0002, 0.0020]"
##
## $AR$ci
## [1] -0.0002318028  0.0020441531
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
##   2756.3845   2472.2847   234.3492    98.6651    52.1000
##

```

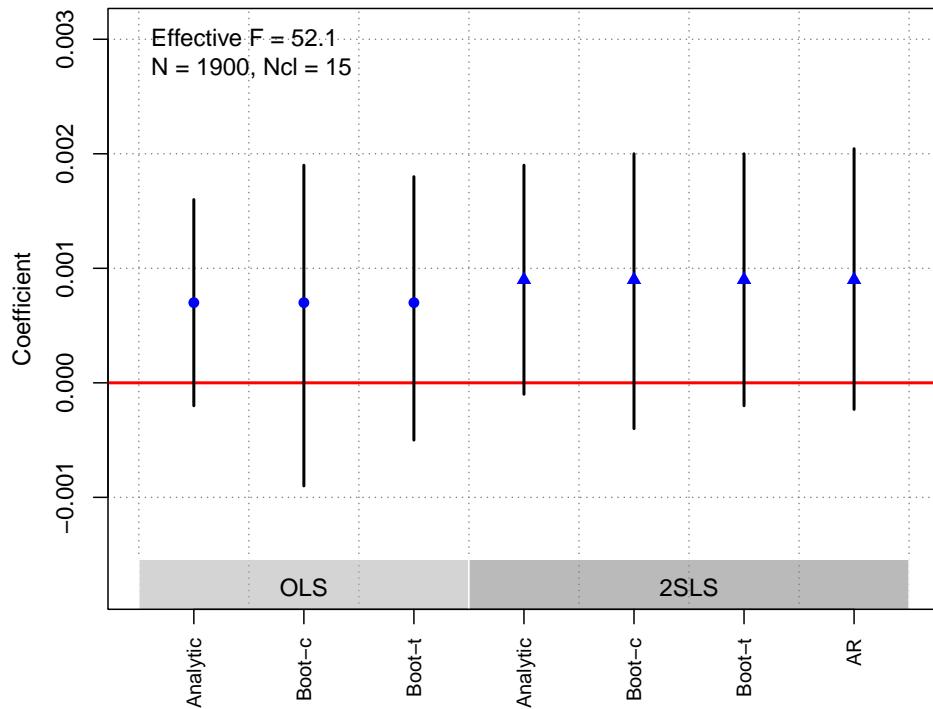
```

## $rho
## [1] 0.9039
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## block1 0.0263 0.0123  0.0317 0.0134 -0.0045   0.0483   0.094
## block2 0.0027 0.0080  0.7312 0.0131 -0.0231   0.0283   0.874
## block3 0.0085 0.0086  0.3241 0.0108 -0.0163   0.0291   0.310
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## block1 20.0361 0.2680      0 1.2308 17.5315 22.5182   0.000
## block2 12.9786 0.2563      0 2.1291  9.0517 16.8681   0.000
## block3  6.7831 0.2513      0 1.8530  2.7445 10.1672   0.008
##
## $p_iv
## [1] 3
##
## $N
## [1] 1900
##
## $N_cl
## [1] 15
##
## $df
## [1] 14
##
## $nvalues
##      fightweap_dummy months_treated block1 block2 block3
## [1,]                 2             34     2     2     2

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Colantone and Stanig (2018)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | region |
| Treatment | regional-level import shock from China |
| Instrument | imports from China to the United States * local industrial structure |
| Outcome | leave share |
| Model | Table1(6) |

```

df<-readRDS("./data/apsr_Colantone_etal_2018.rds")
D <- 'import_shock'
Y <- "leave_share"
Z <- "instrument_for_shock"
controls <- c("immigrant_share", "immigrant_arrivals")
cl <- "fix"
FE <- "nuts1"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 28.552 sec.
## AR Test Inversion...

```

```

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 12.0854 3.7846 3.1933  4.6675  19.5033  0.0014
## Boot.c   12.0854 4.3379 2.7860  4.6668  21.6249  0.0020
## Boot.t   12.0854 3.7846 3.1933  4.1843  19.9865  0.0060
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 12.2993 3.7701 3.2623  4.9099  19.6888  0.0011
## Boot.c   12.2993 4.5272 2.7168  4.0383  21.9601  0.0080
## Boot.t   12.2993 3.7701 3.2623  4.0754  20.5233  0.0070
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 8.6843 1.0000 165.0000 0.0037
##
## $AR$ci.print
## [1] "[4.0805, 20.5182]"
##
## $AR$ci
## [1] 4.080471 20.518183
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard    F.robust    F.cluster F.bootstrap F.effective
## 2158.0662     792.4682    613.9804    608.4938    613.9804
##
## $rho
## [1] 0.9663
##
## $tF
##       F      cF      Coef      SE      t    CI2.5%  CI97.5% p-value
## 613.9804 1.9600 12.2993 3.7701 3.2623 4.9099 19.6888 0.0011
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## instrument_for_shock 1.5671 0.4798 0.0011 0.5829 0.5008 2.8488 0.008
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## instrument_for_shock 0.1274 0.0045 0 0.0052 0.1186 0.1386 0
##
## $p_iv

```

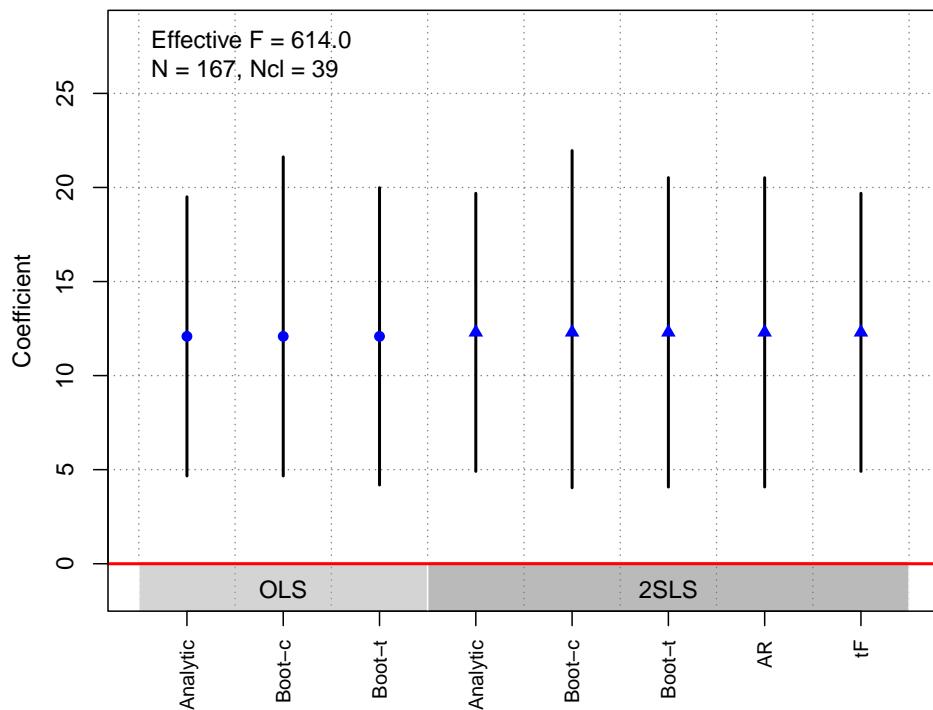
```

## [1] 1
##
## $N
## [1] 167
##
## $N_cl
## [1] 39
##
## $df
## [1] 153
##
## $nvalues
##      leave_share import_shock instrument_for_shock
## [1,]       167           148           148

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Croke et al. (2016)

Replication Summary

| | |
|------------------|-----------------------------------|
| Unit of analysis | individual |
| Treatment | education attainment |
| Instrument | access to the secondary education |
| Outcome | political participation |

Replication Summary

Model

Table2(b1)

```
df <-readRDS("./data/apsr_Croke_etal_2016.rds")
D <- "edu"
Y <- "part_scale"
Z <- "treatment"
controls <-NULL
cl<- "district"
FE<- "year_survey"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 29.095 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0204 0.0053 -3.8465 -0.0308 -0.0100 0.0001
## Boot.c    -0.0204 0.0077 -2.6429 -0.0316 -0.0030 0.0180
## Boot.t    -0.0204 0.0053 -3.8465 -0.0347 -0.0061 0.0060
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.098 0.0262 -3.7385 -0.1494 -0.0466 2e-04
## Boot.c    -0.098 0.0279 -3.5176 -0.1543 -0.0422 0e+00
## Boot.t    -0.098 0.0262 -3.7385 -0.1535 -0.0425 0e+00
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 15.6784 1.0000 1840.0000 0.0001
##
## $AR$ci.print
## [1] "[-0.1547, -0.0493]"
##
## $AR$ci
## [1] -0.15465266 -0.04925287
##
## $AR$bounded
## [1] TRUE
##
##
```

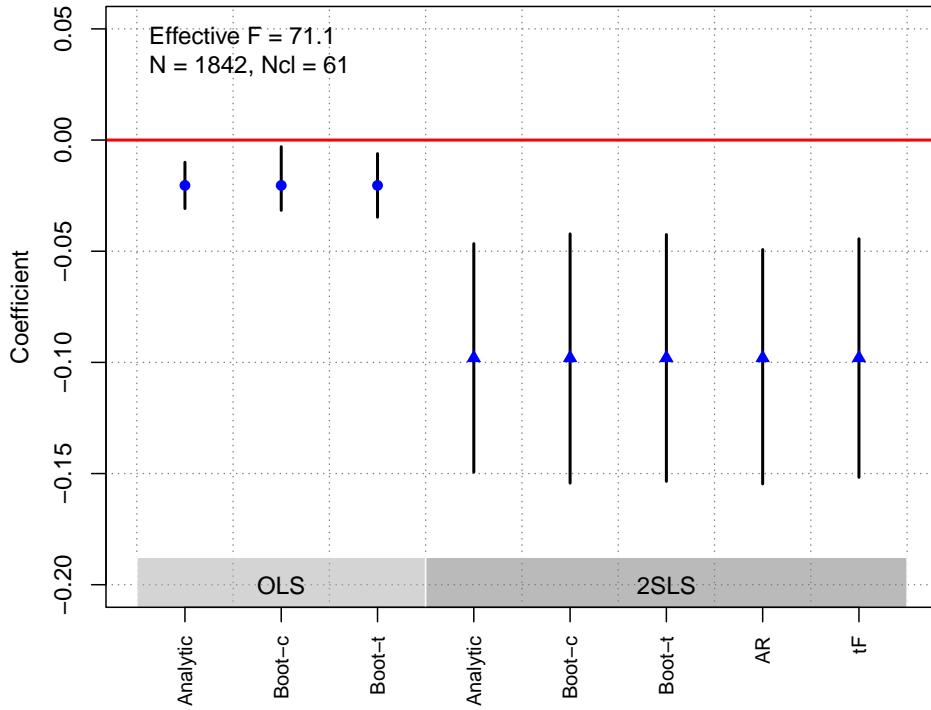
```

## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##      79.7552     78.2588     71.1356     71.6651     71.1356
##
## $rho
## [1] 0.2041
##
## $tF
##          F      cF     Coef       SE      t  CI2.5% CI97.5% p-value
## 71.1356  2.0466 -0.0980  0.0262 -3.7385 -0.1517 -0.0444  0.0003
##
## $est_rf
##             Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## treatment -0.0657 0.0164 1e-04 0.017 -0.0971 -0.0297           0
##
## $est_fs
##             Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## treatment 0.6708 0.0758      0 0.0792  0.5265  0.8435           0
##
## $p_iv
## [1] 1
##
## $N
## [1] 1842
##
## $N_cl
## [1] 61
##
## $df
## [1] 1835
##
## $nvalues
##      part_scale edu treatment
## [1,]         7    7        5

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Dower et al. (2018) (a)

| Replication Summary | |
|---------------------|------------------------|
| Unit of analysis | district*year |
| Treatment | frequency of unrest |
| Instrument | religious polarization |
| Outcome | peasant representation |
| Model | Table3(1) |

```

df <- readRDS("./data/apsr_Dower_etal_2018.rds")
D <-"afreq"
Y <-"peasantrepresentation_1864"
Z <-"religpolarf4_1870"
controls <- c("distance_moscow", "goodsoil", "lnurban", "lnpopn", "province_capital")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.602 sec.
## AR Test Inversion...

```

```

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -3.8696 1.8013 -2.1483 -7.4001 -0.3391 0.0317
## Boot.c   -3.8696 1.7718 -2.1840 -7.4807 -0.5048 0.0220
## Boot.t   -3.8696 1.8013 -2.1483 -7.3572 -0.3820 0.0290
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -32.7701 17.3518 -1.8886 -66.7796 1.2393 0.0589
## Boot.c   -32.7701 25.9097 -1.2648 -84.5533 -1.6303 0.0360
## Boot.t   -32.7701 17.3518 -1.8886 -66.9699 1.4297 0.0630
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 9.4039 1.0000 359.0000 0.0023
##
## $AR$ci.print
## [1] "[-81.7021, -11.6010]"
##
## $AR$ci
## [1] -81.70209 -11.60096
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 12.0237     14.0828        NA     13.7462    14.0828
##
## $rho
## [1] 0.1812
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 14.0828 2.9384 -32.7701 17.3518 -1.8886 -83.7561 18.2158 0.2078
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## religpolarf4_1870 -3.9279 1.8715 0.0358 1.8833 -7.4712 -0.1764      0.036
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## religpolarf4_1870 0.1199 0.0319 2e-04 0.0323 0.0609 0.1823      0
##
## $p_iv

```

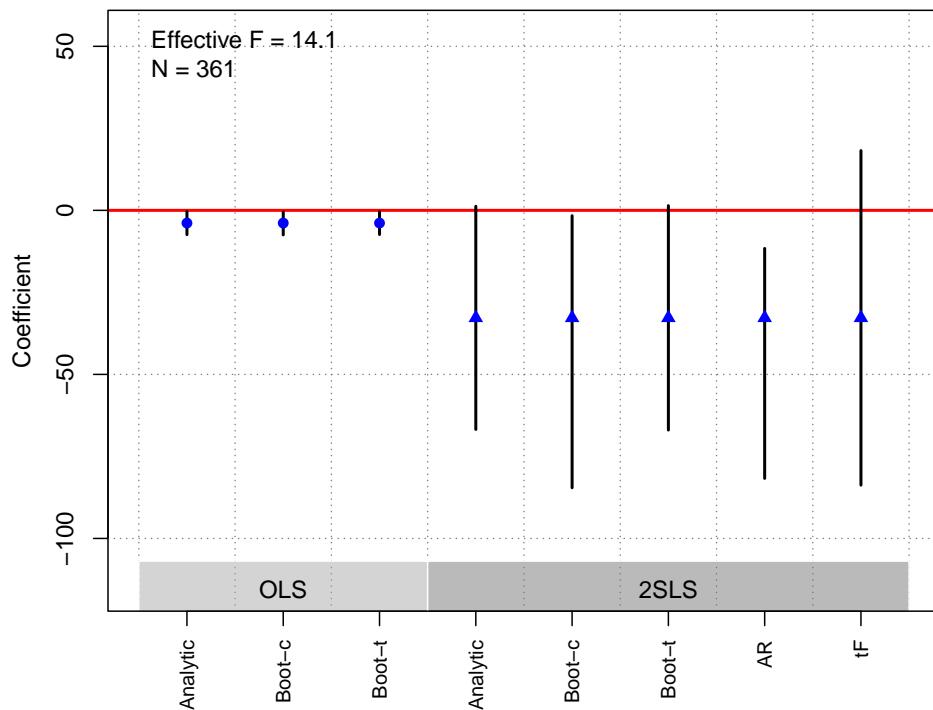
```

## [1] 1
##
## $N
## [1] 361
##
## $N_cl
## NULL
##
## $df
## [1] 354
##
## $nvalues
##      peasantrepresentation_1864 afreq religpolarf4_1870
## [1,]                      128       12                  361

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Dower et al. (2018) (b)

| Replication Summary | |
|---------------------|------------------------|
| Unit of analysis | district*year |
| Treatment | frequency of unrest |
| Instrument | religious polarization |
| Outcome | peasant representation |

| Replication Summary | |
|---------------------|-----------|
| Model | Table1(2) |

```

df <- readRDS("./data/apsr_Dower_etal_2018.rds")
D <-"afreq"
Y <-"peasantrepresentation_1864"
Z <-"serfperc1"
controls <- c("distance_moscow", "goodsoil", "lnurban", "lnpopn", "province_capital")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.597 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -4.2492 1.8297 -2.3224 -7.8353 -0.6631  0.0202
## Boot.c    -4.2492 1.8488 -2.2984 -8.2011 -0.8969  0.0120
## Boot.t    -4.2492 1.8297 -2.3224 -7.7727 -0.7258  0.0220
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -42.4545 8.4195 -5.0424 -58.9567 -25.9522  0.000
## Boot.c    -42.4545 9.0521 -4.6900 -62.4018 -27.7095  0.000
## Boot.t    -42.4545 8.4195 -5.0424 -61.0869 -23.8220  0.001
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 63.9521 1.0000 363.0000  0.0000
##
## $AR$ci.print
## [1] "[-63.3348, -29.1517]"
##
## $AR$ci
## [1] -63.33480 -29.15166
##
## $AR$bounded
## [1] TRUE
##
##

```

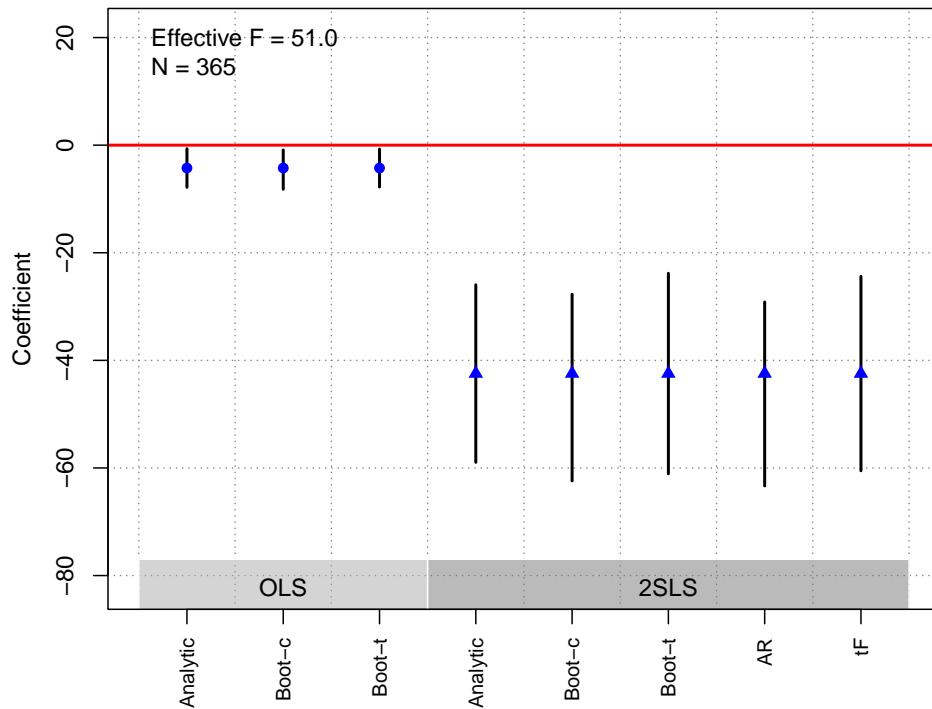
```

## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##      47.6256    51.0176        NA     51.0622    51.0176
##
## $rho
## [1] 0.3427
##
## $tF
##          F       cF      Coef       SE       t   CI2.5%  CI97.5% p-value
## 51.0176  2.1457 -42.4545  8.4195 -5.0424 -60.5204 -24.3885  0.0000
##
## $est_rf
##             Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## serfperc1 -11.7823 1.6414      0 1.6722 -15.0422    -8.572         0
##
## $est_fs
##             Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## serfperc1 0.2775 0.0389      0 0.0388  0.2025   0.3561         0
##
## $p_iv
## [1] 1
##
## $N
## [1] 365
##
## $N_cl
## NULL
##
## $df
## [1] 358
##
## $nvalues
##      peasantrepresentation_1864 afreq serfperc1
## [1,]                      128     12      361

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Gerber et al. (2010)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | individual |
| Treatment | aligning party identification with latent partisanship |
| Instrument | being sent mail |
| Outcome | voting and party alignment scale |
| Model | Table4(1) |

```

df <- readRDS("./data/apsr_Gerber_etal_2010.rds")
D <- "pt_id_with_lean"
Y <- "pt_voteevalalignindex"
Z <- "treat"
controls <- c("pre_lean_dem", "age", "age2" , "regyear" ,
            "regyearmissing", "twonames", "combined_female",
            "voted2006", "voted2004", "voted2002", "voted2000",
            "voted1998", "voted1996", "interest", "pre_aligned_vh",
            "pre_direct_unemp", "pre_direct_econ", "pre_direct_bushap",
            "pre_direct_congapp")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(df=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.970 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.5658 0.1709 3.3105  0.2308   0.9008   9e-04
## Boot.c   0.5658 0.1761 3.2123  0.2250   0.9089   2e-03
## Boot.t   0.5658 0.1709 3.3105  0.2198   0.9117   3e-03
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 3.8231 2.6392 1.4486 -1.3497   8.9960  0.1475
## Boot.c   3.8231 14.1908 0.2694 -13.0997  24.9545  0.1320
## Boot.t   3.8231 2.6392 1.4486 -2.0424   9.6887  0.1400
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 3.9122 1.0000 409.0000 0.0486
##
## $AR$ci.print
## [1] "[0.0754, Inf)"
##
## $AR$ci
## [1] 0.07543774      Inf
##
## $AR$bounded
## [1] FALSE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 2.9926       3.1563        NA        3.0871     3.1563
##
## $rho
## [1] 0.0873
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 3.1563 18.6600 3.8231 2.6392 1.4486 -45.4249 53.0712 0.8791
##
## $est_rf
##           Coef      SE p.value SE.b CI.b2.5% CI.b97.5% p.value.b
## treat 0.2742 0.1429 0.0551 0.14 -0.0102    0.538      0.06
##

```

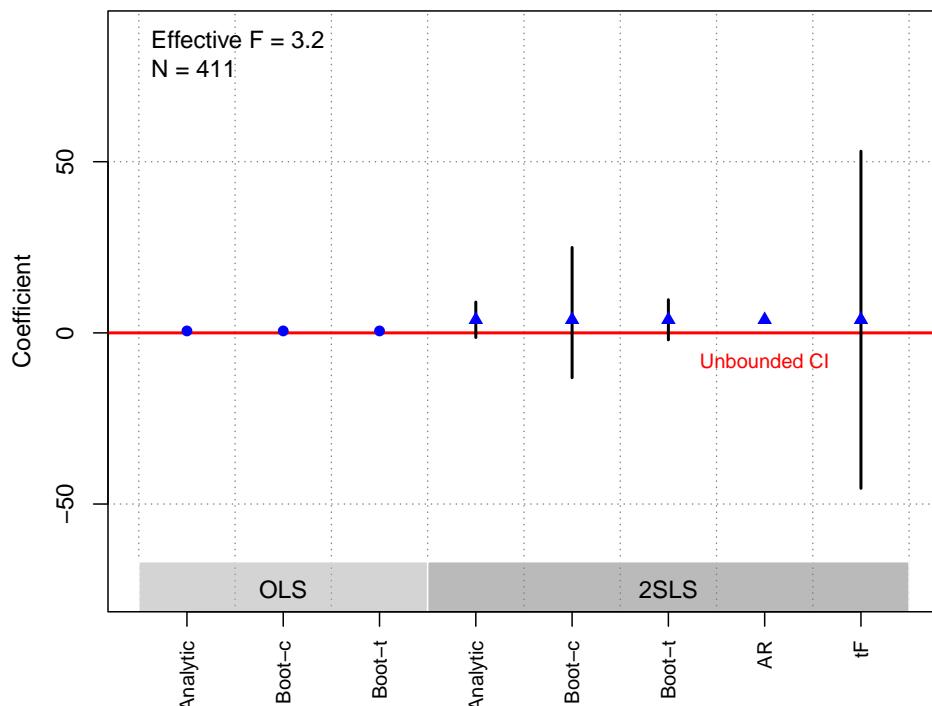
```

## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## treat  0.0717 0.0404  0.0756 0.0408 -0.0065    0.1558      0.074
##
## $p_iv
## [1] 1
##
## $N
## [1] 411
##
## $N_cl
## NULL
##
## $df
## [1] 390
##
## $nvalues
##      pt_voteevalalignindex pt_id_with_lean treat
## [1,]                 10                  2       2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Hager et al. (2019)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | individual |
| Treatment | ethnic riots (destruction) |
| Instrument | distance to the nearest location where armored military vehicles were stolen |
| Outcome | prosocial behavior |
| Model | Figure6 |

```
df <- readRDS("./data/apsr_Hager_etal_2019.rds")
D <- "affected"
Y <- "pd_in_scale"
Z <- "apc_min_distance"
controls <- NULL
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.503 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.2335 0.0675 -3.4582 -0.3658 -0.1011 5e-04
## Boot.c   -0.2335 0.0664 -3.5158 -0.3624 -0.1104 0e+00
## Boot.t   -0.2335 0.0675 -3.4582 -0.3592 -0.1077 0e+00
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.52 0.1416 -3.6733 -0.7975 -0.2425 2e-04
## Boot.c   -0.52 0.1435 -3.6244 -0.8004 -0.2368 0e+00
## Boot.t   -0.52 0.1416 -3.6733 -0.7967 -0.2434 0e+00
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 14.2026  1.0000 876.0000  0.0002
##
## $AR$ci.print
## [1] "[-0.8003, -0.2510]"
##
## $AR$ci
## [1] -0.8003132 -0.2510336
##
```

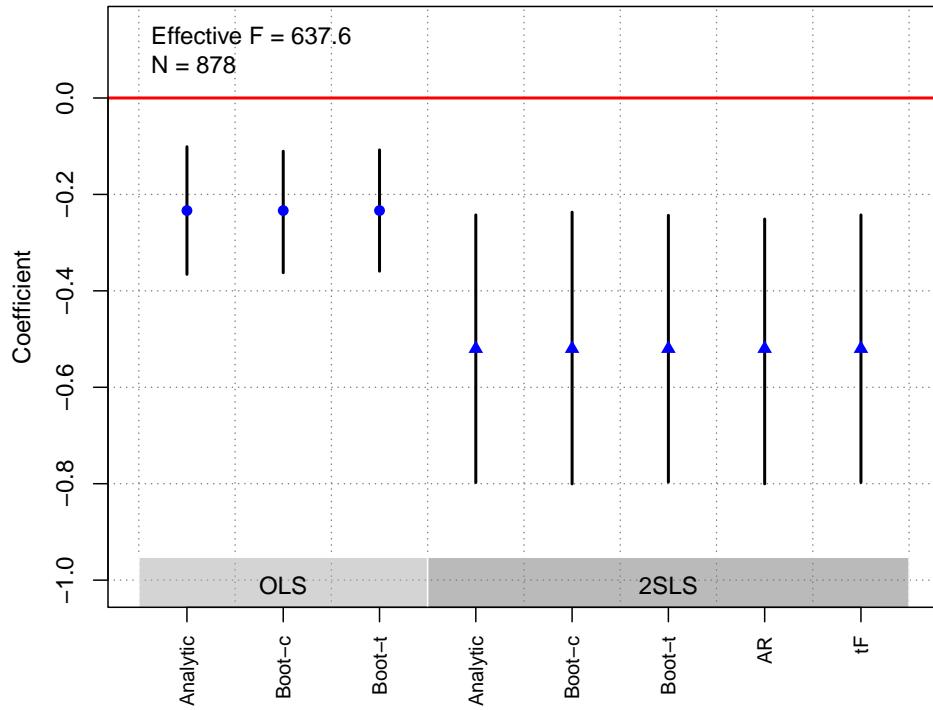
```

## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##   271.8565     637.5699      NA       578.5529     637.5699
##
## $rho
## [1] 0.4867
##
## $tF
##             F        cF      Coef        SE         t     CI2.5%     CI97.5%   p-value
## 637.5699  1.9600 -0.5200  0.1416 -3.6733 -0.7975 -0.2425  0.0002
##
## $est_rf
##                   Coef        SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## apc_min_distance 0.1011 0.0272 2e-04 0.0276  0.0466   0.1529          0
##
## $est_fs
##                   Coef        SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## apc_min_distance -0.1943 0.0077      0 0.0081  -0.209  -0.1779          0
##
## $p_iv
## [1] 1
##
## $N
## [1] 878
##
## $N_cl
## NULL
##
## $df
## [1] 876
##
## $nvalues
##      pd_in_scale affected apc_min_distance
## [1,]            2           2            193

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Hager and Krakowski (2022)

Replication Summary

| | |
|------------------|--------------------------------------|
| Unit of analysis | individual |
| Treatment | number of secret police officers |
| Instrument | number of corrupted Catholic priests |
| Outcome | resistance |
| Model | Table3(2) |

```
df <- readRDS("./data/apsr_Hager_Krakowski_2022.rds")

D <-"commanders"
Y <- "y"
Z <- "priests_continuous"
controls <- NULL
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))
```

```
## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.587 sec.
```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1494 0.0751 1.9891  0.0022   0.2965  0.0467
## Boot.c   0.1494 0.3774 0.3957  0.0593   1.7277  0.0000
## Boot.t   0.1494 0.0751 1.9891 -5.8062   6.1049  0.5020
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1765 0.0952 1.8537 -0.0101   0.3632  0.0638
## Boot.c   0.1765 2.5430 0.0694  0.0818   7.4345  0.0000
## Boot.t   0.1765 0.0952 1.8537 -0.2949   0.6479  0.3490
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 52.7662  1.0000 295.0000  0.0000
##
## $AR$ci.print
## [1] "[0.1384, 0.2184]"
##
## $AR$ci
## [1] 0.1384381 0.2184313
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 109.0543        3.1403        NA        3.1970        3.1403
##
## $rho
## [1] 0.5195
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 3.1403 18.6600  0.1765  0.0952  1.8537 -1.6005  1.9535  0.8456
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## priests_continuous 0.4736 0.1603  0.0031 0.1749   0.1753   0.8827      0
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## priests_continuous 2.6827 1.5139  0.0764 1.5004   0.0229   5.3551      0

```

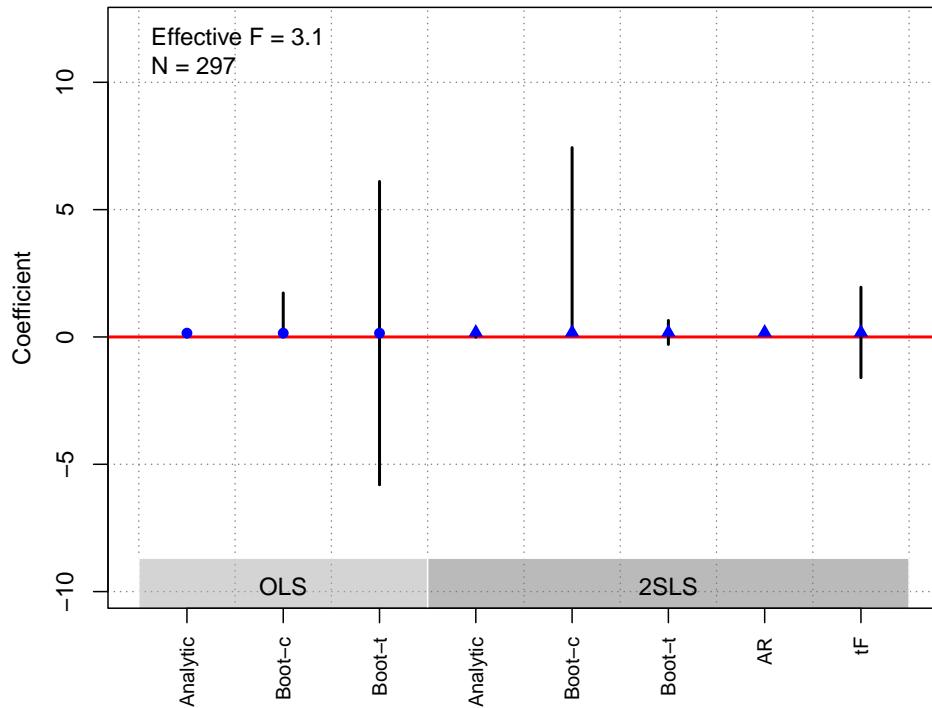
```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 297
##
## $N_cl
## NULL
##
## $df
## [1] 295
##
## $nvalues
##      y commanders priests_continuous
## [1,] 14          12              7

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Kapoor and Magesan (2018)

Replication Summary

| | |
|------------------|----------------------------------|
| Unit of analysis | constituency*election |
| Treatment | number of independent candidates |

Replication Summary

| | |
|------------|------------------------|
| Instrument | changes in entry costs |
| Outcome | voter turnout |
| Model | Table4(b5) |

```
df<-readRDS("./data/apsr_Kapoor_etal_2018.rds")
D <- 'CitCand'
Y <- "Turnout"
Z <- "UnScheduledDepChange"
controls <- c("CitCandBaseTrend", "CitCandBaseTrendSq", "CitCandBaseTrendCu",
             "CitCandBaseTrendQu", "TurnoutBaseTrend", "TurnoutBaseTrendSq",
             "TurnoutBaseTrendCu", "TurnoutBaseTrendQu", "LnElectors",
             "LagWinDist", "LagWinDistSq", "LagWinDistCu",
             "LagWinDistQu", "LagTightElection")
cl<- "constituency"
FE <- c("year", "constituency")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))
```

```
## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 52.314 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0256 0.0105 -2.4375 -0.0462 -0.0050  0.0148
## Boot.c   -0.0256 0.0207 -1.2383 -0.0947 -0.0131  0.0000
## Boot.t   -0.0256 0.0105 -2.4375 -0.0672  0.0160  0.1510
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.4864 0.1856 2.6200  0.1225  0.8503  0.0088
## Boot.c   0.4864 0.2629 1.8502  0.1175  1.0555  0.0000
## Boot.t   0.4864 0.1856 2.6200  0.0296  0.9432  0.0370
##
## $AR
## $AR$Fstat
##          F      df1      df2      p
## 11.6079  1.0000 4295.0000  0.0007
##
## $AR$ci.print
## [1] "[0.1856, 1.2172]"
##
## $AR$ci
```

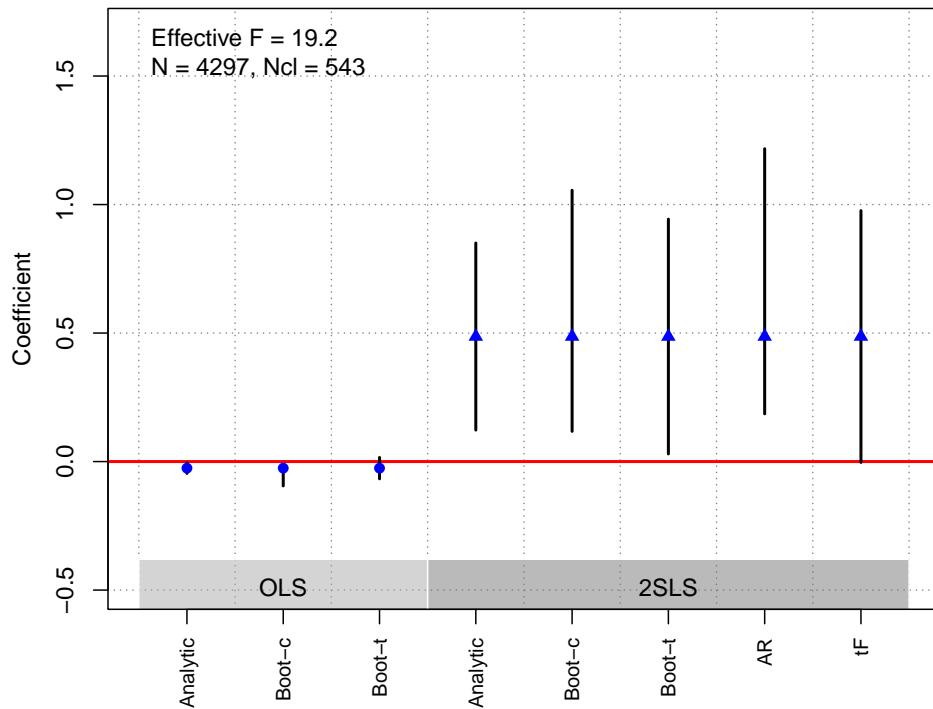
```

## [1] 0.1856426 1.2171638
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##      11.2301     23.7168     19.1635     18.9084     19.1635
##
## $rho
## [1] 0.0548
##
## $tF
##          F      cF     Coef       SE       t  CI2.5% CI97.5% p-value
## 19.1635 2.6390 0.4864  0.1856  2.6200 -0.0035  0.9763  0.0517
##
## $est_rf
##                               Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## UnScheduledDepChange -1.277 0.3929 0.0012 0.4461 -2.1331 -0.3284           0
##
## $est_fs
##                               Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## UnScheduledDepChange -2.6256 0.5391      0 0.6038 -3.914 -1.5902           0
##
## $p_iv
## [1] 1
##
## $N
## [1] 4297
##
## $N_cl
## [1] 543
##
## $df
## [1] 542
##
## $nvalues
##      Turnout CitCand UnScheduledDepChange
## [1,]    4293      68          2

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Kuipers and Sahn (2022)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | municipality* year |
| Treatment | civil service reform |
| Instrument | statewide assignment mandate |
| Outcome | descriptive representation on an unrestricted sample |
| Model | Table1(2) |

```

df <- readRDS("./data/apsr_kuipers_2022.rds")
df<-df%>%filter(occ=='blue_collar' & name=='white_x_native_born')
D <-"treat_actual"
Y <- "govt"
Z <- "treat_assign"
controls <-"pop"
cl <- NULL
FE <- c("YEAR","city")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.603 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0319 0.0156 -2.0467 -0.0625 -0.0014 0.0407
## Boot.c   -0.0319 0.0168 -1.9037 -0.0684 -0.0025 0.0360
## Boot.t   -0.0319 0.0156 -2.0467 -0.0632 -0.0006 0.0480
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.1689 0.1099 -1.5373 -0.3842 0.0464 0.1242
## Boot.c   -0.1689 0.1194 -1.4145 -0.4335 0.0321 0.1040
## Boot.t   -0.1689 0.1099 -1.5373 -0.3638 0.0260 0.0890
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     4.0066 1.0000 1684.0000 0.0455
##
## $AR$ci.print
## [1] "[-0.3623, -0.0041]"
##
## $AR$ci
## [1] -0.362254764 -0.004101059
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##     32.4157     27.5670        NA       24.2805     27.5670
##
## $rho
## [1] 0.153
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 27.5670 2.3999 -0.1689 0.1099 -1.5373 -0.4326 0.0948 0.2093
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## treat_assign -0.0254 0.0162 0.116 0.0172 -0.0603 0.0054 0.104
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## treat_assign 0.1504 0.0286 0 0.0305 0.1004 0.2213 0

```

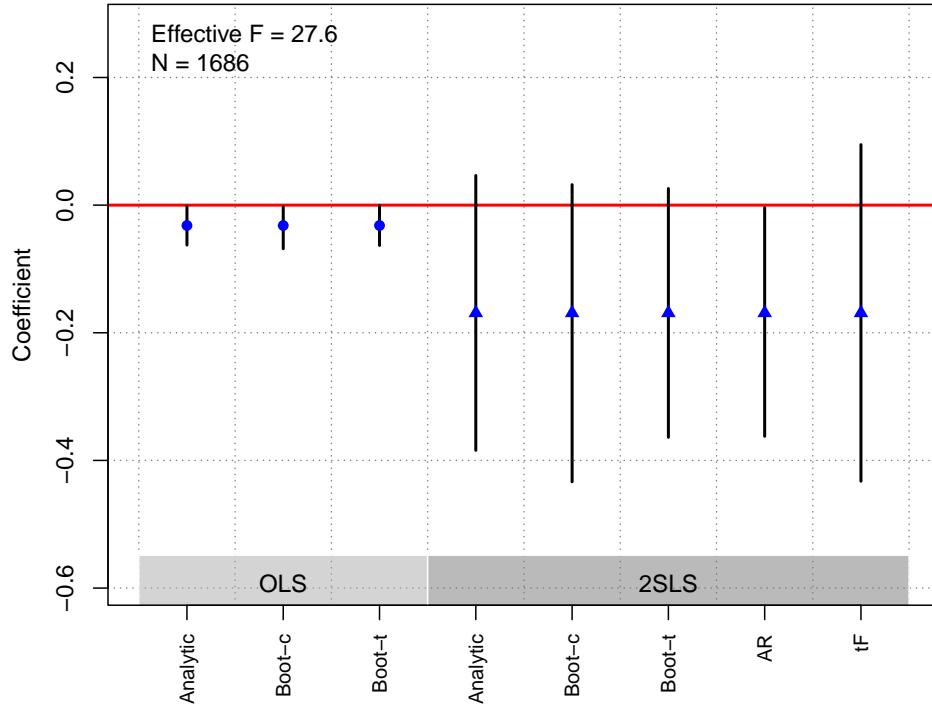
```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 1686
##
## $N_cl
## NULL
##
## $df
## [1] 1352
##
## $nvalues
##      govt treat_actual treat_assign
## [1,]   658           2            2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Laitin and Ramachandran (2016)

Replication Summary

| | |
|------------------|-----------------|
| Unit of analysis | country |
| Treatment | language choice |

Replication Summary

| | |
|------------|---|
| Instrument | geographic distance from the origins of writing |
| Outcome | human development index |
| Model | Table10(10) |

```
df <-readRDS("./data/apsr_Laitin_2016.rds")
D <-"avgdistance_delta50"
Y <- "zhdi_2010"
Z <- "DIST_BGNC"
controls <- c("cdf2003","ln_GDP_Indp", "edes1975",
           "America","xconst")
cl<- NULL
FE<- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.637 sec.
## AR Test Inversion...

## $est_ols
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.3676 0.1884 -7.2594 -1.7369 -0.9984      0
## Boot.c   -1.3676 0.1861 -7.3491 -1.7335 -0.9958      0
## Boot.t   -1.3676 0.1884 -7.2594 -1.7460 -0.9893      0
##
## $est_2sls
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.3815 0.2963 -4.6618 -1.9623 -0.8007      0
## Boot.c   -1.3815 0.3203 -4.3127 -1.9710 -0.7677      0
## Boot.t   -1.3815 0.2963 -4.6618 -1.9763 -0.7867      0
##
## $AR
## $AR$Fstat
##      F      df1      df2      p
## 15.0853 1.0000 135.0000 0.0002
##
## $AR$ci.print
## [1] "[-2.0097, -0.7592]"
##
## $AR$ci
## [1] -2.0097489 -0.7591826
##
## $AR$bounded
```

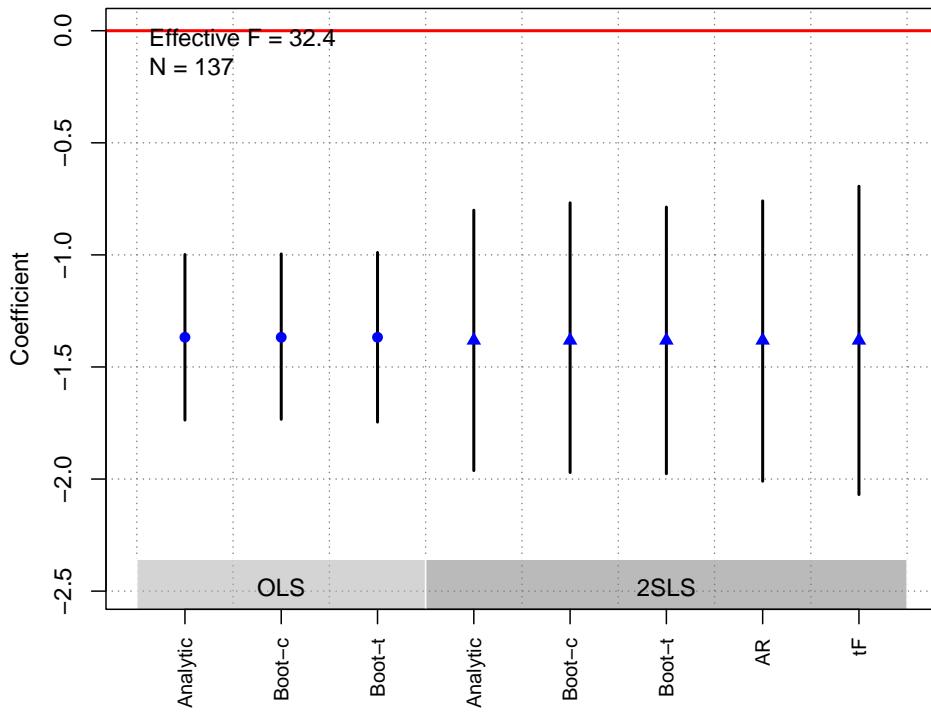
```

## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##      55.1871    32.4040        NA     32.6764    32.4040
##
## $rho
## [1] 0.5459
##
## $tF
##          F      cF     Coef      SE      t  CI2.5% CI97.5% p-value
## 32.4040  2.3208 -1.3815  0.2963 -4.6618 -2.0692 -0.6938  0.0001
##
## $est_rf
##          Coef     SE p.value SE.b CI.b2.5% CI.b97.5% p.value.b
## DIST_BGNC -1e-04   0    9e-04    0    -2e-04           0           0
##
## $est_fs
##          Coef     SE p.value SE.b CI.b2.5% CI.b97.5% p.value.b
## DIST_BGNC 1e-04   0      0    1e-04    1e-04           0           0
##
## $p_iv
## [1] 1
##
## $N
## [1] 137
##
## $N_cl
## NULL
##
## $df
## [1] 130
##
## $nvalues
##      zhdi_2010 avgdistance_delta50 DIST_BGNC
## [1,]       121            93         134

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Meredith (2013)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | down-ballot race |
| Treatment | Democratic governor |
| Instrument | governor's home county |
| Outcome | down-ballot Democratic candidates' vote share |
| Model | Table3(5) |

```

df <- readRDS("./data/apsr_Meredith_2013.rds")
Y <- "DemShareDB_res"
D<-"DemShareGOV_res"
Z <- "HomeGOV_res"
controls <- "HomeDB_res"
cl <- "fips"
FE<- NULL
weights<-NULL
(g <- ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 17.872 sec.
## AR Test Inversion...

```

```

## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.2634 0.0094 28.0999 0.2450 0.2817      0
## Boot.c   0.2634 0.0129 20.3403 0.2381 0.2887      0
## Boot.t   0.2634 0.0094 28.0999 0.2379 0.2888      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1634 0.0544 3.0036 0.0568 0.2701 0.0027
## Boot.c   0.1634 0.0732 2.2315 0.0069 0.2968 0.0360
## Boot.t   0.1634 0.0544 3.0036 0.0250 0.3018 0.0170
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##       9.6035 1.0000 14548.0000 0.0019
##
## $AR$ci.print
## [1] "[0.0622, 0.2614]"
##
## $AR$ci
## [1] 0.0622274 0.2613756
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
## 284.9652    141.9189    77.2953    75.2220    77.2953
##
## $rho
## [1] 0.1386
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 77.2953 2.0300 0.1634 0.0544 3.0036 0.0530 0.2739 0.0037
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## HomeGOV_res 0.0062 0.0022 0.0052 0.0029 2e-04 0.0117 0.036
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## HomeGOV_res 0.0379 0.0032 0 0.0044 0.0295 0.0473 0

```

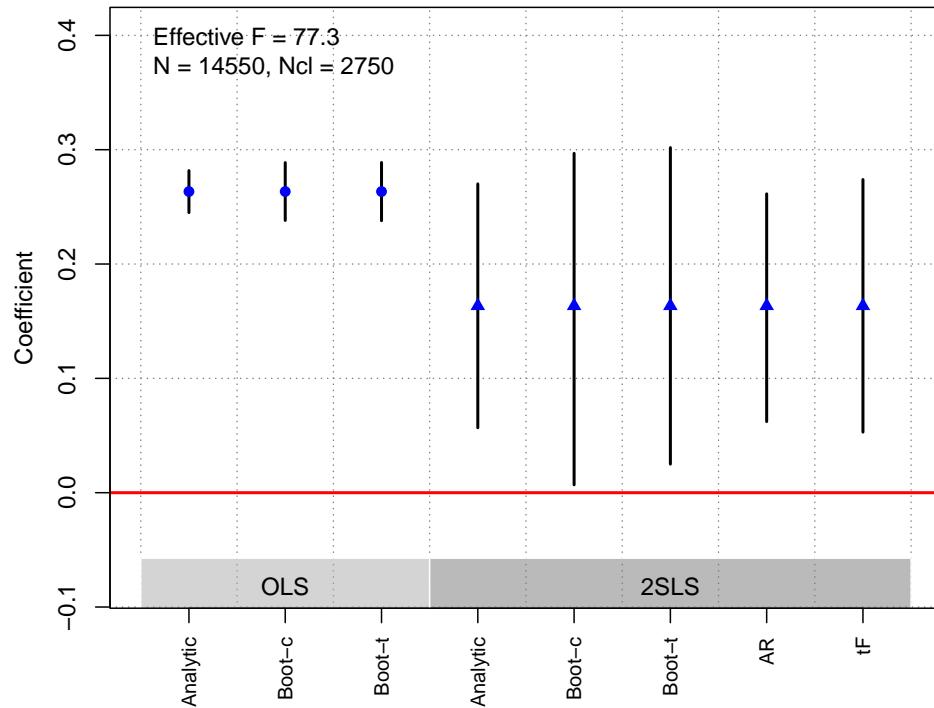
```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 14550
##
## $N_cl
## [1] 2750
##
## $df
## [1] 14547
##
## $nvalues
##      DemShareDB_res DemShareGOV_res HomeGOV_res
## [1,]        14550          14550         1466

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Nellis and Siddiqui (2018)

Replication
Summary

Unit of analysis district*election

Replication Summary

| | |
|------------|--|
| Treatment | the proportion of MNA seats in a district won by secularist candidates |
| Instrument | narrow victory by secular parties in a district |
| Outcome | religious violence |
| Model | Table2(1) |

```
df<-readRDS("./data/apsr_Nellis_etal_2018.rds")
D <- 'secular_win'
Y <- "any_violence"
Z <- "secular_close_win"
controls <-"secular_close_race"
cl <- "cluster_var"
FE <- "pro"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.082 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.015 0.0413 -0.3620 -0.0959   0.0660  0.7174
## Boot.c    -0.015 0.0385 -0.3882 -0.0878   0.0643  0.6960
## Boot.t    -0.015 0.0413 -0.3620 -0.0908   0.0609  0.6870
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.6603 0.1838 -3.5924 -1.0206  -0.3001  0.0003
## Boot.c    -0.6603 0.2558 -2.5811 -1.0918  -0.0590  0.0360
## Boot.t    -0.6603 0.1838 -3.5924 -1.1044  -0.2163  0.0140
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 16.0695  1.0000 435.0000  0.0001
##
## $AR$ci.print
## [1] "[ -1.2942, -0.3111]"
##
## $AR$ci
## [1] -1.2942296 -0.3110881
##
```

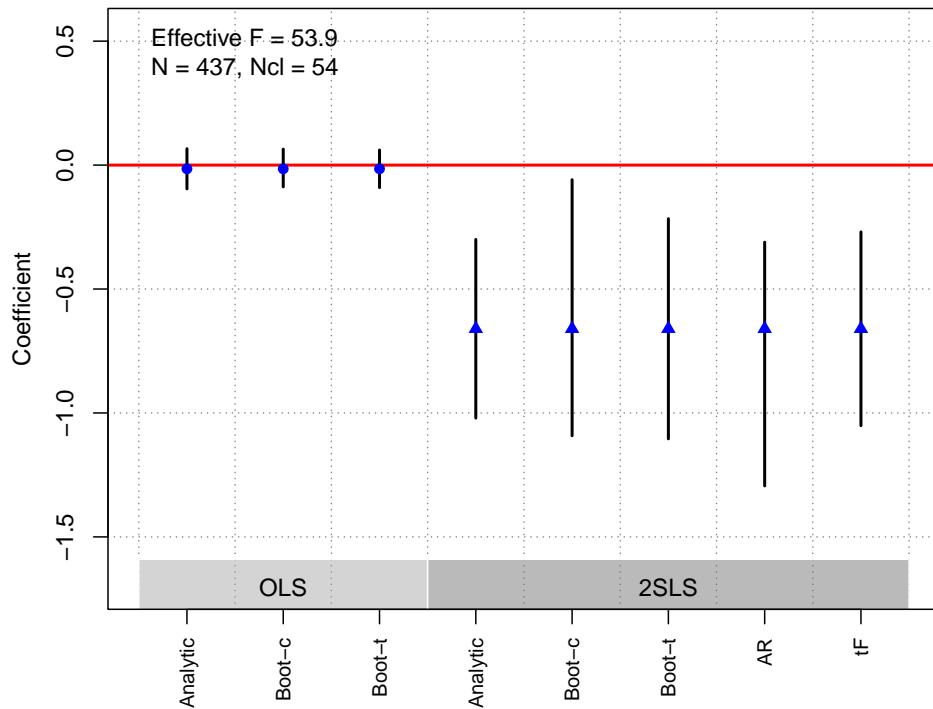
```

## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##      22.0208     60.0400     53.9103     41.7554     53.9103
##
## $rho
## [1] 0.2207
##
## $tF
##          F      cF     Coef       SE       t  CI2.5% CI97.5% p-value
## 53.9103  2.1258 -0.6603  0.1838 -3.5924 -1.0511 -0.2696  0.0009
##
## $est_rf
##                      Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## secular_close_win -0.5965 0.1499  1e-04 0.2028  -0.8685   -0.058      0.036
##
## $est_fs
##                      Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## secular_close_win 0.9034 0.1166      0 0.1398    0.627    1.1879      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 437
##
## $N_cl
## [1] 54
##
## $df
## [1] 430
##
## $nvalues
##      any_violence secular_win secular_close_win
## [1,]            2           26            17

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Ritter and Conrad (2016)

Replication Summary

| | |
|------------------|--------------------------------------|
| Unit of analysis | province in 54 African countries*day |
| Treatment | mobilized dissent |
| Instrument | rainfall |
| Outcome | repression |
| Model | Table1(3b) |

```

df <- readRDS("./data/apsr_Ritter_et al_2016.rds")
D <- "dissentcount"
Y <- "represscount"
Z <- c("lograin", "rainannualpct")
controls <- "urban_mean"
cl<- NULL
FE<- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 5.297 sec.
## AR Test Inversion...

```

```

## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1885 0.0067 28.0525 0.1754 0.2017      0
## Boot.c   0.1885 0.0064 29.6088 0.1762 0.2012      0
## Boot.t   0.1885 0.0067 28.0525 0.1761 0.2010      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.2708 0.0676 4.0058 0.1383 0.4033 1e-04
## Boot.c   0.2708 0.0696 3.8902 0.1340 0.4148 0e+00
## Boot.t   0.2708 0.0676 4.0058 0.1350 0.4066 0e+00
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 6.59790e+00 2.00000e+00 1.25873e+06 1.40000e-03
##
## $AR$ci.print
## [1] "[0.0937, 0.4560]"
##
## $AR$ci
## [1] 0.09367711 0.45601295
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##       58.3505     73.6819        NA      73.1541     74.3587
##
## $rho
## [1] 0.0096
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## lograin      0.0001 0.0000 0.0000 0.0000 1e-04 0.0002 0.000
## rainannualpct -0.0092 0.0059 0.1199 0.0058 -2e-02 0.0028 0.122
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## lograin      0.0005 0.0000 0e+00 0.0000 0.0004 0.0006 0
## rainannualpct -0.0250 0.0065 1e-04 0.0066 -0.0381 -0.0118 0
##
## $p_iv

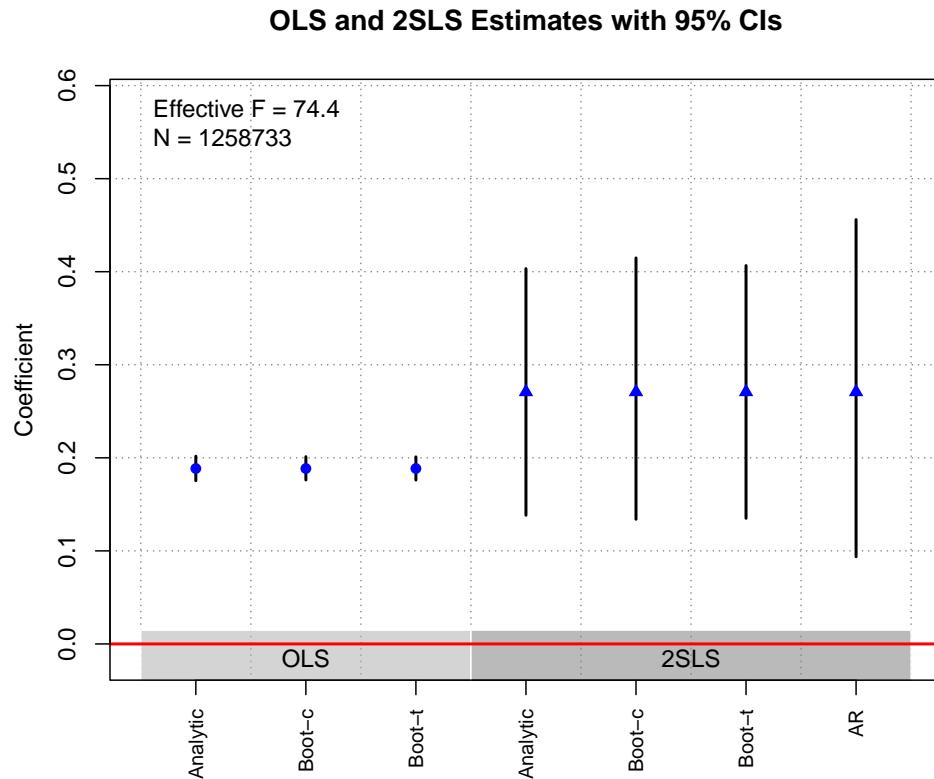
```

```

## [1] 2
##
## $N
## [1] 1258733
##
## $N_cl
## NULL
##
## $df
## [1] 1258730
##
## $nvalues
##      represscount dissentcount lograin rainannualpct
## [1,]            3                 5   390194        593785

```

```
plot_coef(g)
```



AJPS

Barth et al. (2015)

Replication Summary

Unit of analysis

country*year

Replication Summary

| | |
|------------|--|
| Treatment | wage inequality |
| Instrument | adjusted bargaining coverage; effective number of union confederations |
| Outcome | welfare support |
| Model | Table4(1) |

```
df<- readRDS("./data/ajps_Barth_2015.rds")
D <- "ld9d1"
Y <- "welfareleft"
Z <- c("l2ip_adjcov5", "l2ip_enucfs")
controls <- c("lgdgrp", "lelderly", "llntexp", "lud", "ludsq",
             "lechp", "lnet", "lannual", "ltrend", "ltrendsq")
cl <- FE <- "countrynumber"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.794 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.7755 0.2543 -3.0495 -1.2739 -0.2771 0.0023
## Boot.c   -0.7755 0.3232 -2.3995 -1.3894 -0.1073 0.0360
## Boot.t   -0.7755 0.2543 -3.0495 -1.3362 -0.2148 0.0050
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.4265 0.6510 -2.1913 -2.7024 -0.1506 0.0284
## Boot.c   -1.4265 2.0891 -0.6828 -4.1740  2.1913 0.3160
## Boot.t   -1.4265 0.6510 -2.1913 -3.0302  0.1773 0.0810
##
## $AR
## $AR$Fstat
##          F      df1      df2      p
## 2.7758  2.0000 114.0000  0.0665
##
## $AR$ci.print
## [1] "[-3.3794, 0.0838]"
##
## $AR$ci
## [1] -3.37935086  0.08375199
##
```

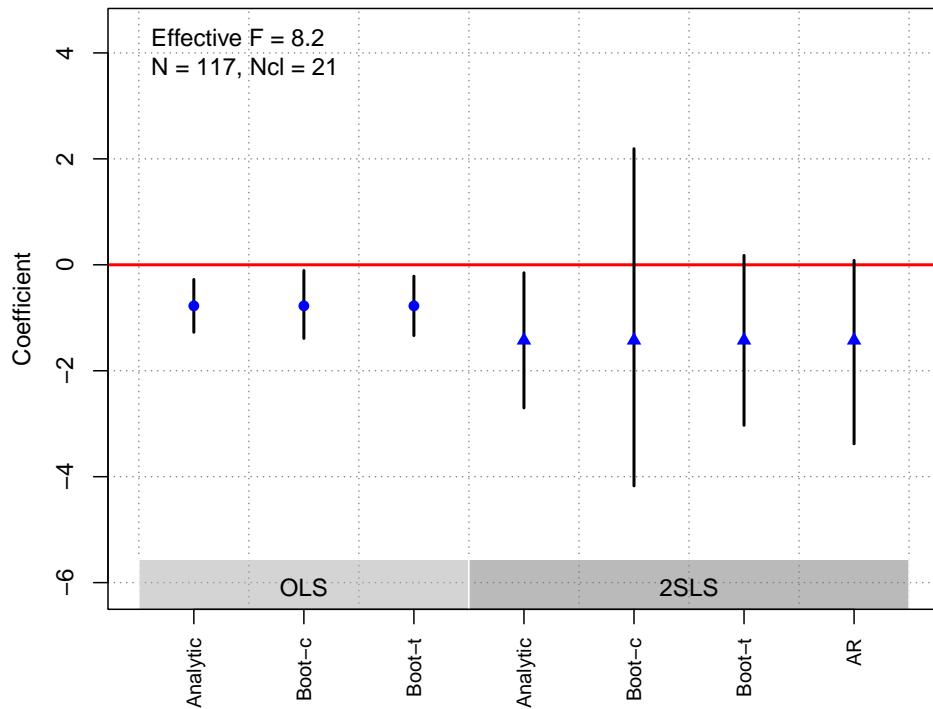
```

## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##      9.7741     15.0268     11.5754      3.2015     8.1611
##
## $rho
## [1] 0.4345
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## 12ip_adjcov5 0.0184 0.013 0.1563 0.0192 -0.0258  0.0493  0.338
## 12ip_enucfs  0.1687 0.192 0.3797 0.4111 -0.8570  0.8513  0.714
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## 12ip_adjcov5 -0.0096 0.0042 0.0228 0.0064 -0.0258 -0.0003  0.038
## 12ip_enucfs  -0.1542 0.0564 0.0063 0.1073 -0.2903  0.0716  0.182
##
## $p_iv
## [1] 2
##
## $N
## [1] 117
##
## $N_cl
## [1] 21
##
## $df
## [1] 20
##
## $nvalues
##      welfareleft 1d9d1 12ip_adjcov5 12ip_enucfs
## [1,]          117    117        106       112

plot_coef(g)

```

OLS and 2SLS Estimates with 95% CIs



Blair et al. (2022)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | UN peacekeeping operations event level |
| Treatment | fragmentation of any given PKO mandate |
| Instrument | average fragmentation of all ongoing PKO mandates |
| Outcome | process performance |
| Model | TableD7(3) |

```

df <-readRDS("./data/ajps_Blair_2022.rds")
df<-as.data.frame(df)
D<-"L_avg"
Y <- "sh_perfassist_pb"
Z <- "L_fract_assistv3"
  controls <- c("L_experman_assist_pbv3","L_numtask_assist_pbv3","L_lntot",
             "L_deployment","L_lnpop","L_lngdp","L_ucdpconflictspell","L_polity")
cl <- NULL
FE <- c("date3","iso3n")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores

```

```

## Bootstrap took 29.813 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.3155 0.2040 -6.4481 -1.7153 -0.9156      0
## Boot.c   -1.3155 0.2568 -5.1219 -1.7128 -0.7063      0
## Boot.t   -1.3155 0.2040 -6.4481 -1.8195 -0.8115      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.8768 0.4711 -3.9841 -2.8001 -0.9535 0.0001
## Boot.c   -1.8768 0.6478 -2.8970 -2.9389 -0.3904 0.0160
## Boot.t   -1.8768 0.4711 -3.9841 -2.9739 -0.7797 0.0020
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 23.9745 1.0000 845.0000 0.0000
##
## $AR$ci.print
## [1] "[-2.6305, -1.1419]"
##
## $AR$ci
## [1] -2.630499 -1.141930
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 186.0679     60.6442        NA      23.0898    60.6442
##
## $rho
## [1] 0.4793
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 60.6442 2.0913 -1.8768 0.4711 -3.9841 -2.8619 -0.8917 0.0002
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## L_fract_assistv3 1.805 0.464 1e-04 0.7319 0.3633 3.2495 0.016
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b

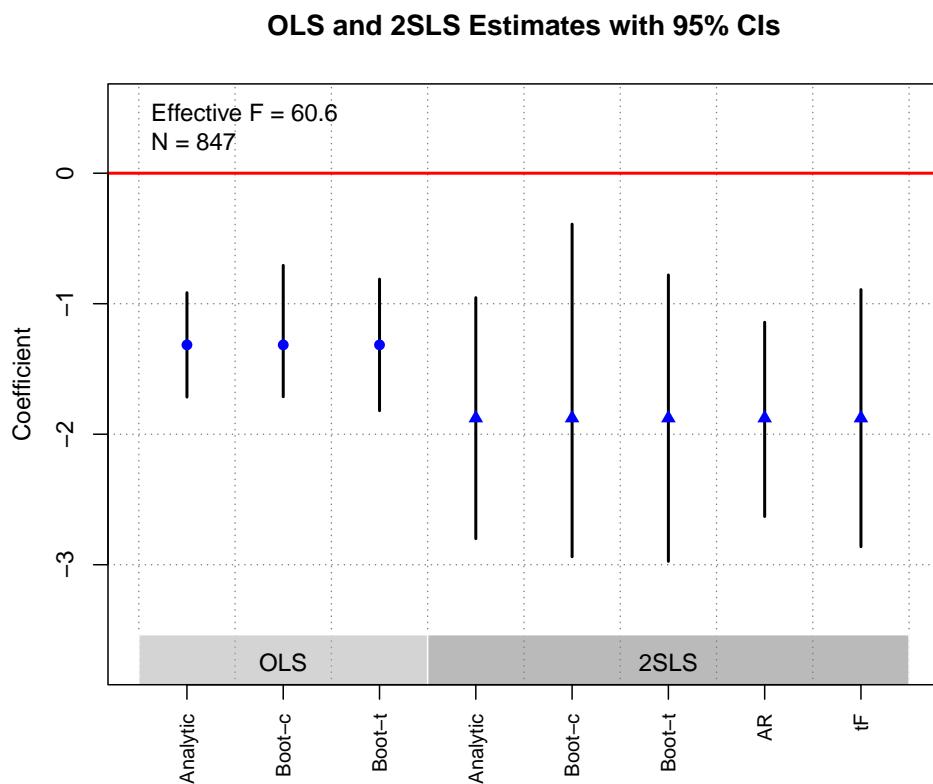
```

```

## L_fract_assistv3 -0.9617 0.1235      0 0.2001   -1.498   -0.7283      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 847
##
## $N_cl
## NULL
##
## $df
## [1] 624
##
## $nvalues
##      sh_perfassist_pb L_avg L_fract_assistv3
## [1,]          56      55         222

```

```
plot_coef(g)
```



Carnege and Marinov (2017)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | country*year |
| Treatment | foreign aid |
| Instrument | being a former colony of one of the Council members |
| Outcome | CIRI Human Empowerment index |
| Model | Table1(2) |

```
df<-readRDS("./data/ajps_Carnegie_etal_2017.rds")
D <-"EV"
Y <- "new_empinxavg"
Z <- "l2CPcol2"
controls <- c( "covloggdp", "covloggdpCF", "covloggdpC",
             "covdemregionF", "covdemregion", "coviNY_GDP_PETR_RT_ZSF",
             "coviNY_GDP_PETR_RT_ZS", "covwvs_relF", "covwvs_rel",
             "covwdi_imp", "covwdi_fdiF", "covwdi_fdi",
             "covwdi_expF", "covwdi_exp", "covihme_ayemF", "covihme_ayem")
cl<-c("year", "ccode")
FE <- c("year", "ccode")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))
```

```
## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.897 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1903 0.0578 3.2943  0.0771   0.3036   0.001
## Boot.c   0.1903 0.0751 2.5332  0.0531   0.3451   0.006
## Boot.t   0.1903 0.0578 3.2943  0.0423   0.3383   0.018
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 1.7054 1.0874 1.5684 -0.4259   3.8368   0.1168
## Boot.c   1.7054 4.4426 0.3839 -4.8803   7.5883   0.2080
## Boot.t   1.7054 1.0874 1.5684 -0.2823   3.6932   0.0760
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##        4.8424 1.0000 1790.0000   0.0279
##
## $AR$ci.print
## [1] "[0.2048, Inf)"
```

```

##  

## $AR$ci  

## [1] 0.204835      Inf  

##  

## $AR$bounded  

## [1] FALSE  

##  

##  

## $F_stat  

##   F.standard   F.robust   F.cluster F.bootstrap F.effective  

##       4.5101      4.5766      7.5007      3.7667      7.5007  

##  

## $rho  

## [1] 0.0523  

##  

## $tF  

##          F      cF     Coef      SE      t  CI2.5% CI97.5% p-value  

## 7.5007  4.1570  1.7054  1.0874  1.5684 -2.8149  6.2258  0.4596  

##  

## $est_rf  

##          Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## l2CPcol2 0.2632 0.1387 0.0578 0.1834 -0.0501    0.6223      0.12  

##  

## $est_fs  

##          Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## l2CPcol2 0.1543 0.0721 0.0324 0.0795 -0.0388    0.2763      0.092  

##  

## $p_iv  

## [1] 1  

##  

## $N  

## [1] 1792  

##  

## $N_cl  

## [1] 20  

##  

## $df  

## [1] 19  

##  

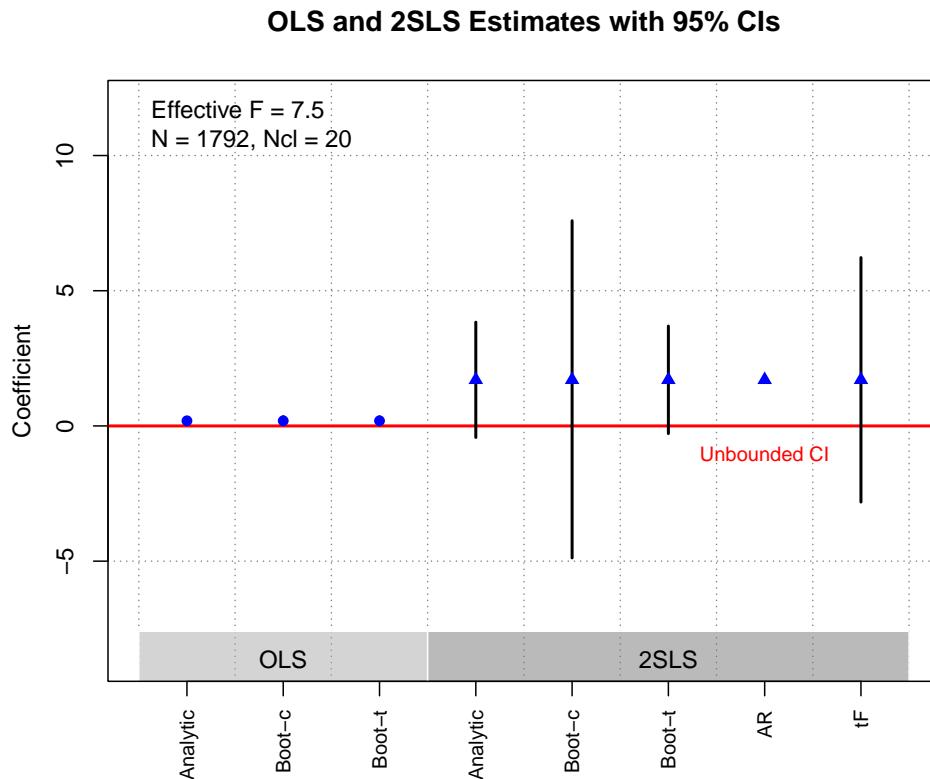
## $nvalues  

##      new_empinxavg    EV l2CPcol2  

## [1,]           57 1601        2

```

```
plot_coef(g)
```



Chong et al. (2019)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | household |
| Treatment | actual proportion of households treated in the locality |
| Instrument | treatment assignment in get-out-to-vote campaigns |
| Outcome | voted in 2013 presidential election |
| Model | Table4(1) |

```
df <-readRDS("./data/ajps_Chong_etal_2019.rds")
D <-"ratio_treat"
Y <- "elecc_presid2013"
Z <- c("D2D30", "D2D40", "D2D50")
controls <-c("age", "married", "children", "num_children",
            "employed", "languag", "yrseduc", "bornloc",
            "hh_asset_index", "log_pop", "mujeres_perc",
            "pob_0_14_perc", "pob_15_64_perc", "pob_65mas_perc",
            "analfabetos_perc", "asiste_escuela_perc",
            "TASA_women", "TASA_men", "electricidad_perc",
            "agua_perc", "desague_perc", "basura_perc",
            "fono_fijo_perc", "fono_cel_perc", "ocupantes",
```

```

    "Rural", "distancia2_final", "db_age",
    "db_married", "db_children", "db_num_children",
    "db_employed", "db_languag", "db_yrseduc",
    "db_bornloc", "db_hh_asset_index", "db_log_pop",
    "db_mujeres_perc", "db_pob_0_14_perc",
    "db_pob_15_64_perc", "db_pob_65mas_perc",
    "db_analfabetos_perc", "db_asiste_escuela_perc",
    "db_TASA_women", "db_TASA_men", "db_electricidad_perc",
    "db_agua_perc", "db_desague_perc", "db_basura_perc",
    "db_fono_fijo_perc", "db_fono_cel_perc",
    "db_ocupantes", "db_Rural", "db_distancia2_final",
    "dpto1", "elecc_presid2008", "db_elecc_presid2008")
cl <- "loc"
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 25.124 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0715 0.0399 1.7944 -0.0066   0.1497  0.0728
## Boot.c   0.0715 0.0442 1.6179 -0.0193   0.1500  0.1240
## Boot.t   0.0715 0.0399 1.7944 -0.0096   0.1527  0.0870
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1242 0.0547 2.2719  0.0171   0.2314  0.0231
## Boot.c   0.1242 0.0548 2.2682  0.0063   0.2241  0.0380
## Boot.t   0.1242 0.0547 2.2719  0.0183   0.2302  0.0170
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     2.0479  3.0000 3346.0000   0.1050
##
## $AR$ci.print
## [1] "[-0.0179, 0.2675]"
##
## $AR$ci
## [1] -0.01793968  0.26748144
##
## $AR$bounded

```

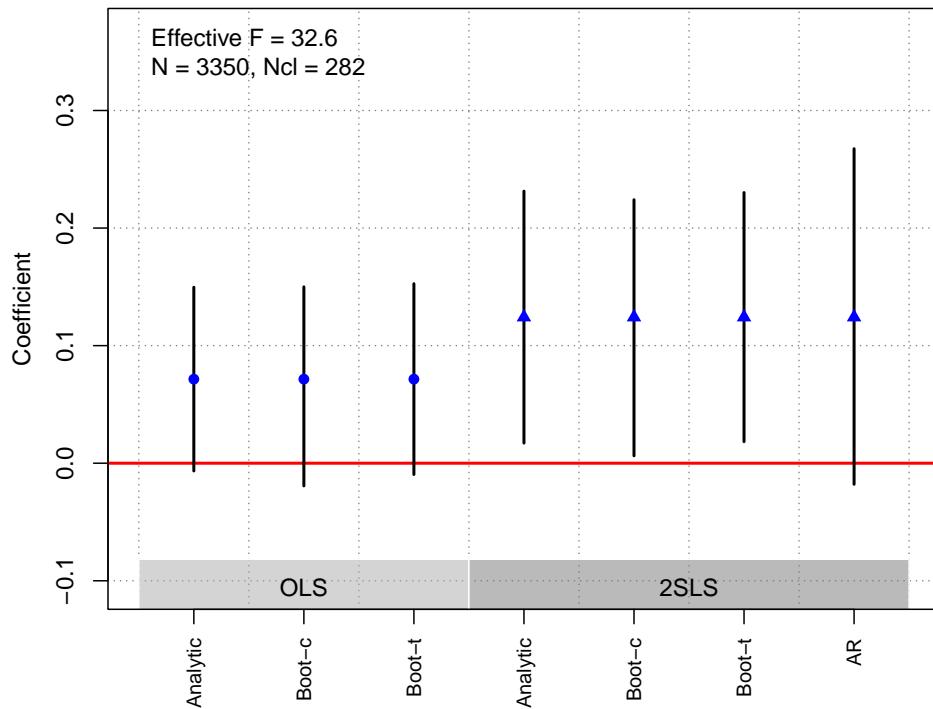
```

## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 1163.8658    270.5690    37.7653     34.8911    32.5611
##
## $rho
## [1] 0.7163
##
## $est_rf
##      Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## D2D30 0.0194 0.0321 0.5459 0.0353 -0.0539   0.0882    0.582
## D2D40 0.0651 0.0268 0.0150 0.0263  0.0097   0.1164    0.020
## D2D50 0.0190 0.0286 0.5075 0.0291 -0.0404   0.0714    0.514
##
## $est_fs
##      Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## D2D30 0.2996 0.0187      0 0.0470  0.2198   0.4030    0
## D2D40 0.3946 0.0220      0 0.0771  0.2531   0.5613    0
## D2D50 0.2663 0.0174      0 0.0452  0.1929   0.3652    0
##
## $p_iv
## [1] 3
##
## $N
## [1] 3350
##
## $N_cl
## [1] 282
##
## $df
## [1] 3316
##
## $nvalues
##      elecc_presid2013 ratio_treat D2D30 D2D40 D2D50
## [1,]                2          56     2     2     2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Colantone and Stanig (2018)

Replication Summary

| | |
|------------------|--------------------------------------|
| Unit of analysis | region*year |
| Treatment | regional import shock from China |
| Instrument | Chinese imports to the United States |
| Outcome | Economic nationalism |
| Model | Table1(1) |

```

df <-readRDS("./data/ajps_Colantone_etal_2018.rds")
D <- "import_shock"
Y <- "median_nationalism"
Z <- "instrument_for_shock"
controls <- NULL
cl <- "nuts2_year"
FE <- "fix_effect"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 32.869 sec.
## AR Test Inversion...

```

```

## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.6442 0.1726 3.7326  0.3059   0.9825  0.0002
## Boot.c   0.6442 0.3679 1.7509  0.2150   1.6353  0.0000
## Boot.t   0.6442 0.1726 3.7326 -0.2388   1.5272  0.1100
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 1.3096 0.3160 4.1437  0.6901   1.9290  0.000
## Boot.c   1.3096 0.5694 2.3000  0.5228   2.7730  0.000
## Boot.t   1.3096 0.3160 4.1437  0.2666   2.3525  0.023
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 18.3415  1.0000 7780.0000  0.0000
##
## $AR$ci.print
## [1] "[0.7154, 1.9100]"
##
## $AR$ci
## [1] 0.715422 1.910047
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 1810.3678    42.8350    19.1709    11.8485    19.1709
##
## $rho
## [1] 0.4358
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 19.1709  2.6386  1.3096  0.3160  4.1437  0.4757  2.1435  0.0021
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## instrument_for_shock 0.0514 0.0093      0 0.0202   0.0238   0.1025      0
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## instrument_for_shock 0.0392 0.006      0 0.0114   0.0258   0.0704      0

```

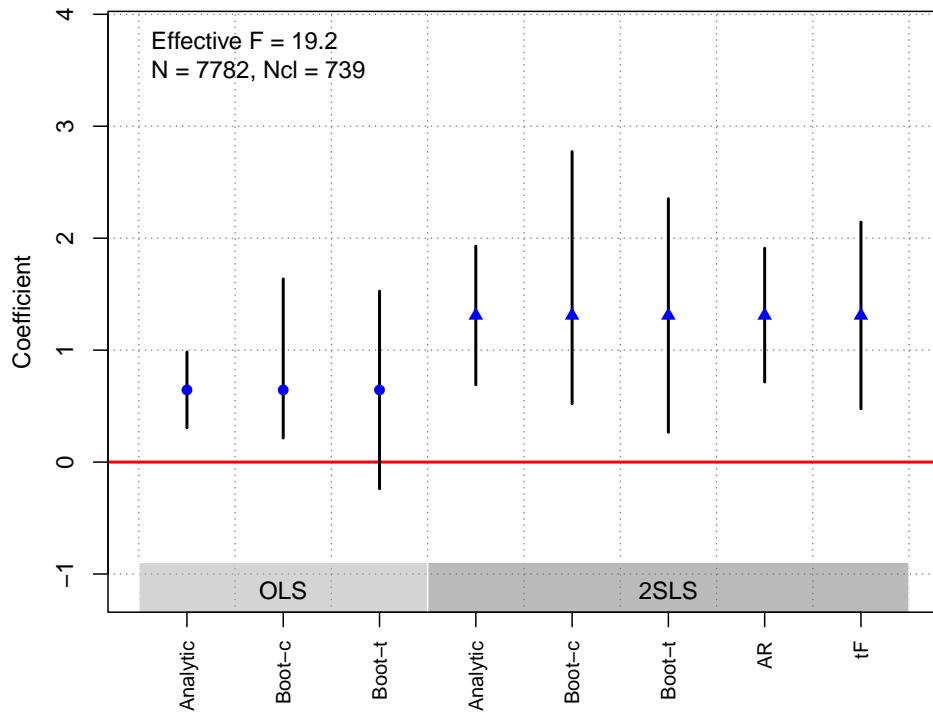
```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 7782
##
## $N_cl
## [1] 739
##
## $df
## [1] 7724
##
## $nvalues
##      median_nationalism import_shock instrument_for_shock
## [1,]          167            739            739

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Coppock and Green (2016)

Replication Summary

Unit of analysis

individual

Treatment

voting in November 2007 municipal elections

Replication Summary

| | |
|------------|---|
| Instrument | mailing showing 2005 Vote |
| Outcome | voting in the 2008 presidential primary |
| Model | Table2(2) |

```
df<-readRDS("./data/ajps_Coppock_etal_2016.rds")
D <- "og2007"
Y <- "JAN2008"
Z <- "treat2"
controls <- NULL
cl <- "hh"
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 19.119 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.3126 0.0012 258.2569  0.3102   0.3149      0
## Boot.c   0.3126 0.0013 234.4950  0.3099   0.3151      0
## Boot.t   0.3126 0.0012 258.2569  0.3100   0.3152      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.3728 0.0790 4.7183  0.2179   0.5276      0
## Boot.c   0.3728 0.0926 4.0257  0.1956   0.5602      0
## Boot.t   0.3728 0.0790 4.7183  0.2012   0.5444      0
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     20.8095    1.0000 773554.0000 0.0000
##
## $AR$ci.print
## [1] "[0.2195, 0.5292]"
##
## $AR$ci
## [1] 0.2195093 0.5292273
##
## $AR$bounded
```

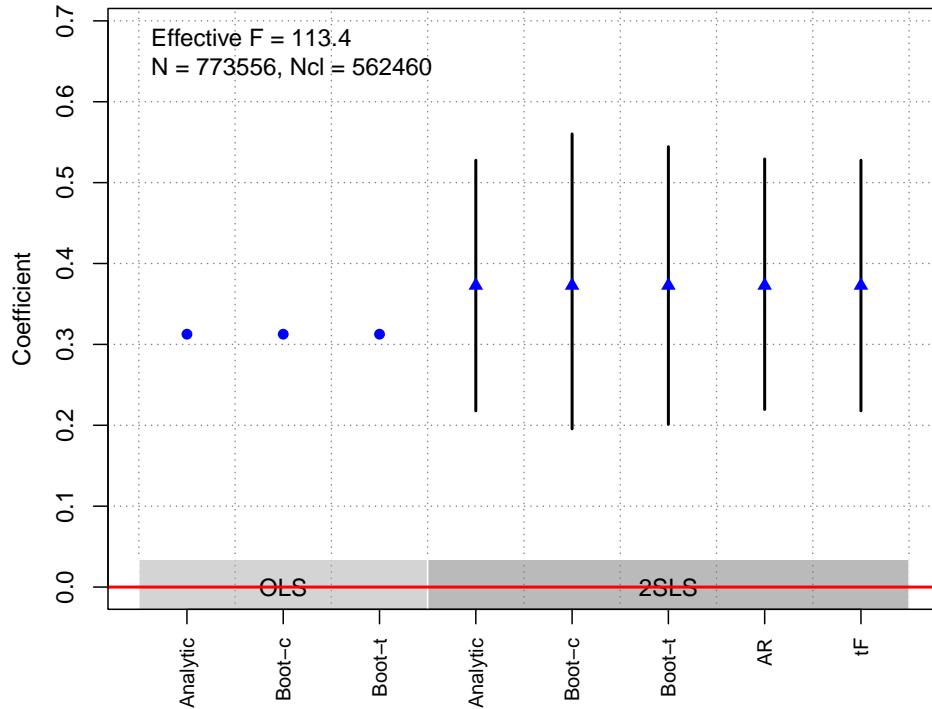
```

## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##    165.8659    151.8337    113.3680    113.1763    113.3680
##
## $rho
## [1] 0.0146
##
## $tF
##          F       cF      Coef       SE       t     CI2.5%   CI97.5% p-value
## 113.3680  1.9600  0.3728  0.0790  4.7183  0.2179  0.5276  0.0000
##
## $est_rf
##          Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## treat2 0.0187 0.0041      0 0.0047  0.0094  0.0282      0
##
## $est_fs
##          Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## treat2 0.0502 0.0041      0 0.0047  0.0406  0.0597      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 773556
##
## $N_cl
## [1] 562460
##
## $df
## [1] 773554
##
## $nvalues
##      JAN2008 og2007 treat2
## [1,]      2      2      2

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



De La O (2013)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | village |
| Treatment | early coverage of Conditional Cash Transfer |
| Instrument | random assignment to early coverage |
| Outcome | incumbent party's vote share |
| Model | Table3(b1) |

```

df <- readRDS("./data/ajps_De_La_O_2013.rds")
D <-"early_progresap"
Y <- "t2000"
Z <- "treatment"
controls <- c("avgpoverty", "pobtot1994", "votos_totales1994",
             "pri1994", "pan1994", "prd1994")
cl <- NULL
FE <- "villages"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.618 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0222 0.0466 0.4771 -0.0691  0.1136  0.6333
## Boot.c   0.0222 0.0459 0.4846 -0.0708  0.1100  0.7240
## Boot.t   0.0222 0.0466 0.4771 -0.0704  0.1149  0.6430
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1563 0.0892 1.7521 -0.0185  0.3312  0.0798
## Boot.c   0.1563 0.0942 1.6584 -0.0164  0.3552  0.0800
## Boot.t   0.1563 0.0892 1.7521 -0.0418  0.3544  0.1110
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 2.9752 1.0000 415.0000 0.0853
##
## $AR$ci.print
## [1] "[-0.0203, 0.3419]"
##
## $AR$ci
## [1] -0.02033352 0.34185831
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 177.1916     153.2854          NA     147.3725     153.2854
##
## $rho
## [1] 0.556
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 153.2854 1.9600 0.1563 0.0892 1.7521 -0.0185 0.3312 0.0798
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## treatment 0.0532 0.0296 0.0723 0.0306 -0.0058 0.1141 0.08
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## treatment 0.3401 0.0275 0 0.028 0.2869 0.3964 0

```

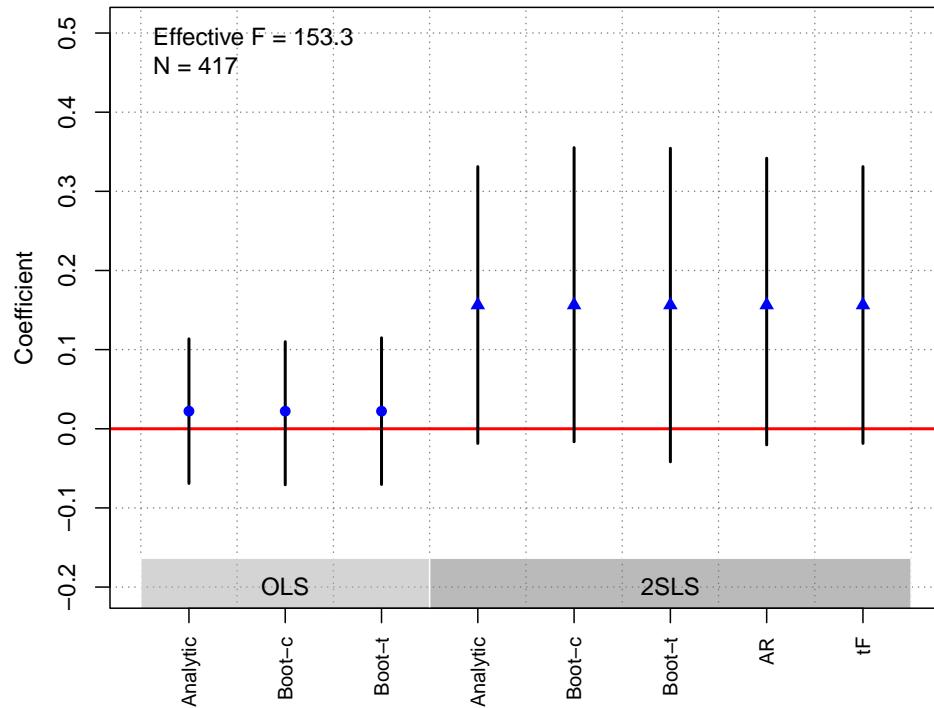
```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 417
##
## $N_cl
## NULL
##
## $df
## [1] 396
##
## $nvalues
##      t2000 early_progresap treatment
## [1,]    407          251         2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Goldstein and You (2017)

Replication Summary

| | |
|------------------|-------------------|
| Unit of analysis | city |
| Treatment | lobbying spending |

Replication Summary

| | |
|------------|----------------------------------|
| Instrument | direct flight to Washington, DC |
| Outcome | total earmarks or grants awarded |
| Model | Table4(4) |

```
df <- readRDS("./data/ajps_Goldstein_etal_2017.rds")
df <- as.data.frame(df)
Y <-"ln_recovery"
D <-"ln_citylob"
Z <- c("direct_flight_dc", "diverge2_r")
controls <- c("pop_r", "land_r", "water_r", "senior_r", "student_r", "ethnic_r",
              "mincome_r", "unemp_r", "poverty_r", "gini_r", "city_propertytaxshare_r",
              "city_intgovrevenueshare_r", "city_airexp_r", "houdem_r", "ln_countylob")
cl <- "state2"
FE <- "state2"
weights <- NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores, parallel = TRUE))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.749 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0648 0.0198 3.2692  0.0259   0.1036  0.0011
## Boot.c   0.0648 0.0223 2.9075  0.0296   0.1173  0.0000
## Boot.t   0.0648 0.0198 3.2692  0.0231   0.1064  0.0030
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.476 0.1566 3.0407  0.1692   0.7829  0.0024
## Boot.c   0.476 0.1550 3.0709  0.1680   0.7762  0.0060
## Boot.t   0.476 0.1566 3.0407  0.1942   0.7579  0.0020
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##       6.8022    2.0000 1259.0000   0.0012
##
## $AR$ci.print
## [1] "[0.1598, 0.9614]"
##
## $AR$ci
## [1] 0.1597997 0.9613764
```

```

##  

## $AR$bounded  

## [1] TRUE  

##  

##  

## $F_stat  

## F.standard   F.robust   F.cluster F.bootstrap F.effective  

##      16.6195    13.7688    15.7426    14.4539    15.1587  

##  

## $rho  

## [1] 0.1645  

##  

## $est_rf  

##              Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## direct_flight_dc 1.2403 0.5540  0.0252 0.6194 -0.2766    2.1686    0.102  

## diverge2_r       0.3010 0.1588  0.0581 0.1783 -0.0277    0.6606    0.074  

##  

## $est_fs  

##              Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## direct_flight_dc 2.6658 0.6544  0.0000 0.7607  0.9735    4.0004    0.004  

## diverge2_r       0.6070 0.2065  0.0033 0.2405  0.1563    1.1154    0.004  

##  

## $p_iv  

## [1] 2  

##  

## $N  

## [1] 1262  

##  

## $N_cl  

## [1] 50  

##  

## $df  

## [1] 49  

##  

## $nvalues  

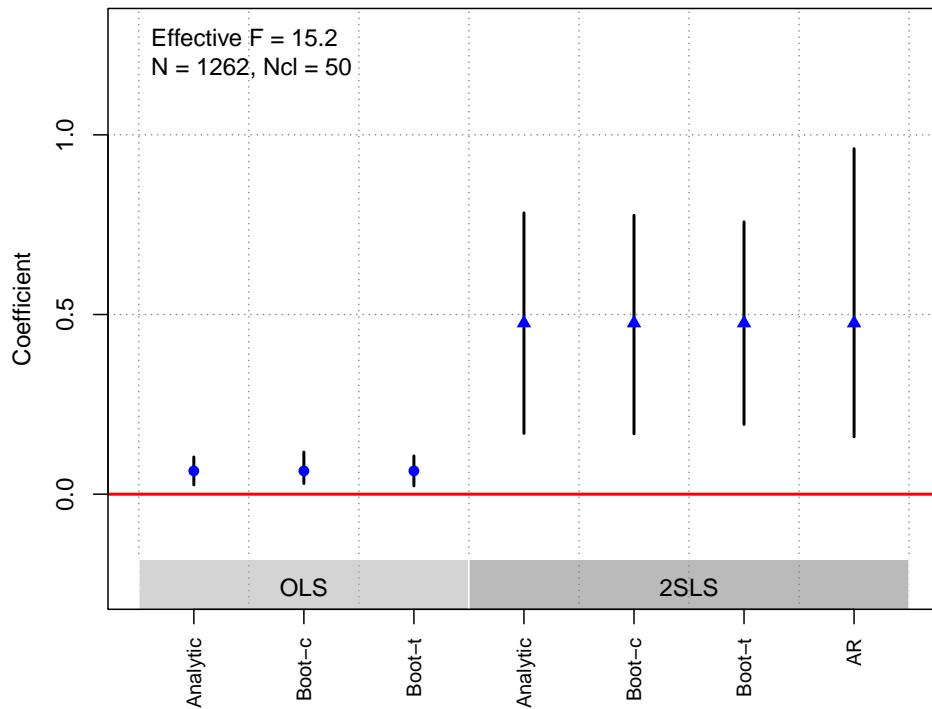
##      ln_recovery ln_citylob direct_flight_dc diverge2_r  

## [1,]        1196         135            2        1262

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Hager and Hilbig (2019) a

Replication Summary

| | |
|------------------|-------------------------------|
| Unit of analysis | city |
| Treatment | equitable inheritance customs |
| Instrument | mean elevation |
| Outcome | female representation |
| Model | Table3(1) |

```

df<-readRDS("./data/ajps_Hager_etal_2019.rds")
D <- "fair_dic"
Y <- "gem_women_share"
Z <- "elev_mean"
controls <- c("lon", "lat", "childlabor_mean_1898",
           "support_expenses_total_capita", "gem_council",
           "gem_pop_density", "pop_tot")
cl<- NULL
FE<- c("state2", "law_cat2")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE=FE,
            cl=cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores

```

```

## Bootstrap took 30.675 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0072 0.0042 1.7010 -0.0011  0.0155  0.0889
## Boot.c   0.0072 0.0042 1.7192 -0.0001  0.0159  0.0580
## Boot.t   0.0072 0.0042 1.7010 -0.0009  0.0153  0.0810
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1363 0.0262 5.1939  0.0849  0.1878      0
## Boot.c   0.1363 0.0270 5.0547  0.0924  0.1966      0
## Boot.t   0.1363 0.0262 5.1939  0.0864  0.1863      0
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 34.311 1.000 3848.000 0.000
##
## $AR$ci.print
## [1] "[0.0886, 0.1925]"
##
## $AR$ci
## [1] 0.08856418 0.19251398
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 122.1930     79.2985      NA        83.6605    79.2985
##
## $rho
## [1] 0.1758
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 79.2985 2.0200 0.1363 0.0262 5.1939 0.0833 0.1894 0.0000
##
## $est_rf
##           Coef SE p.value SE.b CI.b2.5% CI.b97.5% p.value.b
## elev_mean -1e-04  0      0     0   -2e-04   -1e-04      0
##
## $est_fs
##           Coef SE p.value SE.b CI.b2.5% CI.b97.5% p.value.b

```

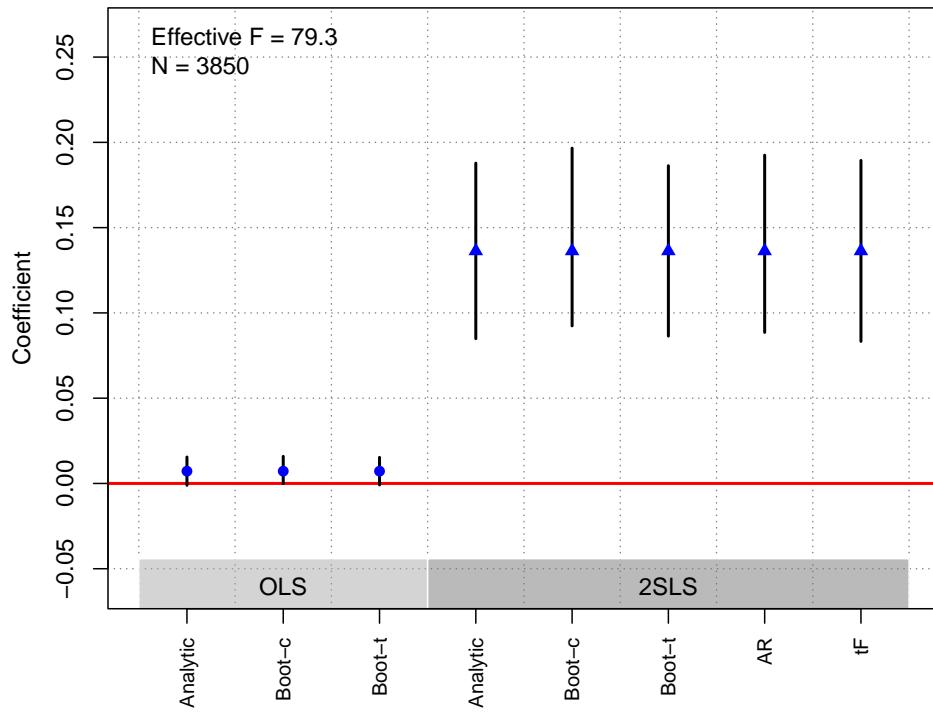
```

## elev_mean -9e-04 1e-04      0 1e-04 -0.0012    -7e-04      0
## 
## $p_iv
## [1] 1
##
## $N
## [1] 3850
##
## $N_cl
## NULL
##
## $df
## [1] 3831
##
## $nvalues
##      gem_women_share fair_dic elev_mean
## [1,]          230         2       3850

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Hager and Hilbig (2019) b

Replication Summary

| | |
|------------------|-------------------------------|
| Unit of analysis | city |
| Treatment | equitable inheritance customs |
| Instrument | distance to rivers |
| Outcome | female representation |
| Model | Table3(2) |

```
df<-readRDS("./data/ajps_Hager_etal_2019.rds")
D <-"fair_dic"
Y <- "gem_women_share"
Z <-"river_dist_min"
controls <- c("lon", "lat", "childlabor_mean_1898",
             "support_expenses_total_capita","gem_council",
             "gem_pop_density","pop_tot")

cl<- NULL
FE<- c("law_cat2")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.772 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.015 0.0073 2.0379   6e-04   0.0293  0.0416
## Boot.c   0.015 0.0074 2.0159   7e-04   0.0304  0.0400
## Boot.t   0.015 0.0073 2.0379   1e-04   0.0298  0.0480
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0513 0.0239 2.1441  0.0044   0.0982  0.032
## Boot.c   0.0513 0.0249 2.0576  0.0044   0.1007  0.028
## Boot.t   0.0513 0.0239 2.1441  0.0056   0.0970  0.027
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 5.2375 1.0000 864.0000  0.0223
##
## $AR$ci.print
## [1] "[0.0078, 0.0982]"
##
## $AR$ci
```

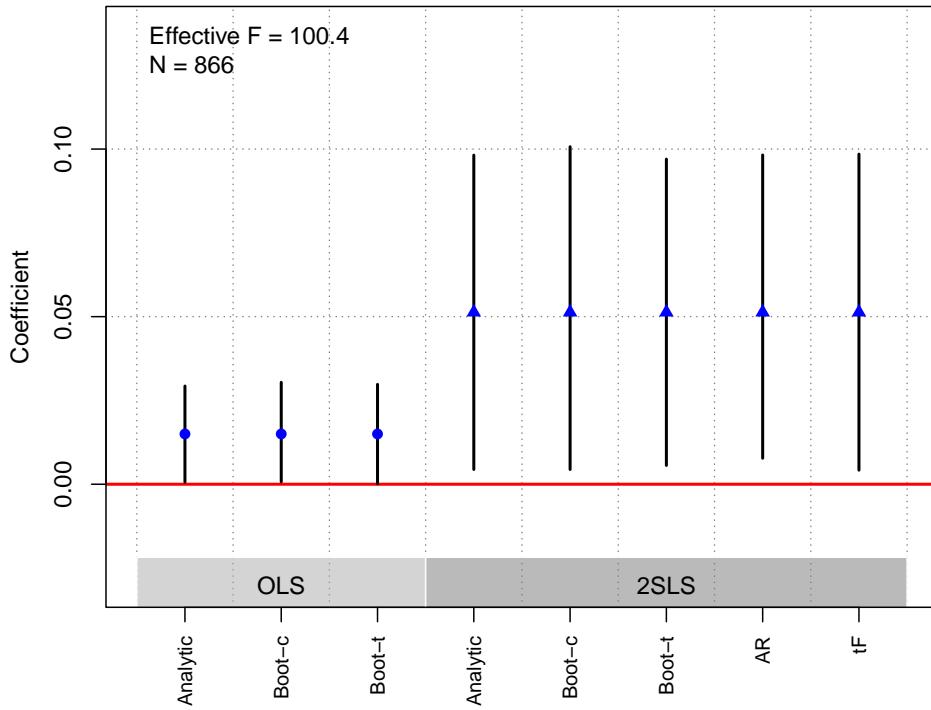
```

## [1] 0.007758233 0.098236346
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##      99.1676     100.3609          NA     88.5516    100.3609
##
## $rho
## [1] 0.3222
##
## $tF
##           F       cF     Coef       SE       t   CI2.5% CI97.5% p-value
## 100.3609 1.9700  0.0513  0.0239  2.1441  0.0042  0.0985  0.0329
##
## $est_rf
##           Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## river_dist_min -5e-04 2e-04  0.0291 3e-04   -0.001        0     0.028
##
## $est_fs
##           Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## river_dist_min -0.0105 0.001      0 0.0011  -0.0126  -0.0084        0
##
## $p_iv
## [1] 1
##
## $N
## [1] 866
##
## $N_cl
## NULL
##
## $df
## [1] 856
##
## $nvalues
##      gem_women_share fair_dic river_dist_min
## [1,]            110          2         866

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Hong et al. (2022)

Replication Summary

| | |
|------------------|---------------------------|
| Unit of analysis | township |
| Treatment | NVM subsidy per voter |
| Instrument | Terrain elevation slope |
| Outcome | Park's vote share in 2012 |
| Model | Table3(3) |

```

df <-readRDS("./data/ajps_Hong_etal_2022.rds")
df<-as.data.frame(df)
D<-"total_Lamount_1974_1978_perelect"
Y <- "E18ConsSh"
Z <- c("te_median1", "ts_median1")
controls <- c("area_1970", "demo_female_share_1966", "demo_age_15plus_1966",
             "demo_illiterate_1966", "demo_pop_ch_1970_1966", "E17ConsSh", "eup")
cl <- "CTY_cd"
FE <- "CTY_cd"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores

```

```

## Bootstrap took 31.714 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0151 0.0073 2.0652   8e-04   0.0295  0.0389
## Boot.c   0.0151 0.0073 2.0849   9e-04   0.0294  0.0320
## Boot.t   0.0151 0.0073 2.0652   4e-04   0.0299  0.0460
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0602 0.0264 2.2781  0.0084   0.1121  0.0227
## Boot.c   0.0602 0.0262 2.2966  0.0054   0.1087  0.0220
## Boot.t   0.0602 0.0264 2.2781  0.0095   0.1110  0.0240
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     2.8694    2.0000 1297.0000  0.0571
##
## $AR$ci.print
## [1] "[-0.0016, 0.1300]"
##
## $AR$ci
## [1] -0.00163529 0.13002933
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
##     34.7064     29.0832    28.2296    28.1521    28.8604
##
## $rho
## [1] 0.2376
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## te_median1 -0.0036 0.0232  0.8771 0.0231  -0.0526   0.0404    0.826
## ts_median1  0.0020 0.0011  0.0622 0.0010   0.0001   0.0040    0.038
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## te_median1  0.3276 0.1262  0.0094 0.1402   0.0763   0.6116    0.016
## ts_median1  0.0171 0.0054  0.0017 0.0064   0.0053   0.0301    0.004
##

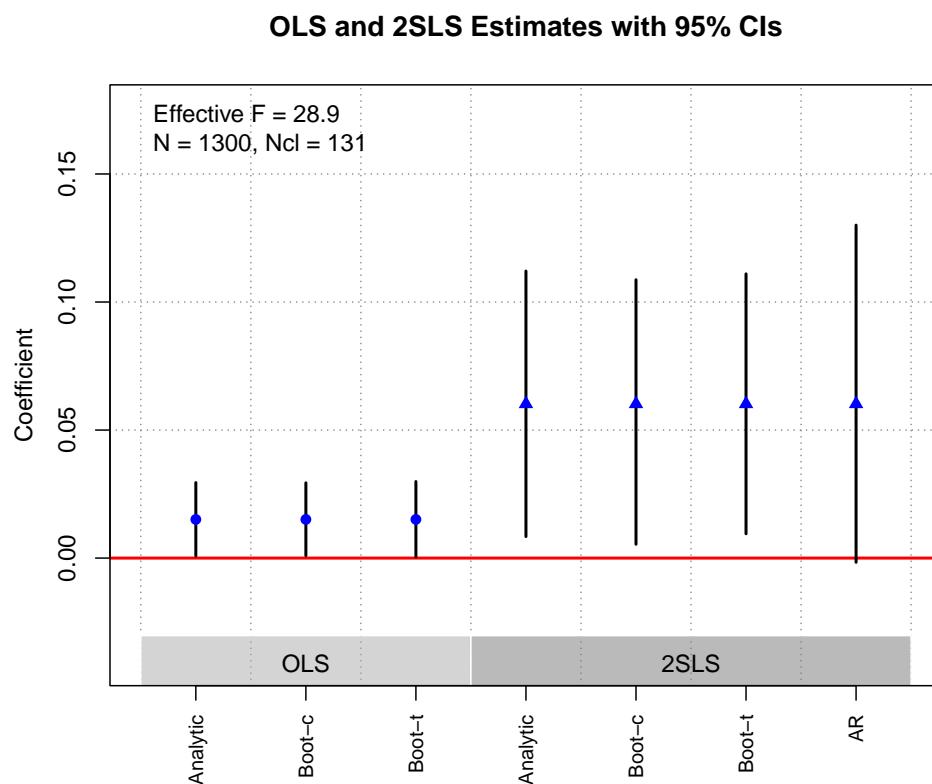
```

```

## $p_iv
## [1] 2
##
## $N
## [1] 1300
##
## $N_cl
## [1] 131
##
## $df
## [1] 130
##
## $nvalues
##      E18ConsSh total_Lamount_1974_1978_perelect te_median1 ts_median1
## [1,]      1292                      1285      1300      1232

```

```
plot_coef(g)
```



Kim (2019)

Replication Summary

| | |
|------------------|-------------------------|
| Unit of analysis | municipality*year |
| Treatment | Democratic institutions |
| Instrument | population threshold |

Replication Summary

| | |
|---------|----------------------------|
| Outcome | women political engagement |
| Model | Table2(1) |

```
df<- readRDS("./data/ajps_Kim_2019.rds")
D <-"direct"
Y <- "wm_turnout"
Z <- "new"
controls <- c("left", "wm_voters", "enep")
cl <- NULL
FE <- "year"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))
```

```
## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.616 sec.
## AR Test Inversion...

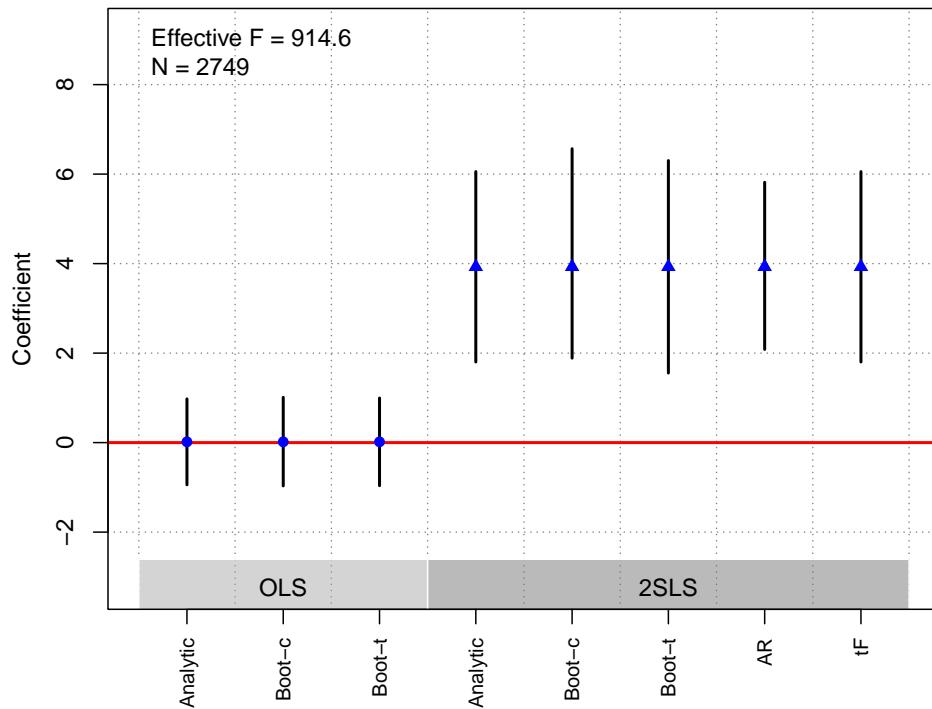
## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.017 0.4897 0.0346 -0.9429   0.9768  0.9724
## Boot.c   0.017 0.5016 0.0338 -0.9673   1.0124  0.9420
## Boot.t   0.017 0.4897 0.0346 -0.9625   0.9965  0.9680
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 3.9287 1.0855 3.6192  1.8011   6.0563  3e-04
## Boot.c   3.9287 1.1882 3.3063  1.8880   6.5672  0e+00
## Boot.t   3.9287 1.0855 3.6192  1.5548   6.3025  1e-03
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 17.3741 1.0000 2747.0000 0.0000
##
## $AR$ci.print
## [1] "[2.0833, 5.8175]"
##
## $AR$ci
## [1] 2.083289 5.817457
##
## $AR$bounded
## [1] TRUE
##
```

```

## 
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##   1007.3382     914.6461      NA       857.6002    914.6461
##
## 
## $rho
## [1] 0.5186
##
## 
## $tF
##          F        cF      Coef        SE         t    CI2.5%    CI97.5% p-value
## 914.6461 1.9600  3.9287  1.0855  3.6192  1.8011  6.0563  0.0003
##
## 
## $est_rf
##          Coef        SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## new 1.949 0.516 2e-04 0.5534  0.9688   3.1216        0
##
## 
## $est_fs
##          Coef        SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## new 0.4961 0.0164      0 0.0169  0.458   0.5256        0
##
## 
## $p_iv
## [1] 1
##
## 
## $N
## [1] 2749
##
## 
## $N_cl
## NULL
##
## 
## $df
## [1] 2738
##
## 
## $nvalues
##      wm_turnout direct new
## [1,]      2606      2      2
## 
```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Kocher et al. (2011)

Replication Summary

| | |
|------------------|-----------------------------------|
| Unit of analysis | hamlet (smallest population unit) |
| Treatment | aerial bombing |
| Instrument | past insurgent control |
| Outcome | changes in local control |
| Model | Table5(5B) |

```

df<-readRDS("./data/ajps_Kocher_etal_2011.rds")
D <-"bombed_969"
Y<- "mod2a_1adec"
Z <- c("mod2a_1ajul", "mod2a_1aaug")
controls <- c("mod2a_1asep", "score", "ln_dist", "std", "lnhpop")
cl<- NULL
FE <-NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 38.176 sec.
## AR Test Inversion...

```

```

## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0249 0.0042 5.8926  0.0166  0.0332      0
## Boot.c   0.0249 0.0042 5.8618  0.0179  0.0341      0
## Boot.t   0.0249 0.0042 5.8926  0.0163  0.0335      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 1.464 0.1377 10.6345  1.1942  1.7339      0
## Boot.c   1.464 0.1415 10.3463  1.2181  1.7629      0
## Boot.t   1.464 0.1377 10.6345  1.1839  1.7441      0
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 936.1377 2.0000 9704.0000 0.0000
##
## $AR$ci.print
## [1] "[1.1584, 1.9771]"
##
## $AR$ci
## [1] 1.158401 1.977146
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
##     44.1703    59.8861        NA     59.6058   112.1923
##
## $rho
## [1] 0.095
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## mod2a_1ajul 0.2562 0.0123      0 0.0118  0.2342  0.2786      0
## mod2a_1aaug 0.1830 0.0134      0 0.0132  0.1570  0.2085      0
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## mod2a_1ajul 0.1681 0.0284      0 0.0272  0.1139  0.2227      0
## mod2a_1aaug 0.1328 0.0311      0 0.0309  0.0721  0.1963      0
##
## $p_iv

```

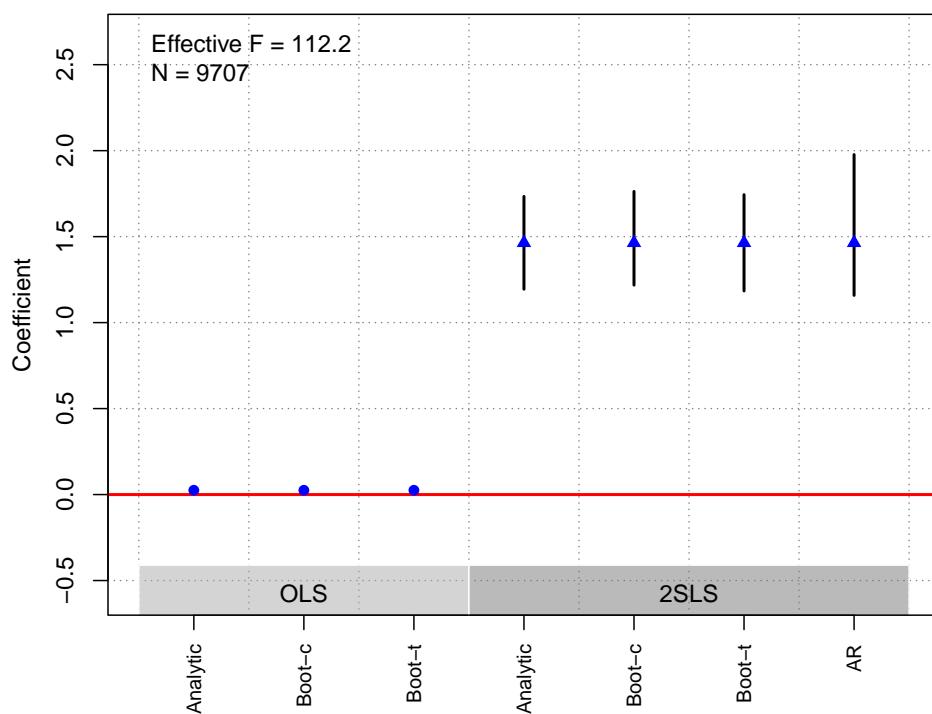
```

## [1] 2
##
## $N
## [1] 9707
##
## $N_cl
## NULL
##
## $df
## [1] 9700
##
## $nvalues
##      mod2a_1adec bombed_969 mod2a_1ajul mod2a_1aaug
## [1,]          5         35          5          5

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Lelkes et al. (2017)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | state*year |
| Treatment | number of broadband Internet providers |
| Instrument | state-level ROW index |
| Outcome | affective polarization |

Replication Summary

Model Table1(3)

```
df<-readRDS("./data/ajps_Lelkes_2017.rds")
D <-"D"
Y <- "outcome"
Z <- "Total_log"
controls <- c("region", "percent_black", "percent_white",
            "percent_male", "lowed", "unemploymentrate",
            "density", "HHINC_log")
cl<- "state"
FE <- "year"
weights=NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 1.662 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0041 0.0018 2.2577  0.0005   0.0077  0.024
## Boot.c   0.0041 0.0036 1.1410 -0.0027   0.0119  0.238
## Boot.t   0.0041 0.0018 2.2577 -0.0024   0.0106  0.205
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0316 0.0067 4.6941  0.0184   0.0448  0.000
## Boot.c   0.0316 0.1193 0.2647 -0.0124   0.1263  0.088
## Boot.t   0.0316 0.0067 4.6941  0.0005   0.0627  0.047
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     23.6566    1.0000 114801.0000 0.0000
##
## $AR$ci.print
## [1] "[0.0189, 0.0442]"
##
## $AR$ci
## [1] 0.01893067 0.04422426
##
## $AR$bounded
```

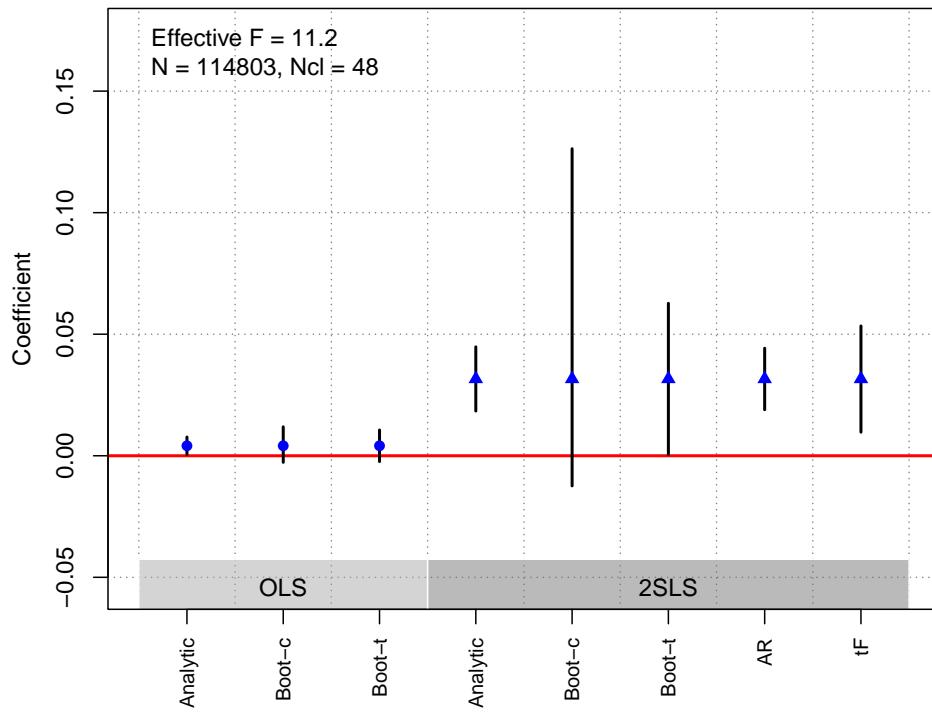
```

## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 9525.8467    8161.7346    11.1632      7.4289     11.1632
##
## $rho
## [1] 0.2768
##
## $tF
##          F       cF     Coef       SE       t  CI2.5% CI97.5% p-value
## 11.1632  3.2489  0.0316  0.0067  4.6941  0.0097  0.0534  0.0046
##
## $est_rf
##             Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## Total_log 0.0033 7e-04        0 0.002 -3e-04    0.0079    0.072
##
## $est_fs
##             Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## Total_log 0.1042 0.0012        0 0.0382  0.0171   0.1707    0.02
##
## $p_iv
## [1] 1
##
## $N
## [1] 114803
##
## $N_cl
## [1] 48
##
## $df
## [1] 114790
##
## $nvalues
##      outcome      D Total_log
## [1,]    2423 1438      43

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



López-Moctezuma et al. (2020)

Replication Summary

| | |
|------------------|-------------------------|
| Unit of analysis | individual |
| Treatment | town-hall meetings |
| Instrument | assignment to treatment |
| Outcome | voting behavior |
| Model | figure3(2) |

```

df <-readRDS("./data/ajps_Moctezuma_etal_2020.rds")
df<-as.data.frame(df)
D<-"treatment"
Y <- "vote"
Z <- "assignment"
  controls <- NULL
cl <- "barangay"
FE <- "city"
weights<-"weight.att"
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.646 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 16.1643 4.8955 3.3019  6.5692  25.7594   0.001
## Boot.c   16.1643 4.3166 3.7447  6.7402  23.7014   0.002
## Boot.t   16.1643 4.8955 3.3019  5.8084  26.5201   0.024
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 17.6531 5.8296 3.0282  6.2271  29.0791   0.0025
## Boot.c   17.6531 233.4686 0.0756 -0.8380  62.1023   0.0521
## Boot.t   17.6531 5.8296 3.0282  6.5283  28.7779   0.0300
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 20.3497 1.0000 888.0000 0.0000
##
## $AR$ci.print
## [1] "[10.0746, 25.2315]"
##
## $AR$ci
## [1] 10.07461 25.23153
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 1663.9064     521.4034     25.2694      6.1571     25.2694
##
## $rho
## [1] 0.8089
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 25.2694 2.4519 17.6531 5.8296 3.0282 3.3593 31.9469 0.0155
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## assignment 13.2179 4.3439 0.0023 6.3727   1.151   26.1623   0.028
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## assignment 0.7488 0.0328          0 0.3018 -0.0162          1   0.0601

```

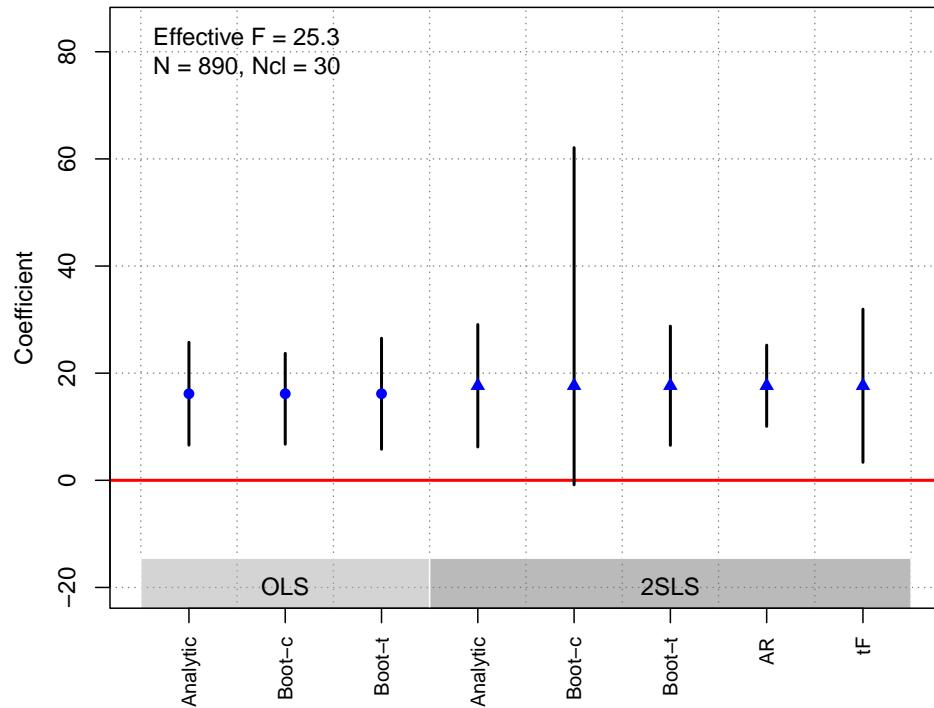
```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 890
##
## $N_cl
## [1] 30
##
## $df
## [1] 879
##
## $nvalues
##      vote treatment assignment
## [1,]    2        2         2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



McClendon (2014)

Replication Summary

Unit of analysis

individual

Treatment

reading social esteem promising email

Replication Summary

| | |
|------------|-------------------------------|
| Instrument | assignment to treatment |
| Outcome | participation in LGBTQ events |
| Model | Table2(1) |

```
df <- readRDS("./data/ajps_McClendon_2014.rds")
D<-"openedesesteem"
Y<- "intended"
Z <- "esteem"
controls <- NULL
cl<- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.683 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.2823 0.0339 8.3291  0.2159   0.3488      0
## Boot.c   0.2823 0.0345 8.1866  0.2189   0.3539      0
## Boot.t   0.2823 0.0339 8.3291  0.2145   0.3502      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.3149 0.0890 3.5376  0.1404   0.4893   4e-04
## Boot.c   0.3149 0.0903 3.4855  0.1312   0.4840   0e+00
## Boot.t   0.3149 0.0890 3.5376  0.1427   0.4871   0e+00
##
## $AR
## $AR$Fstat
##          F      df1      df2      p
## 10.1309 1.0000 3645.0000 0.0015
##
## $AR$ci.print
## [1] "[0.1280, 0.5054]"
##
## $AR$ci
## [1] 0.1279570 0.5053555
##
## $AR$bounded
## [1] TRUE
```

```

##  

##  

## $F_stat  

## F.standard   F.robust   F.cluster F.bootstrap F.effective  

## 103.7604    207.1798      NA     211.5796    207.1798  

##  

## $rho  

## [1] 0.1664  

##  

## $tF  

##          F       cF      Coef       SE       t    CI2.5%  CI97.5% p-value  

## 207.1798  1.9600  0.3149  0.0890  3.5376  0.1404  0.4893  0.0004  

##  

## $est_rf  

##          Coef       SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## esteem 0.0247 0.0072 5e-04 0.0071  0.0103  0.0372        0  

##  

## $est_fs  

##          Coef       SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## esteem 0.0786 0.0055      0 0.0054  0.0682  0.0892        0  

##  

## $p_iv  

## [1] 1  

##  

## $N  

## [1] 3647  

##  

## $N_cl  

## NULL  

##  

## $df  

## [1] 3645  

##  

## $nvalues  

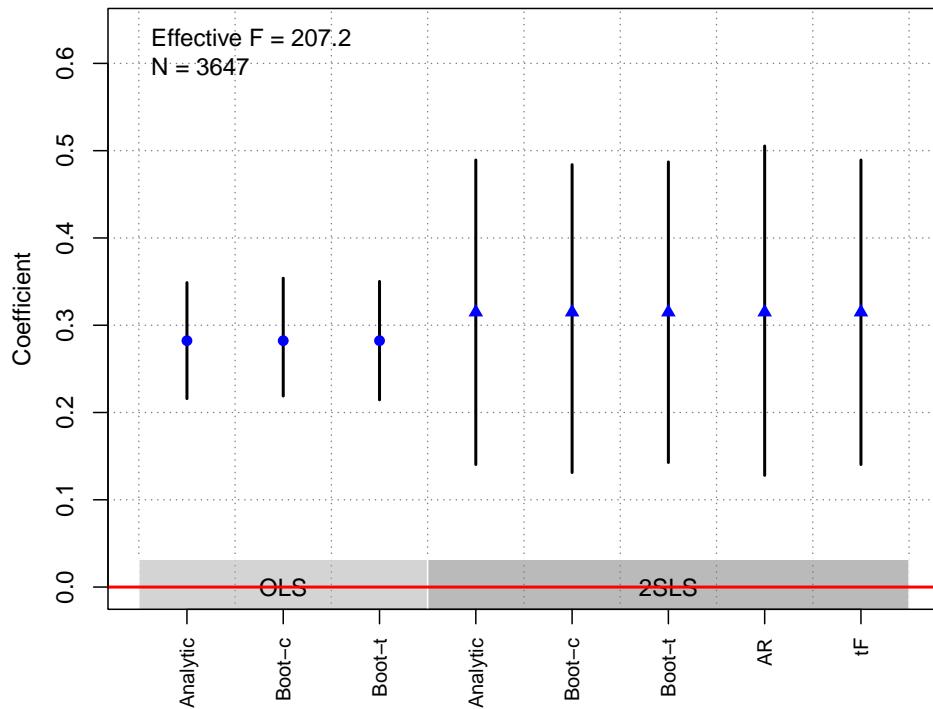
##      intended opened esteem esteem  

## [1,]      2      2      2      2

plot_coef(g)

```

OLS and 2SLS Estimates with 95% CIs



Rueda (2017)

| Replication Summary | |
|---------------------|---|
| Unit of analysis | city |
| Treatment | actual polling place size. |
| Instrument | the size of the polling station |
| Outcome | citizens' reports of electoral manipulation |
| Model | Table5(1) |

```

df <- readRDS("./data/ajps_Rueda_2017.rds")
D <- "lm_pob_mesa"
Y <- "e_vote_buying"
Z <- "lz_pob_mesa_f"
controls <- c("lpopulation", "lpotencial")
cl <- "muni_code"
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 14.063 sec.
## AR Test Inversion...

```

```

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.675 0.1013 -6.6630 -0.8736 -0.4765      0
## Boot.c   -0.675 0.0997 -6.7677 -0.8964 -0.5005      0
## Boot.t   -0.675 0.1013 -6.6630 -0.8791 -0.4710      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.9835 0.154 -6.3872 -1.2853 -0.6817      0
## Boot.c   -0.9835 0.146 -6.7348 -1.3004 -0.7159      0
## Boot.t   -0.9835 0.154 -6.3872 -1.3122 -0.6548      0
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 50.5097 1.0000 4350.0000 0.0000
##
## $AR$ci.print
## [1] "[-1.2545, -0.7156]"
##
## $AR$ci
## [1] -1.2545169 -0.7155854
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 3106.387    3108.591    8598.326   8700.525    8598.326
##
## $rho
## [1] 0.6455
##
## $tF
##           F      cF      Coef      SE      t     CI2.5%     CI97.5%     p-value
## 8598.3264 1.9600 -0.9835 0.1540 -6.3872 -1.2853 -0.6817 0.0000
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## lz_pob_mesa_f -0.7826 0.1219      0 0.1153 -1.032 -0.5747      0
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## lz_pob_mesa_f 0.7957 0.0143      0 0.0085 0.7801 0.813      0
##
## $p_iv

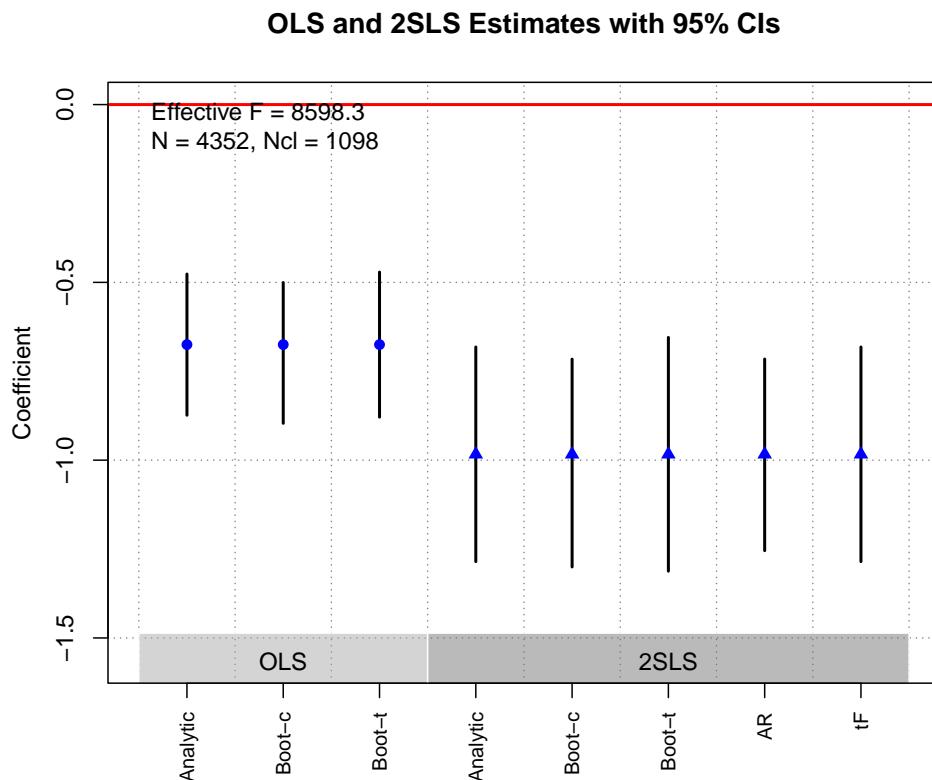
```

```

## [1] 1
##
## $N
## [1] 4352
##
## $N_cl
## [1] 1098
##
## $df
## [1] 4348
##
## $nvalues
##      e_vote_buying lm_pob_mesa lz_pob_mesa_f
## [1,]          16        4118        3860

```

```
plot_coef(g)
```



Sexton et al. (2019)

Replication Summary

| | |
|------------------|-----------------------|
| Unit of analysis | department*year |
| Treatment | health budget |
| Instrument | soldier fatalities |
| Outcome | health social service |

Replication Summary

Model

Table3(1)

```
df <-readRDS("./data/ajps_Sexton_etal_2019.rds")
D<-"socialservice_b"
Y <- "Finfant_mortality"
Z <- "Lgk_budget"
controls <- c("Lgk_prebudget", "ln_pbi_pc", "execution_nohealth")
cl <- "deptcode"
FE <- c("year", "deptcode")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.628 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.3472 1.1972 -1.1253 -3.6938   0.9994  0.2605
## Boot.c    -1.3472 1.1142 -1.2091 -3.4213   1.0000  0.2581
## Boot.t    -1.3472 1.1972 -1.1253 -3.7920   1.0975  0.2480
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -15.0645 9.2117 -1.6354 -33.1195   2.9906  0.1020
## Boot.c    -15.0645 33.5214 -0.4494 -50.4262   8.7481  0.2114
## Boot.t    -15.0645 9.2117 -1.6354 -94.1248  63.9959  0.2348
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 7.1494 1.0000 70.0000 0.0093
##
## $AR$ci.print
## [1] "(-Inf, -3.2734] Union [21.8384, Inf)"
##
## $AR$ci
## [1]      -Inf -3.273432 21.838356          Inf
##
## $AR$bounded
## [1] FALSE
##
##
```

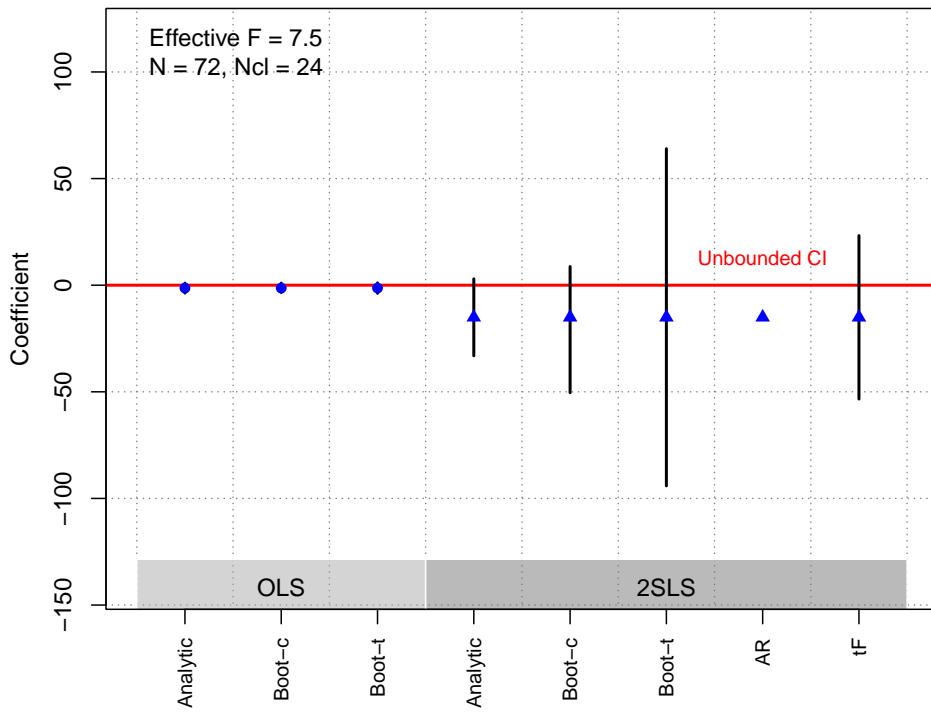
```

## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##      1.0172     2.5692     7.4923     2.7593     7.4923
##
## $rho
## [1] 0.1538
##
## $tF
##          F       cF      Coef       SE       t    CI2.5%  CI97.5% p-value
## 7.4923  4.1607 -15.0645  9.2117 -1.6354 -53.3920 23.2630  0.4411
##
## $est_rf
##             Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## Lgk_budget 4.3552 1.5163 0.0041 2.137 -2.1134   6.1216   0.1911
##
## $est_fs
##             Coef       SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## Lgk_budget -0.2891 0.1804 0.109 0.174 -0.6643   0.0243   0.0549
##
## $p_iv
## [1] 1
##
## $N
## [1] 72
##
## $N_cl
## [1] 24
##
## $df
## [1] 23
##
## $nvalues
##      Finfant_mortality socialservice_b Lgk_budget
## [1,]            39           72            6

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Spenkuch and Tillmann (2018)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | electoral district |
| Treatment | religion of voters living in the same areas more than three and a half centuries later |
| Instrument | individual princes' decisions concerning whether to adopt Protestantism |
| Outcome | Nazi vote share |
| Model | Table2(B1) |

```

df <- readRDS("./data/ajps_Spenkuch_etal_2018.rds")
D <- "r_1925C_kath"
Y <- "r_NSDAP_NOV1932_p"
Z <- c("r_kath1624", "r_gem1624")
controls <- c("r_1925C_juden", "r_1925C_others",
             "r_M1925C_juden", "r_M1925C_others")
cl <- 'WKNR'
FE <- NULL
weights="r_wahlberechtigte_NOV1932"
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores

```

```

## Bootstrap took 12.972 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.2504 0.0071 -35.4593 -0.2642 -0.2365      0
## Boot.c   -0.2504 0.0179 -13.9727 -0.2873 -0.2159      0
## Boot.t   -0.2504 0.0071 -35.4593 -0.2865 -0.2143      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.2544 0.0089 -28.7257 -0.2718 -0.2371      0
## Boot.c   -0.2544 0.0175 -14.5760 -0.2899 -0.2213      0
## Boot.t   -0.2544 0.0089 -28.7257 -0.2900 -0.2189      0
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 361.9389 2.0000 979.0000 0.0000
##
## $AR$ci.print
## [1] "[-0.2706, -0.2385]"
##
## $AR$ci
## [1] -0.2705518 -0.2384884
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 1215.3547     726.7058    212.7390    200.7118    286.0263
##
## $rho
## [1] 0.8446
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## r_kath1624 -17.2028 0.7546      0 1.2702 -19.6313 -14.6714      0
## r_gem1624   -9.1477 1.2001      0 1.6802 -12.8906 -6.2825      0
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## r_kath1624 66.6657 1.7581      0 3.3309 59.7794 73.1142      0
## r_gem1624   39.2697 3.1667      0 4.8034 31.2867 49.7198      0
##

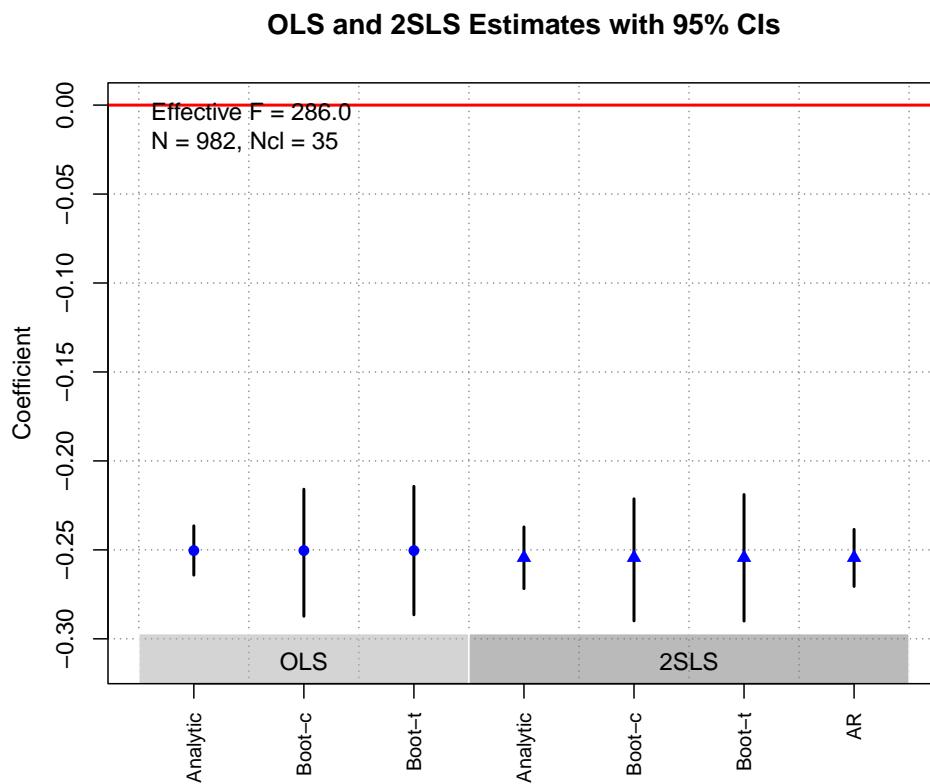
```

```

## $p_iv
## [1] 2
##
## $N
## [1] 982
##
## $N_cl
## [1] 35
##
## $df
## [1] 978
##
## $nvalues
##      r_NSdap_NOV1932_p r_1925C_kath r_kath1624 r_gem1624
## [1, ]         982          977           2           2

```

```
plot_coef(g)
```



Stokes (2016)

Replication Summary

| | |
|------------------|------------------|
| Unit of analysis | precinct |
| Treatment | turbine location |
| Instrument | wind speed |

Replication Summary

| | |
|---------|--------------|
| Outcome | vote turnout |
| Model | Table2(2) |

```
df<-readRDS("./data/ajps_Stokes_2016.rds")
D <-"prop_3km"
Y <- "chng_lib"
Z <- "avg_pwr_log"
controls <- c("mindistlake", "mindistlake_sq", "longitude",
             "long_sq", "latitude", "lat_sq", "long_lat")
cl <- NULL
FE <- "ed_id"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.212 sec.
## AR Test Inversion...

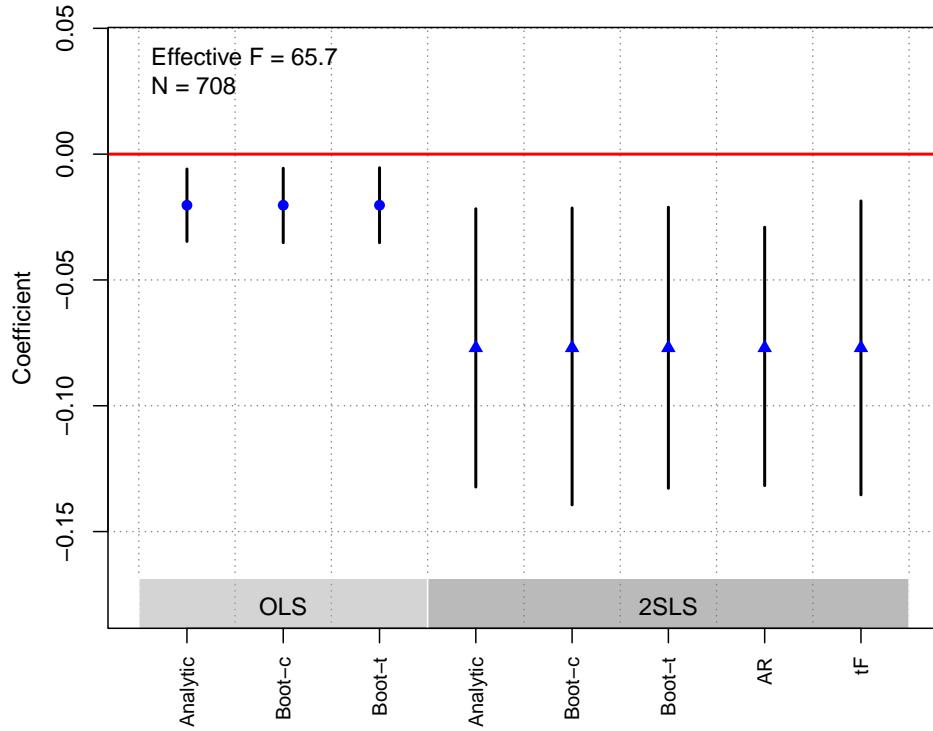
## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0203 0.0073 -2.7638 -0.0347 -0.0059 0.0057
## Boot.c   -0.0203 0.0076 -2.6817 -0.0352 -0.0056 0.0020
## Boot.t   -0.0203 0.0073 -2.7638 -0.0352 -0.0054 0.0060
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.077 0.0282 -2.7289 -0.1323 -0.0217 0.0064
## Boot.c   -0.077 0.0309 -2.4878 -0.1394 -0.0214 0.0080
## Boot.t   -0.077 0.0282 -2.7289 -0.1328 -0.0211 0.0070
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 9.8855 1.0000 706.0000 0.0017
##
## $AR$ci.print
## [1] "[-0.1317, -0.0290]"
##
## $AR$ci
## [1] -0.13172512 -0.02902874
##
## $AR$bounded
## [1] TRUE
```

```

## 
## 
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##   67.9032      65.7306       NA      63.5161      65.7306
## 
## $rho
## [1] 0.3025
## 
## $tF
##          F      cF     Coef      SE      t  CI2.5% CI97.5% p-value
## 65.7306  2.0693 -0.0770  0.0282 -2.7289 -0.1354 -0.0186  0.0097
## 
## $est_rf
##          Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## avg_pwr_log -0.0585 0.0216 0.0069 0.0227 -0.1019 -0.0157  0.008
## 
## $est_fs
##          Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## avg_pwr_log 0.7602 0.0938      0 0.0954  0.5499  0.9324      0
## 
## $p_iv
## [1] 1
## 
## $N
## [1] 708
## 
## $N_cl
## NULL
## 
## $df
## [1] 674
## 
## $nvalues
##      chng_lib prop_3km avg_pwr_log
## [1,]      708        2      708
## 
```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Tajima (2013)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | village and urban neighborhood |
| Treatment | distance to police posts (as a proxy for exposure to military intervention) |
| Instrument | distance to health station |
| Outcome | incidence of communal violence |
| Model | Table1(4) |

```

df<-readRDS("./data/ajps_Tajima_2013.rds")
D <- "z2_distpospol"
Y <- "horiz2"
Z <- "z2_dispuskes"
controls <- c("flat", "z2_altitude", "urban", "natres", "z2_logvillpop", "z2_logdensvil",
           "z2_povrateksvil", "z2_fgtksvild", "z2_covyredvil", "z2_npwperhh",
           "z2_ethfractvil", "z2_ethfractsd", "z2_ethfractd", "z2_relfraクトvil",
           "z2_relfraクトsd", "z2_relfraクトd", "z2_ethclustsd", "z2_ethclustvd",
           "z2_relclustsd", "z2_relclustvd", "z2_wgcovegvil", "z2_wgcovegsd",
           "z2_wgcovegd", "z2_wgcovrgvil", "z2_wgcovrgsd", "z2_wgcovrgd",
           "natdis", "javanese_off_java", "islam", "split_kab03", "split_vil03")
cl <- 'kabid03'
FE <- 'prop'
weights<-"probit_touse_wts03"

```

```

(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 1.668 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0024 5e-04 -5.2337 -0.0033 -0.0015      0
## Boot.c    -0.0024 7e-04 -3.6186 -0.0037 -0.0011      0
## Boot.t    -0.0024 5e-04 -5.2337 -0.0037 -0.0011      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0041 0.0010 -4.0677 -0.0061 -0.0021  0.000
## Boot.c    -0.0041 0.0014 -2.8886 -0.0066 -0.0010  0.004
## Boot.t    -0.0041 0.0010 -4.0677 -0.0069 -0.0013  0.002
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 13.8516 1.0000 51911.0000 0.0002
##
## $AR$ci.print
## [1] "[-0.0063, -0.0020]"
##
## $AR$ci
## [1] -0.006321755 -0.001963142
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
## 13363.7649  1529.0807   202.6374   218.7310   202.6374
##
## $rho
## [1] 0.4527
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 202.6374 1.9600 -0.0041  0.0010 -4.0677 -0.0061 -0.0021  0.0000
##

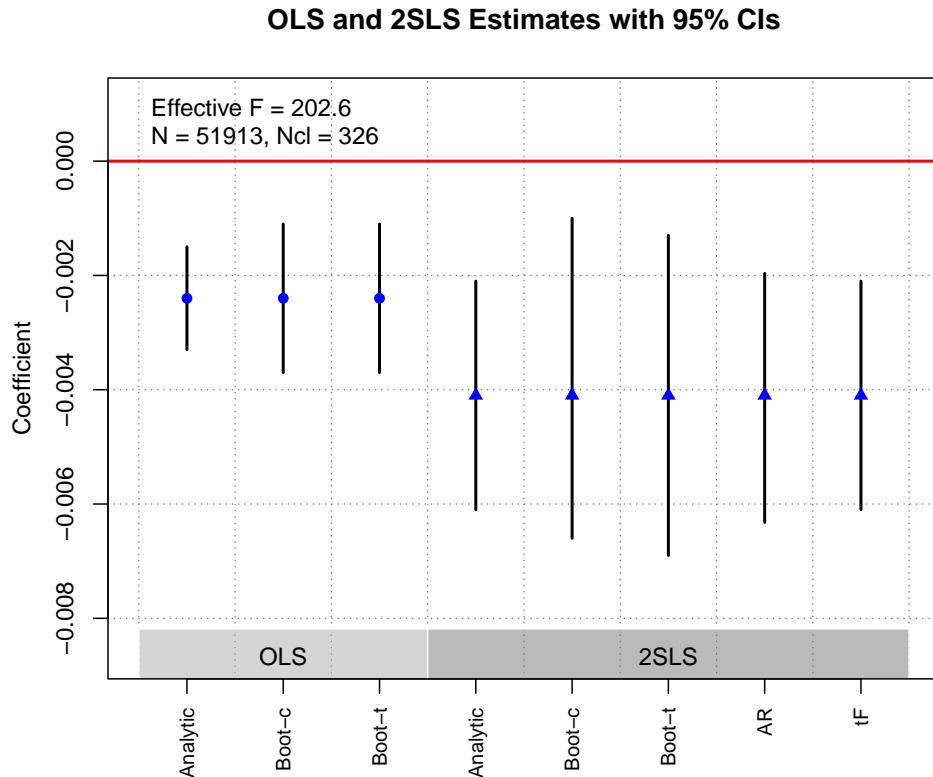
```

```

## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## z2_dispuskes -0.0019 5e-04       0 6e-04 -0.0029 -5e-04     0.004
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## z2_dispuskes 0.447 0.0114       0 0.0302  0.3895  0.5058     0
##
## $p_iv
## [1] 1
##
## $N
## [1] 51913
##
## $N_cl
## [1] 326
##
## $df
## [1] 51853
##
## $nvalues
##      horiz2 z2_distpospol z2_dispuskes
## [1,]      2          101          101

```

```
plot_coef(g)
```



Trounstine (2016)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | city*year |
| Treatment | racial segregation |
| Instrument | the number of waterways in a city; logged population |
| Outcome | direct general expenditures |
| Model | Table5(1) |

```
df<-readRDS("./data/ajps_Trounstine_2016.rds")
D <-"H_citytract_NHW_i"
Y <- "dgepercap_cpi"
Z <- c("total_rivs_all", "logpop")
controls <- c("dgepercap_cpilag", "diversityinterp", "pctblkpopinterp",
  "pctasianpopinterp", "pctlatinopopinterp", "medincinterp",
  "pctlocalgovworker_100", "pctrentersinterp", "pctover65",
  "pctcollegegradinterp", "northeast", "south", "midwest",
  "y5", "y6", "y7", "y8", "y9")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 25.200 sec.
## AR Test Inversion...
## Parallelising on 15 cores

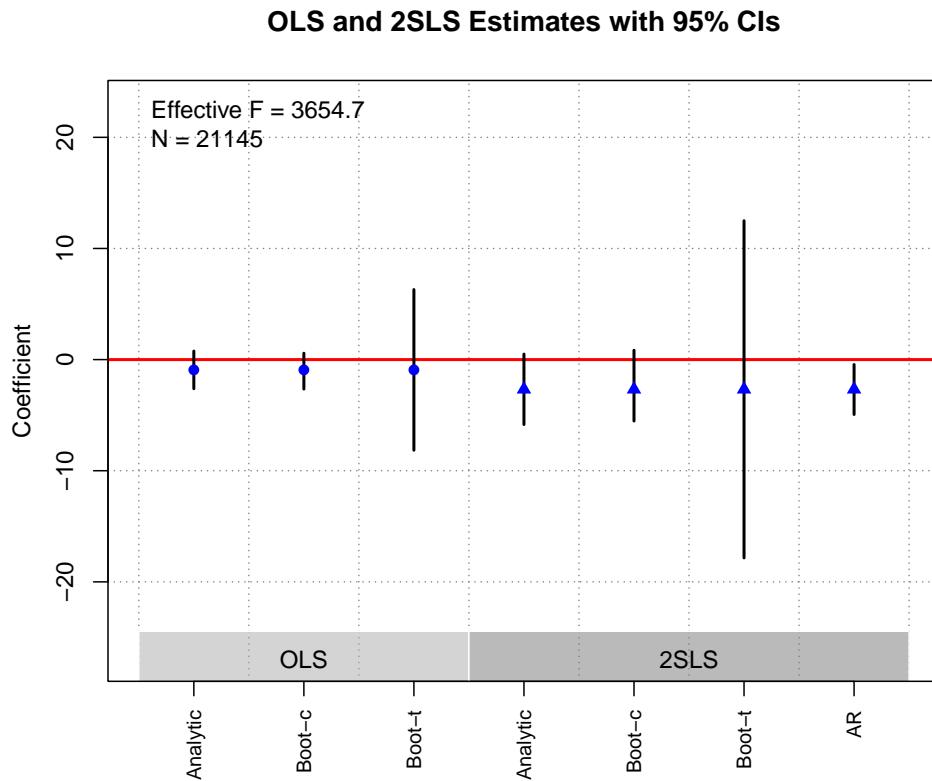
## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.9265 0.8648 -1.0713 -2.6214   0.7685   0.284
## Boot.c    -0.9265 0.9014 -1.0278 -2.6538   0.5732   0.498
## Boot.t    -0.9265 0.8648 -1.0713 -8.1549   6.3020   0.508
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -2.6757 1.6174 -1.6543 -5.8458   0.4944   0.0981
## Boot.c    -2.6757 1.7399 -1.5379 -5.5271   0.8405   0.2200
## Boot.t    -2.6757 1.6174 -1.6543 -17.8458  12.4944   0.3030
##
## $AR
## $AR$Fstat
##          F        df1        df2         p
```

```

##      4.1611    2.0000 21142.0000     0.0156
##
## $AR$ci.print
## [1] "[-4.9401, -0.4437]"
##
## $AR$ci
## [1] -4.9400656 -0.4436849
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
##   3883.651    2506.495        NA     2574.610    3654.705
##
## $rho
## [1] 0.5185
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## total_rivs_all -0.0081 0.0229  0.7217 0.0241  -0.0612   0.0267    0.852
## logpop         -0.0855 0.0407  0.0355 0.0437  -0.1565   0.0113    0.132
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## total_rivs_all 0.0054 3e-04     0 3e-04   0.0048   0.0060    0
## logpop         0.0291 5e-04     0 5e-04   0.0281   0.0301    0
##
## $p_iv
## [1] 2
##
## $N
## [1] 21145
##
## $N_cl
## NULL
##
## $df
## [1] 21125
##
## $nvalues
##      dgepercap_cpi H_citytract_NHW_i total_rivs_all logpop
## [1,]      21129          15395       22    16223

```

```
plot_coef(g)
```



Vernby (2013)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | municipality*term |
| Treatment | share of noncitizens in the electorate |
| Instrument | immigration Inflow 1940–1950; Immigration Inflow 1960–1967 |
| Outcome | municipal education and social spending |
| Model | Table3(2) |

```
df<-readRDS("./data/ajps_Vernby_2013.rds")
D <-"noncitvotsh"
Y <- "Y"
Z <- c("inv1950", "inv1967")
controls <- c("Taxbase2", "L_Taxbase2", "manu", "L_manu", "pop", "L_pop")
cl <- "lan"
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))
```

```
## Bootstrapping:
```

```

## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.952 sec.
## AR Test Inversion...

## $est_ols
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 8.9328 2.2655 3.9430  4.4925 13.3731  0.0001
## Boot.c   8.9328 2.3361 3.8238  3.3614 12.4688  0.0000
## Boot.t   8.9328 2.2655 3.9430  2.6345 15.2312  0.0180
##
## $est_2sls
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 10.5903 3.0243 3.5017  4.6626 16.5180  5e-04
## Boot.c   10.5903 4.2880 2.4697  2.3685 18.1580  2e-02
## Boot.t   10.5903 3.0243 3.5017  4.5112 16.6693  1e-03
##
## $AR
## $AR$Fstat
##          F      df1      df2      p
##    7.5357  2.0000 180.0000  0.0007
##
## $AR$ci.print
## [1] "[4.1787, 17.2438]"
##
## $AR$ci
## [1] 4.178671 17.243804
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##  F.standard   F.robust   F.cluster F.bootstrap F.effective
##    66.2203     49.5670    79.6400     25.8481    103.3586
##
## $rho
## [1] 0.6574
##
## $est_rf
##          Coef      SE p.value      SE.b CI.b2.5% CI.b97.5% p.value.b
## inv1950 2.5029 9.1632  0.7847 12.1395 -24.8339  22.8947     0.910
## inv1967 10.0729 8.4306  0.2322  9.4557 -9.0630  29.2884     0.198
##
## $est_fs
##          Coef      SE p.value      SE.b CI.b2.5% CI.b97.5% p.value.b
## inv1950 0.7234 0.3017  0.0165 0.4243 -0.1079  1.5285     0.104
## inv1967 0.4665 0.2878  0.1050 0.3297 -0.2696  0.9822     0.190

```

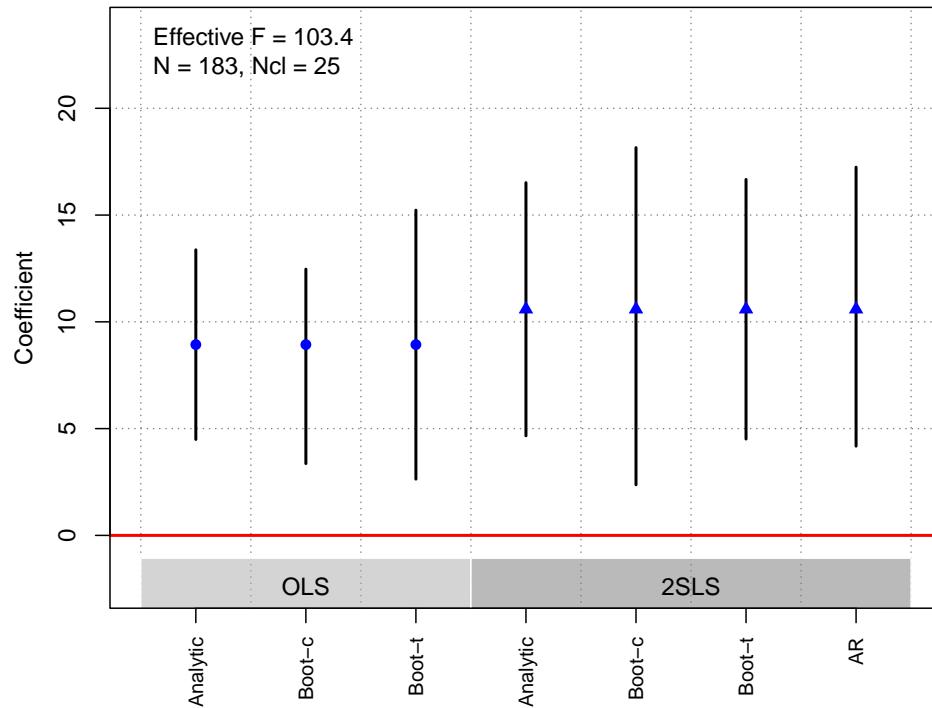
```

## 
## $p_iv
## [1] 2
##
## $N
## [1] 183
##
## $N_cl
## [1] 25
##
## $df
## [1] 175
##
## $nvalues
##      Y noncitvotsh inv1950 inv1967
## [1,] 183      183      25      25

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Wood and Grose (2022)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | House member/district |
| Treatment | incumbent found to have campaign finance violations |

Replication Summary

| | |
|------------|--------------------|
| Instrument | audit |
| Outcome | legislator Retired |
| Model | Table2(1) |

```
df <-readRDS("./data/ajps_Wood_grose_2022.rds")
## preprocess to generate xwhat and xhat in Stata
D<-"findings"
Y <- "retire__or_resign"
Z <- "audited"
controls <-c("xwhat","south")
cl <- "stcd"
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.249 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.2369 0.1076 2.2022  0.0261   0.4477  0.0276
## Boot.c   0.2369 0.1100 2.1527  0.0300   0.4642  0.0200
## Boot.t   0.2369 0.1076 2.2022 -0.0219   0.4956  0.0600
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.2869 0.1615 1.7764 -0.0297   0.6035  0.0757
## Boot.c   0.2869 0.1710 1.6783 -0.0457   0.6422  0.0860
## Boot.t   0.2869 0.1615 1.7764 -0.0847   0.6585  0.1120
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     6.1234    1.0000 433.0000   0.0137
##
## $AR$ci.print
## [1] "[0.0608, 0.5163]"
##
## $AR$ci
## [1] 0.06079225 0.51625575
##
## $AR$bounded
```

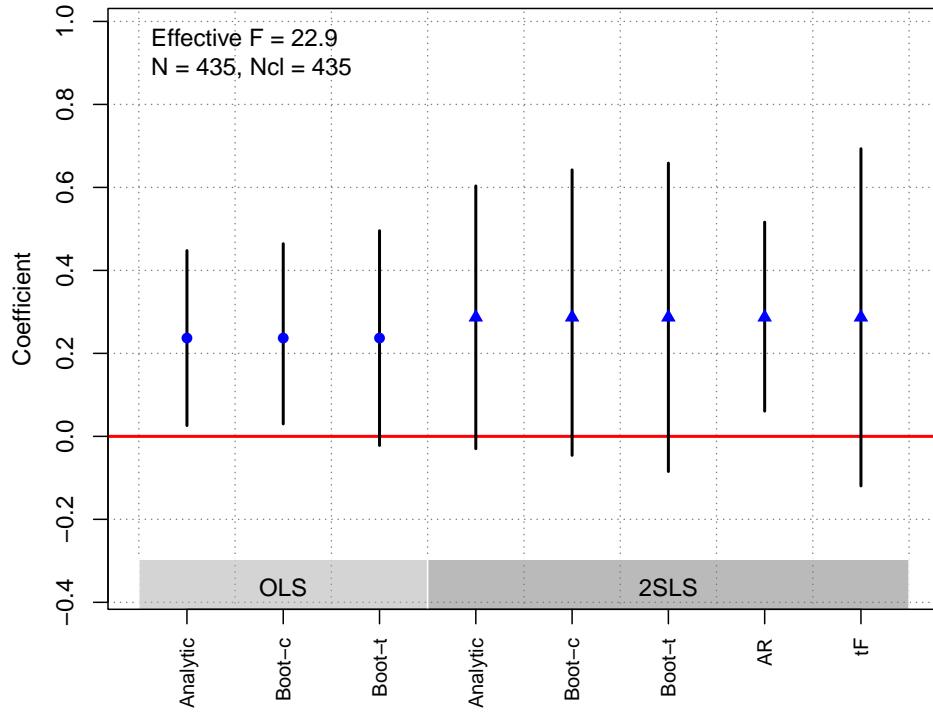
```

## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##    220.6007     22.8647     22.8647     23.1177     22.8647
##
## $rho
## [1] 0.5819
##
## $tF
##      F      cF     Coef      SE      t CI2.5% CI97.5% p-value
## 22.8647 2.5155 0.2869 0.1615 1.7764 -0.1194 0.6932 0.1663
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## audited 0.1377 0.0816 0.0916 0.0825 -0.0149 0.3121 0.086
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## audited 0.48 0.1004      0 0.0998      0.28 0.6819      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 435
##
## $N_cl
## [1] 435
##
## $df
## [1] 431
##
## $nvalues
##      retire__or_resign findings audited
## [1,]                 2          2          2

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Zhu (2017)

Replication Summary

| | |
|------------------|-------------------------------|
| Unit of analysis | province*period |
| Treatment | MNC activity |
| Instrument | weighted geographic closeness |
| Outcome | corruption |
| Model | Table1(1) |

```

df <- readRDS("./data/ajps_Zhu_2017.rds")
D <-"MNC"
Y <- "corruption1"
Z <- "lwdist"
controls <- c("lgdpcap6978", "gdp6978", "population", "lgovtexp9302",
            "pubempratio", "leduc", "pwratio", "female", "time")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.058 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.3531 0.096 3.6788  0.1650   0.5412  0.0002
## Boot.c   0.3531 0.125 2.8253  0.0673   0.5746  0.0180
## Boot.t   0.3531 0.096 3.6788  0.1339   0.5722  0.0030
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.4855 0.1121 4.3317  0.2658   0.7052  0.000
## Boot.c   0.4855 0.2024 2.3986  0.1208   0.9193  0.018
## Boot.t   0.4855 0.1121 4.3317  0.2522   0.7188  0.000
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 7.1568 1.0000 59.0000 0.0096
##
## $AR$ci.print
## [1] "[0.1302, 0.8798]"
##
## $AR$ci
## [1] 0.1302327 0.8798029
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##     45.9155     45.5515          NA     23.0582     45.5515
##
## $rho
## [1] 0.6919
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 45.5515 2.1802 0.4855 0.1121 4.3317 0.2411 0.7298 0.0001
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## lwdist 0.559 0.1698 0.001 0.2822 0.1346 1.3403 0.018
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## lwdist 1.1514 0.1706 0 0.2398 0.7729 1.7417 0

```

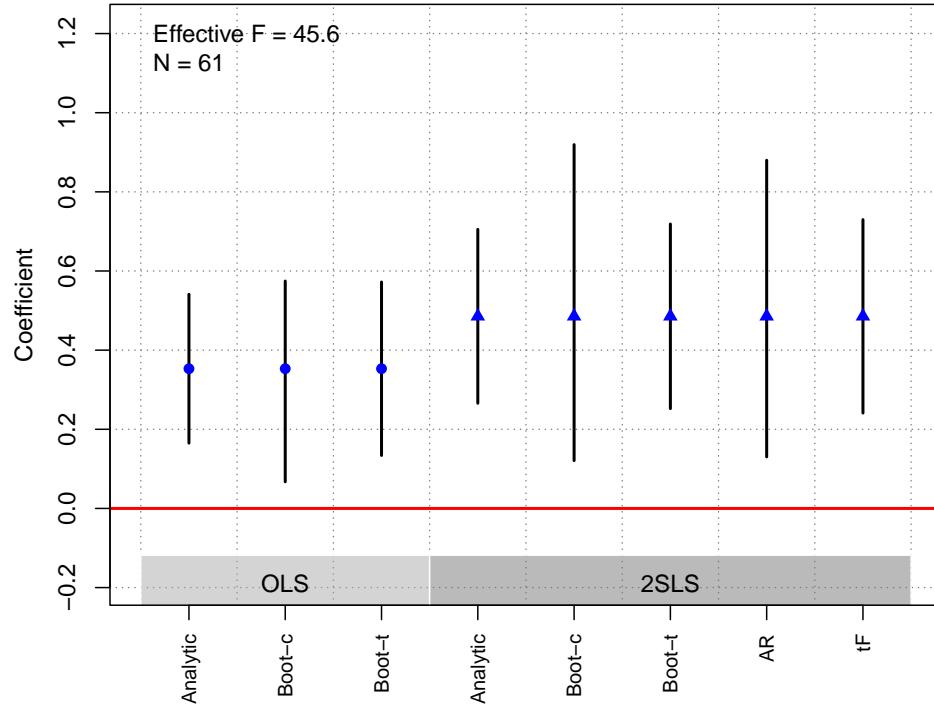
```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 61
##
## $N_cl
## NULL
##
## $df
## [1] 50
##
## $nvalues
##      corruption1 MNC lwdist
## [1,]          61    61     61

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



JOP

Acharya et al. (2016)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | county |
| Treatment | slave proportion in 1860 |
| Instrument | measures of the environmental suitability for growing cotton |
| Outcome | proportion Democrat |
| Model | Table2(2) |

```
df<-readRDS("./data/jop_Acharya_etal_2016.rds")
Y <- "dem"
D <-"pslave1860"
Z <- "cottonsuit"
controls <- c("x2", "rugged", "latitude", "x2", "longitude", "x3","x4", "water1860")
cl <- NULL
FE <- 'code'
weights<-"sample.size"
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.430 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0318 0.0474 -0.6701 -0.1247   0.0612  0.5028
## Boot.c    -0.0318 0.0473 -0.6716 -0.1174   0.0690  0.5220
## Boot.t    -0.0318 0.0474 -0.6701 -0.1402   0.0766  0.5360
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.2766 0.1343 -2.0596 -0.5399  -0.0134  0.0394
## Boot.c    -0.2766 0.1446 -1.9130 -0.5783  -0.0250  0.0380
## Boot.t    -0.2766 0.1343 -2.0596 -0.5595   0.0063  0.0530
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     7.6234  1.0000 1118.0000   0.0059
##
## $AR$ci.print
## [1] "[-0.4915, -0.0805]"
##
## $AR$ci
## [1] -0.4915207 -0.0805310
##
```

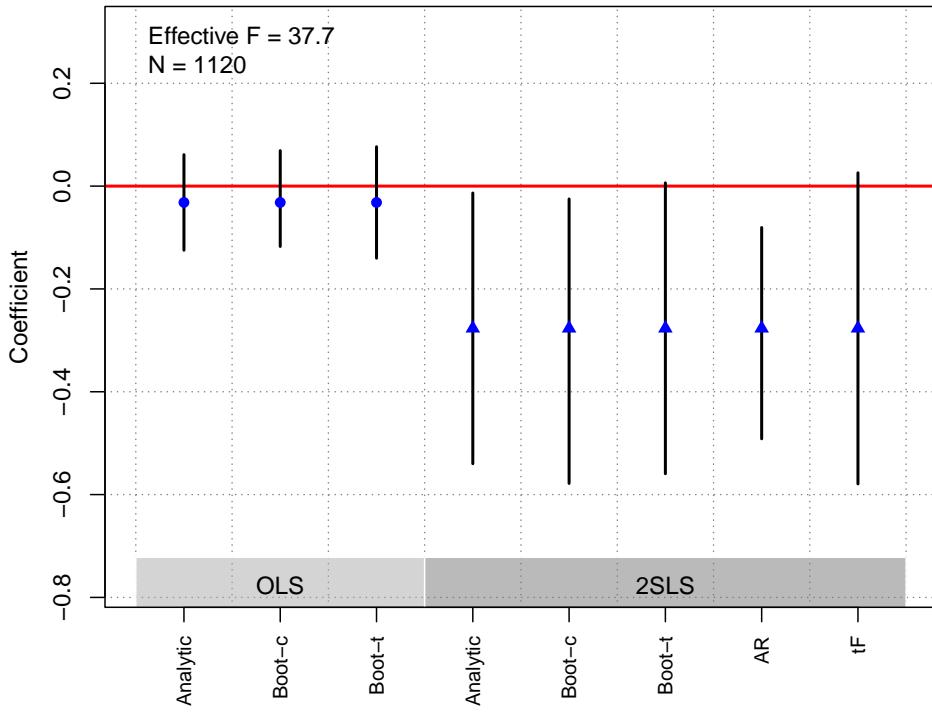
```

## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##   106.4957      37.6527      NA         34.7203     37.6527
##
## $rho
## [1] 0.2973
##
## $tF
##          F      cF     Coef       SE       t CI2.5% CI97.5% p-value
## 37.6527  2.2528 -0.2766  0.1343 -2.0596 -0.5792  0.0259  0.0731
##
## $est_rf
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## cottonsuit -0.1128 0.0518 0.0294 0.0548 -0.2156 -0.0103     0.038
##
## $est_fs
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## cottonsuit 0.4079 0.0665      0 0.0692  0.2789  0.5459      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 1120
##
## $N_cl
## NULL
##
## $df
## [1] 1098
##
## $nvalues
##      dem pslave1860 cottonsuit
## [1,] 911      1077      1120

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Alt et al. (2016)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | individual |
| Treatment | unemployment expectations |
| Instrument | assignment to receiving an aggregate unemployment forecast |
| Outcome | vote intention |
| Model | Table2(1) |

```

df<- readRDS("./data/jop_Alt_etal_2015.rds")
D <- "urate_fut"
Y <- "gov"
Z <- "treatment"
controls <- "urate_now"
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.488 sec.

```

```

## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0131 0.0026 -5.0845 -0.0182 -0.0081      0
## Boot.c   -0.0131 0.0026 -5.1170 -0.0179 -0.0085      0
## Boot.t   -0.0131 0.0026 -5.0845 -0.0179 -0.0083      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0347 0.0139 -2.5022 -0.0619 -0.0075 0.0123
## Boot.c   -0.0347 0.0144 -2.4149 -0.0614 -0.0052 0.0100
## Boot.t   -0.0347 0.0139 -2.5022 -0.0629 -0.0066 0.0140
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 0.0017    1.0000 5703.0000 0.9672
##
## $AR$ci.print
## [1] "[-0.0666, 0.0721]"
##
## $AR$ci
## [1] -0.06664959 0.07214055
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
## 60.1863     68.9098        NA     64.7231    83.3152
##
## $rho
## [1] 0.0801
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 83.3152  2.0100 -0.0347  0.0139 -2.5022 -0.0626 -0.0068 0.0147
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## treatment 0.027 0.0243 0.2661 0.0244 -0.0218 0.0759      0.27
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b

```

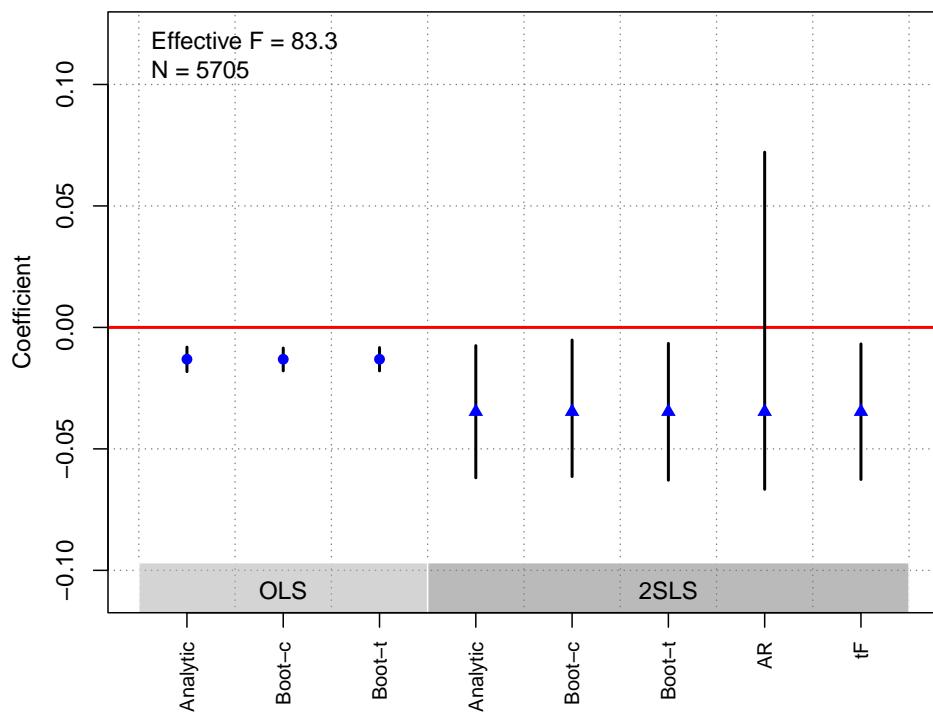
```

## treatment -0.9354 0.1169      0 0.1163 -1.1617 -0.7045      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 5705
##
## $N_cl
## NULL
##
## $df
## [1] 5702
##
## $nvalues
##      gov urate_fut treatment
## [1,]    2        88         8

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Arias and Stasavage (2019)

Replication Summary

| | |
|------------------|------------------------------------|
| Unit of analysis | country*year |
| Treatment | government expenditures |
| Instrument | trade shock \times UK bond yield |
| Outcome | regular leader turnover |
| Model | Table3(2) |

```

# Variables are already residualized against controls, fixed effects, and unit-specific trends
df<-readRDS("./data/jop_Arias_etal_2019.rds")
Y <- "regular_res"
D <- "dexpenditures_res"
Z <- "interact_res"
controls <- NULL
cl<-c("ccode", "year")
FE<-NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 14.650 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0215 0.0389 -0.5525 -0.0977   0.0547  0.5806
## Boot.c    -0.0215 0.0407 -0.5274 -0.1066   0.0556  0.5551
## Boot.t    -0.0215 0.0389 -0.5525 -0.0977   0.0548  0.5667
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.8282 1.3792 0.6005 -1.8749   3.5314  0.5482
## Boot.c    0.8282 80.3169 0.0103 -1.1894   9.0263  0.4936
## Boot.t    0.8282 1.3792 0.6005 -1.3416   2.9981  0.4852
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     0.3982  1.0000 2743.0000   0.5281
##
## $AR$ci.print
## [1] "(-Inf, Inf)"
##
## $AR$ci
## [1] -Inf  Inf

```

```

##  

## $AR$bounded  

## [1] FALSE  

##  

##  

## $F_stat  

## F.standard F.robust F.cluster F.bootstrap F.effective  

##      3.0429     3.4739    14.4763     7.9802    14.4763  

##  

## $rho  

## [1] 0.0333  

##  

## $tF  

##      F      cF     Coef      SE      t CI2.5% CI97.5% p-value  

## 14.4763 2.9071 0.8282 1.3792 0.6005 -3.1812 4.8376 0.6856  

##  

## $est_rf  

##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b  

## interact_res 0.276 0.4337 0.5245 0.4674 -0.3928 1.4277 0.4703  

##  

## $est_fs  

##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b  

## interact_res 0.3332 0.1788 0.0623 0.118 0.0787 0.5408 0.0233  

##  

## $p_iv  

## [1] 1  

##  

## $N  

## [1] 2745  

##  

## $N_cl  

## [1] 31  

##  

## $df  

## [1] 2743  

##  

## $nvalues  

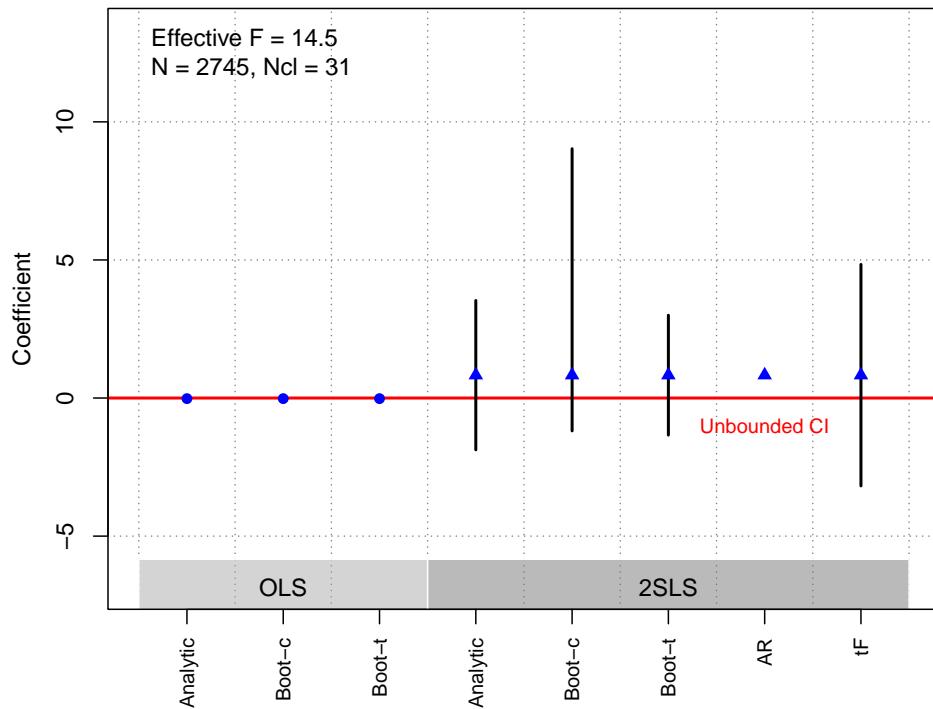
## regular_res d expenditures_res interact_res  

## [1,]      2745          2745        2745

plot_coef(g)

```

OLS and 2SLS Estimates with 95% CIs



Bhavnani and Lee (2018)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | district*period |
| Treatment | bureaucrats' embeddedness |
| Instrument | early-career job assignment |
| Outcome | proportion of villages with high schools |
| Model | Table1(4) |

```

df <-readRDS("./data/jop_Bhavnani_etal_2018.rds")
D <- "ALLlocal"
Y <- "Phigh"
Z <- "EXALLlocal"
controls <- c("ALLbachdivi", "lnnewpop", "lnnvill", "p_rural", "p_work",
           "p_aglab", "p_sc", "p_st", "lnmurderpc", "stategov", "natgov")
cl <- "distcode71"
FE<- c('distcode71','year')
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.052 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0195 0.0076 2.5542  0.0045   0.0344  0.0106
## Boot.c   0.0195 0.0075 2.5996  0.0040   0.0339  0.0200
## Boot.t   0.0195 0.0076 2.5542  0.0023   0.0367  0.0320
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.022 0.0105 2.0990  0.0015   0.0426  0.0358
## Boot.c   0.022 0.0101 2.1866  0.0025   0.0428  0.0280
## Boot.t   0.022 0.0105 2.0990 -0.0021   0.0462  0.0700
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 7.3827 1.0000 567.0000 0.0068
##
## $AR$ci.print
## [1] "[0.0063, 0.0380]"
##
## $AR$ci
## [1] 0.00629017 0.03800371
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
## F.standard    F.robust    F.cluster F.bootstrap F.effective
## 243.2947     215.8574    236.8206   241.5315    236.8206
##
## $rho
## [1] 0.7002
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 236.8206 1.9600  0.0220  0.0105  2.0990  0.0015   0.0426  0.0358
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## EXALLlocal 0.0121 0.0057  0.0344 0.0055   0.0014   0.0234     0.028
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## EXALLlocal 0.5504 0.0375          0 0.0354   0.4828   0.6193     0

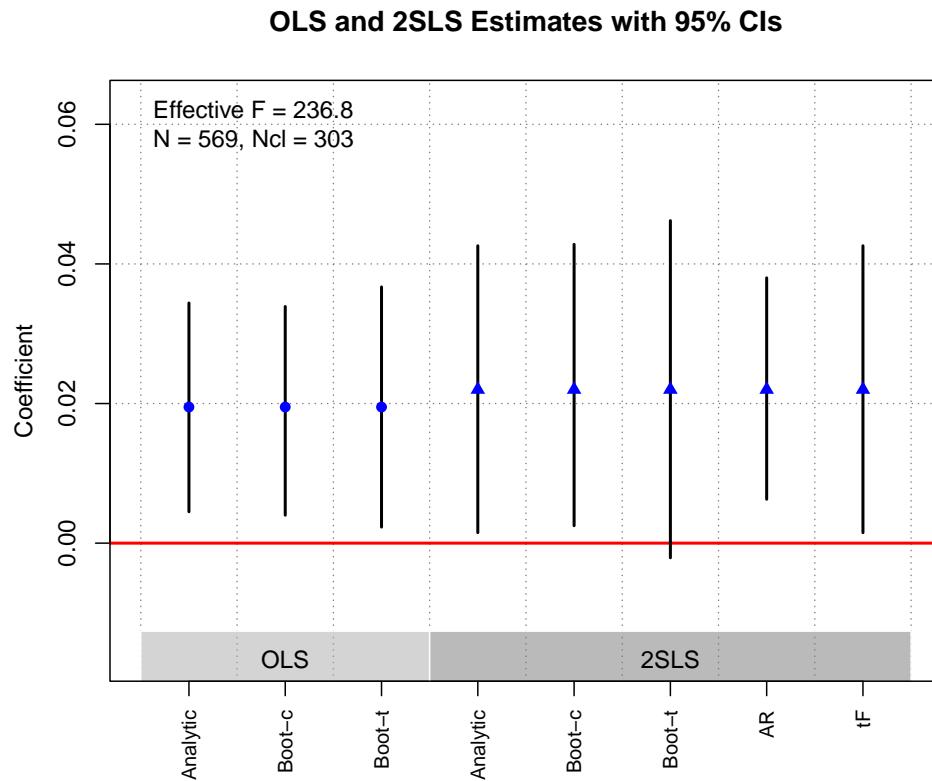
```

```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 569
##
## $N_cl
## [1] 303
##
## $df
## [1] 253
##
## $nvalues
##      Phigh ALLlocal EXALLlocal
## [1,] 567      493      318

```

```
plot_coef(g)
```



Charron and Lapuente (2013)

Replication Summary

| | |
|------------------|-------------|
| Unit of analysis | region |
| Treatment | clientelism |

Replication Summary

| | |
|------------|---|
| Instrument | consolidation of clientelistic networks in regions where rulers have historically less constraints to their decisions |
| Outcome | quality of governments |
| Model | Table3(2a) |

```
df<-readRDS("./data/jop_Charron_etal_2013.rds")
D <- "pc_all4_tol"
Y <- "eqi"
Z <- c("pc_institutions", "literacy1880")
controls <- c("logpop", "capitalregion", "ger", "it", "uk", "urb_1860_1850_30")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.168 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0176 0.0034 5.1860  0.0110  0.0243  0.000
## Boot.c   0.0176 0.0035 5.1034  0.0105  0.0241  0.000
## Boot.t   0.0176 0.0034 5.1860  0.0102  0.0251  0.001
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0233 0.0041 5.7196  0.0153  0.0313      0
## Boot.c   0.0233 0.0043 5.4129  0.0153  0.0313      0
## Boot.t   0.0233 0.0041 5.7196  0.0151  0.0315      0
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 24.8273 2.0000 53.0000 0.0000
##
## $AR$ci.print
## [1] "[0.0174, 0.0315]"
##
## $AR$ci
## [1] 0.01743370 0.03152853
##
## $AR$bounded
```

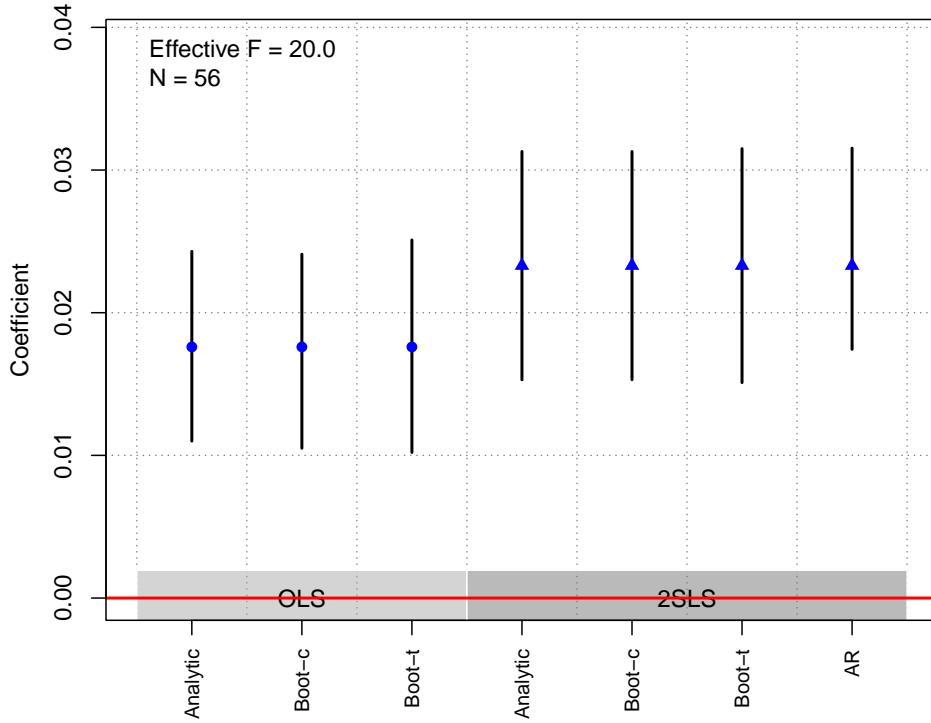
```

## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##      37.2005     31.2712       NA     31.0705    19.9514
##
## $rho
## [1] 0.7828
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## pc_institutions 0.1941 0.0765  0.0111 0.0802   0.0381   0.3489     0.01
## literacy1880    0.0204 0.0043  0.0000 0.0047   0.0102   0.0294     0.00
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## pc_institutions 12.1093 2.3469   0e+00 2.4777   7.5947  17.1954     0.000
## literacy1880     0.5348 0.1319   1e-04 0.1525   0.1837   0.7807     0.008
##
## $p_iv
## [1] 2
##
## $N
## [1] 56
##
## $N_cl
## NULL
##
## $df
## [1] 48
##
## $nvalues
##      eqi pc_all4_tol pc_institutions literacy1880
## [1,] 56          44            14          38

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Charron et al. (2017)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | region |
| Treatment | more developed bureaucracy |
| Instrument | proportion of Protestant residents in a region; aggregate literacy in 1880 |
| Outcome | percent of single bidders in procurement contracts |
| Model | Table5(4) |

```

df <- readRDS("./data/jop_Charron_et_2017.rds")
D <- "pubmerit"
Y <- "lcri_euc1_r"
Z <- c("litrate_1880", 'pctprot')
controls <- c("logpopdens", "logppp11", "trust", "pctwomenparl")
cl <- "country"
FE <- NULL
weights<-"eu_popweights"
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.236 sec.
## AR Test Inversion...

```

```

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.09 0.0142 -6.3571 -0.1178 -0.0623 0.000
## Boot.c   -0.09 0.0230 -3.9171 -0.1103 -0.0201 0.006
## Boot.t   -0.09 0.0142 -6.3571 -0.1485 -0.0316 0.008
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.1472 0.0314 -4.6940 -0.2087 -0.0857 0.00
## Boot.c   -0.1472 0.0904 -1.6293 -0.3084 0.0421 0.10
## Boot.t   -0.1472 0.0314 -4.6940 -0.2546 -0.0398 0.02
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 15.4142 2.0000 172.0000 0.0000
##
## $AR$ci.print
## [1] "[-0.2263, -0.0864]"
##
## $AR$ci
## [1] -0.22625840 -0.08637539
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 27.8775     23.2292    36.2651    6.7931     14.8219
##
## $rho
## [1] 0.4992
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## litrate_1880 -0.0009 0.0003 0.0036 0.0006 -0.0019 0.0005 0.222
## pctprot      -0.1769 0.0687 0.0100 0.1433 -0.4448 0.1249 0.312
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## litrate_1880 0.0060 0.0016 2e-04 0.0030 -0.0003 0.0118 0.064
## pctprot      1.1959 0.2723 0e+00 0.4654 -0.0038 1.9179 0.052
##
## $p_iv
## [1] 2
##

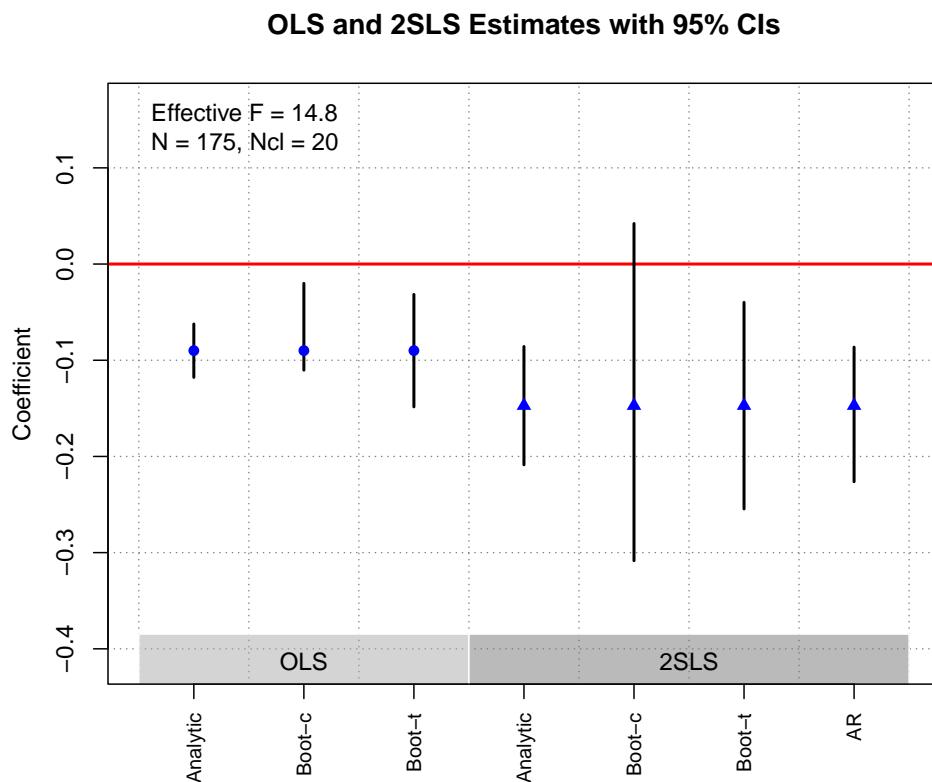
```

```

## $N
## [1] 175
##
## $N_cl
## [1] 20
##
## $df
## [1] 169
##
## $nvalues
##      lcri_euc1_r pubmerit litrate_1880 pctprot
## [1,]      173      173       78      131

```

```
plot_coef(g)
```



Cirone and Van Coppenolle (2018)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | deputy*year |
| Treatment | budget committee service |
| Instrument | random assignment of budget incumbents to bureaux |
| Outcome | legislator sponsorship on a budget bill |
| Model | Table2(2) |

```

df<- readRDS("./data/jop_Cirone_etal_2018.rds")
D <- "budget"
Y <- "F1to5billbudgetdummy"
Z <- "bureauotherbudgetincumbent"
controls <- c("budgetincumbent", "cummyears", "cummyears2",
            "age", "age2", "permargin", "permargin2",
            "inscrits", "inscrits2", "proprietaire",
            "lib_all", "civil", "paris")
cl <- c("id", "year")
FE <- "year"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 41.643 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0305 0.0192 1.5883 -0.0071  0.0681  0.1122
## Boot.c   0.0305 0.0179 1.7018 -0.0030  0.0678  0.0720
## Boot.t   0.0305 0.0192 1.5883 -0.0052  0.0661  0.0890
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.6341 0.2661 2.3827  0.1125  1.1557  0.0172
## Boot.c   0.6341 0.2653 2.3900  0.1744  1.2092  0.0060
## Boot.t   0.6341 0.2661 2.3827  0.1620  1.1062  0.0120
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##       6.6805 1.0000 8145.0000 0.0098
##
## $AR$ci.print
## [1] "[0.1551, 1.2781]"
##
## $AR$ci
## [1] 0.1550666 1.2781466
##
## $AR$bounded
## [1] TRUE
##
## 
```

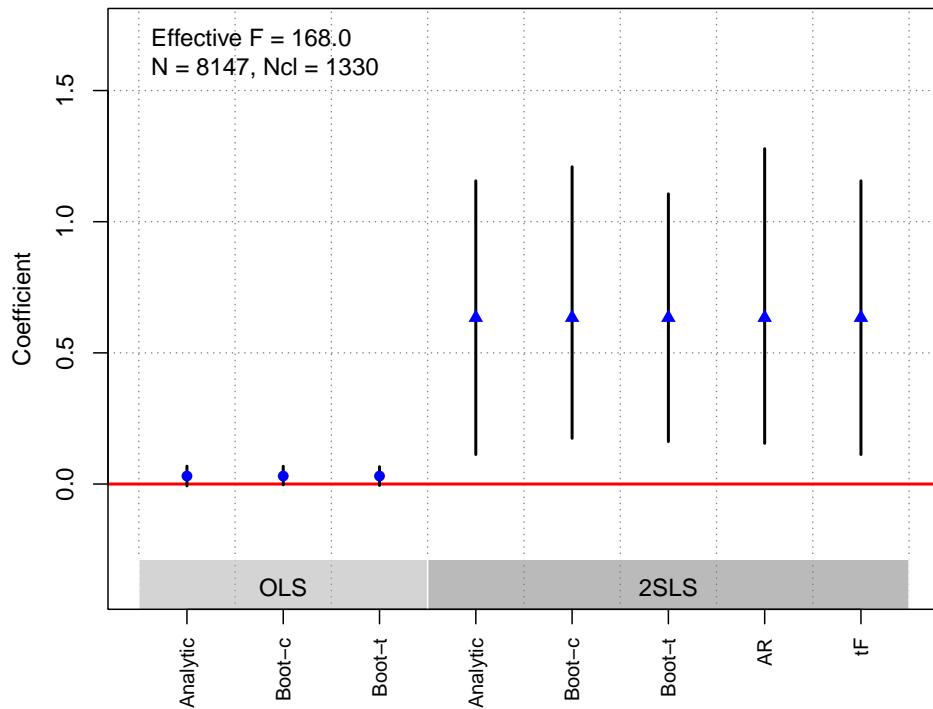
```

## $F_stat
##   F.standard    F.robust   F.cluster F.bootstrap F.effective
##   32.1302      34.2557    168.0023    31.4578     168.0023
##
## $rho
## [1] 0.0628
##
## $tF
##          F       cF      Coef       SE       t     CI2.5%   CI97.5% p-value
## 168.0023  1.9600  0.6341  0.2661  2.3827  0.1125  1.1557  0.0172
##
## $est_rf
##                               Coef       SE p.value  SE.b CI.b2.5% CI.b97.5%
## bureauotherbudgetincumbent -0.0052 0.002  0.0099 0.002 -0.0092 -0.0014
##                               p.value.b
## bureauotherbudgetincumbent      0.006
##
## $est_fs
##                               Coef       SE p.value  SE.b CI.b2.5% CI.b97.5%
## bureauotherbudgetincumbent -0.0083 0.0014      0 0.0015 -0.0113 -0.0055
##                               p.value.b
## bureauotherbudgetincumbent      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 8147
##
## $N_cl
## [1] 1330
##
## $df
## [1] 13
##
## $nvalues
##      F1to5billbudgetdummy budget bureauotherbudgetincumbent
## [1,]                2        2                      9

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Dietrich and Wright (2015)

| Replication Summary | |
|---------------------|------------------------------|
| Unit of analysis | transition |
| Treatment | economic aid |
| Instrument | constructed Z |
| Outcome | transitions to multipartyism |
| Model | Table1(2) |

```

df <- readRDS("./data/jop_Dietrich_2015.rds")
D <- "econaid"
Y <- "mp"
Z <- c("Iinfl3", "econaid_lgdp_g", "econaid_lpop_g",
      "econaid_cwar_g", "econaid_dnmp_g",
      "econaid_dnmp2_g", "econaid_dnmp3_g")
controls <- c('lgdp', 'lpop', 'cwar', 'dmp',
            'dmp2', 'dmp3', "dnmp", "dnmp2", "dnmp3")
cl<- "cowcode"
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:

```

```

## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.678 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0576 0.0272 2.1133 0.0042  0.1110  0.0346
## Boot.c   0.0576 0.0291 1.9802 -0.0115  0.1069  0.0800
## Boot.t   0.0576 0.0272 2.1133 0.0077  0.1075  0.0230
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1075 0.0491 2.1878 0.0112  0.2038  0.0287
## Boot.c   0.1075 0.0485 2.2182 0.0071  0.2054  0.0420
## Boot.t   0.1075 0.0491 2.1878 0.0128  0.2022  0.0280
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 1.6483    7.0000 362.0000 0.1207
##
## $AR$ci.print
## [1] "[-0.0203, 0.2471]"
##
## $AR$ci
## [1] -0.02025489 0.24706528
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 28.9900     47.6878    22.5931    2.1661     5.4068
##
## $rho
## [1] 0.6026
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## Iinfl3       0.0382 0.0166 0.0214 0.0225 -0.0150  0.0731  0.176
## econaid_lgdp_g 0.0459 0.0330 0.1647 0.0527  0.0061  0.2177  0.032
## econaid_lpop_g 0.0049 0.0253 0.8469 0.0369 -0.0468  0.1032  0.756
## econaid_cwar_g -0.0084 0.0733 0.9086 0.1026 -0.2346  0.1595  0.872
## econaid_dhmp_g -0.0227 0.0262 0.3853 0.0323 -0.0801  0.0470  0.584
## econaid_dhmp2_g 0.0010 0.0012 0.3965 0.0015 -0.0021  0.0034  0.638
## econaid_dhmp3_g 0.0000 0.0000 0.4922 0.0000  0.0000  0.0000  0.746

```

```

##  

## $est_fs  

##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b  

## Iinfl3      0.1561 0.0298 0.0000 0.0607  0.0003  0.2310    0.050  

## econaid_lgdp_g 0.1664 0.0605 0.0059 0.2606 -0.4516  0.6285    0.550  

## econaid_lpop_g 0.1839 0.0450 0.0000 0.1627 -0.2910  0.3743    0.328  

## econaid_cwar_g -0.2848 0.1453 0.0501 0.5659 -1.8627  0.3582    0.456  

## econaid_dhmp_g -0.0235 0.0500 0.6379 0.1002 -0.2548  0.1441    0.792  

## econaid_dnmp2_g -0.0009 0.0024 0.7103 0.0051 -0.0090  0.0111    0.922  

## econaid_dnmp3_g 0.0000 0.0000 0.2738 0.0001 -0.0001  0.0001    0.738  

##  

## $p_iv  

## [1] 7  

##  

## $N  

## [1] 370  

##  

## $N_cl  

## [1] 44  

##  

## $df  

## [1] 362  

##  

## $nvalues  

##      mp econaid Iinfl3 econaid_lgdp_g econaid_lpop_g econaid_cwar_g  

## [1,] 2     370     370          370          370          370  

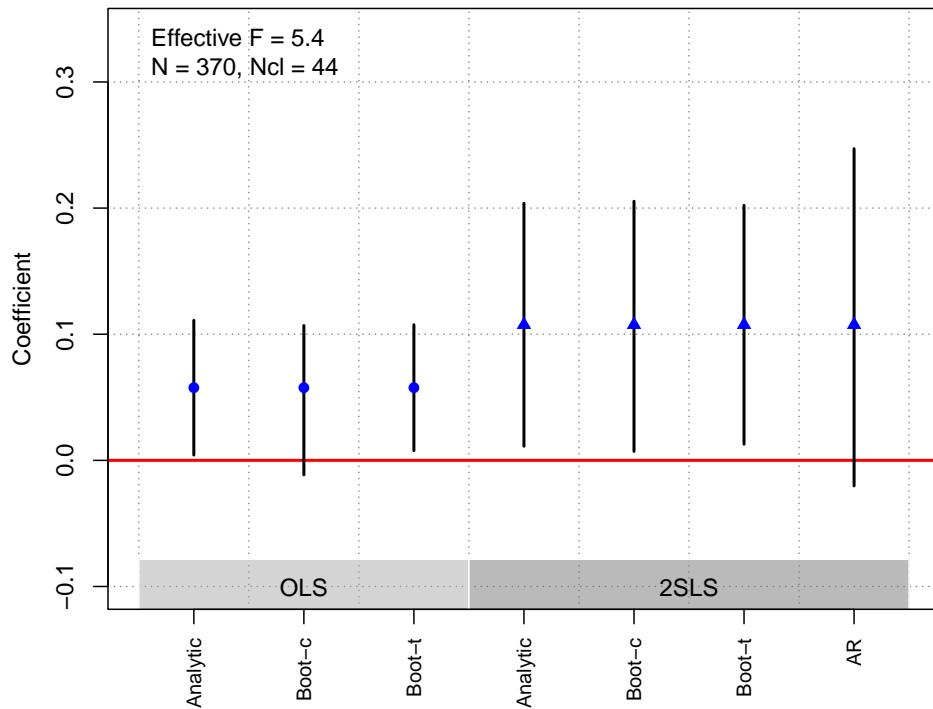
##      econaid_dnmp_g econaid_dnmp2_g econaid_dnmp3_g  

## [1,] 370     370          370

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



DiGiuseppe and Shea (2022)

Replication Summary

| | |
|------------------|------------------|
| Unit of analysis | country*year |
| Treatment | US support |
| Instrument | echelon corridor |
| Outcome | property rights |
| Model | Table1(5) |

```

df <-readRDS("./data/jop_digiuseppe_2022.rds")
D <- "wi_usa_median"
Y<- "Fwi_v2stfiscap2"
Z <- "Echelon2"
controls <-c("wi_v2xcl_prpty", "wi_compete", "wi_lnpop_wdi",
           "wi_lngdppc", "wi_polity2", "wi_polity2_2", "wi_ny_gdp_totl_rt_zs",
           "wi_cwyrs", "wi_c2", "wi_c3", "coldwar")
cl<- NULL
FE<- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores

```

```

## Bootstrap took 13.713 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0443 0.0156 2.8331 0.0136  0.0749  0.0046
## Boot.c   0.0443 0.0157 2.8182 0.0134  0.0731  0.0080
## Boot.t   0.0443 0.0156 2.8331 0.0137  0.0748  0.0040
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.8158 0.3217 2.536  0.1853  1.4463  0.0112
## Boot.c   0.8158 0.6373 1.280  0.2583  2.1753  0.0040
## Boot.t   0.8158 0.3217 2.536  0.2232  1.4085  0.0110
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 21.8229  1.0000 2366.0000 0.0000
##
## $AR$ci.print
## [1] "[0.4362, 1.5943]"
##
## $AR$ci
## [1] 0.4362239 1.5943165
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 18.8218       12.1084          NA       12.2382     12.1084
##
## $rho
## [1] 0.089
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 12.1084  3.1262  0.8158  0.3217  2.5360 -0.1899  1.8215  0.1118
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## Echelon2 0.1792 0.0615 0.0036 0.0623  0.0582    0.3015     0.004
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b

```

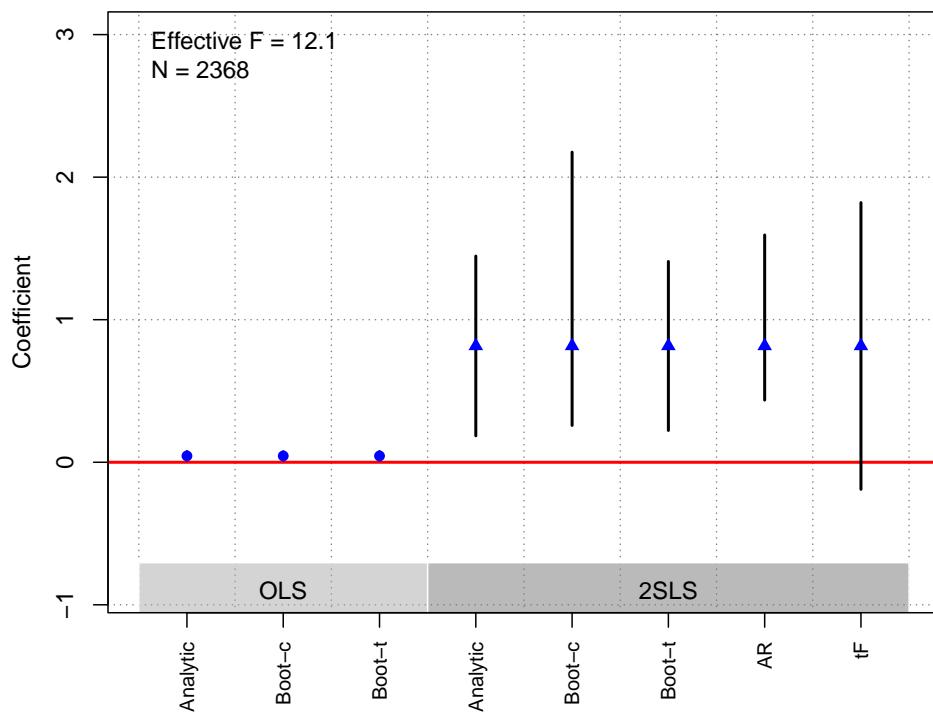
```

## Echelon2 0.2196 0.0631 5e-04 0.0628 0.0865 0.3336 0
##
## $p_iv
## [1] 1
##
## $N
## [1] 2368
##
## $N_cl
## NULL
##
## $df
## [1] 2355
##
## $nvalues
##      Fwi_v2stfiscap2 wi_usa_median Echelon2
## [1,]          314           2368         2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Dube and Naidu (2015)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | municipality*year |
| Treatment | changes in US funding to Colombia |
| Instrument | US funding in countries outside of Latin America |
| Outcome | the number of paramilitary attacks |
| Model | Table1(1) |

```
df<-readRDS("./data/jop_Dube_etal_2015.rds")
D <- "bases6x1rmilnar_col"
Y <- "paratt"
Z <- "bases6x1rmilwnl"
controls <-"lnnewpop"
cl <- "municipality"
FE <- c("year","municipality")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 46.482 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1503 0.0460 3.2692  0.0602   0.2404  0.0011
## Boot.c   0.1503 0.0628 2.3928  0.0408   0.2843  0.0100
## Boot.t   0.1503 0.0460 3.2692  0.0192   0.2815  0.0330
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.3149 0.1134 2.7771  0.0927   0.5372  0.0055
## Boot.c   0.3149 0.1203 2.6169  0.0954   0.5639  0.0020
## Boot.t   0.3149 0.1134 2.7771  0.0333   0.5965  0.0330
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 108.9533    1.0000 16604.0000    0.0000
##
## $AR$ci.print
## [1] "[0.2560, 0.3739]"
##
## $AR$ci
## [1] 0.2559553 0.3738911
```

```

##  

## $AR$bounded  

## [1] TRUE  

##  

##  

## $F_stat  

## F.standard F.robust F.cluster F.bootstrap F.effective  

## 7003.8727 810.8395 185092.5288 175966.6248 185092.5288  

##  

## $rho  

## [1] 0.556  

##  

## $tF  

##          F       cF      Coef       SE        t     CI2.5%  

## 185092.5288 1.9600  0.3149  0.1134  2.7771  0.0927  

##      CI97.5%   p-value  

## 0.5372    0.0055  

##  

## $est_rf  

##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b  

## bases6xlrilmwl 1.1155 0.3994  0.0052 0.4263  0.3379  1.9989  0.002  

##  

## $est_fs  

##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b  

## bases6xlrilmwl 3.5422 0.1244  0 0.0084  3.5237  3.5565  0  

##  

## $p_iv  

## [1] 1  

##  

## $N  

## [1] 16606  

##  

## $N_cl  

## [1] 936  

##  

## $df  

## [1] 935  

##  

## $nvalues  

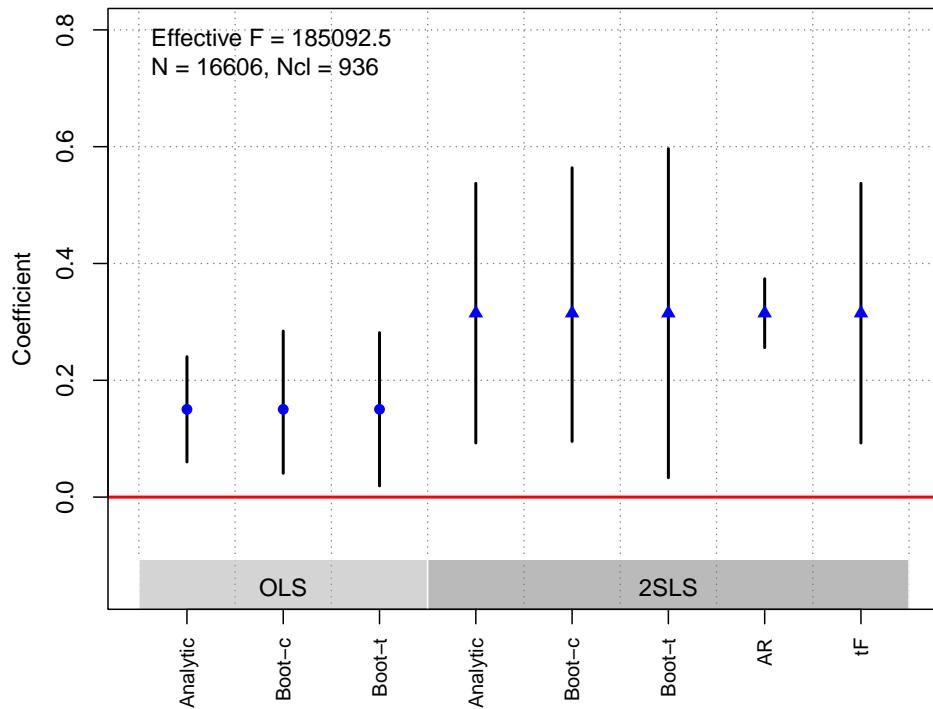
##      paratt bases6xlrilmnar_col bases6xlrilmwl  

## [1,]    13             19            18

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Feigenbaum and Hall (2015)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | congressional district*decade |
| Treatment | localized trade shocks in congressional districts |
| Instrument | Chinese exports to other economies*local exposure |
| Outcome | trade score based on congressional voting |
| Model | Table1(3) |

```

df<-readRDS("./data/jop_Feigenbaum_etal_2015.rds")
D <- "x"
Y <- "tradescore"
Z <- "z"
controls <- c("dem_share")
cl <- "state_cluster"
FE <- "decade"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 28.519 sec.
## AR Test Inversion...

```

```

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.108 0.2489 -0.4339 -0.5958   0.3798  0.6643
## Boot.c   -0.108 0.3238 -0.3335 -0.7464   0.5155  0.7240
## Boot.t   -0.108 0.2489 -0.4339 -0.7255   0.5095  0.7150
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.6976 0.3321 -2.1004 -1.3486 -0.0466  0.0357
## Boot.c   -0.6976 0.4066 -1.7156 -1.5123  0.0987  0.0840
## Boot.t   -0.6976 0.3321 -2.1004 -1.4809  0.0857  0.0700
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 4.4060  1.0000 860.0000  0.0361
##
## $AR$ci.print
## [1] "[-1.3552, -0.0466]"
##
## $AR$ci
## [1] -1.35524026 -0.04662122
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard    F.robust    F.cluster F.bootstrap F.effective
## 1189.3393     204.4798    75.5233    74.1384    75.5233
##
## $rho
## [1] 0.7622
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 75.5233  2.0310 -0.6976  0.3321 -2.1004 -1.3722 -0.0231  0.0427
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## z -0.5863 0.2683  0.0289 0.3461  -1.2788   0.0863    0.084
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## z 0.8405 0.0588      0 0.0976  0.6957   1.0709      0
##
## $p_iv

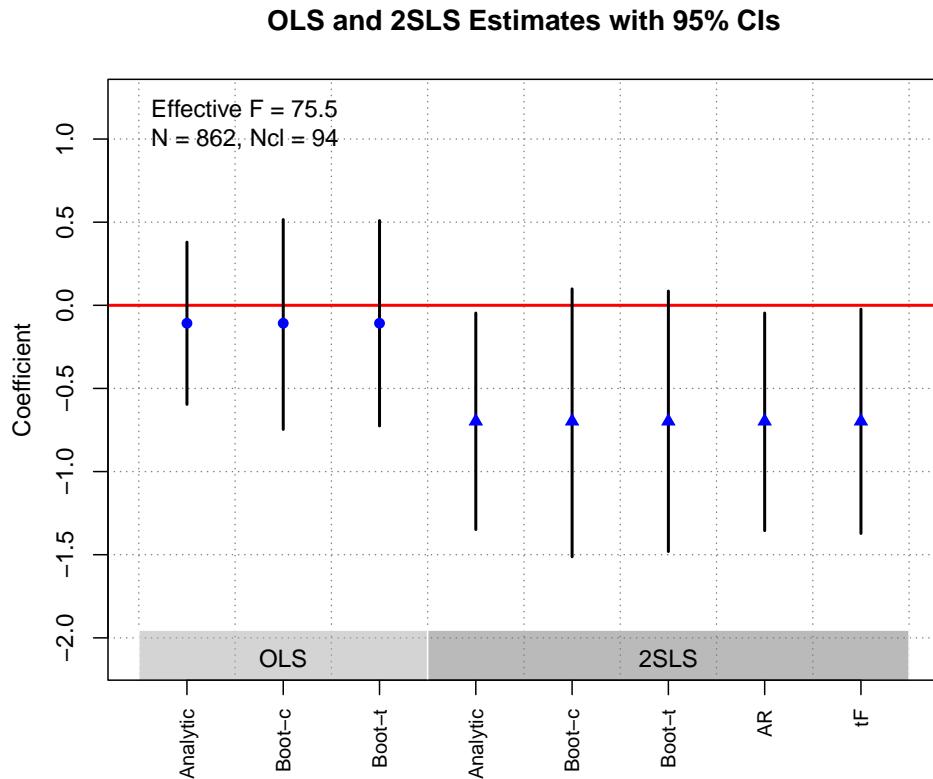
```

```

## [1] 1
##
## $N
## [1] 862
##
## $N_cl
## [1] 94
##
## $df
## [1] 858
##
## $nvalues
##      tradescore     x     z
## [1,]       709   698  697

```

```
plot_coef(g)
```



Flores-Macias and Kreps (2013)

Replication Summary

| | |
|------------------|----------------------------|
| Unit of analysis | country*year |
| Treatment | trade volume |
| Instrument | lagged energy production |
| Outcome | foreign policy convergence |

Replication Summary

Model

Table2(1)

```
df<- readRDS("./data/jop_Flores_etal_2013.rds")
D <- "log_tot_trade"
Y <- "log_HRVOTE"
Z <- "lag_log_energ_prod"
controls <- c("log_cinc", "us_aid100", "log_tot_ustrade",
             "Joint_Dem_Dum", "pts_score", "dummy2004")
cl <- NULL
FE <- 'statea'
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 28.491 sec.
## AR Test Inversion...

## $est_ols
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0191 0.0044 4.3531  0.0105  0.0277      0
## Boot.c   0.0191 0.0044 4.3359  0.0109  0.0285      0
## Boot.t   0.0191 0.0044 4.3531  0.0103  0.0279      0
##
## $est_2sls
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0456 0.0135 3.3747  0.0191  0.0721  7e-04
## Boot.c   0.0456 0.0147 3.1102  0.0180  0.0752  0e+00
## Boot.t   0.0456 0.0135 3.3747  0.0178  0.0734  1e-03
##
## $AR
## $AR$Fstat
##          F      df1      df2      p
## 13.0878  1.0000 590.0000  0.0003
##
## $AR$ci.print
## [1] "[0.0213, 0.0735]"
##
## $AR$ci
## [1] 0.0212854 0.0734630
##
## $AR$bounded
## [1] TRUE
##
```

```

##  

## $F_stat  

## F.standard   F.robust   F.cluster F.bootstrap F.effective  

##      66.1143     53.6345        NA     50.6690     53.6345  

##  

## $rho  

## [1] 0.3295  

##  

## $tF  

##          F      cF     Coef      SE      t CI2.5% CI97.5% p-value  

## 53.6345 2.1276 0.0456 0.0135 3.3747 0.0169 0.0744 0.0019  

##  

## $est_rf  

##                      Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## lag_log_energ_prod 0.1086 0.0301 3e-04 0.0318 0.0438 0.1708 0  

##  

## $est_fs  

##                      Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## lag_log_energ_prod 2.3803 0.325 0 0.3344 1.7606 3.114 0  

##  

## $p_iv  

## [1] 1  

##  

## $N  

## [1] 592  

##  

## $N_cl  

## NULL  

##  

## $df  

## [1] 543  

##  

## $nvalues  

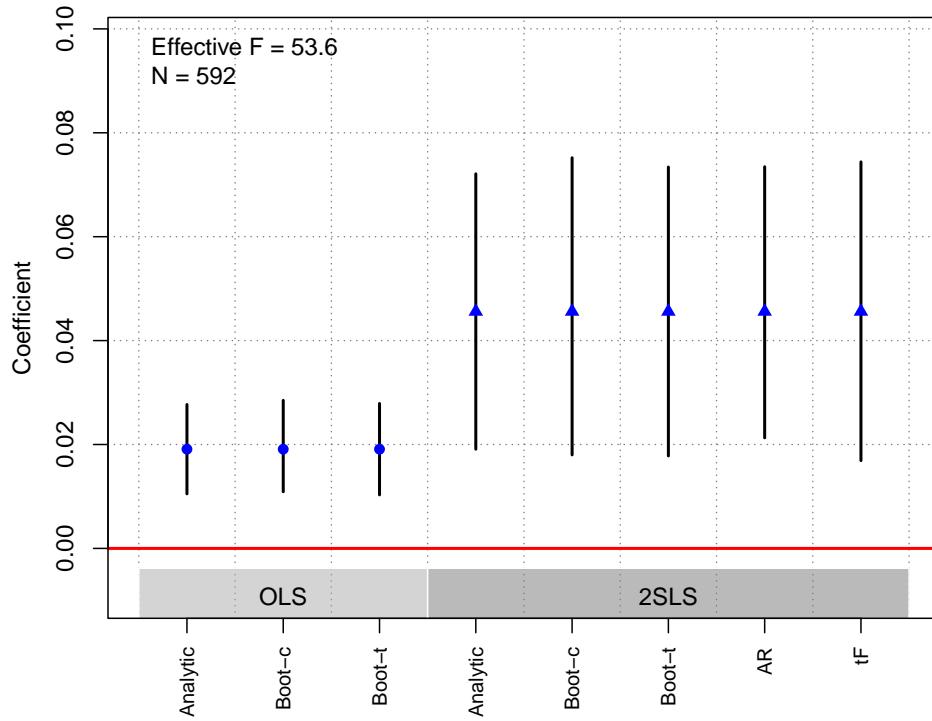
##      log_HRVOTE log_tot_trade lag_log_energ_prod  

## [1,]         32           590          581

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Gehlbach and Keefer (2012)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | nondemocratic episode |
| Treatment | age of ruling party less leader years in office |
| Instrument | whether the first ruler in a nondemocratic episode is a military leader |
| Outcome | private invest |
| Model | Table1(4) |

```

df<- readRDS("./data/jop_Gelbach_etal_2012.rds")
D <- "gov1_yrs"
Y <- "gfcf_priv_gdp"
Z <- "military_first_alt"
controls <- c("tenure", "stabs", "fuelex_gdp", "oresex_gdp",
            "frac_ethn", "frac_relig", "frac_ling", "pop_yng_pct",
            "pop_tot", "pop_ru_pct", "land_km", "gdppc_ppp_2005_us")
cl <- "ifs_code"
FE <-NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores

```

```

## Bootstrap took 13.845 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1304 0.0347 3.7620  0.0624   0.1983   2e-04
## Boot.c   0.1304 0.0410 3.1809  0.0509   0.2195   4e-03
## Boot.t   0.1304 0.0347 3.7620  0.0514   0.2093   1e-03
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.3956 0.1843 2.1468  0.0344   0.7567   0.0318
## Boot.c   0.3956 0.3102 1.2750  0.0900   1.1897   0.0040
## Boot.t   0.3956 0.1843 2.1468  0.0490   0.7421   0.0290
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 5.4776 1.0000 97.0000 0.0213
##
## $AR$ci.print
## [1] "[0.0713, 1.3905]"
##
## $AR$ci
## [1] 0.07126795 1.39051194
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##       6.3713      9.2042     9.5714      8.4225     9.5714
##
## $rho
## [1] 0.2641
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 9.5714 3.5187 0.3956 0.1843 2.1468 -0.2528 1.0439 0.2318
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## military_first_alt -3.3385 1.4608 0.0223 1.4141 -6.5059 -0.7425   0.004
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b

```

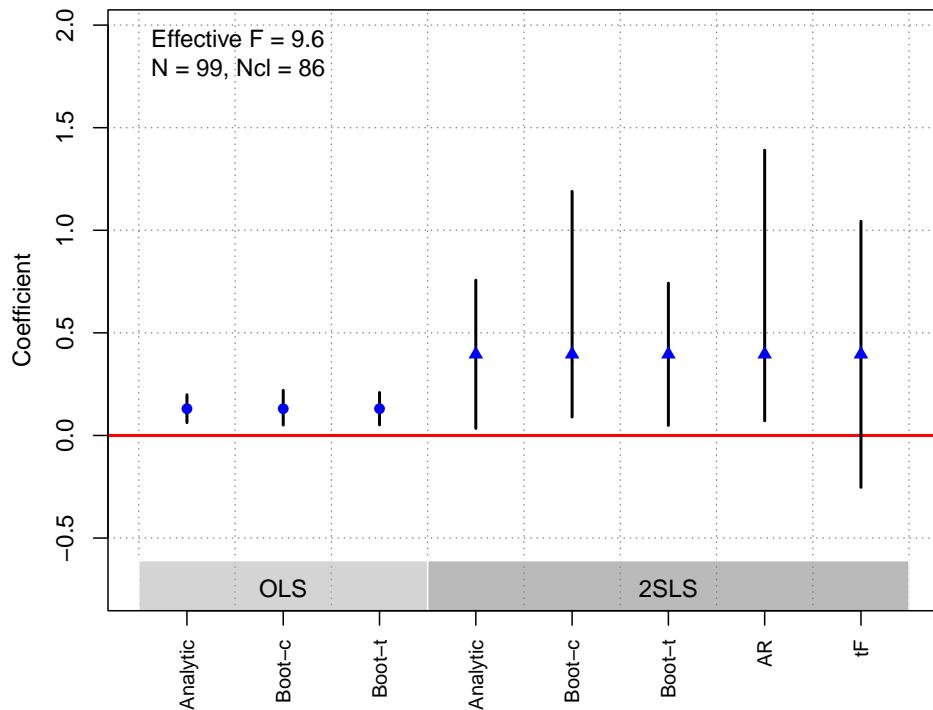
```

## military_first_alt -8.4401 2.782  0.0024 2.9082 -14.2494   -2.9162      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 99
##
## $N_cl
## [1] 86
##
## $df
## [1] 85
##
## $nvalues
##      gfcf_priv_gdp gov1_yrs military_first_alt
## [1,]         99          63                  2

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Grossman et al. (2017)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | region * year |
| Treatment | government fragmentation |
| Instrument | the number of distinct landmasses; length of medium and small streams; over-time variation in the number of regional governments |
| Outcome | public goods provision |
| Model | Table1(8) |

```
df<-readRDS("./data/jop_Grossman_2017.rds")
Y <- "ServicesCA"
D <- "ladminpc_15"
Z <- c("lmeanMINUSi_adminpc_16", "lmeanMINUSi_adminpc2_16",
      "herf", "herf2", "llength", "llength2")
controls <- c("lpop_1", "wdi_urban_1", "lgdppc_1", "conflict_1",
             "dpi_state_1", "p_polity2_1",
             "loilpc_1", "aid_pc_1", "al_ethnic")
cl <- "ccodecow"
FE <- "year"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))
```

```
## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 29.803 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0364 0.0379 0.9604 -0.0379   0.1107  0.3369
## Boot.c   0.0364 0.1309 0.2781 -0.1858   0.3228  0.7713
## Boot.t   0.0364 0.0379 0.9604 -0.1982   0.2710  0.7484
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.4164 0.0686 6.0671  0.2819   0.5509  0.0000
## Boot.c   0.4164 0.2050 2.0313 -0.0990   0.6972  0.1393
## Boot.t   0.4164 0.0686 6.0671 -0.0776   0.9104  0.1029
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 9.4224  6.0000 511.0000  0.0000
##
## $AR$ci.print
```

```

## [1] "[0.2558, 0.6339]"
##
## $AR$ci
## [1] 0.2557837 0.6339076
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##   39.9978      40.9874     11.9593      1.0610      6.1390
##
## $rho
## [1] 0.581
##
## $est_rf
##                               Coef      SE p.value      SE.b CI.b2.5% CI.b97.5%
## lmeanMINUSi_adminpc_16  6.0801 6.5063  0.3500  11.4596 -19.3560  28.7435
## lmeanMINUSi_adminpc2_16 -3.9097 1.9985  0.0504  3.1987 -10.4019  2.6593
## herf                   -0.0170 1.7102  0.9920 456.7395 -63.3790 1650.6832
## herf2                  -0.0545 1.2017  0.9638 236.1597 -853.3592 33.8186
## llength                 0.0669 0.0195  0.0006  0.8573 -0.9620  2.4337
## llength2                -0.0029 0.0014  0.0382  0.0320 -0.0932  0.0347
##                               p.value.b
## lmeanMINUSi_adminpc_16    0.4636
## lmeanMINUSi_adminpc2_16   0.1850
## herf                     0.6861
## herf2                    0.6341
## llength                  0.3909
## llength2                 0.4844
##
## $est_fs
##                               Coef      SE p.value      SE.b CI.b2.5% CI.b97.5%
## lmeanMINUSi_adminpc_16  27.1296 8.8691  0.0022  20.9404 -12.2898  72.9647
## lmeanMINUSi_adminpc2_16 -13.3452 3.0243  0.0000  7.2207 -33.8902 -2.4266
## herf                   3.5973 2.4308  0.1389 386.3592 -1361.7025 70.1391
## herf2                  -2.4844 1.6773  0.1386 200.0866 -45.1780 696.6542
## llength                 0.0536 0.0162  0.0009  0.8918 -0.9538  2.4229
## llength2                0.0002 0.0012  0.8936  0.0334 -0.0892  0.0398
##                               p.value.b
## lmeanMINUSi_adminpc_16    0.1476
## lmeanMINUSi_adminpc2_16   0.0125
## herf                     0.9709
## herf2                    0.9397
## llength                  0.5031
## llength2                 0.8503

```

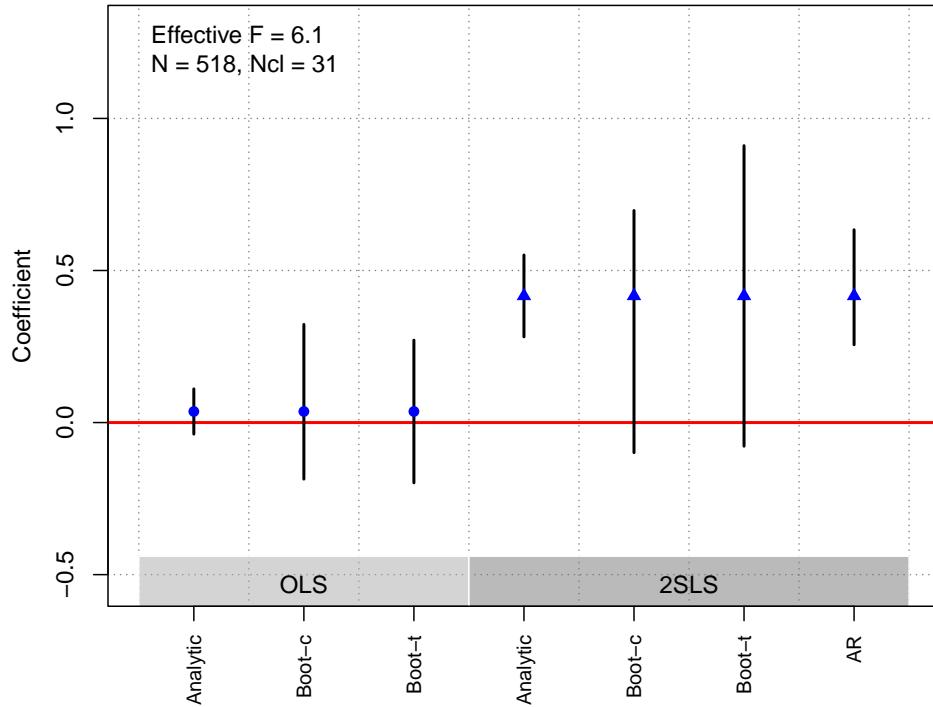
```

## 
## $p_iv
## [1] 6
##
## $N
## [1] 518
##
## $N_cl
## [1] 31
##
## $df
## [1] 476
##
## $nvalues
##      ServicesCA ladminpc_15 lmeanMINUSi_adminpc_16 lmeanMINUSi_adminpc2_16 herf
## [1,]      518      518          518          518     15
##      herf2 llength llength2
## [1,]     15      29       29

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Healy and Malhotra (2013)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | individual |
| Treatment | the share of a respondent's siblings who are female |
| Instrument | whether the younger sibling is a sister |
| Outcome | gender-role attitude in 1973 |
| Model | Table1(1) |

```
df <- readRDS("./data/jop_Healy_et al_2013.rds")
D <-"share_sis"
Y <- "womens_rights73"
Z <- "closest"
controls <- "num_sib"
cl <- "PSU"
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.956 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0451 0.0516 0.8748 -0.0560   0.1463  0.3817
## Boot.c   0.0451 0.0516 0.8747 -0.0539   0.1399  0.4060
## Boot.t   0.0451 0.0516 0.8748 -0.0510   0.1413  0.4030
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.1706 0.0790 2.1589  0.0157   0.3254  0.0309
## Boot.c   0.1706 0.0821 2.0764  0.0104   0.3349  0.0400
## Boot.t   0.1706 0.0790 2.1589  0.0114   0.3298  0.0310
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 4.8656  1.0000 277.0000  0.0282
##
## $AR$ci.print
## [1] "[0.0189, 0.3302]"
##
## $AR$ci
## [1] 0.01887136 0.33015989
##
```

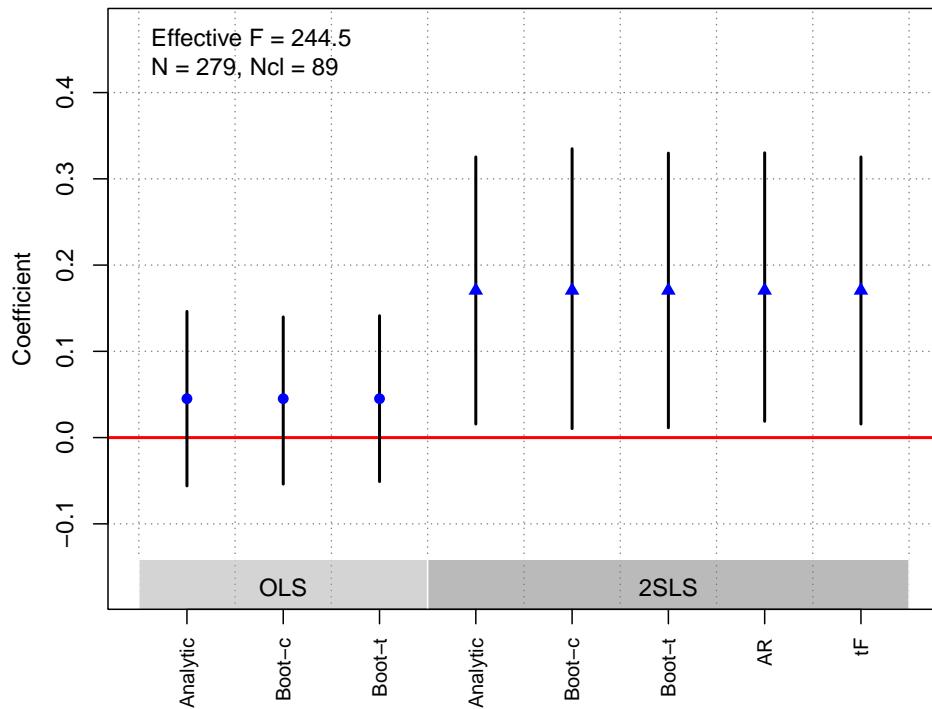
```

## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##   255.3329     252.1198    244.4704    237.9336    244.4704
##
## $rho
## [1] 0.6932
##
## $tF
##          F       cF      Coef       SE       t    CI2.5%  CI97.5% p-value
## 244.4704 1.9600  0.1706  0.0790  2.1589  0.0157  0.3254  0.0309
##
## $est_rf
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## closest 0.0832 0.0379 0.0281 0.0395  0.0051  0.1602      0.04
##
## $est_fs
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## closest 0.4876 0.0307      0 0.0316  0.4255  0.5454      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 279
##
## $N_cl
## [1] 89
##
## $df
## [1] 276
##
## $nvalues
##      womens_rights73 share_sis closest
## [1,]            7        17        2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Henderson and Brooks (2016) (a)

Replication Summary

| | |
|------------------|---------------------------------|
| Unit of analysis | district*year |
| Treatment | Democratic vote margins |
| Instrument | rain around election day |
| Outcome | incumbent roll call positioning |
| Model | Table3(1) |

```

df<- readRDS("./data/jop_Henderson_etal_2016.rds")
df$fe_id_num<-df$`as.factor(fe_id_num)`
D <- "dose"
Y <- "vote"
Z <- c("rain_day", "rain_day_prev")
controls <- c("d_inc", "dist_prev", "midterm", "pres_party", "black",
             "construction", "educ", "minc", "farmer", "forborn",
             "gvtwkr", "manuf", "pop", "unempld", "urban", "retail",
             "sos", "gov", "comp_cq", "redistricted", "dose_prv", "vote_prv")
cl <- "fe_id_num" # incumbent
FE <- "fe_id_num"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 44.196 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0124 0.0402 0.3089 -0.0664  0.0913  0.7574
## Boot.c   0.0124 0.0547 0.2274  0.0229  0.2354  0.0300
## Boot.t   0.0124 0.0402 0.3089 -0.1591  0.1839  0.9850
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.2984 0.4963 -2.6159 -2.2712 -0.3255  0.0089
## Boot.c   -1.2984 2.2122 -0.5869 -5.9836  0.6294  0.1480
## Boot.t   -1.2984 0.4963 -2.6159 -2.2929 -0.3038  0.0210
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 11.7276 2.0000 6234.0000 0.0000
##
## $AR$ci.print
## [1] "[-1.7252, -1.1097]"
##
## $AR$ci
## [1] -1.725204 -1.109747
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 26.4294     21.5068     22.8295     11.2374     26.9117
##
## $rho
## [1] 0.1066
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## rain_day     0.0326 0.0106  0.0021 0.0106  0.0179  0.0588  0.002
## rain_day_prev 0.0153 0.0089  0.0868 0.0121 -0.0251  0.0217  0.906
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b

```

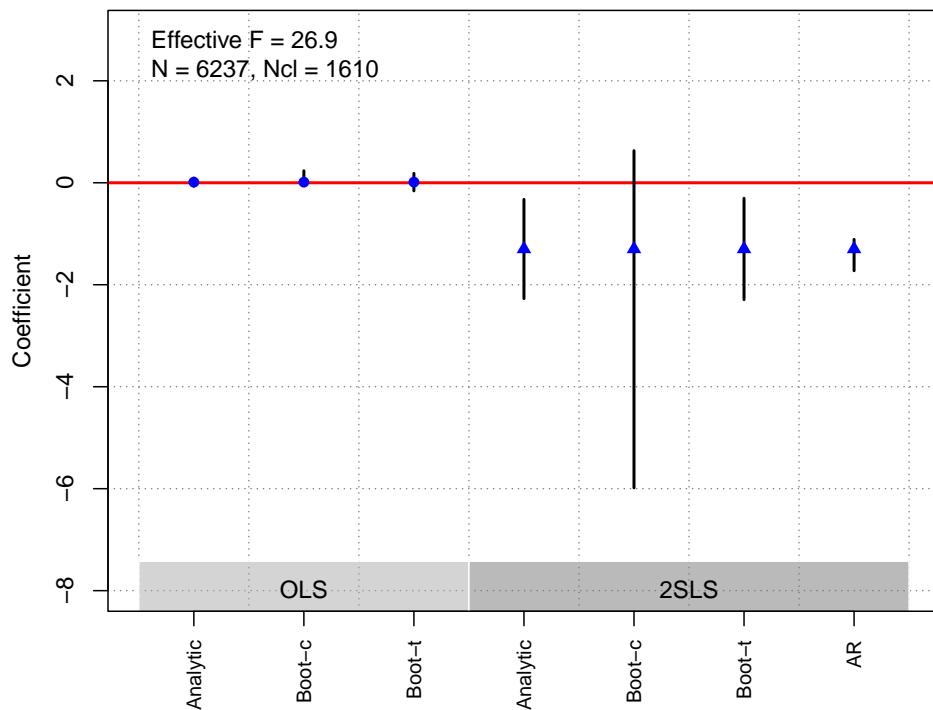
```

## rain_day      -0.0144  0.0032      0  0.0043  -0.0194   -0.0028     0.008
## rain_day_prev -0.0187  0.0033      0  0.0045  -0.0191   -0.0019     0.014
##
## $p_iv
## [1] 2
##
## $N
## [1] 6237
##
## $N_cl
## [1] 1610
##
## $df
## [1] 1609
##
## $nvalues
##      vote dose rain_day rain_day_prev
## [1,] 6230 5138      5321        5326

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Henderson and Brooks (2016) (b)

Replication Summary

| | |
|------------------|---------------------------------|
| Unit of analysis | district*year |
| Treatment | Democratic vote margins |
| Instrument | rain around election weekend |
| Outcome | incumbent roll call positioning |
| Model | Table3(2) |

```

df<- readRDS("./data/jop_Henderson_etal_2016.rds")
df$fe_id_num<-df$`as.factor(fe_id_num)`
D <- "dose"
Y <- "vote"
Z <- c("rain_weekend", "rain_weekend_prev")
controls <- c("d_inc", "dist_prev", "midterm", "pres_party", "black",
             "construction", "educ", "minc", "farmer", "forborn",
             "gvtwkr", "manuf", "pop", "unempld", "urban", "retail",
             "sos", "gov", "comp_cq", "redistricted", "dose_prv", "vote_prv")
cl <- "fe_id_num" # incumbent
FE <- "fe_id_num"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 44.337 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0124 0.0402 0.3089 -0.0664   0.0913  0.7574
## Boot.c   0.0124 0.0519 0.2393  0.0241   0.2274  0.0180
## Boot.t   0.0124 0.0402 0.3089 -0.1549   0.1797  0.9770
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -1.1444 0.4588 -2.494 -2.0437  -0.2450  0.0126
## Boot.c   -1.1444 0.9395 -1.218 -3.0592   0.5846  0.1900
## Boot.t   -1.1444 0.4588 -2.494 -2.1661  -0.1226  0.0370
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     8.6638    2.0000 6234.0000   0.0002
##
## $AR$ci.print

```

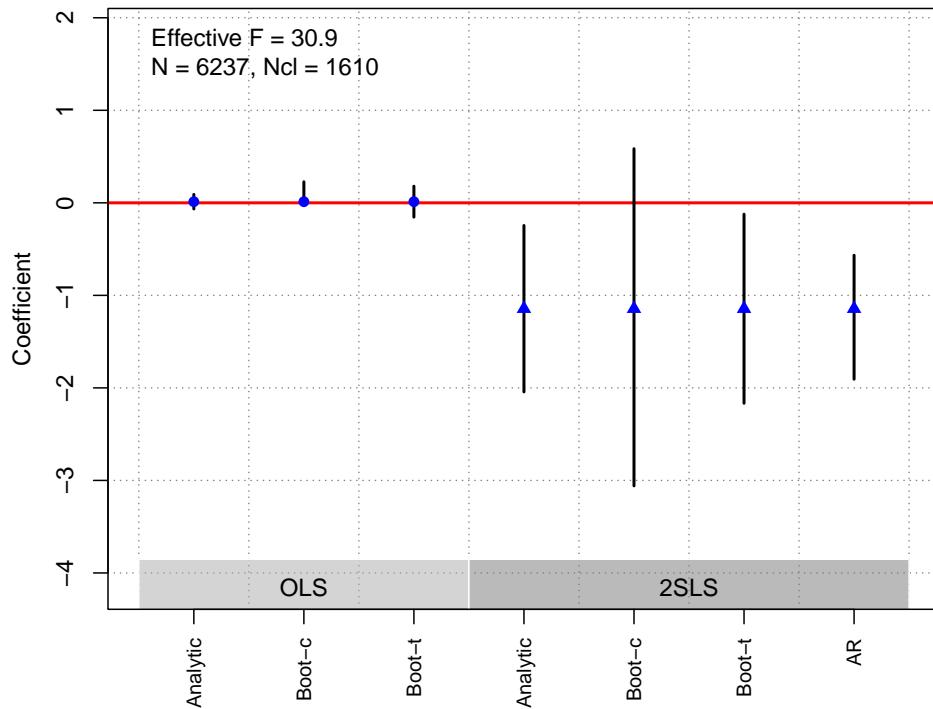
```

## [1] "[-1.9060, -0.5662]"
##
## $AR$ci
## [1] -1.9060260 -0.5662246
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##       30.3614      24.5741      26.3171      14.7219      30.9359
##
## $rho
## [1] 0.1141
##
## $est_rf
##           Coef     SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## rain_weekend  0.0306 0.0117  0.0087 0.0115  0.0069  0.0516  0.010
## rain_weekend_prev 0.0175 0.0102  0.0867 0.0145 -0.0304  0.0253  0.866
##
## $est_fs
##           Coef     SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## rain_weekend -0.0192 0.0037      0 0.0047 -0.0254 -0.0070  0.000
## rain_weekend_prev -0.0213 0.0037      0 0.0046 -0.0232 -0.0053  0.004
##
## $p_iv
## [1] 2
##
## $N
## [1] 6237
##
## $N_cl
## [1] 1610
##
## $df
## [1] 1609
##
## $nvalues
##      vote dose rain_weekend rain_weekend_prev
## [1,] 6230 5138          5401          5407

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Johns and Pelc (2016)

Replication Summary

| | |
|------------------|--------------------------------------|
| Unit of analysis | WTO dispute |
| Treatment | the number third parties |
| Instrument | trade stake of the rest of the world |
| Outcome | becoming a third party |
| Model | Table2(2) |

```

df<-readRDS("./data/jop_Johns_etal_2016.rds")
D='third_num_excl'
Y='thirdparty'
Z='ln_ROW_before_disp'
controls=c("ln_gdpk_partner", "ln_history_third", "ln_history_C",
  "Multilateral", "trade_before_dispute", "ARTICLEXXII")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.166 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.019 0.0017 11.3469  0.0157  0.0223      0
## Boot.c   0.019 0.0016 11.5364  0.0158  0.0222      0
## Boot.t   0.019 0.0017 11.3469  0.0158  0.0222      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0809 0.0297 -2.7247 -0.1392 -0.0227  0.0064
## Boot.c   -0.0809 0.0338 -2.3952 -0.1699 -0.0371  0.0000
## Boot.t   -0.0809 0.0297 -2.7247 -0.1448 -0.0171  0.0200
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 20.6337 1.0000 2460.0000 0.0000
##
## $AR$ci.print
## [1] "[-0.1813, -0.0382]"
##
## $AR$ci
## [1] -0.18130636 -0.03816286
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 16.9224     18.1200          NA     19.5759     18.1200
##
## $rho
## [1] 0.0828
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 18.1200  2.6873 -0.0809  0.0297 -2.7247 -0.1608 -0.0011  0.0469
##
## $est_rf
##           Coef      SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## ln_ROW_before_disp -0.0137 0.0031      0 0.003 -0.0192 -0.0077      0
##
## $est_fs
##           Coef      SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## ln_ROW_before_disp 0.1692 0.0397      0 0.0382 0.0976 0.2441      0

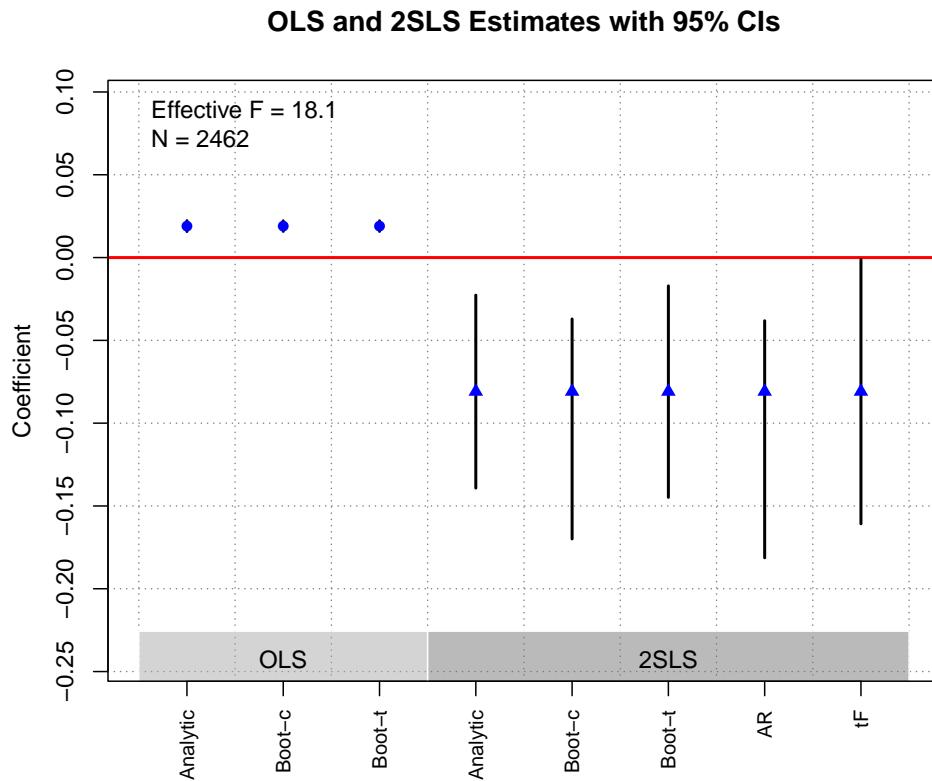
```

```

## 
## $p_iv
## [1] 1
##
## $N
## [1] 2462
##
## $N_cl
## NULL
##
## $df
## [1] 2454
##
## $nvalues
##      thirdparty third_num_excl ln_ROW_before_disp
## [1,]          2           17            2281

```

```
plot_coef(g)
```



Kriner and Schickler (2014)

Replication Summary

| | |
|------------------|--------------------------|
| Unit of analysis | month |
| Treatment | committee investigations |

Replication Summary

| | |
|------------|--|
| Instrument | number of days that Congress was in session in a given month |
| Outcome | presidential approval |
| Model | Table1(1) |

```
df<-readRDS("./data/jop_Kriner_etal_2014.rds")
D <- "misconductdays"
Y <- "approval"
Z <- "alldaysinsession"
controls <- c("icst1", "positive", "negative", "vcaslast6mos",
             "iraqcasmast6mos", "honeymoon", "approvalt1", "ike", "jfk",
             "lbj", "rmn", "ford", "carter", "reagan", "bush", "clinton", "wbush")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.627 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.0314 0.0149 -2.1103 -0.0606 -0.0022 0.0348
## Boot.c   -0.0314 0.0149 -2.1056 -0.0609 -0.0015 0.0380
## Boot.t   -0.0314 0.0149 -2.1103 -0.0603 -0.0026 0.0320
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -0.1262 0.0449 -2.8096 -0.2142 -0.0382 0.005
## Boot.c   -0.1262 0.0452 -2.7941 -0.2166 -0.0375 0.000
## Boot.t   -0.1262 0.0449 -2.8096 -0.2141 -0.0383 0.000
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 9.6155 1.0000 634.0000 0.0020
##
## $AR$ci.print
## [1] "[-0.2142, -0.0462]"
##
## $AR$ci
## [1] -0.21418637 -0.04623729
##
```

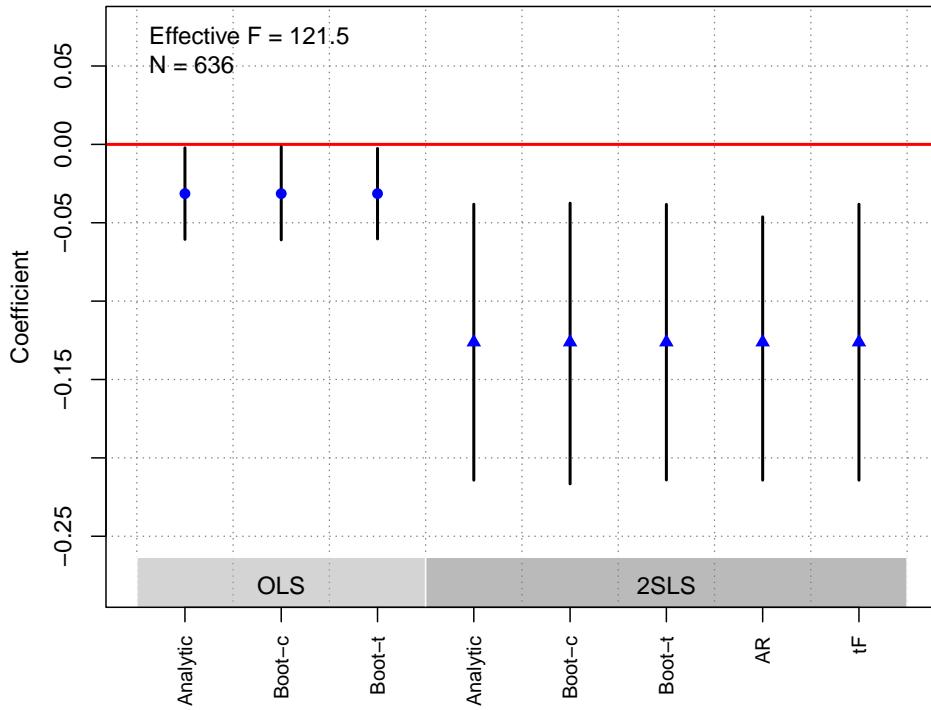
```

## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##   105.5872     121.5394        NA      117.2062     121.5394
##
## $rho
## [1] 0.382
##
## $tF
##          F       cF      Coef       SE       t    CI2.5%  CI97.5% p-value
## 121.5394 1.9600 -0.1262  0.0449 -2.8096 -0.2142 -0.0382  0.0050
##
## $est_rf
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## alldaysinsession -0.035 0.0119  0.0032 0.0117 -0.0569    -0.011         0
##
## $est_fs
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## alldaysinsession 0.2777 0.0252      0 0.0257   0.2245    0.326         0
##
## $p_iv
## [1] 1
##
## $N
## [1] 636
##
## $N_cl
## NULL
##
## $df
## [1] 618
##
## $nvalues
##      approval misconductdays alldaysinsession
## [1,]      185            52             49

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Lei and Zhou (2022)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | city*year |
| Treatment | subway approval |
| Instrument | whether the city has more than 3 million residents* population size |
| Outcome | mayor promotion |
| Model | Table3(A) |

```

df<-readRDS("./data/jop_Lei_2022.rds")
Y <- 'Mayor_promotion3y'
D <- 'Mayor_plan'
Z <- 'iv1'
controls<-c( 'Per_pop_2', 'iv1_int')
cl<-"City_Code"
FE<-c("provinceyear","City_Code")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 24.208 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.276 0.3323 0.8305 -0.3753   0.9273  0.4062
## Boot.c   0.276 0.2432 1.1348 -0.2337   0.6332  0.1505
## Boot.t   0.276 0.3323 0.8305 -0.1401   0.6921  0.1408
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.4776 0.5298 0.9014 -0.5608   1.5160  0.3674
## Boot.c   0.4776 0.3060 1.5608 -0.5413   0.7010  0.1602
## Boot.t   0.4776 0.5298 0.9014 -0.1927   1.1479  0.1044
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 3.0197 1.0000 146.0000 0.0844
##
## $AR$ci.print
## [1] "[-0.0628, 1.0392]"
##
## $AR$ci
## [1] -0.06283252 1.03915838
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
## 53.4747    2276.8055   5359.1714    179.8188   5359.1714
##
## $rho
## [1] 0.7604
##
## $tF
##       F      cF      Coef      SE      t     CI2.5%     CI97.5%   p-value
## 5359.1714 1.9600 0.4776 0.5298 0.9014 -0.5608  1.5160  0.3674
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## iv1 0.4833 0.5385 0.3695 0.3241 -0.6032  0.7417  0.1602
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## iv1 1.0119 0.0212      0 0.0755 0.992   1.2634      0

```

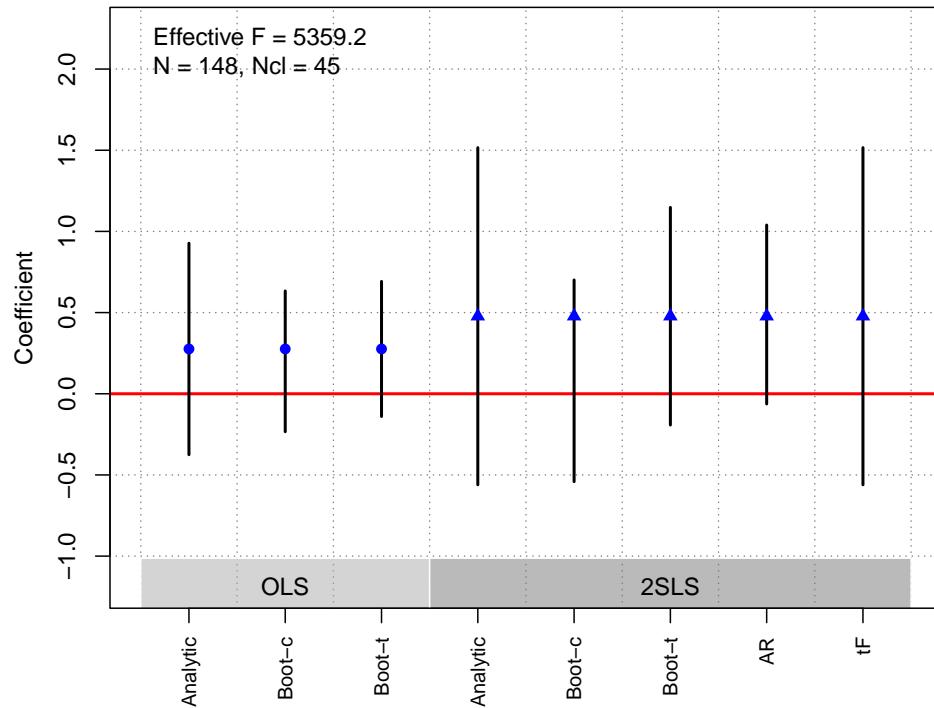
```

## 
## $p_iv
## [1] 1
## 
## $N
## [1] 148
## 
## $N_cl
## [1] 45
## 
## $df
## [1] 39
## 
## $nvalues
##      Mayor_promotion3y Mayor_plan iv1
## [1,]              2          2    2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Lerman et al. (2017)

Replication Summary

Unit of analysis

individual

Treatment

public versus only private health insurance

Replication Summary

| | |
|------------|-------------------|
| Instrument | born 1946 or 1947 |
| Outcome | support ACA |
| Model | Table1(1) |

```
df<-readRDS("./data/jop_Lerman_2017.rds")
Y <-'suppafford'
D <-'privpubins3r'
Z <-'byr4647'
controls<-c( 'rep', 'ind', 'con', 'mod',
           'ideostrength', 'hcsocial', 'fininsur',
           'healthcaresupport', 'child18', 'male',
           'married', 'labor', 'mobility', 'homeowner',
           'religimp','employed', 'votereg', 'vote08',
           'black', 'hispanic2', 'military', 'educ',
           'fincome', 'newsint', 'publicemp', 'bornagain')
cl<-NULL
FE<-NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 36.264 sec.
## AR Test Inversion...

## $est_ols
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0093 0.0109 0.8542 -0.0121   0.0307   0.393
## Boot.c   0.0093 0.0111 0.8368 -0.0127   0.0300   0.386
## Boot.t   0.0093 0.0109 0.8542 -0.0121   0.0307   0.393
##
## $est_2sls
##          Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0459 0.0229 2.0095  0.0011   0.0908   0.0445
## Boot.c   0.0459 0.0225 2.0463  0.0046   0.0922   0.0280
## Boot.t   0.0459 0.0229 2.0095  0.0032   0.0887   0.0360
##
## $AR
## $AR$Fstat
##          F      df1      df2      p
##     4.0595    1.0000  4387.0000   0.0440
##
## $AR$ci.print
## [1] "[0.0016, 0.0908]"
```

```

##  

## $AR$ci  

## [1] 0.001589997 0.090751076  

##  

## $AR$bounded  

## [1] TRUE  

##  

##  

## $F_stat  

##   F.standard    F.robust    F.cluster F.bootstrap F.effective  

##   1272.162     1194.659       NA      1122.025     1194.659  

##  

## $rho  

## [1] 0.4752  

##  

## $tF  

##          F        cF        Coef         SE         t      CI2.5%      CI97.5%    p-value  

## 1194.6594  1.9600  0.0459  0.0229  2.0095  0.0011  0.0908  0.0445  

##  

## $est_rf  

##          Coef        SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## byr4647 0.0202  0.01  0.0441  0.0098  0.002   0.0399  0.028  

##  

## $est_fs  

##          Coef        SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b  

## byr4647 0.4401  0.0127       0  0.0131  0.4135  0.4633       0  

##  

## $p_iv  

## [1] 1  

##  

## $N  

## [1] 4389  

##  

## $N_cl  

## NULL  

##  

## $df  

## [1] 4361  

##  

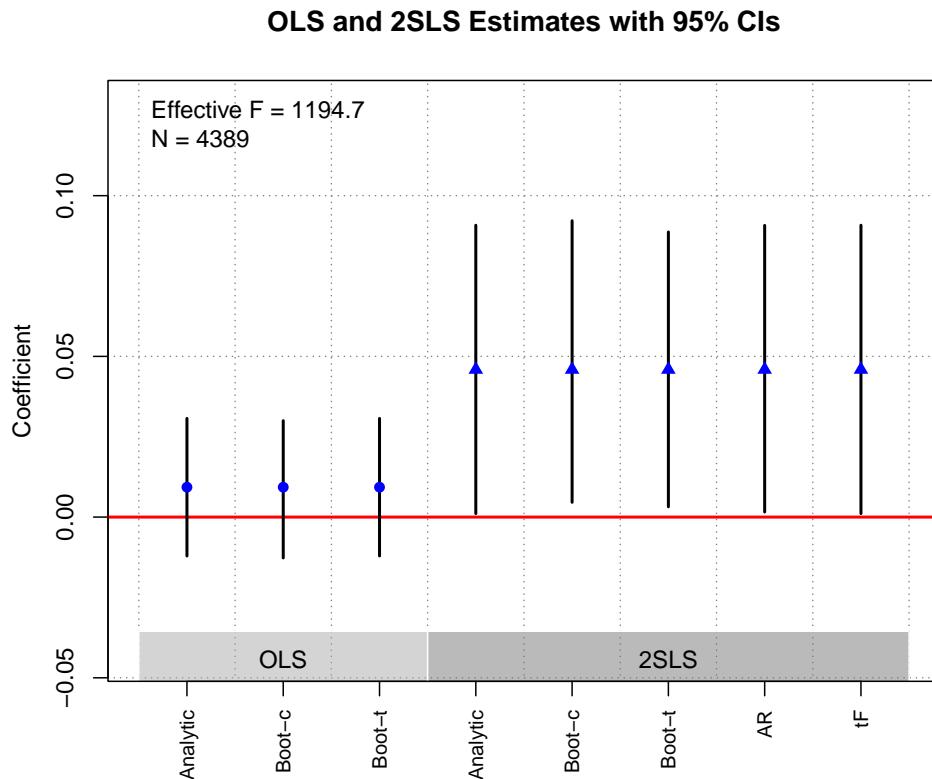
## $nvalues  

##      suppafford privpubbins3r byr4647  

## [1,]           2            2            2

```

```
plot_coef(g)
```



Lorentzen et al. (2014)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | city |
| Treatment | large firm dominance in 2007 |
| Instrument | same variable measured in 1999 |
| Outcome | pollution information transparency index |
| Model | Table1(2) |

```
df<-readRDS("./data/jop_Lorentzen_2014.rds")
D <- "lfd2007"
Y <- "pitiaeve3"
Z <- "lfd99"
controls <- c("lbudgetrev", "lexpratio", "tertratio", "sat_air_pca")
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))
```

```
## Bootstrapping:
```

```

## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.137 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -2.4789 1.0508 -2.3590 -4.5385 -0.4193 0.0183
## Boot.c   -2.4789 1.0235 -2.4221 -4.5399 -0.4140 0.0180
## Boot.t   -2.4789 1.0508 -2.3590 -4.6259 -0.3318 0.0230
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic -6.3664 1.6421 -3.8769 -9.5850 -3.1478 1e-04
## Boot.c   -6.3664 1.6918 -3.7632 -9.8039 -3.1658 0e+00
## Boot.t   -6.3664 1.6421 -3.8769 -9.6166 -3.1162 0e+00
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 14.8495 1.0000 110.0000 0.0002
##
## $AR$ci.print
## [1] "[-10.5703, -3.0493]"
##
## $AR$ci
## [1] -10.570287 -3.049292
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##      53.6182    53.4100        NA     50.8991    53.4100
##
## $rho
## [1] 0.5796
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 53.4100 2.1292 -6.3664 1.6421 -3.8769 -9.8628 -2.8700 0.0004
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## lfd99 -3.4227 0.8379      0 0.8356 -4.9772 -1.7695      0
##
## $est_fs

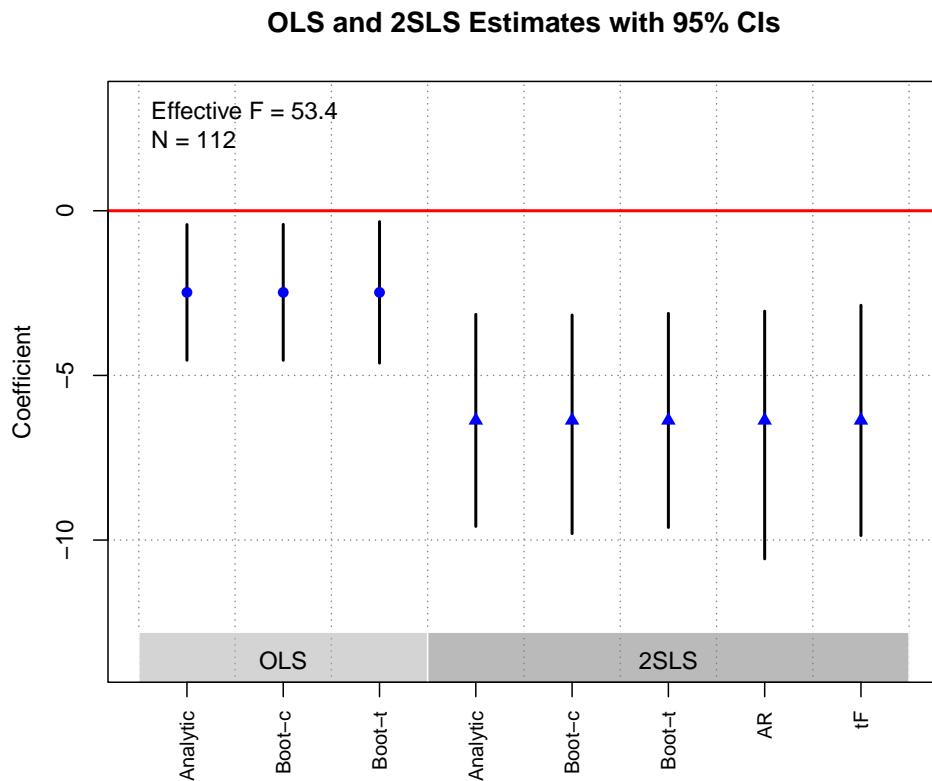
```

```

##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## lfd99 0.5376 0.0736      0 0.0754   0.3908   0.6837      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 112
##
## $N_cl
## NULL
##
## $df
## [1] 106
##
## $nvalues
##      pitiaive3 lfd2007 lfd99
## [1,]     108     112     112

```

```
plot_coef(g)
```



Pianzola et al. (2019)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | individual |
| Treatment | smartvote use |
| Instrument | random assignment of the e-mail treatment |
| Outcome | vote intentions |
| Model | Table4(3) |

```
df <- readRDS("./data/jop_Pianzola_etal_2019.rds")
D <- "smartvote"
Y <- "diff_top_ptv"
Z <- "email"
controls <- NULL
cl <- NULL
FE <- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.606 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0805 0.0684 1.1767 -0.0536   0.2146  0.2393
## Boot.c   0.0805 0.0659 1.2216 -0.0425   0.2100  0.2000
## Boot.t   0.0805 0.0684 1.1767 -0.0491   0.2101  0.2180
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.755 0.3788 1.9934  0.0126   1.4974  0.0462
## Boot.c   0.755 0.3861 1.9555  0.0654   1.6072  0.0320
## Boot.t   0.755 0.3788 1.9934  0.0481   1.4620  0.0380
##
## $AR
## $AR$Fstat
##           F      df1      df2          p
##        4.2746    1.0000 1773.0000     0.0388
##
## $AR$ci.print
## [1] "[0.0429, 1.5883]"
##
## $AR$ci
## [1] 0.0429474 1.5883247
##
```

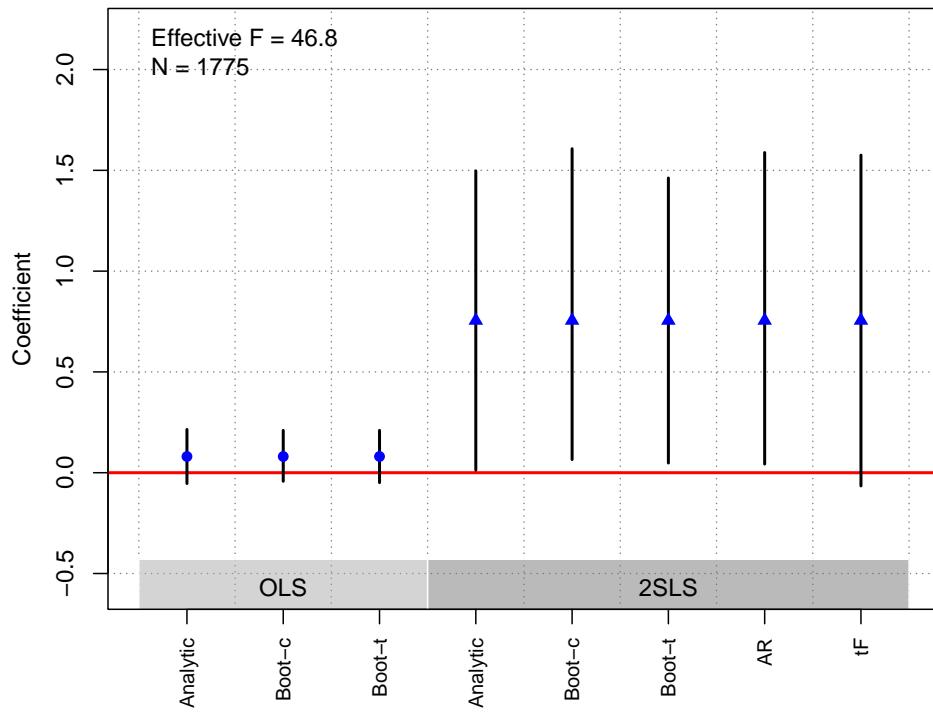
```

## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##      46.7293      46.7612        NA       48.8745      46.7612
##
## $rho
## [1] 0.1602
##
## $tF
##          F      cF     Coef      SE      t CI2.5% CI97.5% p-value
## 46.7612 2.1662 0.7550 0.3788 1.9934 -0.0654 1.5755 0.0713
##
## $est_rf
##          Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## email 0.1032 0.0499 0.0386 0.0492 0.0084 0.1996      0.032
##
## $est_fs
##          Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## email 0.1367 0.02      0 0.0195 0.0984 0.1754      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 1775
##
## $N_cl
## NULL
##
## $df
## [1] 1773
##
## $nvalues
##      diff_top_ptv smartvote email
## [1,]           18            2      2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Schleiter and Tavits (2016)

Replication Summary

| | |
|------------------|--------------------------------------|
| Unit of analysis | election |
| Treatment | opportunistic election calling |
| Instrument | prime Minister dissolution power |
| Outcome | vote share of Prime Minister's party |
| Model | Table3(b4) |

```

df<- readRDS("./data/jop_Schleiter_etal_2016.rds")
D <- "term2"
Y <- "pm_voteshare_next"
Z <- "disspm"
controls <- c("pm_voteshare", "gdp_chg1yr", "cpi1yr", "dumcpi1yr")
cl <- "countryn"
FE <- "decade"
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 31.336 sec.
## AR Test Inversion...

```

```

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 3.0828 0.7895 3.9048  1.5354   4.6302   1e-04
## Boot.c   3.0828 1.1217 2.7483  1.4746   5.9897   2e-03
## Boot.t   3.0828 0.7895 3.9048  1.2116   4.9540   2e-03
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 5.0282 1.7887 2.8111  1.5223   8.5341   0.0049
## Boot.c   5.0282 59.8193 0.0841  0.7576  22.8746   0.0320
## Boot.t   5.0282 1.7887 2.8111  0.4410   9.6155   0.0380
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 5.7201  1.0000 189.0000  0.0178
##
## $AR$ci.print
## [1] "[0.9142, 9.3569]"
##
## $AR$ci
## [1] 0.9141871 9.3568882
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard    F.robust   F.cluster F.bootstrap F.effective
## 107.0322      75.6881     57.1949     21.4898     57.1949
##
## $rho
## [1] 0.6117
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 57.1949  2.1037  5.0282  1.7887  2.8111  1.2653  8.7912  0.0088
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## dissppm 0.3124 0.1062  0.0033 0.1807  0.0651     0.738     0.012
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## dissppm 0.0621 0.0071     0 0.0134  0.0196   0.0745     0.024
##
## $p_iv

```

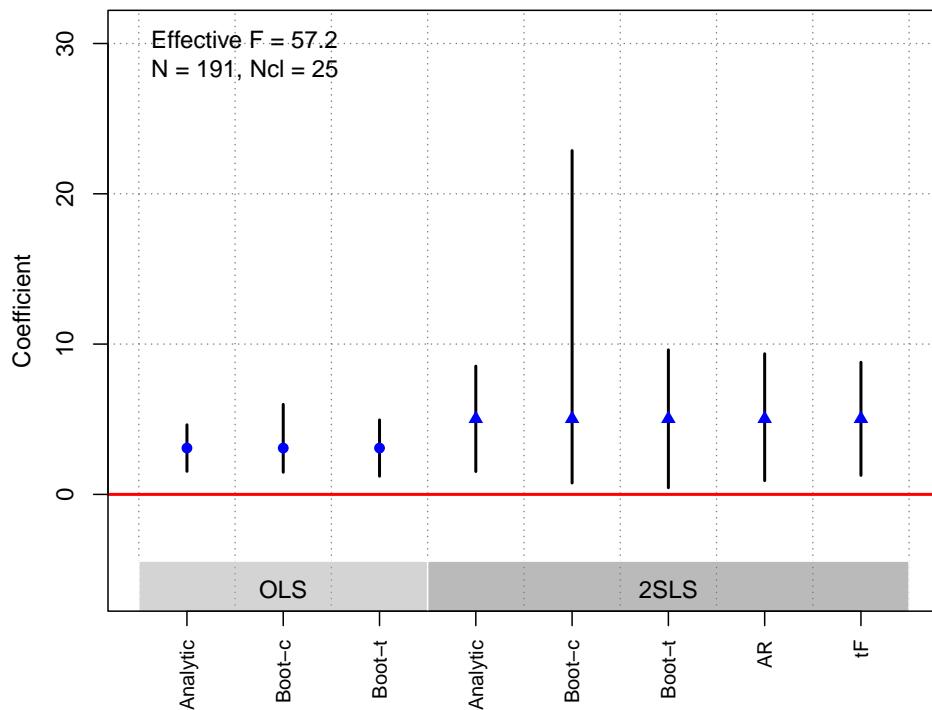
```

## [1] 1
##
## $N
## [1] 191
##
## $N_cl
## [1] 25
##
## $df
## [1] 179
##
## $nvalues
##      pm_voteshare_next term2 disspm
## [1,]          157       2       6

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Schubiger (2021)

Replication Summary

Unit of analysis

community

Treatment

exposure to state violence

Instrument

location of a community inside or outside the emergency zone

Replication Summary

| | |
|---------|-------------------------------|
| Outcome | counterinsurgent mobilization |
|---------|-------------------------------|

```
df <-readRDS("./data/jop_Schubiger_2021.rds")
D <- "violence_est_period2"
Y<-"autodefensa"
Z <- "emzone"
controls <-"distance"
cl<- NULL
FE<- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 13.601 sec.
## AR Test Inversion...
## Parallelising on 15 cores

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0702 0.0140 5.0069  0.0427   0.0977      0
## Boot.c   0.0702 0.0139 5.0638  0.0433   0.0985      0
## Boot.t   0.0702 0.0140 5.0069  0.0403   0.1002      0
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.2736 0.0764 3.5814  0.1239   0.4234   3e-04
## Boot.c   0.2736 0.0811 3.3745  0.1352   0.4447   0e+00
## Boot.t   0.2736 0.0764 3.5814  0.1243   0.4230   2e-03
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 22.8597  1.0000 7293.0000  0.0000
##
## $AR$ci.print
## [1] "[0.1606, 0.4295]"
##
## $AR$ci
## [1] 0.1605585 0.4295009
##
## $AR$bounded
## [1] TRUE
##
```

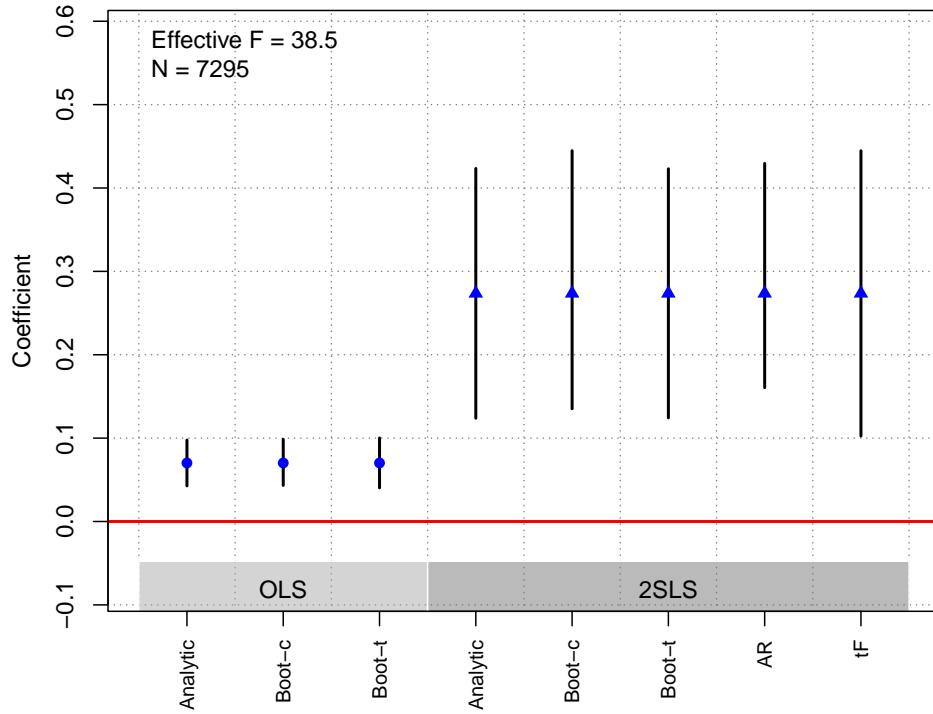
```

## 
## $F_stat
## F.standard      F.robust     F.cluster F.bootstrap F.effective
##      39.9899      38.5348          NA      40.6455      38.5348
## 
## $rho
## [1] 0.0739
## 
## $tF
##           F       cF     Coef       SE       t CI2.5% CI97.5% p-value
## 38.5348  2.2392  0.2736  0.0764  3.5814  0.1025  0.4447  0.0017
## 
## $est_rf
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## emzone 0.0172 0.0048 4e-04 0.005    0.008    0.0273      0
## 
## $est_fs
##           Coef       SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## emzone 0.0629 0.0101      0 0.0099  0.0428   0.0826      0
## 
## $p_iv
## [1] 1
## 
## $N
## [1] 7295
## 
## $N_cl
## NULL
## 
## $df
## [1] 7292
## 
## $nvalues
##      autodefensa violence_est_period2 emzone
## [1,]            2                  2        2

```

plot_coef(g)

OLS and 2SLS Estimates with 95% CIs



Stewart and Liou (2017)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | insurgency*year |
| Treatment | foreign territory |
| Instrument | log total border length and the total number of that state's neighbors |
| Outcome | civilian casualties |
| Model | Table3(1) |

```

df <- readRDS("./data/jop_Stewart_2017.rds")
D <- "exterrдум_low"
Y <- "oneside_best_log"
Z <- "total_border_ln"
controls <- c("bd_log", "terrdум", "strengthcent_ord", "rebstrength_ord",
             'nonmilsupport', 'rebestsize', 'l1popdensity',
             'l1gdppc_log','l1gdppc_change')
cl <- NULL
FE <- c("year", "countrynum")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
            cl =cl, weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores

```

```

## Bootstrap took 28.362 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.803 0.3249 2.4716  0.1662   1.4398  0.0135
## Boot.c   0.803 0.3186 2.5201  0.1565   1.3963  0.0200
## Boot.t   0.803 0.3249 2.4716  0.1512   1.4548  0.0190
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 1.1929 0.5730 2.0817  0.0698   2.3161  0.0374
## Boot.c   1.1929 1.7071 0.6988 -0.1300   2.7437  0.0680
## Boot.t   1.1929 0.5730 2.0817  0.1108   2.2751  0.0290
##
## $AR
## $AR$Fstat
##       F      df1      df2      p
## 1.542  1.000 464.000  0.215
##
## $AR$ci.print
## [1] "[-0.7033, 3.2090]"
##
## $AR$ci
## [1] -0.7033116 3.2089531
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
## 33.9859        99.3150        NA        63.5591     99.3150
##
## $rho
## [1] 0.2786
##
## $tF
##       F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 99.3150 1.9734 1.1929 0.5730 2.0817 0.0621  2.3238  0.0387
##
## $est_rf
##           Coef      SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b
## total_border_ln -7.0905 3.3952 0.0368 9.073 -15.5371   0.7844    0.068
##
## $est_fs
##           Coef      SE p.value  SE.b CI.b2.5% CI.b97.5% p.value.b

```

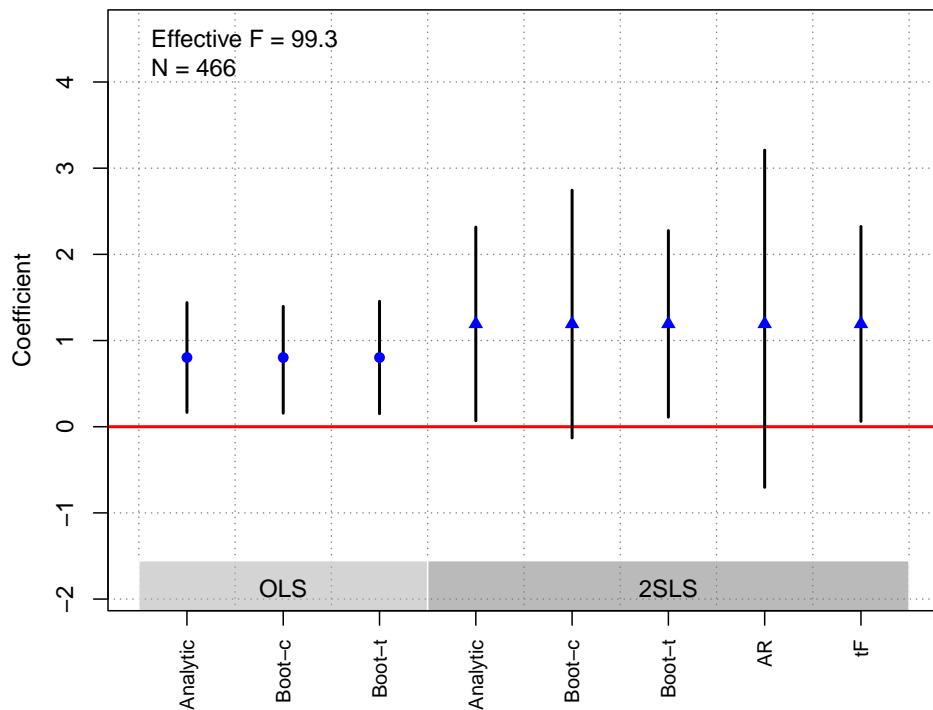
```

## total_border_ln -5.9438 0.5964      0  0.7456   -7.362   -4.6081      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 466
##
## $N_cl
## NULL
##
## $df
## [1] 404
##
## $nvalues
##      oneside_best_log exterrdum_low total_border_ln
## [1,]           113                 2            45

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Urpelainen and Zhang (2022)

Replication Summary

| | |
|------------------|--|
| Unit of analysis | district*year |
| Treatment | wind turbine capacity |
| Instrument | time trend multiplied by the wind resource of the electoral district |
| Outcome | Democratic vote |
| Model | Table3(B1) |

```
df <-readRDS("./data/jop_urpelainen_2022.rds")
D <- "cum_capacity_turbine"
Y<-"demvotesmajorpercent"
Z <- "inter"
controls <-NULL
cl<- "district_fixed"
FE<- c("stateyear_fixed","district_fixed")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))
```

```
## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 28.931 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0063 0.0027 2.3711  0.0011   0.0115  0.0177
## Boot.c   0.0063 0.0034 1.8744  0.0005   0.0134  0.0380
## Boot.t   0.0063 0.0027 2.3711 -0.0002   0.0128  0.0620
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0296 0.0106 2.7836  0.0088   0.0505  0.0054
## Boot.c   0.0296 0.0155 1.9108  0.0108   0.0699  0.0040
## Boot.t   0.0296 0.0106 2.7836  0.0077   0.0516  0.0080
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     12.3395    1.0000 1142.0000   0.0005
##
## $AR$ci.print
## [1] "[0.0130, 0.0477]"
##
## $AR$ci
## [1] 0.01302764 0.04773662
```

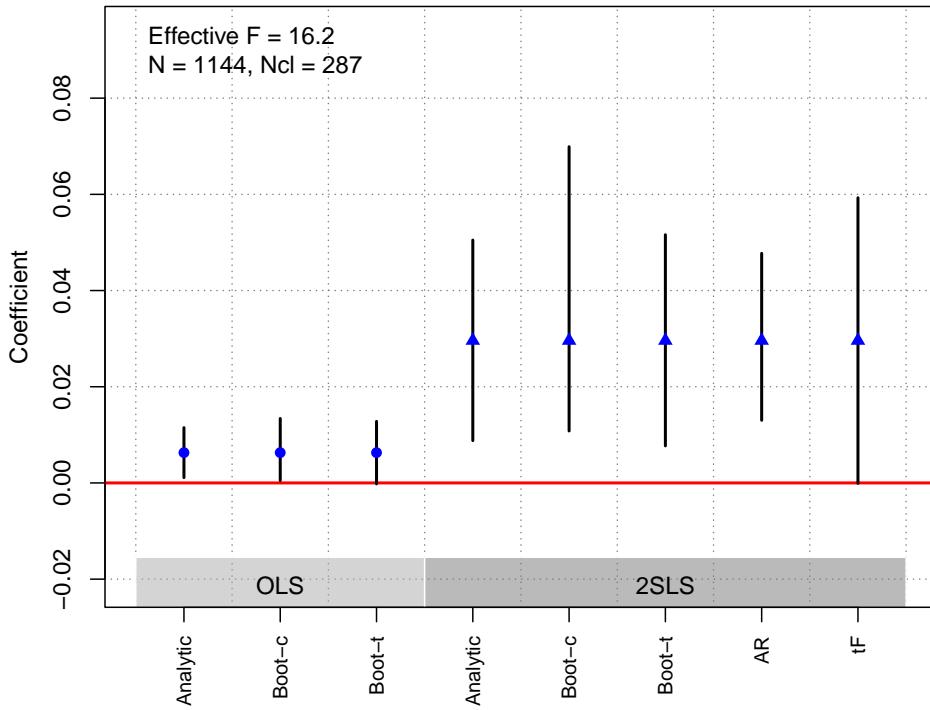
```

##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard   F.robust   F.cluster F.bootstrap F.effective
##      93.4366    27.8543    16.1654    15.4517    16.1654
##
## $rho
## [1] 0.3269
##
## $tF
##      F      cF     Coef      SE      t CI2.5% CI97.5% p-value
## 16.1654 2.7897 0.0296 0.0106 2.7836 -0.0001 0.0593 0.0505
##
## $est_rf
##      Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## inter 0.9095 0.3122 0.0036 0.3238    0.295     1.563     0.004
##
## $est_fs
##      Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## inter 30.6883 5.8147      0 7.807 13.4343 44.1528      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 1144
##
## $N_cl
## [1] 287
##
## $df
## [1] 286
##
## $nvalues
##      demvotesmajorpercent cum_capacity_turbine inter
## [1,]                 965                  141     777

plot_coef(g)

```

OLS and 2SLS Estimates with 95% CIs



Webster et al. (2022)

Replication Summary

| | |
|------------------|---|
| Unit of analysis | individual |
| Treatment | percentage of angry words that a respondent wrote in his or her emotional recall prompt |
| Instrument | treatment assignment indicator |
| Outcome | social polarization: do favors |
| Model | Table2(1) |

```

df <-readRDS("./data/jop_Webster_2022.rds")
D <- "anger"
Y<-"fourpack_1_01"
Z <- "treated"
controls <-"democrat"
cl<- NULL
FE<- NULL
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl,weights=weights, cores = cores))

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 12.876 sec.

```

```

## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0024 0.0018 1.3413 -0.0011  0.0058  0.1798
## Boot.c   0.0024 0.0017 1.3970 -0.0010  0.0057  0.1680
## Boot.t   0.0024 0.0018 1.3413 -0.0011  0.0058  0.1630
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0108 0.0039 2.8123  0.0033  0.0184  0.0049
## Boot.c   0.0108 0.0037 2.9276  0.0038  0.0184  0.0020
## Boot.t   0.0108 0.0039 2.8123  0.0037  0.0180  0.0020
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##     8.0028    1.0000 3408.0000    0.0047
##
## $AR$ci.print
## [1] "[0.0034, 0.0184]"
##
## $AR$ci
## [1] 0.003365028 0.018409019
##
## $AR$bounded
## [1] TRUE
##
## $F_stat
##   F.standard   F.robust   F.cluster F.bootstrap F.effective
##     801.9232    773.5894        NA     787.6258    773.5894
##
## $rho
## [1] 0.4365
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 773.5894  1.9600  0.0108  0.0039  2.8123  0.0033  0.0184  0.0049
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## treated 0.031 0.011  0.0047 0.0105  0.0107    0.052      0.002
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## treated 2.8585 0.1028       0 0.1019    2.674     3.065      0

```

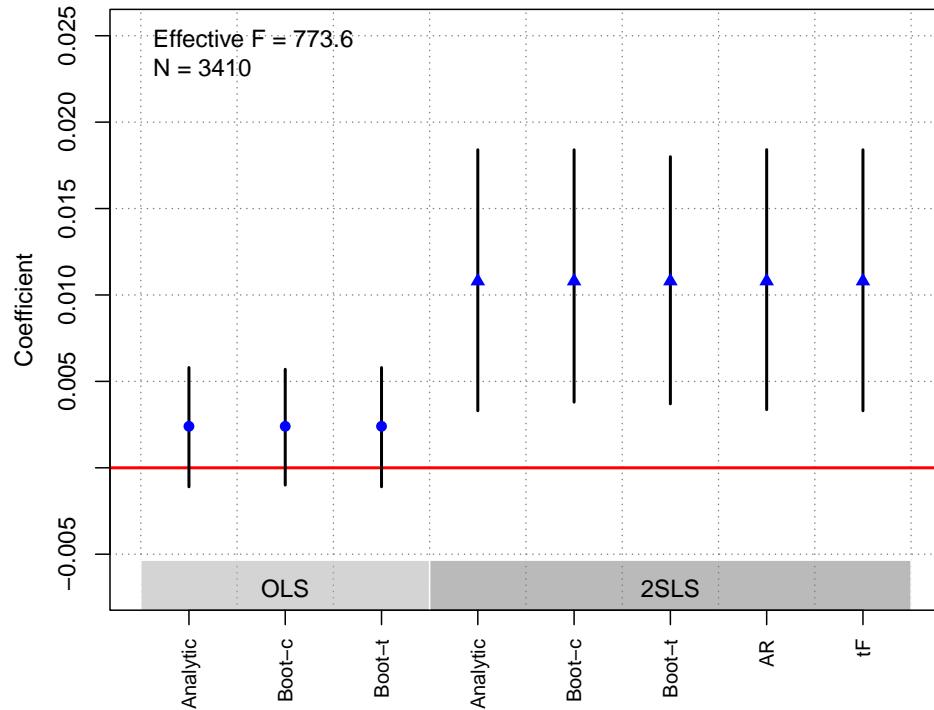
```

## 
## $p_iv
## [1] 1
## 
## $N
## [1] 3410
## 
## $N_cl
## NULL
## 
## $df
## [1] 3407
## 
## $nvalues
##      fourpack_1_01 anger treated
## [1,]          5    252       2

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



West (2017)

Replication Summary

| | |
|------------------|------------|
| Unit of analysis | individual |
| Treatment | Obama win |

Replication Summary

| | |
|------------|-------------------------------|
| Instrument | IEM (prediction market) price |
| Outcome | political efficacy |
| Model | Table1(4) |

```
df<- readRDS("./data/jop_West_2017.rds")
D <- "obama"
Y <- "newindex"
Z <- "avgprice"
controls <- c("partyd1", "partyd2", "partyd3",
             "partyd4", "partyd5", "wa01_a", "wa02_a",
             "wa03_a", "wa04_a", "wa05_a", "wfc02_a",
             "ra01_b", "rd01", "wd02_b", "rkey",
             "wave_1", "dt_w12", "dt_w12_2")
cl <- NULL
FE <- c("state", "religion")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
             cl =cl, weights=weights, cores = cores))
```

```
## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 29.262 sec.
## AR Test Inversion...

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.0358 0.0112 3.2084  0.0139   0.0577  0.0013
## Boot.c   0.0358 0.0112 3.1982  0.0140   0.0569  0.0000
## Boot.t   0.0358 0.0112 3.2084  0.0140   0.0576  0.0000
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.2073 0.0873 2.3758  0.0363   0.3784  0.0175
## Boot.c   0.2073 0.0892 2.3234  0.0423   0.3882  0.0160
## Boot.t   0.2073 0.0873 2.3758  0.0432   0.3715  0.0180
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
##       6.7445    1.0000 2281.0000   0.0095
##
## $AR$ci.print
## [1] "[0.0520, 0.3976]"
##
## $AR$ci
```

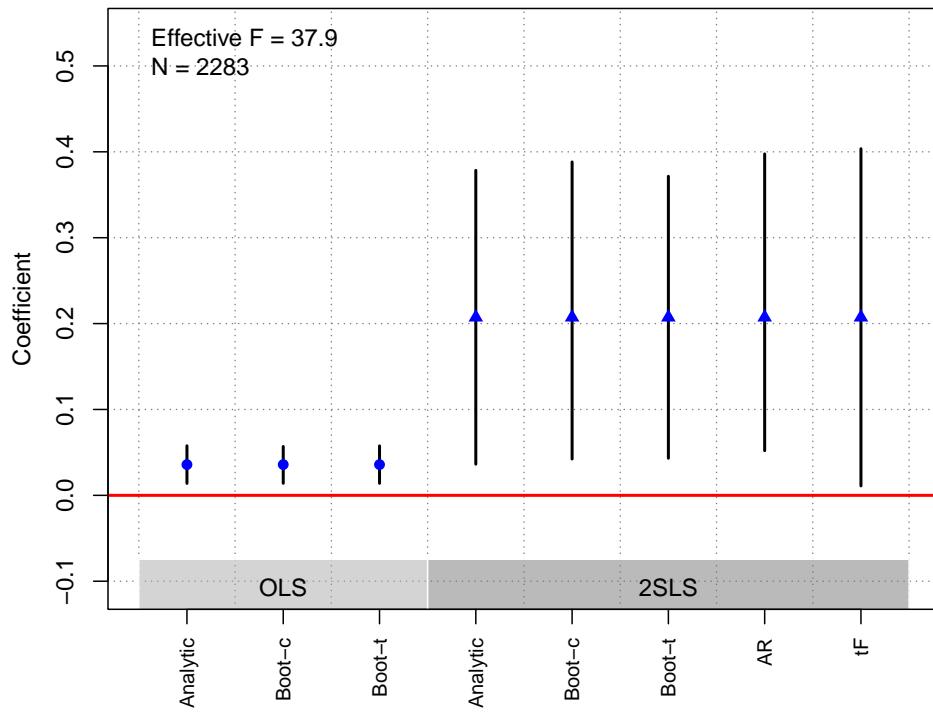
```

## [1] 0.05199789 0.39758798
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
##   F.standard    F.robust    F.cluster F.bootstrap F.effective
##       41.7917      37.8652          NA      39.5447      37.8652
##
## $rho
## [1] 0.1362
##
## $tF
##        F      cF     Coef      SE      t  CI2.5% CI97.5% p-value
## 37.8652 2.2493 0.2073  0.0873  2.3758  0.0110  0.4036  0.0384
##
## $est_rf
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## avgprice 0.1407 0.0559  0.0119  0.0561   0.0273     0.246     0.016
##
## $est_fs
##           Coef      SE p.value    SE.b CI.b2.5% CI.b97.5% p.value.b
## avgprice 0.6784 0.1103      0 0.1079   0.4705   0.8891      0
##
## $p_iv
## [1] 1
##
## $N
## [1] 2283
##
## $N_cl
## NULL
##
## $df
## [1] 2211
##
## $nvalues
##      newindex obama avgprice
## [1,]      122      2     141

```

```
plot_coef(g)
```

OLS and 2SLS Estimates with 95% CIs



Ziaja (2020)

Replication Summary

| | |
|------------------|----------------------------|
| Unit of analysis | country*year |
| Treatment | number of democracy donors |
| Instrument | constructed instrument |
| Outcome | democracy scores |
| Model | Table1(B2) |

```

df <-readRDS("./data/jop_Ziaja_2020.rds")
D <- "l.CMgnh"
Y <- "v2x.polyarchy.n"
Z <- "l.ZwvCMgwh94"
controls <-c("l.pop.log.r", "l.gdpccap.log.r", "l.war25")
cl<- "cnamef"
FE<- c("cnamef", "periodf")
weights<-NULL
(g<-ivDiag(data=df, Y=Y, D=D, Z=Z, controls=controls, FE =FE,
  cl =cl, weights=weights, cores = cores))

```

```

## Bootstrapping:
## Parallelising 1000 reps on 15 cores
## Bootstrap took 30.623 sec.
## AR Test Inversion...

```

```

## $est_ols
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.8746 0.0963 9.0799  0.6858   1.0634   0.000
## Boot.c   0.8746 0.2027 4.3157  0.4320   1.2366   0.000
## Boot.t   0.8746 0.0963 9.0799  0.4532   1.2960   0.001
##
## $est_2sls
##           Coef      SE      t CI 2.5% CI 97.5% p.value
## Analytic 0.8726 0.1769 4.9338  0.5259   1.2192   0.000
## Boot.c   0.8726 0.4147 2.1043 -0.1846   1.4370   0.118
## Boot.t   0.8726 0.1769 4.9338 -0.0290   1.7742   0.059
##
## $AR
## $AR$Fstat
##           F      df1      df2      p
## 45.5711  1.0000 2365.0000 0.0000
##
## $AR$ci.print
## [1] "[0.6250, 1.1202]"
##
## $AR$ci
## [1] 0.6249779 1.1201789
##
## $AR$bounded
## [1] TRUE
##
##
## $F_stat
## F.standard    F.robust   F.cluster F.bootstrap F.effective
## 1158.1467     775.0850   199.9166   208.9504   199.9166
##
## $rho
## [1] 0.586
##
## $tF
##           F      cF      Coef      SE      t CI2.5% CI97.5% p-value
## 199.9166  1.9600  0.8726  0.1769  4.9338  0.5259   1.2192   0.0000
##
## $est_rf
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## l.ZwvCMgwh94 0.0599 0.0121        0 0.0301 -0.0121   0.1039   0.118
##
## $est_fs
##           Coef      SE p.value   SE.b CI.b2.5% CI.b97.5% p.value.b
## l.ZwvCMgwh94 0.0686 0.0025        0 0.0047  0.0618   0.0804       0
##
## $p_iv

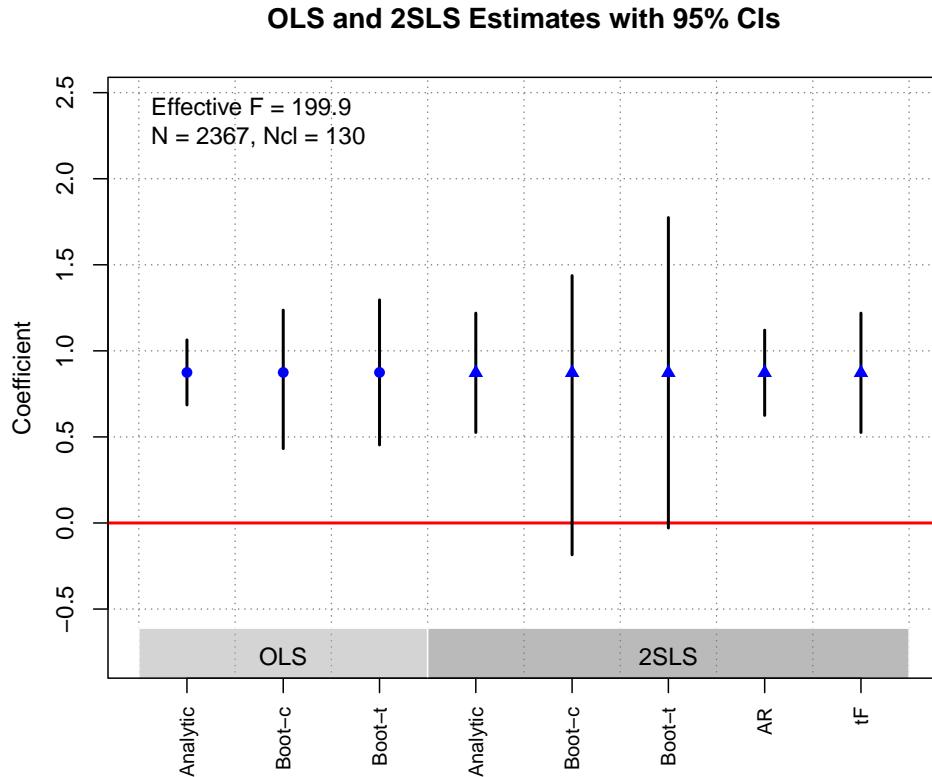
```

```

## [1] 1
##
## $N
## [1] 2367
##
## $N_cl
## [1] 130
##
## $df
## [1] 129
##
## $nvalues
##      v2x.polyarchy.n 1.CMgnh 1.ZwvCMgwh94
## [1,]          2038       24        2283

```

```
plot_coef(g)
```



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